

Report

Team Number: 25

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Contributions: Insertion Sort, and Report done by Shloka Bhatt

Random Data generator.py, Merge Sort, Quick Sort done by Maharshi Shah

README.md file done by both

- **References:**

- timeit module -
https://note.nkmk.me/en/python-timeit-measure/#:~:text=source%3A%20timeit_module.py,timeit,the%20number%20of%20executions%20increases.
- File Handling in Python:
<https://pythonnumericalmethods.berkeley.edu/notebooks/chapter11.01-TXT-Files.html>
- List Comprehensions in Python:
<https://docs.python.org/3/tutorial/datastructures.html#list-comprehensions>

- **Time Complexity of Insertion Sort Algorithm:**

- $T(n) = O(n)$ for best case and $O(n^2)$ for worst case and average case.

- **Time Complexity of Merge Sort Algorithm:**

- $T(n) = O(n \cdot \log n)$ for all cases.

- **Time Complexity of Quick Sort Algorithm:**

- $T(n) = O(n \cdot \log n)$ for best and average case and $O(n^2)$ for worst case.

- **Experimental Results:**

1. Upon executing the initial script, insertion_sort.py, the following outcomes were observed:
 - The initial script, dealing with a dataset comprising 20 sets of random data, demonstrated efficient performance by completing the sorting process in a mere 0.000047 seconds.
 - The second script, encompassing a dataset of 100 sets of random data, accomplished the sorting operation within a duration of 0.000712 seconds.
 - The third script, handling a dataset consisting of 2000 sets of random data, completed the sorting process in 0.110340 seconds.
 - The fourth script, dealing with a dataset comprising 6000 sets of random data, required 1.486085 seconds to execute the sorting process.
2. While executing the merge_sort.py, the following outcomes were observed:
 - The initial script, dealing with a dataset comprising 20 sets of random data, demonstrated efficient performance by completing the sorting process in a mere 0.000039 seconds.

- The second script, encompassing a dataset of 100 sets of random data, accomplished the sorting operation within a duration of 0.000150 seconds.
 - The third script, handling a dataset consisting of 2000 sets of random data, completed the sorting process in 0.004120 seconds.
 - The fourth script, dealing with a dataset comprising 6000 sets of random data, required 0.020312 seconds to execute the sorting process.
3. While executing the quick_sort.py, the following outcomes were observed:
- The initial script, dealing with a dataset comprising 20 sets of random data, demonstrated efficient performance by completing the sorting process in a mere 0.000047 seconds.
 - The second script, encompassing a dataset of 100 sets of random data, accomplished the sorting operation within a duration of 0.000139 seconds.
 - The third script, handling a dataset consisting of 2000 sets of random data, completed the sorting process in 0.007658 seconds.
 - The fourth script, dealing with a dataset comprising 6000 sets of random data, required 0.023124 seconds to execute the sorting process.
- **Differences between theoretical and experimental results:**

The observed execution time for Insertion Sort with $n=20$ was 0.000047 seconds, indicating a faster performance than the worst-case time complexity of $O(n^2)$. Real-world factors, like a small dataset or partially ordered data, can lead to performance variations, deviating from theoretical expectations.

Similarly, Merge Sort's theoretical time complexity is $O(n \log n)$, yet the actual execution time for $n=20$ was 0.000039 seconds, suggesting a faster performance in this specific case.

For Quick Sort with $n=6000$, the theoretical time complexity is $O(n \log n)$, but the measured time of 0.023124 seconds reflects real-world variations. Constant factors, hardware specifics, and implementation details contribute to deviations from theoretical expectations.

In essence, theoretical time complexity offers a broad understanding of scaling with input size, but real-world execution times can be influenced by various factors, as seen in the experimental results.

- **Comparison of Insertion Sort, Merge Sort, Quick Sort:**

Insertion Sort:

- Anticipated Traits:
 - Time Complexity:
 - Worst Case: $O(n^2)$
 - Best Case: $O(n)$
 - Average Case: $O(n^2)$
 - Applicability:
 - Effective for modest datasets or partially ordered data.
 - Diminishes in efficiency as the dataset size expands.

Merge Sort:

- Anticipated Traits:
 - Time Complexity:
 - Worst Case: $O(n \log n)$
 - Best Case: $O(n \log n)$
 - Average Case: $O(n \log n)$
 - Applicability:
 - Effective for substantial datasets.
 - Maintains consistent performance across varied input scenarios.

Quick Sort:

- Anticipated Traits:
 - Time Complexity:
 - Worst Case: $O(n^2)$ (rare, with poor pivot choices)
 - Best Case: $O(n \log n)$
 - Average Case: $O(n \log n)$
 - Applicability:
 - Efficient for large datasets.
 - Typically swifter than other $O(n \log n)$ algorithms in practical scenarios.

Analysis:

1. Small Datasets (20 and 100 rows):
 - Insertion Sort may exhibit competitive performance due to its efficacy with smaller datasets.
 - Merge Sort and Quick Sort might showcase similar performance in optimal and average scenarios.
2. Medium Dataset (2000 rows):
 - Merge Sort and Quick Sort are anticipated to surpass Insertion Sort significantly.
 - The effectiveness of Merge Sort and Quick Sort becomes apparent with more extensive datasets.
3. Large Dataset (6000 rows):
 - Merge Sort and Quick Sort are expected to substantially outpace Insertion Sort.
 - Quick Sort, in particular, is likely to be faster owing to its lower constant factors.

Anomalies:

1. Insertion Sort Anomalies:
 - Best Case Anomaly:

In cases where the dataset is already partially ordered or exhibits a specific structure, Insertion Sort might deliver surprisingly efficient performance, potentially surpassing theoretical best-case expectations.
2. Quick Sort Anomalies:
 - Worst Case Anomaly:

Although Quick Sort is generally efficient, a worst-case scenario (quadratic time complexity) could arise with unfavorable pivot choices. However, such instances are rare in practice.

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I promise that I will submit only work that I personally create or that I contribute to group collaborations, and I will appropriately reference any work from other sources.

I will follow the highest standards of integrity & uphold the spirit of the Honour Code.

I will not participate in any form of cheating / sharing the questions / solutions.

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09/30/2023

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09/30/2023