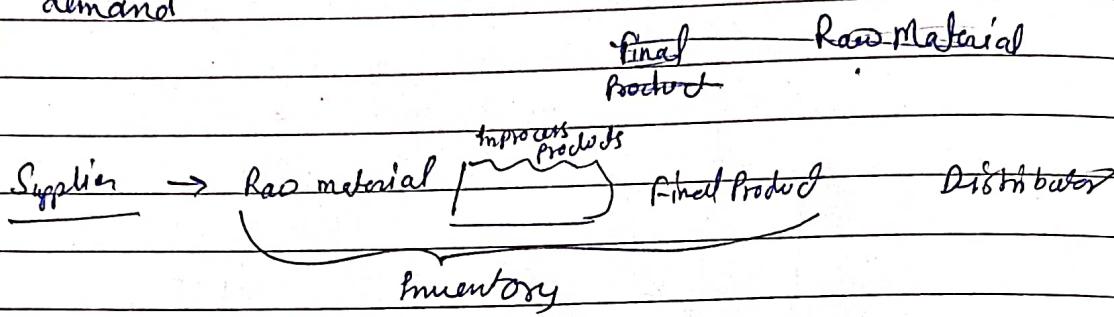


Inventory :-

It is a stock of items kept to meet further demand

Types of inventory :-

- 1) Raw material and purchased part Materials and components required for making a product.
- 2) Partially completed goods :- called work in progress (WIP)
Materials and components that have begun transformation to finished goods.
- 3) Finished Goods :- Goods ready for sale to customers
i.e. items being transported and stored in warehouse.
- 4) Tools and Equipment

Purpose of inventory

- 1) To balance against uncertainty
Uncertainty → demand
→ Material delivery.
- 2) for smooth production
- 3) to ensure high level customer service.
- 4) Economics in scale in production or purchasing.
→ Optimum production can lead to minimum cost.
→ Buying in bulk can reduce purchasing cost.

- Quantity discount
- To tackle against price increase.

Two extreme cases -

- Large inventory : can increase cost of capital and storage
 - Small inventory : disrupt production and/or sale.
- Inventory control deals with optimum size of inventory
hence by minimizing appropriate cost.

Inventory policy :-

- How much to order

- When to order

Inventory cost

$$\text{Total inventory cost} = \text{Purchasing cost} + \text{Holding cost} + \text{Ordering cost} \\ + \text{Shortage cost}.$$

Purchasing cost, Price per unit of an inventory item. ($P \times D$)

Holding cost, Cost to carry an item in inventory

$$\text{Holding cost} = \text{storage cost} + \text{handling cost} + \text{depreciation cost} \\ + \text{insurance cost} + \text{taxes}.$$

Ordering cost, It is fixed when an order is placed.

→ Cost of ordering and receiving inventory.

Shortage cost, penalty cost for temporary or permanent loss of sales when demand cannot be met.

Inventory control system

→ Continuous system (fixed order quantity)

→ Constant amount ordered when inventory declines to predetermined level.

→ Perpetual inventory

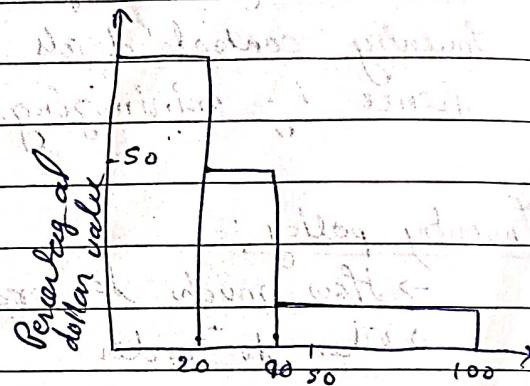
2) Periodic system (fixed time period)

- * orders get placed for variable amount after fixed passage of time
- * weekly or daily.

ABC classification System

Class A very important

- * 5-15% of units
- * 70-80% of value



Class B moderate imp

- * 30% of units

- * 15% of value

Percentage of inventory items

Class C

least imp

- * 50-60% of units

- * 5-10% of value

27/03/22

ABC classification System

Classify parts according to ABC classification

Part	U/H (unit)	Annual Usage	Total Cost	P.D
1	60	90	5400	(5400) → Annual consumption value.
Q	250	90	14000	
3	30	130	3900	
804	80	60	4800	
S	30	100	3000	
G	20	180	3600	
T	10	170	1700	
8	320	50	16000	
9	510	60	30600	
10	20	120	2400	
	Total	1000	85400	

Annual consumption Value

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PD

a

A	70-80%	5-15%
B	15%	30%
C	5-10%	50-60%

5

After sorting to descending order of PD.

Part	Total cost (Value)	% of total value	% total quantity	Cumulative (%)
A	30600	35.9	6	6
	16,000	18.7	5	11
	14000	16.4	4	15
B	5400	6.3	9	24
	4800	5.6	6	30
C	3900	4.6	10	40
	3600	4.2	18	58
	3000	3.5	13	71
	2400	2.8	12	83
	1700	2.0	17	100

20

Inventory models

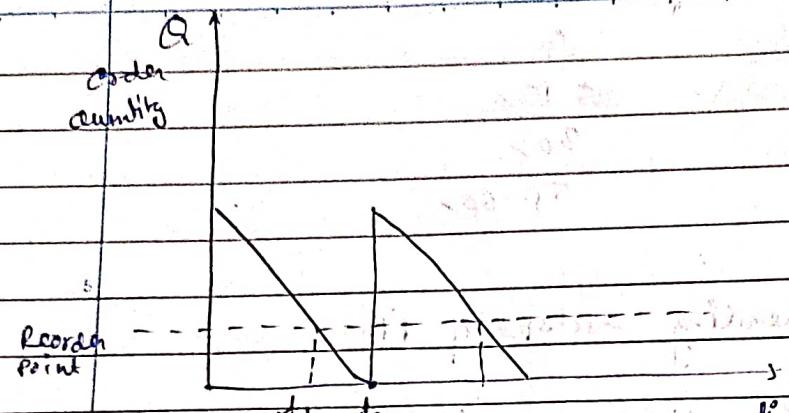
Find the order size so that total inventory cost is minimum.

1. Economic order quantity (EOQ) model
2. Economic production Quantity model (EPQ)

25

Assumptions for EOQ model.

- 1) Only one item is involved
- 2) Annual demand requirement is known (Deterministic Model)
- 3) Demand is even throughout the year
- 4) Lead time does not vary.
- 5) Each order is received in a single delivery.
- 6) There is no quantity discount.
- 7) No shortage.



C_o = cost of ordering.

D = Annual demand

C_h = holding cost / carrying cost.

Q = Order Quantity.

1. Annual holding cost (H) = (Avg. no. of inventory) \times (holding cost per unit per year)

$$H = \frac{Q}{2} \times C_h = \frac{Q C_h}{2}$$

2. Annual ordering cost = (Cost per order) \times (No. of orders per year)
 $= C_o \times \frac{D}{Q}$

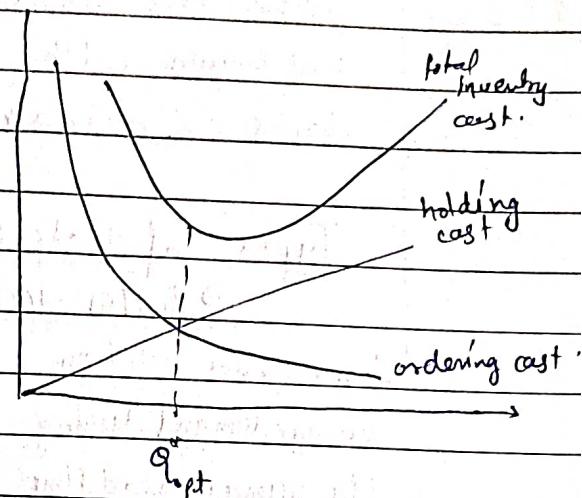
3. Total Inventory cost = $\frac{Q C_h}{2} + \frac{C_o D}{Q}$

$$\frac{d(TC)}{dQ} = \frac{C_h}{2} - \frac{C_o D}{Q^2} = 0 \quad (\text{Necessary condition for optimality})$$

$$\Rightarrow Q = \sqrt{\frac{2 C_o D}{C_h}}$$

$$\frac{d^2(TC)}{dQ^2} = \frac{2 C_o D}{Q^3} > 0 \quad ; \text{at } Q = Q_{opt}$$

It means Chapl could minimize the total inventory cost



Remarks:

1) Optimal length of inventory replenishment cycle time (T^*)

$$T^* = \frac{Q^*}{D}$$

2) Optimum no. of orders = $N^* = \frac{D}{Q^*}$

3) If ' γ ' is the inventory carrying rate and ' C ' is the unit cost of the item, $C_h = \gamma \times C$

Additional stocks :-

when the demand rate and/or the lead time are not known with certainty, then additional stocks are maintained.

Types of stocks→ Buffer stocks

- is maintained based on average demand during the average lead time.

(2) Reserve stock :- is maintained

- to take care of variation in demand during reorder period.

(3) Safety Stock :- is maintained to take care of variation in lead time.20) Advantages of keeping stocks

- to maintain stockouts
- to provide better customer service.

Limitation

- increase in total inventory cost.

$$\text{Buffer stock (BS)} = \text{Averagedemand} \times \text{Average lead time.}$$

Ex:- If demand rate is 100 unit per month and the normal and max. lead time are 10 and 30 days, then.

$$BS = \frac{100}{30} \times \left(\frac{10+30}{2} \right) = 66.6 \text{ units.}$$

When no stockouts are desired

$$BS = (\text{Max demand during lead time}) - (\text{Average demand during LT})$$

$$BS = (d_{\max} \times LT) - (\bar{d} \times LT) = (d_{\max} - \bar{d}) LT$$

5

When demand around the average demand (\bar{d})
 during constant lead time (LT)

$$ROL = \bar{d} \times LT$$

10

By including buffer stock (BS)

$$ROL = \bar{d} \times LT + BS$$

Example :-

The annual demand is 12000 units, the ordering cost is
 15 Rs 60/order, the carrying cost is 10% of cost price.
 The unit cost of the item is Rs 10 and the lead
 time is 10 days. There are 300 working days in a
 year. Determine the EOQ and number of order per
 year. In the past two years the demand rate

20 has gone as high as 70 unit per day. For a
 reordering system, based on inventory level, what
 should be the buffer stock? What should be the
 reordering level at this buffer stock? What
 would be the carrying cost for a year.

25

$$D = 12000$$

$$C_o = \text{Rs } 60 \text{ per order}$$

$$C_h = 10\% P = 0.1 \times 10 = \text{Rs } 1 \text{ per unit per year}$$

$$P = \text{Rs } 10$$

30

$$LT = 10 \text{ days}$$

$$\text{Working days in a year} = 300 \text{ days}$$

$$\text{Q}_h = \sqrt{\frac{2 C_o D}{C_h}}$$

$$= \sqrt{\frac{2 \times 60 \times 12000}{1200}}$$

$$= 120 \text{ units.}$$

(ii) No. of orders =

$$= \frac{D}{Q_{opt}} = \frac{12000}{1200} = 10 \text{ orders/year.}$$

$$(iii) d_{max} = 70 \text{ units/day}$$

$$\text{Average consumption/demand per day} = \frac{12000}{300} = 40 \text{ units/day.}$$

$$BS = (d_{max} - \bar{d}) \times LT$$

$$= (70 - 40) \times 10$$

$$= 300 \text{ units.}$$

(iv) Reorder level (ROL) = Avg. demand during LT + buffer stock.

$$\Rightarrow \bar{d} \times LT + 300$$

$$\Rightarrow 40 \times 10 + 300$$

$$\Rightarrow 700 \text{ units.}$$

(v) Average Inventory Level = $BS + \frac{Q^*}{2}$

$$= 300 + \frac{1200}{2}$$

$$= 900 \text{ units}$$

$$\text{Annual carrying/holding cost} = 900 \times C_h$$

$$= 900$$

30 Continuous system (Q-system) with uncertain demand.

* If the demand during lead time is varying unexpectedly in a way that the amount of buffer stock is not

enough to meet it, then there would be stock out.

It can be avoided by

- 1) Increasing buffer stocks, meaning increasing the average inventory ($BS + \frac{Q^*}{2}$)
- 2) Raising level of ROL above average demand and ~~adjusting~~ adjusting order quantity (Q^*)

In Q-system, the probability of variation in demand during dead time (DDLT) is controlled by raising or lowering ROL

Step I: Calculate $Q^* (\text{EOQ}) = \sqrt{\frac{2CD}{C_h}}$

(II) Determine ROL to trade-off b/w shortage cost and carrying cost for creating additional inventory (also called reserve stock). This reserve stock is the number of unit by which ROL is raised above expected (average) demand during lead time to balance shortage cost.

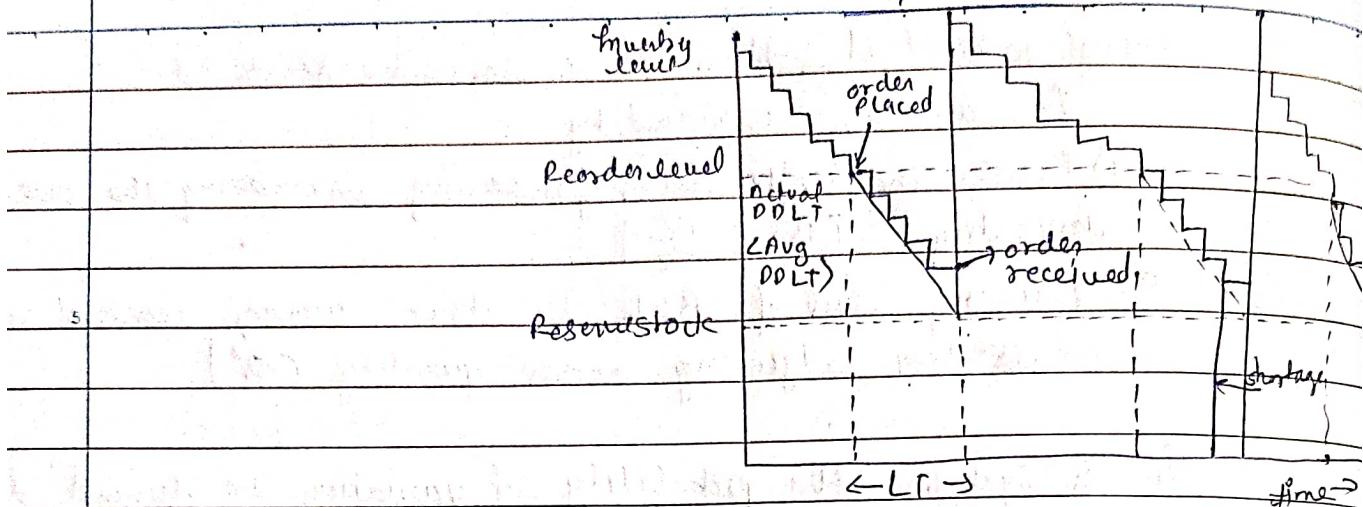
If DDLT is probabilistic and normally distributed, then
 $ROL = \text{average demand during average lead time} +$
 Reserve stock + Safety stock.

Reserve stock (RS) = Service level factor \times Standard deviation of demand during lead time.

Safety stock (SS) = Average demand during maximum delaying lead time \times Probability of such delay.

Imp DDLT usually is described by a probability density function per unit time (e.g. per day)

31/03/2022



Assumptions :- During DOLT

1) \bar{D} : Average demand during lead time (LT)

σ_d : Standard deviation described by normal probability distribution.

2) Demand in one period is independent of another periods.

n : number of periods in the lead time.

d : average demand for items per unit time (periods)

Z : number of standard deviations from average of DOLT distribution required for a specific service level.

σ_d^2 : Variance of demand for items per unit time.

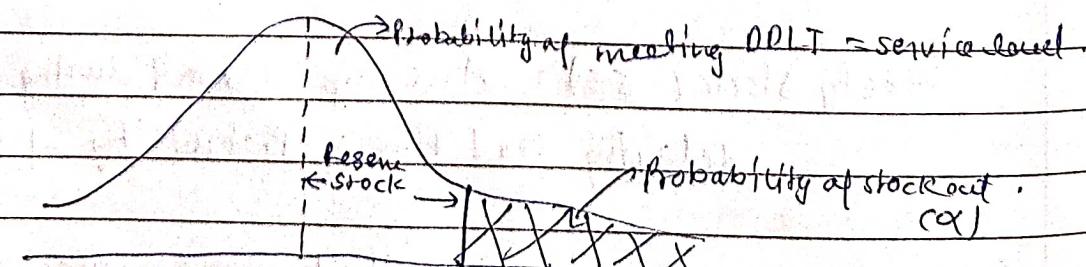
$$(\sigma_d)^2 = h_1 \sigma_d^2 + h_2 d^2 + \dots + h_n \sigma_d^2$$

$$= \sum h_i \sigma_d^2 = \sigma_d^2 (LT)$$

$$\Rightarrow \sigma_d = \sigma_d \sqrt{LT}$$

$$\text{Reserve Stock} = Z \sigma_d = Z \sigma_d \sqrt{LT}$$

$$ROL = \bar{D} \times LT + Z \sigma_d = \bar{D} \times LT + Z \sigma_d \sqrt{LT}$$



$$H_{LT} = \bar{D} \times LT$$

Service level

2

(1-a)

80%

0.84

90%

1.28

99%

2.32

$$ROL = \bar{d} \times LT + 2\sigma_d$$

$$\Rightarrow Z = \frac{ROL - \bar{d} \times LT}{\sigma_d}$$

(Q9) The following have been collected for an item:

Annual demand (D) = 1800 units, ordering cost Rs 100 / order
 Cost of item is Rs 5 / unit; carrying cost is 20% of
 unit cost per year per item, Replenishment lead time is
 2 days, mean demand during replenishment time is 100
 units with standard deviation of 30 units and normally
 distributed. The stockout probability during lead time is
 25%. When and how much to order for α -system?

Given

$$D = 1800$$

$$P = \text{Rs } 5/\text{unit}$$

$$C_o = 100$$

$$C_h = 20\% \text{ app} = 1 \text{ per unit per year}$$

$$LT = 2 \text{ days}, \bar{d} = 100, \sigma_d = 30$$

$$Z(75\%) = 0.67$$

$$(a) P^* = \sqrt{\frac{2C_o D}{C_h}} = \sqrt{\frac{2 \times 100 \times 1800}{1}} = 600$$

(b) When to order:

$$ROL = \bar{d} \times LT + 2 \sigma_d \sqrt{LT}$$

$$= 100 \times 2 + 0.67 \times 30 \times \sqrt{2} = 229 \text{ approx.}$$

when an effective inventory drops to 229 units, place an order of 600 units.

2

A manufacturing company requires a component at the annual average rate of 1000 units. Placing an order cost Rs 480 and has a 5 day lead time. Inventory holding cost is estimated as Rs 15 per unit per year. The plant operates 250 days per year. It is assumed that daily demand is normally distributed with an average of 4 units with a standard deviation of 1.2.

Suggest an inventory policy to control inventory of the item based on a 95% service level.

$$D = 1000, C_o = \text{Rs } 480, LT = 5 \text{ days}$$

$$C_h = \text{Rs } 15 \text{ per unit per year.}$$

$$DDLT: d = 4, \sigma_d = 1.2$$

$$\text{Service level } (1-\alpha) = 95\%, z(95\%) = 1.65$$

$$ROL = \bar{d} \times LT + z \sigma_d \sqrt{LT}$$

$$= 4 \times 5 + 1.65 \times 1.2 \times \sqrt{5}$$

$$= 25 \text{ units approx.}$$

Inventory policy is to keep

(Reserves stock) $RS = ROL - \bar{d} \times LT = 25 - 20 = 5 \text{ units}$ and place an order when effective inventory drops to 25 units.

Forecasting

- 1) Forecasting is a prediction of what will occur in the future
- 2) The process of analysing current and historical data to determine future trends.
- 3) Forecasting is an art of specifying meaningful information about future.

Example:-

- Meteorologists forecast the weather
- Gamblers predict the winner of a football game
- Manager of business firms attempt to predict how much of their product will be desired in the future.

A forecast of product demand is the basis for most important management planning decisions.

→ Scheduling, inventory control, process control, facility layout, workforce, material purchasing etc.

Characteristics of forecast:-

- A good forecast gives some measure of error.
- Forecasting technique should be used with known information.
- Forecasting aggregate units is easier than for individual units.

Forecasting horizons

Short Range forecast

- Time frame from one day to three months
- Used for day-to-day production :- Scheduling, inventory planning, workforce planning etc.

Medium Range forecast

- Time frame from 3 months to 3 years.
- Used for production and layout planning, sales and marketing planning, capital budget planning etc.

Long Range forecast

- Time frame more than three years
- used for strategic planning in terms of capacity planning, new product planning, expansion planning etc.

Forecasting Methods:-

(1) Qualitative methods

- based on human judgement

- If historically data is not available

- used for long range forecasting

(2) Casual forecasting method

- uses some explanatory variables to predict the future

(3) Time series methods/analysts

- Statistical techniques based on historical data

Assumption :- past trend will continue in future.

Qualitative methods :-

(1) Sales force composites

→ Sales force or customer service area has direct contact with consumers

→ They are in good position to see changes in market

→ Sales managers can predict demand

(2) Customer Survey or market survey

- organised approach using surveys to determine customer needs and wants for the products/services

- It can provide quite accurate and useful forecast

- Needs skill, should be conducted accurately

- It can be expensive

→ Conducted through mailing, telephone or personal interviews

- Needs sufficient responses for forecast
- Design of questionnaires, number of responses and sampling plans or scheme should be accurate

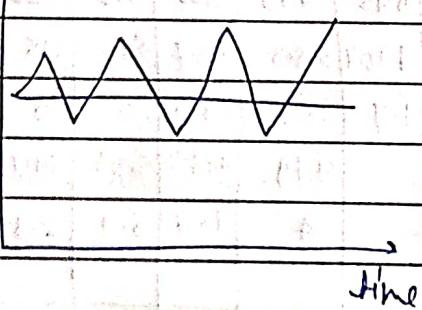
③ The Delphi method

- Useful for forecasting for technological change and advances.
- Expert opinions are collected for preparing forecast.

Trend

Demand behavior

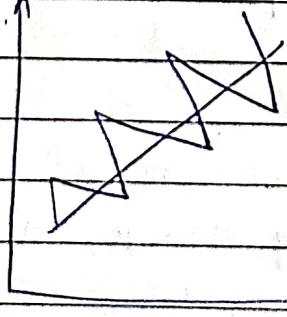
Quantity



Time →

Horizontal pattern / historical pattern / stationary pattern.

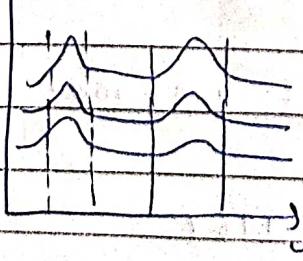
Quantity



Time .

Trend pattern: gradual long term up or down movement

Quantity

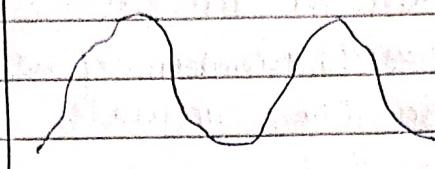


Time .

Seasonal pattern: short term.

Regular variation in data

Quantity



Time

cyclic pattern

8/07/022

Forecasting methods

Months	Jan	Feb	Mar	April	May	June	July	Aug	Sep	Oct	Nov	Dec	Jan
Demand	450	490	460	510	520	495	475	560	510	520	540	550	
1-3 months moving average	-	-	-	450	470	496.7	508.3	516.7	510	515	530	523.3	536.7
mean absolute error				60	50	107	33.3	63.3	0	5	10	26.7	27.8
6 month moving average	-	-	-	-	-	-	479	483.33	503.3	511.7	513.3	516.7	525.8
mean absolute error							4	76.7	6.7	8.3	26.7	33.3	2.6

Simple moving average :-

Average data for desired no. of periods

$$F_t = \frac{\sum_{j=1}^n D_{t-j}}{n}$$

For example, , 3 month moving average, $n=3$.

$$F_t = D_{t-1} + D_{t-2} + D_{t-3}$$

3

$$F_{\text{April}} = \frac{D_{\text{March}} + D_{\text{Feb}} + D_{\text{Jan}}}{3} = \frac{450 + 490 + 460}{3} = 470$$

$$F_{\text{May}} = \frac{D_{\text{April}} + D_{\text{March}} + D_{\text{Feb}}}{3} = \frac{490 + 460 + 510}{3} = 490$$

$$F_{\text{June}} = \frac{460 + 510 + 520}{3} = 496.7$$

Forecasting performance error

(i) Mean absolute error / deviation, $MAD = \frac{1}{n} \sum |Actual\ demand - Forecasted\ value|$
 \rightarrow measures the total error.

(ii) Cumulative forecast error (CFE)

$$CFE = \sum (\text{Actual demand} - \text{forecasted demand})$$

→ if measures ~~to~~ any bias in the forecast

(iii) Mean square error (MSE)

$$MSE = \frac{\sum (Actual\ demand - Forecasted\ demand)^2}{n}$$

→ Penalize large error.

MAD for 3 months over

$$MAD_{\text{Apri}} = |S10 - q_{50}| = 60$$

$$MAD_{\text{May}} = |520 - 470| = 50$$

$$F_{July} = \frac{D_{Jan} + D_{Feb} + D_{March} + D_{April} + D_{May} + D_{June}}{6}$$

$$F_{\text{July}} = \underline{950 + 970 + 960 + 510 + 520 + 995} \quad \cancel{1037} + \cancel{1050}$$

$$F_{July} = 979$$

Weighted moving average:-

- higher weight is assigned to most recent dates.

$$F_t = \sum_{j=1}^h w_j D_j \quad \text{where } \sum w_j = 1$$

Example

$$\begin{aligned} F_{\text{April}} &= 0.5 D_{\text{March}} + 0.25 D_{\text{Feb}} + 0.25 D_{\text{Jan}} \\ &= 0.5 \times 960 + 0.25 \times 990 + 0.25 \times 950 \\ &= 952.6 \end{aligned}$$

$$\begin{aligned} MA_{\text{April}} &= S_0 - 952.6 \\ &= 57.5 \end{aligned}$$

$$F_{\text{May}} = 480$$

$$MAD_{\text{May}} = 40$$

Exponential smoothing:-

$$F_{t+1} = \alpha D_t + (1-\alpha) F_t$$

α = smoothing constant, $0 \leq \alpha \leq 1$

- most frequently used in time series method, because it is simple to use and ~~without~~ minimal amount of data needed is F_1, D_1, α .

$$\Rightarrow F_1 = D_1$$

$$\alpha = 0.8 \quad \left\{ \text{for this case} \right\}$$

$$\begin{aligned} F_{\text{Feb}} &= \alpha D_{\text{Jan}} + (1-\alpha) F_{\text{Jan}} \\ &= 0.8 \times 950 + (1-0.8) 950 \\ &= 950 \end{aligned}$$

$$\begin{aligned} F_{\text{March}} &= \alpha D_{\text{Feb}} + (1-\alpha) F_{\text{Feb}} \\ &= 0.8 \times 990 + (1-0.8) 950 \\ &= 942 \end{aligned}$$

Double exponential smoothing or Holt trend

$$F_{t+1} = \alpha D_t + (1-\alpha) (F_t + T_t)$$

$$T_t = \beta (F_t - F_{t-1}) + (1-\beta) T_{t-1} \quad ; \quad 0 \leq \beta \leq 1$$

T_t : Trend estimate

Initial values:

$$1) F_1 = D_1$$

$$2) T_1 = \frac{(D_2 - D_1)}{1} \text{ method 1}$$

$$T_1 = \frac{[(D_2 - D_1) + (D_3 - D_2) + (D_4 - D_3)]}{3}$$

$$T_1 = \frac{(D_2 - D_1)}{3}$$

$$T_1 = \frac{\cancel{D_2 - D_1}}{\cancel{n}} = \frac{D_n - D_1}{(n-1)}$$

$$\underline{\text{exp}} : \alpha = 0.2, \beta = 0.2$$

$$F_1 = D_1$$

$$T_1 = \frac{D_{\text{dec}} - D_{\text{Jan}}}{11} = \frac{950 - 950}{11} = 9.1 = T_{\text{Jan}}$$

$$F_2 = 0.2 \times D_{\text{Jan}} + (1-0.2)(F_{\text{Jan}} + T_{\text{Jan}})$$

$$F_2 = 0.2 \times 950 + 0.8(950 + 9.1)$$

$$F_2 = 957.3$$

$$T_2 = 0.2(957.3 - 950) + 0.8(9.1) = 8.7$$

Trend projection by linear regression

$$Y = a + bx$$

$x = \text{Time}$

$Y = \text{Forecasted value/demand}$

$$b = \frac{\sum xy - n \bar{x} \bar{y}}{\sum x^2 - n \bar{x}^2}$$

$$a = Y - b\bar{x}$$

exp	Weeks (x)	Sales (Y)	$\sum xy$	$\sum x^2$
	1	150	150	1
	2	157	314	4
	3	162	486	9
	4	166	664	16
15/3.	5	177	885	25
	6			

$$\bar{x} = \frac{15}{5} = 3$$

$$\bar{y} = 162.9$$

$$\sum xy = 2999$$

$$\sum x^2 = 55$$

$$n = 5$$

$$b = \frac{2999 - 5 \times 3 \times 162.9}{55 - 5 \times 3^2}$$

$$b = 6.3$$

$$a = \bar{Y} - b\bar{X}$$

$$a = 162.4 - 6.3 \times 3$$

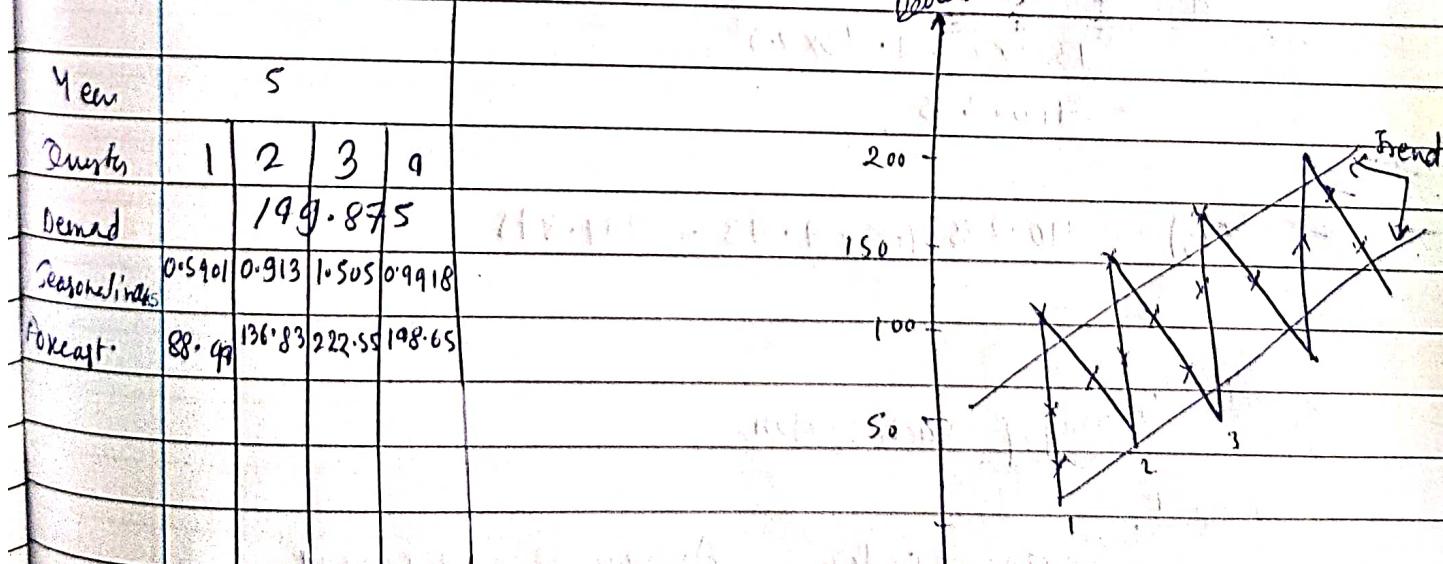
$$a = 143.5$$

$$Y(e) = a + bX = 143.5 + 6.3 \times 6 \\ = 181.3$$

Forecasting seasonality:

Year	1				2				3				4			
Quarter	1	2	3	4	1	2	3	4	1	2	3	4	1	2	3	4
Demand	72	110	172	117	76	112	144	130	78	119	201	128	281	134	216	141
Seasonal index																
Forecast																

20



30

Time (t)

Step 1

Divide the data seasonalise.

Step 2

Linear regression for trend.

Year (X)	Avg (Y)	XY	X ²
1	117.75	117.5	1
2	128	256	4
3	131.5	394.5	9
4	143	572	16

$$\bar{X} = 2.5, \bar{Y} = 130.60, \sum XY = 1390.25$$

$$b = \frac{1390.25 - 4 \times 2.5 \times 130.60}{30 - 4 \times (2.5)^2}$$

$$= 7.93$$

$$a = \bar{Y} - b\bar{X}$$

$$= 130.60 - 7.93 \times 2.5$$

$$= 110.235$$

$$Y(S) = 110.235 + 5 \times 7.93 = 149.875$$

Step 3

Average of each season

Step 4-

Seasonal index = Average of each season
Total average.

Quiz ② 27th April, 9-5 PM. (Sec-B).

A.1 in midsem.

Page :

Date :

J. Quarter Year	1	2	3	4	Aug.	Seasonal Index
1	92	76	98	81	96.75	
2	110	112	119	134	118.75	
3	172	194	201	216	195.75	
4	117	130	128	141	129	
Aug.	117.75	128	131.5	143	130.06	

$$\text{Seasonal Index for quarter } 1 \ (SE_1) = \frac{76.75}{130.06} = 0.5901$$

$$SE_2 = \frac{118.75}{130.068} = 0.9130$$

Step-5 Forecast for the 5th year.

$$Q_1 = 199.875 \times SE_1 = 199.875 \times 0.5901 = 118.44$$

$$Q_2 = 199.875 \times SE_2$$

$$Q_3 = 199.875 \times SE_3$$

$$Q_4 = 199.875 \times SE_4$$

20/04/2022

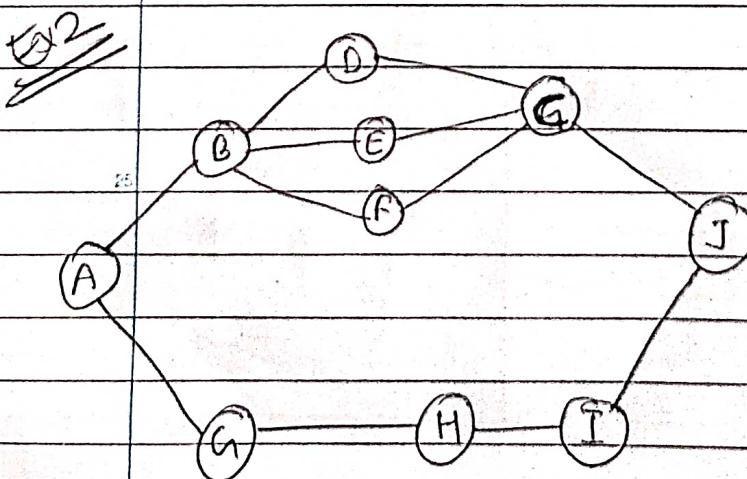
Operation scheduling.

25



Elemental work	Time	Immediate predecessors
C	50	A
A	40	None
D	40	B
B	30	A
F	25	C
H	20	D, E
I	18	F, G
G	15	C
E	6	B

Elemental work	Time	Immediate predecessors	Workstation	Elemental activity	Overset start time	Cycling time (sec)	Idle time (sec)
C	50	A	1	A	40	60	20
A	40	None	2	C	50	60	10
D	40	B	3	B, F	30+25	60	5
B	30	A	4	D, G	40+15	60	5
F	25	C	5	I, E, H	18+6+20	60	16
H	20	D, E	6	J	30	240	0
I	18	F, G	7				
G	15	C	8				
E	6	B	9				



Element work	Time	Time/Cycle Predeccssor	Workstation	Element work	Workstation/ line	Cycles/hrs	Idle Hrs.
H	14 S	G	1	A, B, D	40+80+25	150	0 S
I	130	H	2	G, E	120+120	150	00 10
G	120	A	3	H	14S	150	S
J	115	C, I	4	I, F	130+15	150	5
B	80	A	5	C, J	14S	150	S
A	40	None					
C	30	D, E, F					
D	25	B					
E	20	B					
F	15	B					

$$\frac{1}{\frac{192}{24}} = \frac{3600}{24} = 150 \text{ sec/unit.}$$

Theoretical min no. of workstations = $\frac{720}{150} = 5$