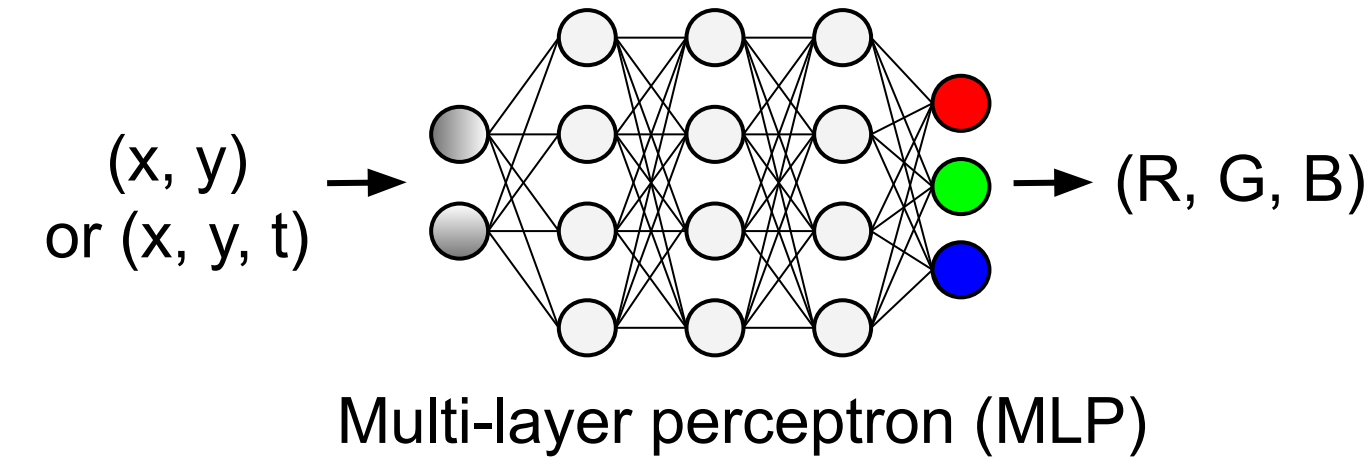




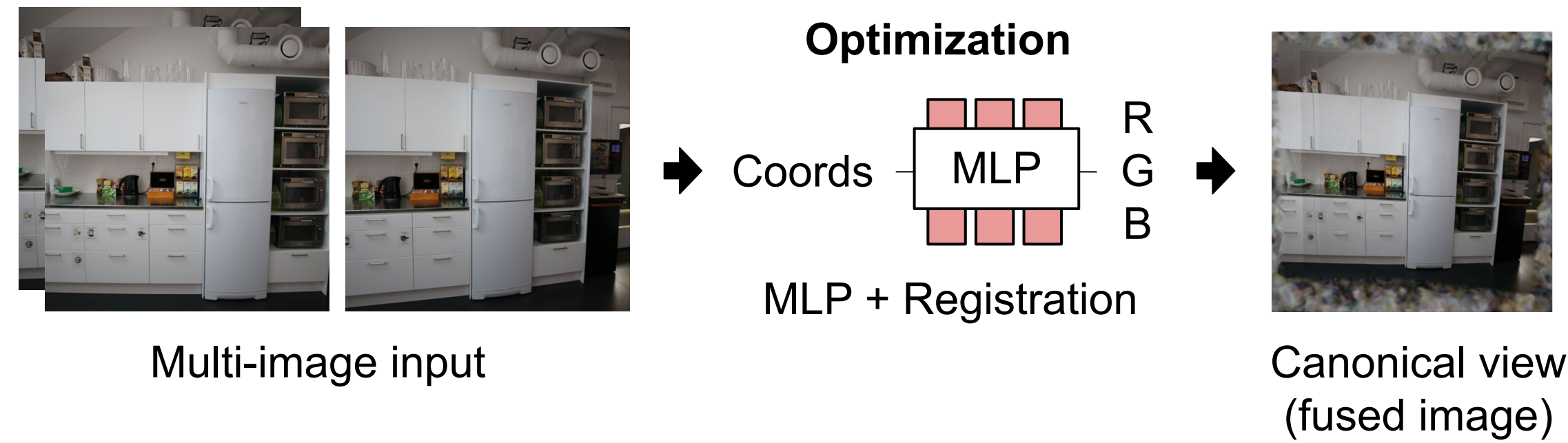
Motivation

Implicit (or coordinate-based) neural representations



- Image signal is continuous with respect to pixel coordinates
 - Can access to real-valued pixel positions
 - Can interpolate image signal at such locations
- Several works studied image processing applications [1, 2, 3]

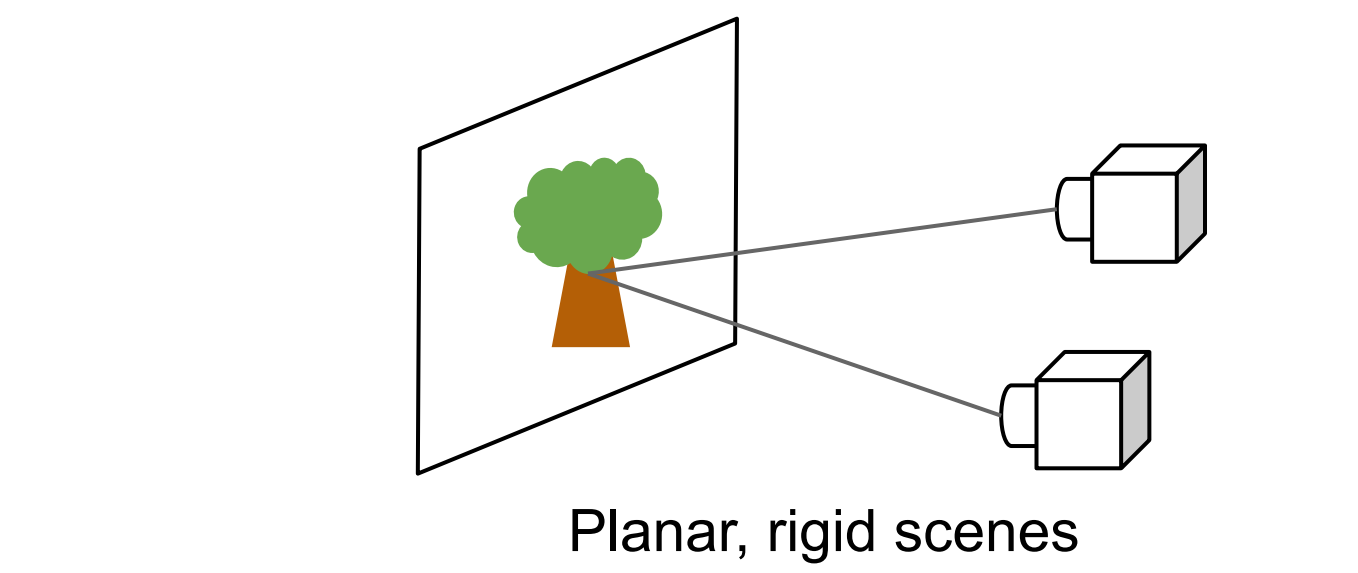
Neural image representations (NIRs)



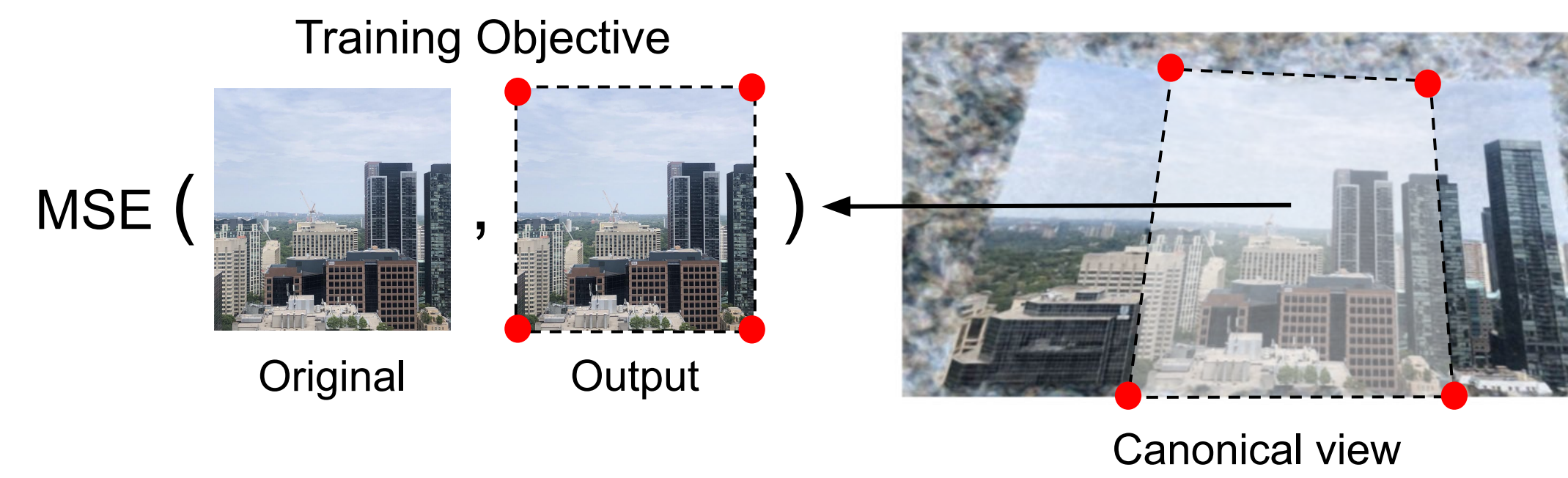
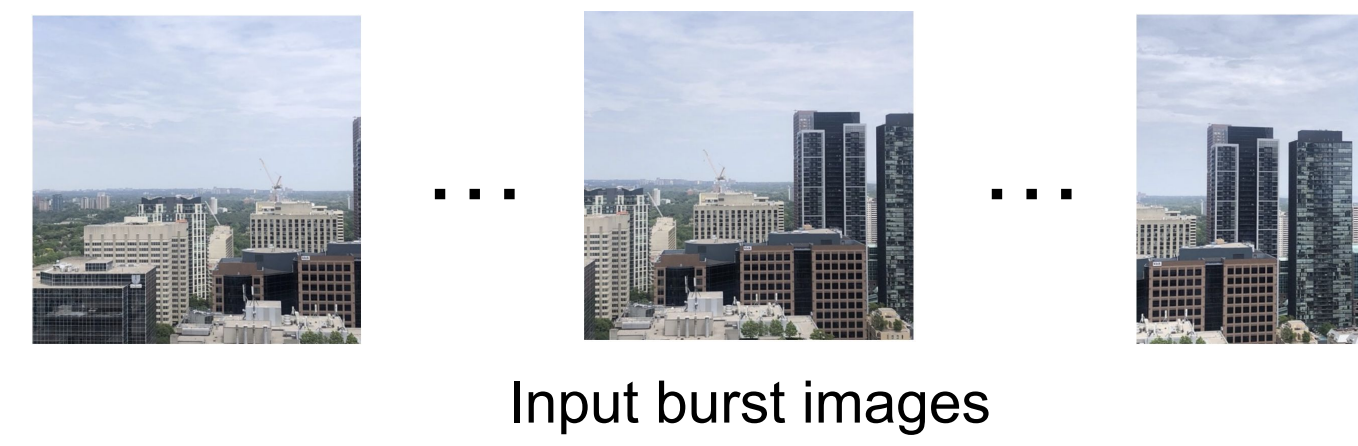
- Multi-image fusion in the continuous space represented by an MLP
 - No explicit reference image and interpolation
- Application to multi-image layer separation in an unsupervised manner
 - e.g. burst demoiring, obstruction removal, deraining

Neural Image Representations (NIRs) for Multi-Image Fusion

Homography-based NIRs



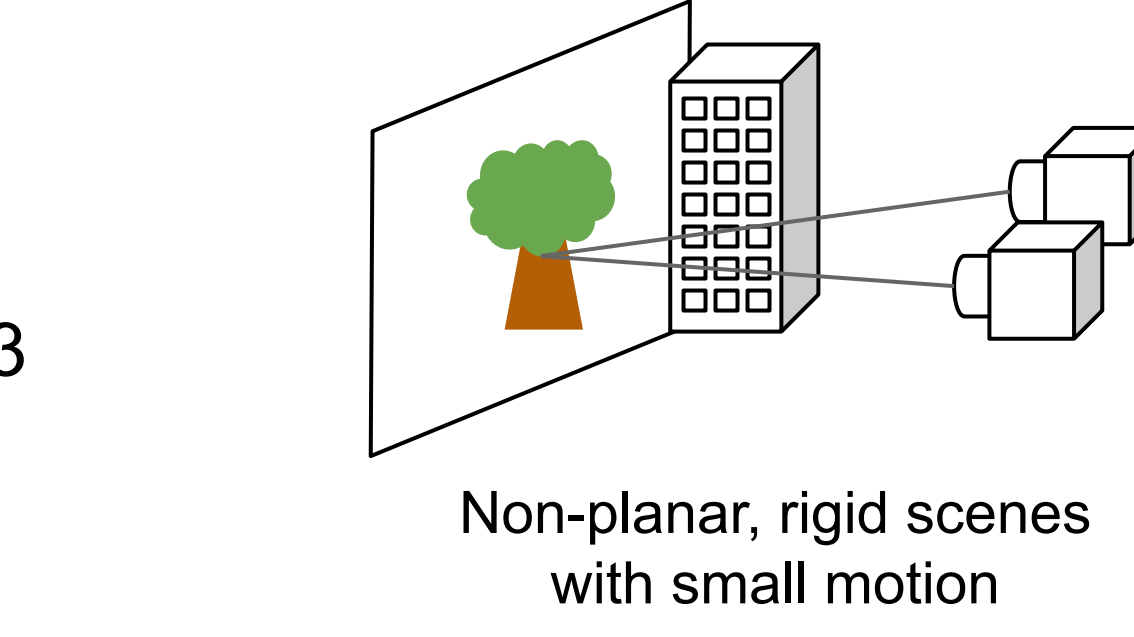
$$t \rightarrow g(t) \rightarrow M_t \rightarrow \begin{bmatrix} x \\ y \\ 1 \end{bmatrix} \rightarrow \hat{x} \hat{y} \rightarrow f(x, y) \rightarrow \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$



- Planar motion, no occlusion
- An MLP $f(x, y)$ learns a canonical view where all frames are fused
- Another MLP $g(t)$ estimates a 3×3 homography matrix, which transforms pixel coordinates at t to the canonical view
- Both MLPs are learned by a self-reconstruction loss:

$$\mathcal{L}_{\text{Recon}} = \sum_{x, y, t} \|\hat{\mathbf{I}}(x, y, t) - \mathbf{I}(x, y, t)\|_2^2$$

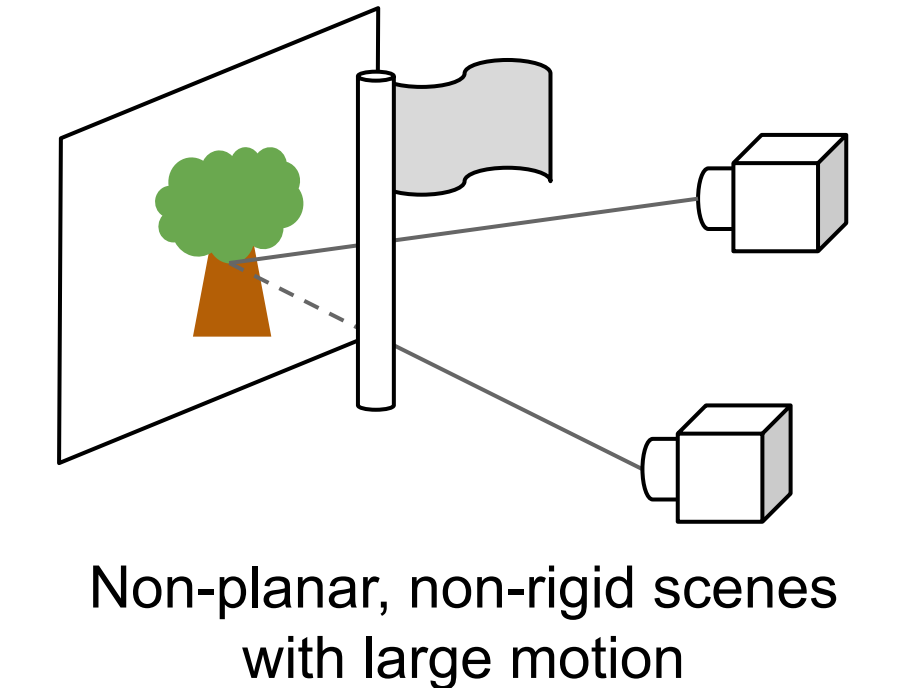
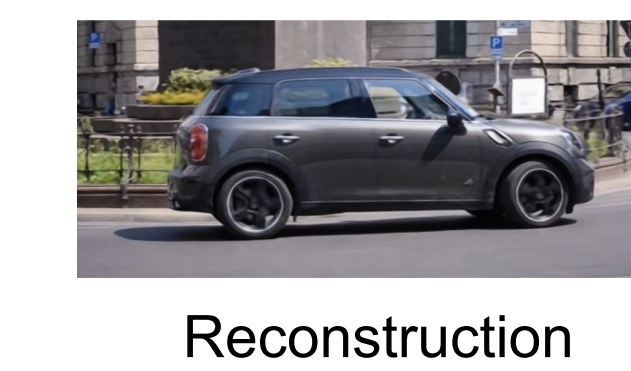
Flow-based NIRs



$$x \ y \ t \rightarrow g(x, y, t) \rightarrow \begin{bmatrix} \Delta x \\ \Delta y \end{bmatrix} \rightarrow \begin{bmatrix} x + \Delta x \\ y + \Delta y \end{bmatrix} \rightarrow f(x, y) \rightarrow \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$

Regularization: $\sum \|J_g(x, y, t)\|_1$

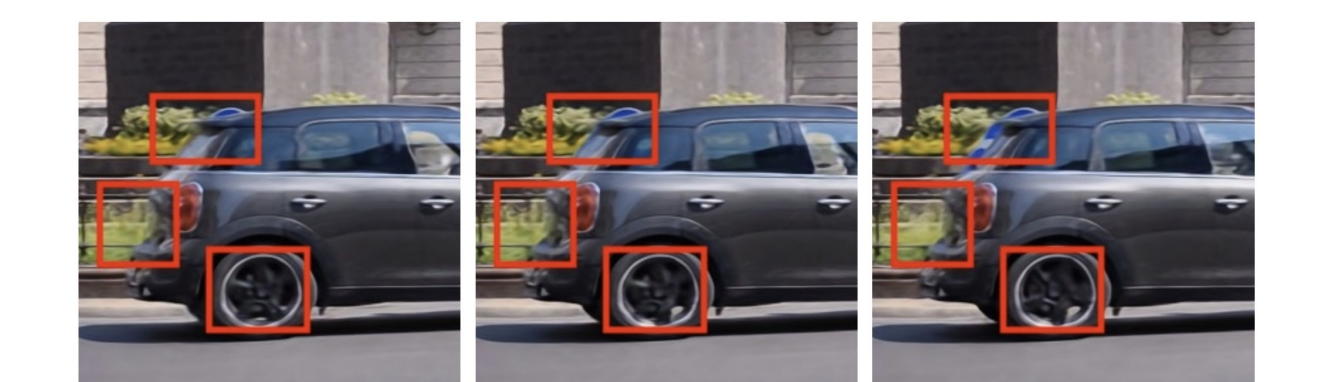
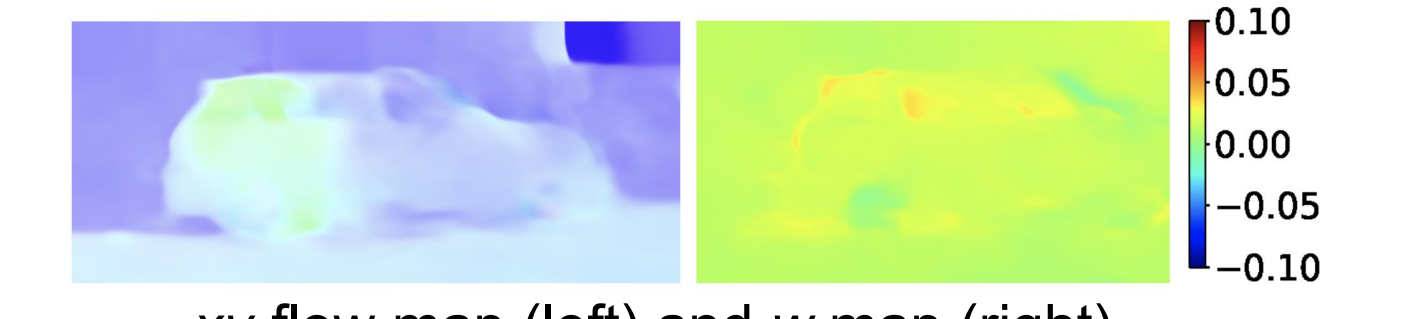
- Flow-based occlusion-free NIRs**
- Non-planar motion, no occlusion
- Regularization for a flow map



$$x \ y \ t \rightarrow g(x, y, t) \rightarrow \begin{bmatrix} \Delta x \\ \Delta y \end{bmatrix} \rightarrow \begin{bmatrix} x + \Delta x \\ y + \Delta y \end{bmatrix} \rightarrow f(x, y, w) \rightarrow \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$

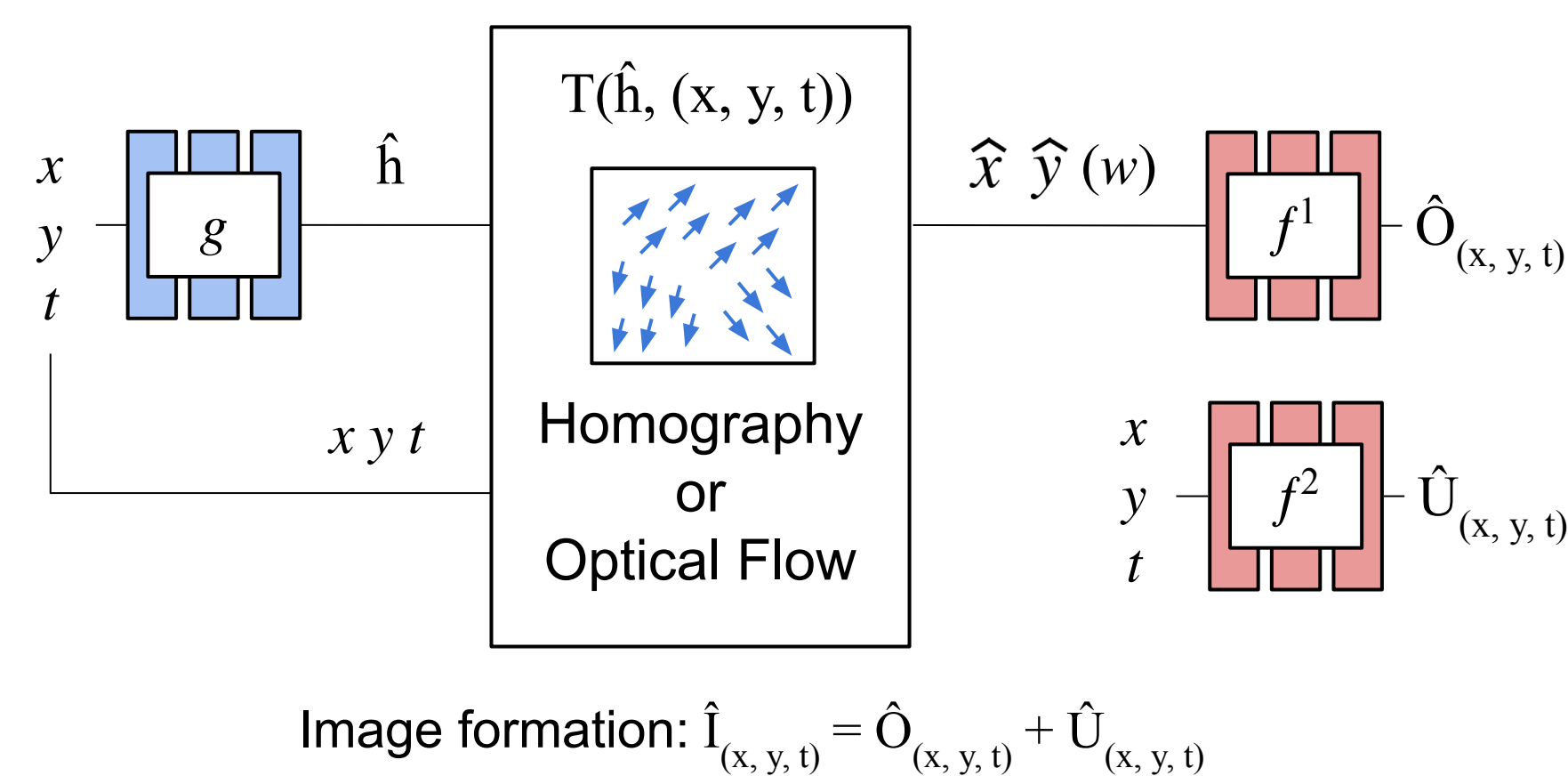
Regularization: $\sum \|J_g(x, y, t)\|_1$

- Flow-based occlusion-aware NIRs**
- Non-planar motion, occlusion
- w stores occlusion/disocclusion



Application to Multi-Image Layer Separation

Two-stream NIRs

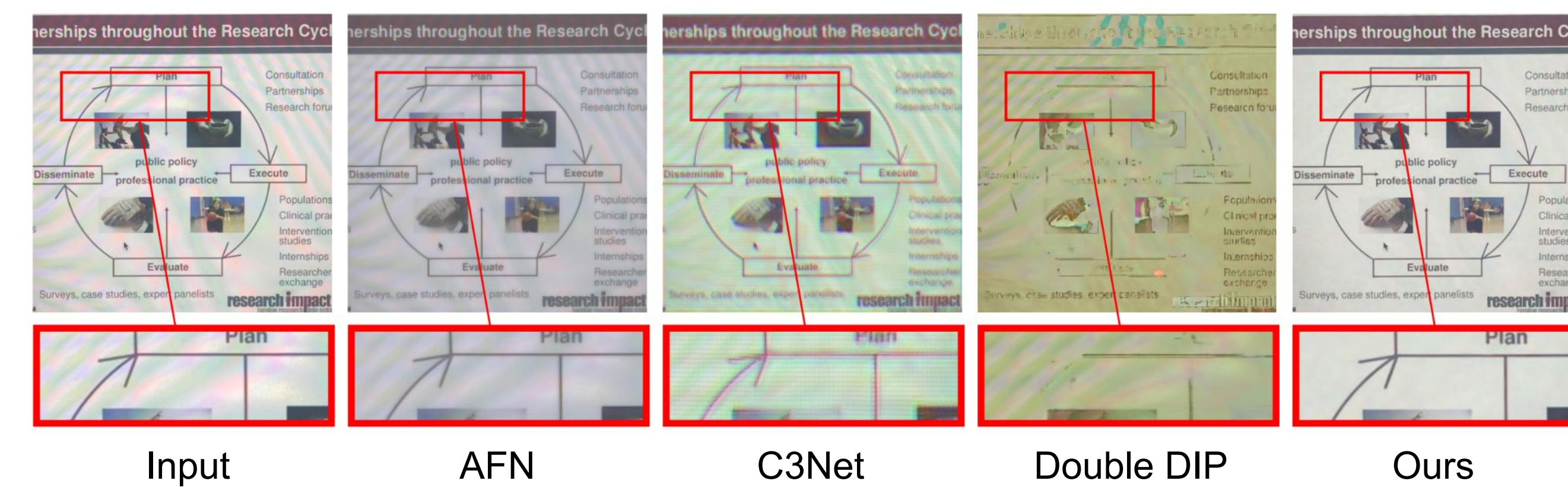


- Separate image signals into two layers in f^1 and f^2
- Assume that two layers have different motion
- One layer that follows the motion $g(x, y, t)$ is learned in f^1 , while the other layer is stored in f^2
- For each layer separation task, task-specific regularization losses are added (Please refer to the paper for the details)

Applications

All qualitative results are obtained using 5 consecutive real images as input

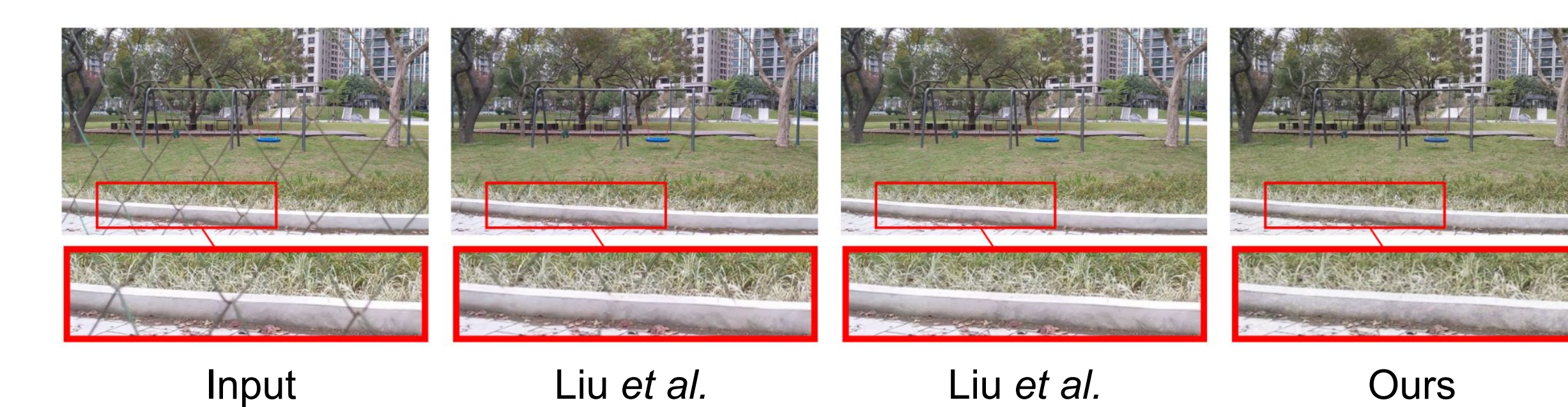
Moire removal



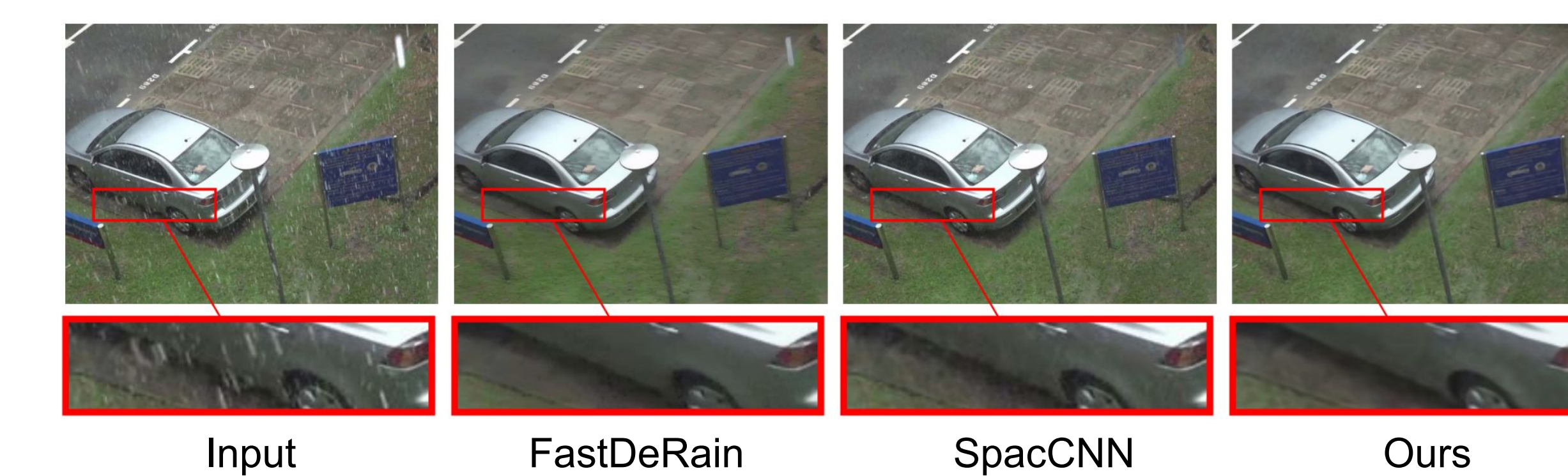
Reflection removal



Fence removal



Rain removal



References

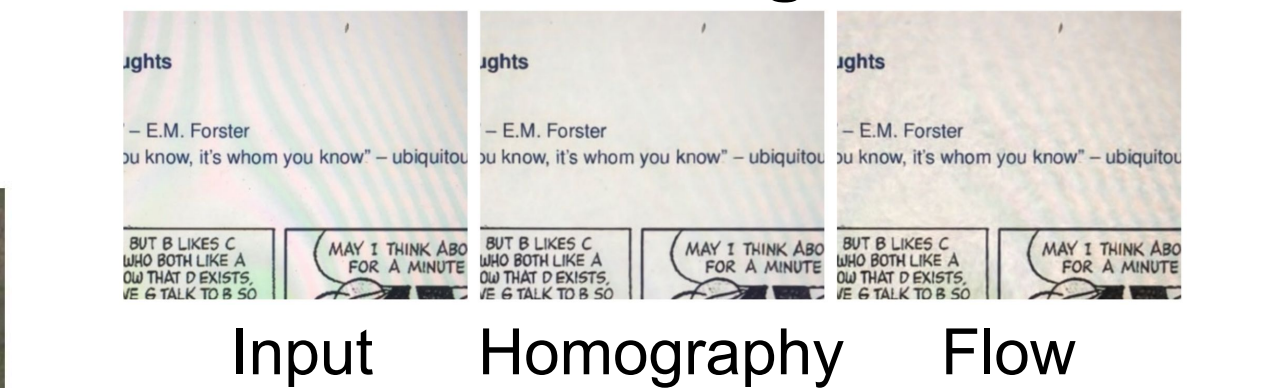
- [1] Chen et al. Learning Continuous Image Representation with Local Implicit Image Function. In CVPR, 2021.
- [2] Chen et al. VideoINR: Learning Video Implicit Neural Representation for Continuous Space-Time Super-Resolution. In CVPR, 2022.
- [3] Mai et al. Motion-Adjustable Neural Implicit Video Representation. In CVPR, 2022.

Discussion

Different number of images



Constrained vs. general model



Effect of w

