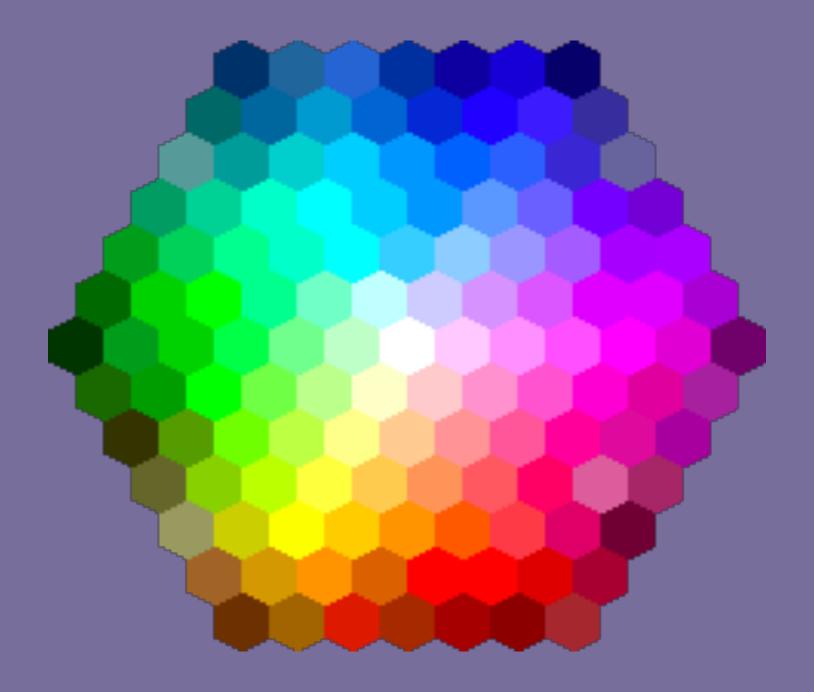
Envisioning Information

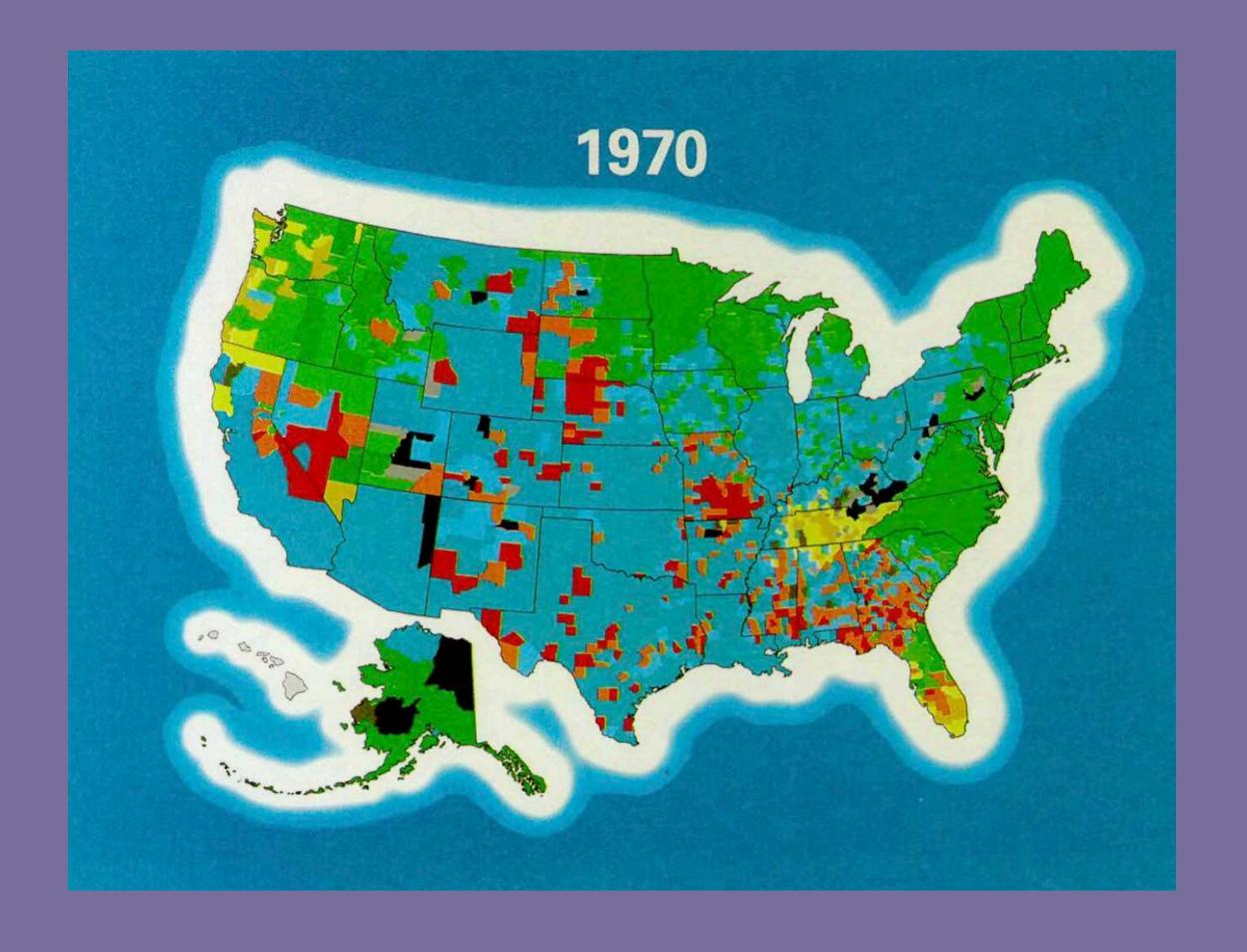
Chapter 5

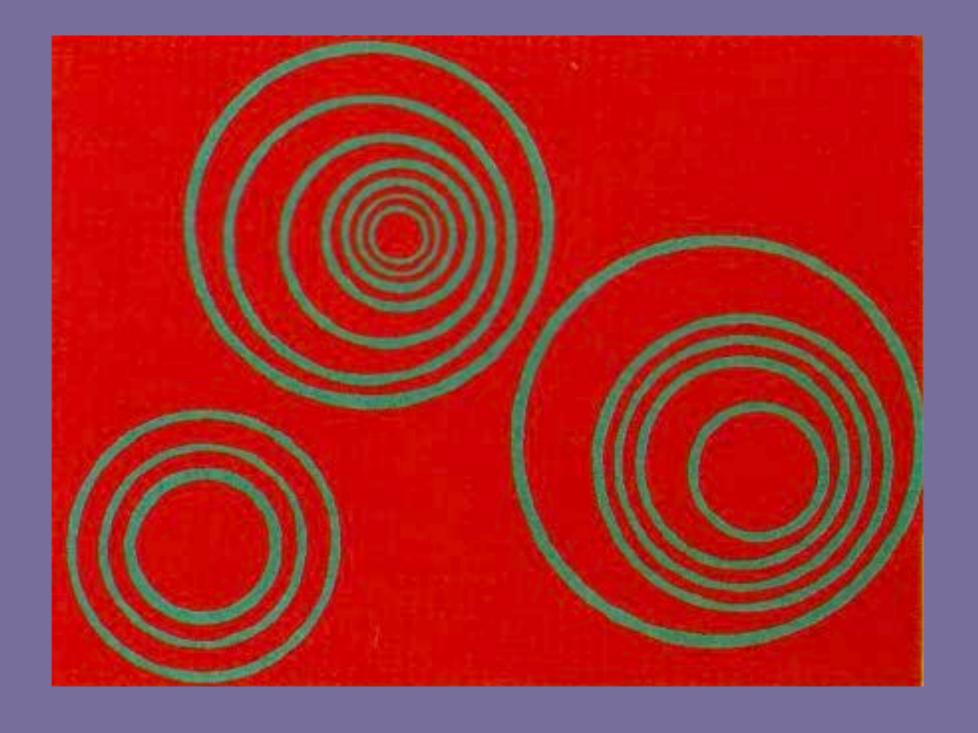
Color and Information

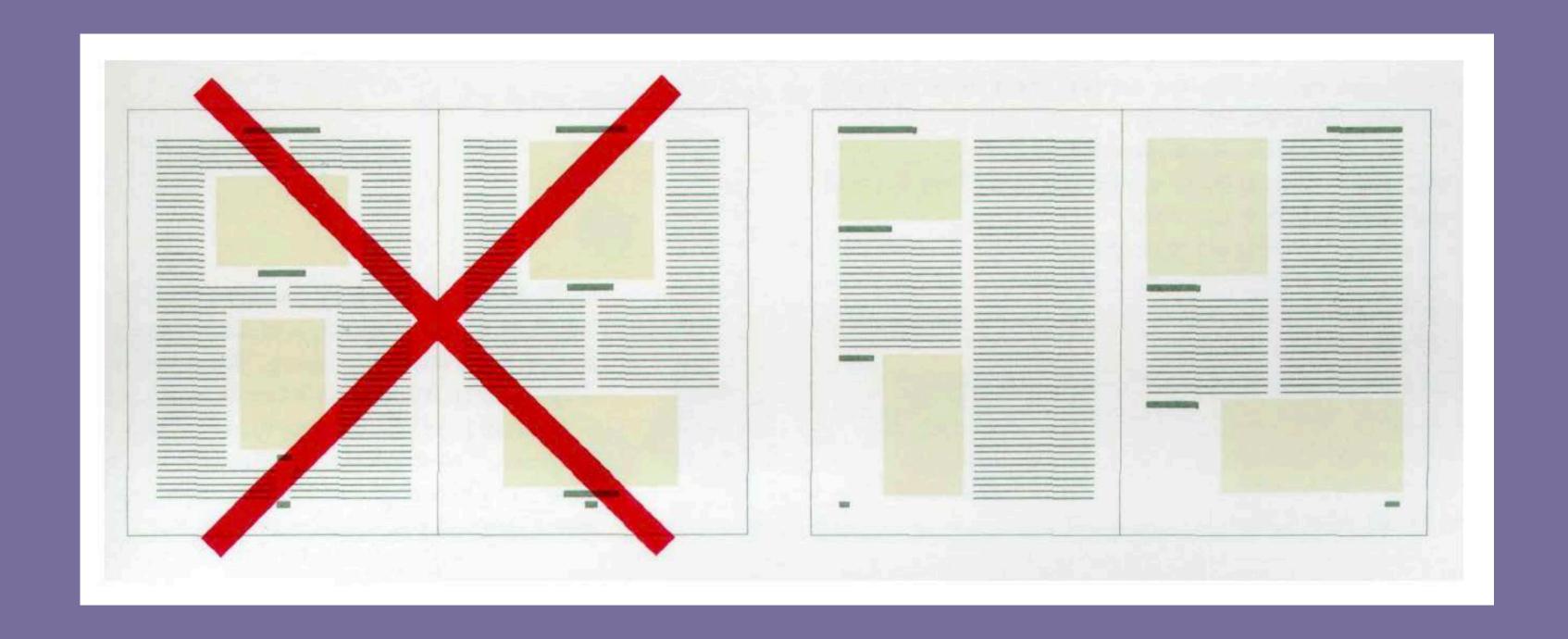


"to put the right color in the right place."

- 1) to label (color as noun)
- 2) to measure (color as quantity)
- 3) To imitate reality (color as representation)
- 4) To enliven or decorate (color as beauty)







THEOREM 27. (Pythagoras' Theorem.)

In any right-angled triangle, the square on the hypotenuse is equal to the sum of the squares on the sides containing the right angle.

Given LBAC is a right angle.

To prove the square on BC = the square on BA + the square H^{5} on AC.

Let ABHK, ACMN, BCPQ be the squares on AB, AC, BC.

Join CH, AQ. Through A, draw AXY parallel to BQ, cutting BC, QP at X, Y.

Since ∠BAC and ∠BAK are right angles, KA and AC are in the same straight line.

Again $\angle HBA = 90^{\circ} = \angle QBC$.

Add to each $\angle ABC$, $\therefore \angle HBC = \angle ABQ$.

In the \triangle s HBC, ABQ.

HB = AB, sides of square.

CB = QB, sides of square.

 $\angle HBC = \angle ABQ$, proved.

∴ △HBC = △ABQ (2 sides, inc. angle).

FIG. 163.

Now AHBC and square HA are on the same base HB and between the same parallels HB, KAC;

 \therefore $\triangle HBC = \frac{1}{2}$ square HA.

Also ABQ and rectangle BQYX are on the same base BQ and between the same parallels BQ, AXY.

 $\triangle ABQ = \frac{1}{2} \text{ rect. BQYX.}$

 \therefore square HA = rect. BQYX.

Similarly, by joining AP, BM, it can be shown that square MA = rect. CPYX;

square HA + square MA = rect. BQYX + rect. CPYX = square BP. Q.E.D.

