

①

Adjlist Convert (int [][] a)

Time Req.

l = a[0].length

1

adjlist = new ArrayList (l)

1

for i = 0 to i < l do

n

adjlist.add (new ArrayList ())

n-1

~~for i = 0 to~~

for i = 0 to a[0].length

n

for j = 0 to a.length do

n²

if a[i][j] == 1

n²-1

adjlist.get[i].add[j]

n²-1

return adjlist

1

②

The time complexity of the algorithm is

O(N²)

②

Adj Matrix convert (adj [], v)

Time Req.

matrix[i][j] = new [v][v]

1

for i = 1 to v

n

for j = 1 to adj[i]

do m

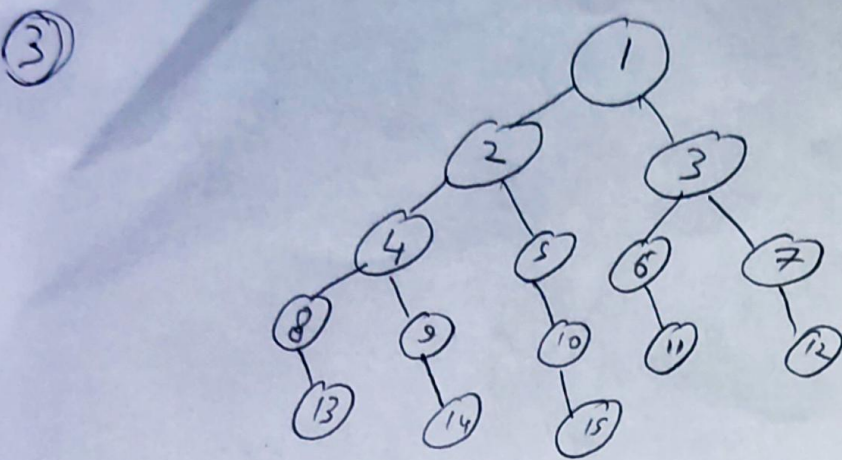
matrix[i][j] = 1

n*m-1

return matrix

1

The time complexity is O(N * m)



i) BFS Traversal

1 → 2 → 3 → 4 → 5 → 6 → 7 →
8 → 9 → 10 → 11 → 12 → 13 → 14 → 15

DFS Traversal

1 → 2 → 4 → 8 → 13 → 8 → 4 → 9 → 14 →
9 → 4 → 2 → 5 → 10 → 15 → 10 → 5 → 2 → 1 → 3 →
6 → 11 → 6 → 3 → 7 → 12

ii) Maximum Size of Queue in BFS is 5

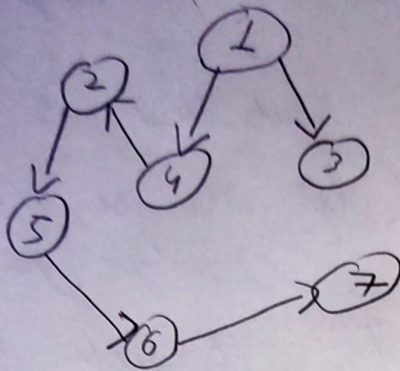
Maximum size of Stack in DFS is 4

iii) for searching node 6, we prefer BFS as it will take less time to reach node 6 than DFS

iv) for searching node 14, we prefer DFS as it takes less time to reach node 14 than BFS

(4)

i)



ii)

Tree Edges : 1-3 , 1-4 , 4-2 , 2-5 ,
5-6 , 6-7

Back-Edge : 2-1

Forward Edge : 4-6

Cross Edge : 7-3 , 7-4

iii)

iv)

Topologically sorted order of nodes of graph is

1 → 4 → 2 → 5 → 6 → 7 → 3

5

let G be a graph with V vertices &
 E edges.

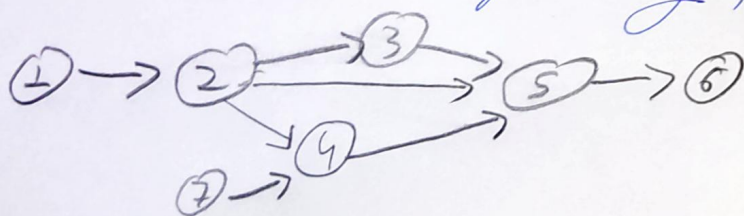
let T be a MST such that E_1 is not
included in T (let E_1 be the least weighted
Edge)

if we add E_1 in T , it will form a
cycle.

we have to remove an edge from T to get
back a MST. So we choose to remove
the most weighted vertex (which is not E_1)

$\therefore E_1$ must be included in T for it to
be a minimum spanning tree.

6



in Graph G

let us reverse the forward Edge $2 \rightarrow 5$ to
back edge $2 \leftarrow 5$ and use DFS traversal

we traverse $1 \rightarrow 2 \rightarrow 3 \rightarrow 5$

in 5 we have an option to traverse back to
2. Hence, There exist a cycle in G .

So, G is not DAG

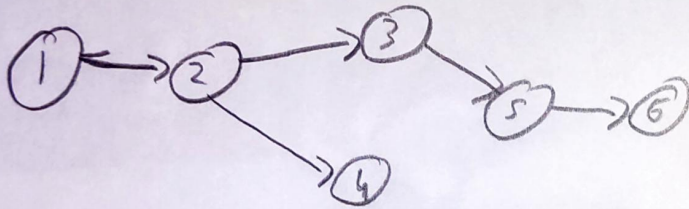
now if we use the given $2 \rightarrow 5$ edge in G and traverse

after reaching 5, there won't be any cycles to track back to a visited vertex.
Hence G is acyclic.

∴ G is a DAG when there is no back edge in DFS traversal of G

here proved.

DFS traversal for tree in G



Tree Edge : $1-2, 2-3, 3-5, 5-6, 2-4$

Forward Edge : $2-5$

Back Edge : $1-4$

Cross Edge : $4-5$