#### **Contents**

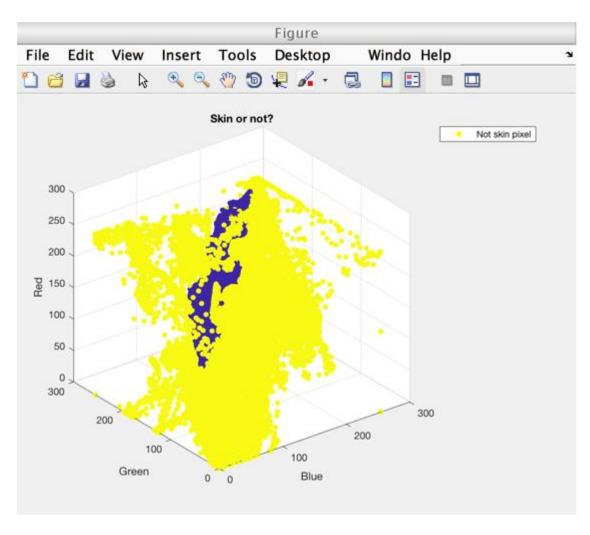
- SKIN DATASET ANALYSIS
- Principal Component Analysis
- Classification on original data (parametric)
- non-parametric knn classifier

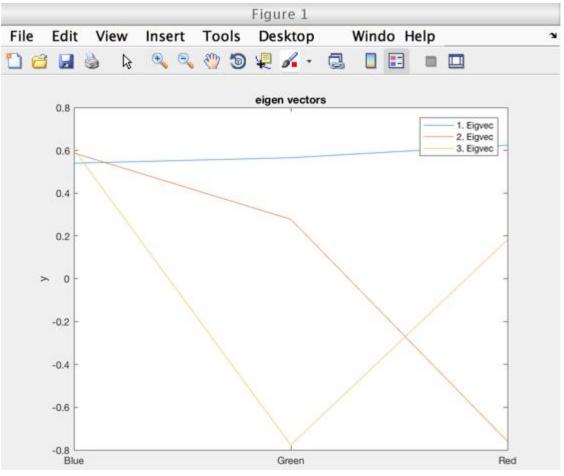
### SKIN DATASET ANALYSIS

```
clear all
%loading data
filehere= 'Users/Anna/Documents/MATLAB/Skin_NonSkin.txt';
fid=fopen(filehere);
mydata = textscan(fid,'%f%f%f%f','delimiter',',');
fclose(fid);
%naming each feature
Blue = mydata{1};
Green = mydata{2};
Red = mydata{3};
Skin = mydata{4};
X=[Blue Green Red];
labels=Skin;
%Problem: Let's predict the sample to be skin or not skin, based on the B,G,R values
%There are only three features, and in that, all of them have a same scale.
%Plotting data
scatter3(Blue, Green, Red, 30, Skin, 'filled');
title('Skin or not?')
xlabel('Blue')
ylabel('Green')
zlabel('Red')
legend('Not skin pixel')
figure;
%min value of skin colors is around 106.0 and max value of skin colors is 255.0
%Correlation features(color) vs target
r=corr([X labels])
% => So blue has the highest correlation
%mean and standart deviation
mx=mean(X)
stdx=std(X)
% Now I'm gonna visualize the eigenvectors to represent
% my variance
cX = cov(X)
[V,D] = eig(cX)
b=diag(D)
[b idx]=sort(b,'descend'); V=V(:,idx)
plot(V);
```

```
xlabel('x');
ylabel('y');
title('eigen vectors');
set(gca,'XTick',[1 2 3],'XTickLabel',{'Blue', 'Green', 'Red'})
legend ('1. Eigvec ','2. Eigvec ','3. Eigvec')
r =
          0.8553
                   0.4964 0.0920
   1.0000
   0.8553 1.0000 0.6601 -0.1203
   0.4964 0.6601 1.0000 -0.5700
          -0.1203 -0.5700
   0.0920
                             1.0000
mx =
 125.0654 132.5073 123.1772
stdx =
  62.2557 59.9412 72.5622
cx =
  1.0e+03 *
   3.8758 3.1915 2.2423
   3.1915
          3.5929
                     2.8711
   2.2423
          2.8711
                     5.2653
v =
   0.6031 0.5873
                   0.5398
  -0.7767 0.2779
                     0.5653
   0.1819 -0.7602
                     0.6237
D =
  1.0e+03 *
             0
   0.4421
                        0
          2.4834
       0
        0
              0
                     9.8084
b =
  1.0e+03 *
   0.4421
   2.4834
   9.8084
```

v =





## **Principal Component Analysis**

```
close all
%calculating sample mean
Xmean = mean(X);
%centering data
Xcentered = X - ones(length(X(:,1)),1)*Xmean;
%calculating covariance
Xcov = cov(Xcentered);
%eigenvalue decompositon
[eigenvect,eigenval] = eig(Xcov);
%eigenvalues from diagonal
eigenval = diag(eigenval);
%sorting
[eigenval, idx]=sort(eigenval, 'descend');
%plotting
eigenvect = eigenvect(idx); V = V (: , idx ) ; %(V is my sorted eigenvetors)
%cumulative sum of eigenvalue percentage
cs = cumsum(eigenval)/sum(eigenval)
f = figure
plot(cs)
title ('RGB:Cumulative Eigenvalues ')
set (gca ,'XTick' ,[1 2 3] , 'XTickLabel' ,{'1. ','2. ','3. '});
xlabel (' Eigenvalue ') ;
% First eigenvector explains around 77% of the variance in the data, and
% together with the second 96.5%. That means, the skin dataset would be
% well represented by choosing the first two eigenvalues.
V (: ,1:2)
figure
plot ( V (: ,1:2) )
% projection on eigenvectors with highest eigen values (=reduction to 2
% dimensions)
scores = Xcentered*V(:,1:2);
% conversion of scores to prdataset
addpath(['/Users/Anna/Documents/MATLAB/prtools']);
z = prdataset(scores , labels);
figure
scatterd(z)
xlabel('1st eigenvector')
ylabel('2nd eigenvector')
title('Projections onto eignevectors')
%Reconstruction of dataset based on 2 eigenvectors
Xr = scores(:,[1,2])*V(:,[1,2])'+ones(length(Xcentered(:,1)),1)*Xmean;
```

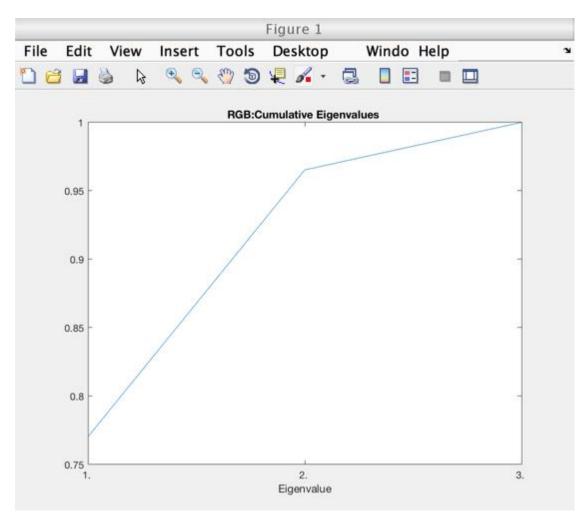
```
% conversion to PRtools

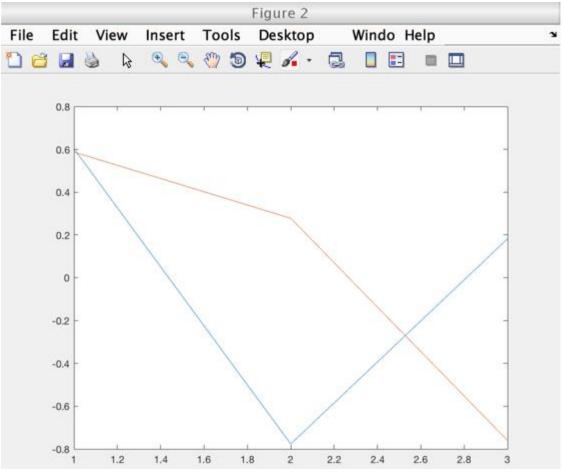
Rdata = prdataset(Xr,labels,...
'featlab',['Blue ';'Green';'Red '],'name','Sample Features');

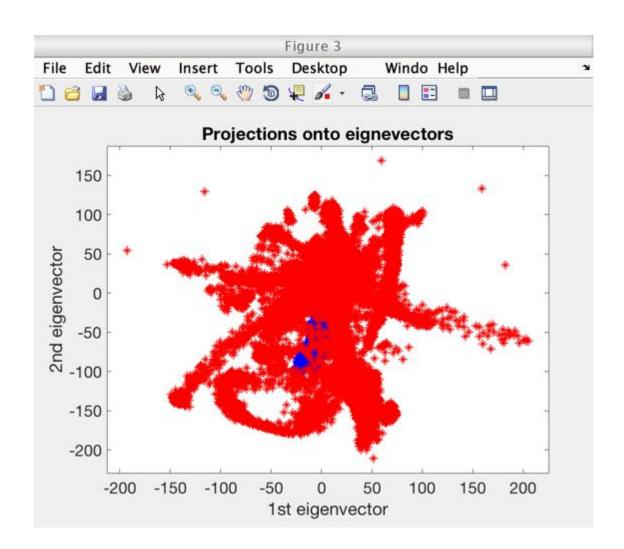
figure
subplot(2,1,1)
scatterd(X(:,[1,2]));
title ('Original ')
xlabel ('Blue')
ylabel ('Green')

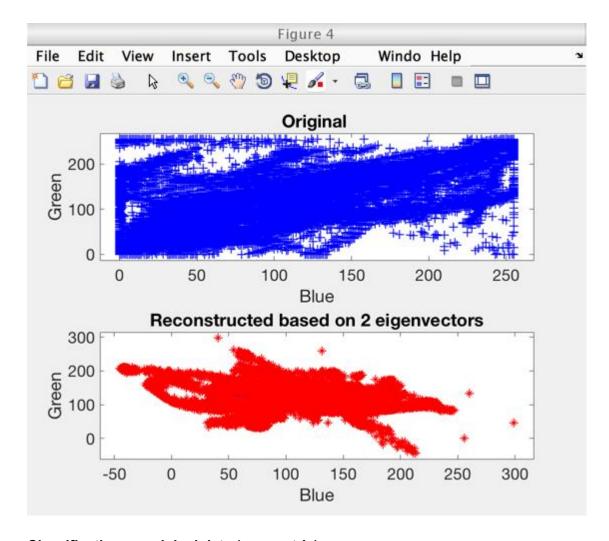
subplot(2,1,2)
scatterd(Rdata(:,[1,2]));
xlabel('Blue')
ylabel('Green')
title('Reconstructed based on 2 eigenvectors')
%Those figures don't tell me much
```

```
cs =
   0.7703
   0.9653
   1.0000
f =
 Figure (1) with properties:
     Number: 1
       Name: ''
      Color: [0.9400 0.9400 0.9400]
   Position: [360 278 560 420]
      Units: 'pixels'
 Use GET to show all properties
ans =
   0.6031 0.5873
  -0.7767 0.2779
   0.1819 -0.7602
```









# Classification on original data (parametric)

```
clear all
%reloading, naming
filehere= 'Users/Anna/Documents/MATLAB/Skin_NonSkin.txt';
fid=fopen(filehere);
mydata = textscan(fid,'%f%f%f%f','delimiter',',');
fclose(fid);
Blue = mydata{1};
Green = mydata{2};
Red = mydata{3};
Skin = mydata{4};
X=[Blue Green Red];
labels=Skin;
labels (labels==1)=0;
labels(labels==2)=1;
[I,J]=size(X);
addpath(['/Users/Anna/Documents/MATLAB/prtools']);
data_all=prdataset(X,labels);
idx_skin=find(labels==0);
idx_noskin=find (labels==1);
```

```
%randomizing order
id X = randperm(I)';
%Dividing my dataset into training and testing
tr idx = id X(1:220551); % training indices 90% of dataset
tst idx = id X(220552:245057); %testing indices 10% of dataset
skin_tr = prdataset ( X ( tr_idx ,:),labels ( tr_idx ) );
skin tst = prdataset ( X (tst idx,:),labels ( tst idx ) );
%-----%
%parametric classifiers
confmat(labels,1*ones(I,1));
c base=confmat(labels,1*ones(I,1));
tp=c base(1,1); %true positives
fn=0; %always 0
fp=c base(2,1); %false positives
tn=0; %always 0
acc_base=(tp+tn)/(tp+fp+fn+tn) %also percentage of one class
cv=10; %10 fold cross validation
for classi=1:3
   switch classi,
       case 1,
           %minimum distance classifier
           w=nmsc([]);
       case 2,
           %linear discriminant analysis
           w=ldc([]);
       case 3,
           %quadratic discriminant analysis
           w=qdc([]);
   end
[e dummy pred labs]=prcrossval(skin tr,w,cv);
%show confusion matrix
confmat(labels(tr idx),pred labs);
c=confmat(labels(tr idx),pred labs);
tp=c(1,1); %t=true, p=positives, f=false, n=negatives
fn=c(1,2);
fp=c(2,1);
tn=c(2,2);
acc1(classi)=(tp+tn)/(tp+fp+fn+tn);
p=tp/(tp+fp); %precision
r=tp/(tp+fn); %recall
%f-measure for all 3 classifiers:
f1(classi)=(2*p*r)/(p+r);
end
f1
acc1
8_____8
```

True	Estimat	ted Labels
Labels	1	Totals
0	50859	50859
	194198	1
Totals	245057	245057

acc base =

0.2075

PR\_Warning: GETPRIOR: prcrossval: No priors found in dataset, class frequencies are used instead

True	Estim	ated Lab	els
Labels	1	2	Totals
0	29611	16061	45672
1	11748	163131	174879
Totals	41359	179192	220551

PR\_Warning: GETPRIOR: prcrossval: No priors found in dataset, class frequencies are used instead

True	Estim	ated Labe	els
Labels	1	2	Totals
0	41312	4360	45672
1	10772	164107	174879
Totals	52084	168467	220551

PR\_Warning: GETPRIOR: prcrossval: No priors found in dataset, class frequencies are used instead

True	Estim	ated Labe	els
Labels	1	2	Totals
0	42278	3394	45672
1	254	174625	174879
Totals	42532	178019	220551

f1 =

0.6805 0.8452 0.9586

acc1 =

0.8739 0.9314 0.9835

### PRWAITBAR:

### non-parametric knn classifier

```
def_mem=prmemory();
for classi2=1:3,
    switch classi2,
        case 1,
            prmemory(20*def mem)
            w2=knnc([],1);
        case 2,
            w2=knnc([],2);
        case 3,
            w2=knnc([],3);
    end
 [e dummy pred_labs]=prcrossval(skin_tst,w2,cv);
%show confusion matrix
confmat(labels(tst_idx),pred_labs);
c=confmat(labels(tst_idx),pred_labs);
tp=c(1,1); %t=true, p=positives, f=false, n=negatives
fn=c(1,2);
fp=c(2,1);
tn=c(2,2);
acc1(classi2)=(tp+tn)/(tp+fp+fn+tn);
p=tp/(tp+fp); %precision
r=tp/(tp+fn); %recall
%f-measure for all 3 classifiers:
f1(classi2)=(2*p*r)/(p+r);
end
f1
acc1
%calculating errors
errors=pred_labs~=labels(tst_idx);
sum(errors)
```

PR Warning: GETPRIOR: prcrossval: No priors found in dataset, class frequencies are used instead

PR\_Warning: GETPRIOR: prcrossval: No priors found in dataset, class frequencies are used instead

True	Estim	ated Lab	els
Labels	1	2	Totals
0	5187	0	5187
1	32	19287	19319
Totals	5219	19287	24506

PR\_Warning: GETPRIOR: prcrossval: No priors found in dataset, class frequencies are used instead

True	Estim	ated Labe	els
Labels	1	2	Totals
0	5187	0	5187
1	24	19295	19319
Totals	5211	19295	24506

f1 =

0.9983 0.9969 0.9977

acc1 =

0.9993 0.9987 0.9990

ans =

24482

PRV	VAITE	3AR:		

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