

Exercises about representation of information

Add a few explanations to demonstrate how to perform each conversion. For example, from decimal to binary we use powers and then explain the corresponding operations.

$2^0 = 1$	$2^{11} = 2048$
$2^1 = 2$	$2^{12} = 4096$
$2^2 = 4$	$2^{13} = 8192$
$2^3 = 8$	$2^{14} = 16384$
$2^4 = 16$	$2^{15} = 32768$
$2^5 = 32$	$2^{16} = 65536$
$2^6 = 64$	$2^{17} = 131072$
$2^7 = 128$	$2^{18} = 262144$
$2^8 = 256$	$2^{19} = 524288$
$2^9 = 512$	$2^{20} = 1048576$
$2^{10} = 1024$	

1. Convert from decimal to binary:

TO PASS DECIMAL TO BINARY, I did it with the table that we can see above, I start with the number that it's near to the decimal one, then I subtract that number. Example 234 I look in the table and I see that 128 is the nearest and 256 pass the number 234 so we don't use it, we choose 128, so it will be 234 minus 128 and we get 106, we do same as before 64 it doesn't pass 106 so we do 106 minus 64 and like that every time until the end that we get 0.

- a. $234 = 11101010$
 $234 - 128 = 106 - 64 = 42 - 32 = 10 - 8 = 2 - 2 = 0$
- b. $555 = 1000101011$
 $555 - 512 = 43 - 32 = 11 - 8 = 3 - 2 - 1 = 0$
- c. $12321 = 11000000100001$
- d. $152 = 10011000$
- e. $32768 = 1000000000000000$

2. Convert from binary to decimal:

In this case it's binary to decimal. I count where the number one (1) and in which position it is, to look at it in the table, that way when I have all the positions that has the number one, I can add the numbers. Example the first exercise, it's in the position 9 I look the table it's $2^8 \rightarrow 256$

- a. $100000000 = 256$
- b. $1011110100 = 756$
- c. $10011101 = 157$

d. $111111111111=2047$

3. Convert from hexadecimal to binary:

If we pass hexadecimal to binary we know that each number it will be 4bits, and with this bits we have until 16(decimal) will be 1111 (bits) and F(hexadecimal)

Example→ $45A0 \rightarrow 4$ will be $0100 \rightarrow 5$ will be $0101 \rightarrow A$ will be 1010 and $\rightarrow 0$ will be 0000

- a. $45A0=0100\ 0101\ 1010\ 0000$
- b. $CF=1100\ 1111$
- c. $AAB2=1010\ 1010\ 1011\ 0010$
- d. $3020=0011\ 0000\ 0010\ 0000$

4. Convert from binary to hexadecimal:

BINARY TO HEXADECIMAL: has before our numbers will has to be separated in 4bits and then we have 8 4 2 1 decimal will be 1111 binary to pass binary to hexadecimal we just need to see where are the number one(1) were it is we look the position and we plus the numbers. Example a)

- a. $1\ 1000\ 1000 = 188 \rightarrow 1=1\ 1000=8\ 1000=8$
- b. $1\ 0001\ 0110 = 116 \rightarrow 1=1\ 0001=1\ 0110= 4+2=6$

BINARY TO OCTAL

$110001000 = 610$

$100010110 = 426$

5. Complete the following conversions related to octal numeral system:

BINARY TO OCTAL: we separate the numbers into 3bits and as with the hexadecimal we look where are the one(1) and the position and then we add. 4 2 1 (decimal) 111 (binary) 7 (octal) example

- a. Convert the numbers from exercise 4 to octal.

BINARY TO OCTAL

$110\ 001\ 000 = 610 \rightarrow 110=4+2=6\ 001=1\ 000=0$

$100\ 010\ 110 = 426 \rightarrow 100=4\ 010=2\ 110=4+2=6$

- b.** Convert the octal 3020 to binary.

OCTAL TO BINARY: we have a big number we take the single number example 3020 we take the number 3 we know that it will need 3bits 4 2 1(decimal) 111 (binary) 7 (octal) example.

so number 3 will be 2+1 and in binary 011

$3020=011\ 000\ 010\ 000 \rightarrow 011=2+1=3\ 000=0\ 010=2\ 000=0$

6E 20 6D 6F 64 75 6C 20 73 79 73 74 65 6D 73 2E

c. Convert to binary.

00100000 00100000 00100000 00100000 01010111 01100101 00100000 01100001
01110010 01100101 00100000 01101111 01101110 00100000 00110010 00110011
00100000 01101111 01100110 00100000 01100110 01100101 01100010 01110010
01110101 01100001 01110010 01111001 00100000 00110010 00110000 00110010
00110010 00100000 01110111 01100101 00100000 01100001 01110010 01100101
00100000 01110010 01101001 01100111 01101000 01110100 00100000 01101110
01101111 01110111 00100000 01101001 01101110 00100000 01101101 01101111
01100100 01110101 01101100 00100000 01110011 01111001 01110011 01110100
01100101 01101101 01110011 00101110