

Homework 11

1. There's enough evidence to support the claim that the diameter mean exceeds 8.25 mm.

2.

$$t = \frac{\bar{X} - \mu}{s/\sqrt{n}}$$

3. Step 1: State the hypotheses and identify the claim.

H0 : mean \leq 8.25 mm and H1 : mean $>$ 8.25 mm.

Step 2: Find the critical value.

Alpha = 0.05, then t = +1.65

Step 3: Compute the test value.

Mean = 8.234, Variance = 0.00064, SD = 0.0252982,

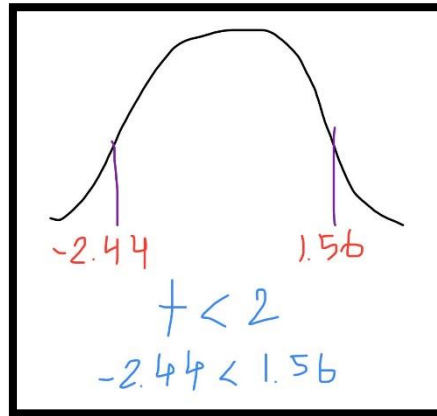
t = (8.234 – 8.25) / (0.0252982 / $\sqrt{15}$) = -2.44949

Step 4: Make a decision.

Since the test value (-2.44949) is less than the critical value (1.65), the decision is not to reject the H0.

Step 5: Summarize the result.

There is enough evidence to support the claim that that diameter mean exceeds 8.25 mm.



4.

One Sample t-test

```
data: diameter
t = -2.4495, df = 14, p-value = 0.986
alternative hypothesis: true mean is greater than 8.25
95 percent confidence interval:
 8.222495      Inf
sample estimates:
mean of x
 8.234
```

Code:

```
1 # HW 11 Hypothesis Testing
2 # 65011304 Inthat Sappipat
3
4 # Data
5 diameter <- c(8.24, 8.25, 8.20, 8.23, 8.24, 8.21, 8.26, 8.26, 8.20,
6               8.25, 8.23, 8.23, 8.19, 8.28, 8.24)
7 cat(mean(diameter))
8 cat(var(diameter))
9
10 # Using t.test built-in function
11 result <- t.test(diameter, mu = 8.25, alternative = "greater")
12
13 # Print the result
14 print(result)
```

Conclusion:

From the experiment, I find the means whether it exceeds 8.25 mm or not using the 5 steps of the process to summarize the conclusion. Also, I have used the R built-in function which is `t.test` to check the result to confirm the correctness of my result using 5 steps. In my opinion, both methods lead to the same conclusion, whether I perform my own number crunching or utilize the `t.test` function. It appears that there isn't much of a difference in the mean diameter based on the negative t-statistic ($t = -2.44$).