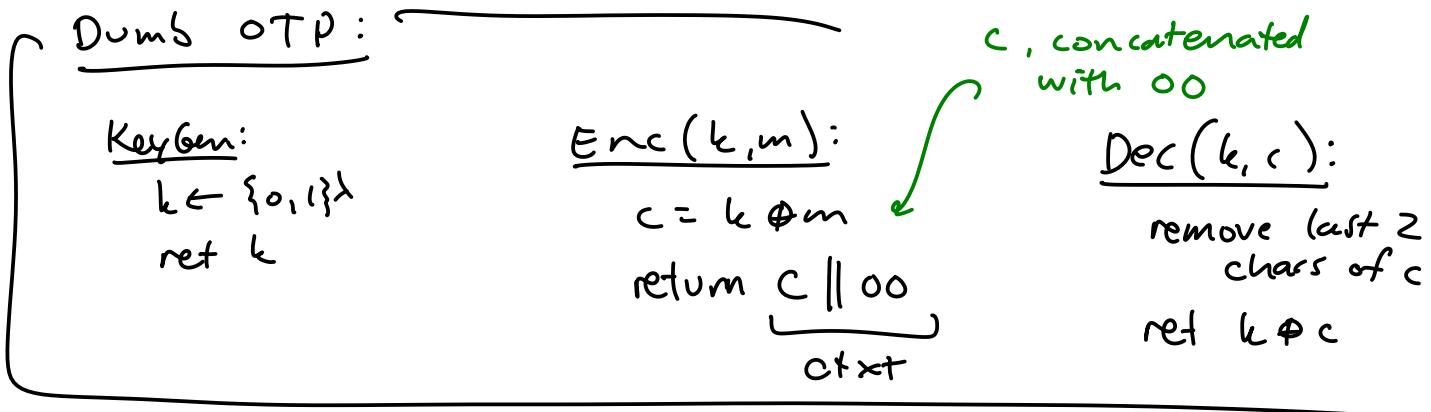


Hybrid Security Proofs

HW1 due Friday *

security of OTP (using fact that ctxt distribution is uniform)

Another Example Hybrid Proof: [Ex 2.4]



Is it still one-time secure?

Does it still have uniform ctxts?

YES

NO, if $C = \{0,1\}^{\lambda+2}$

YES, if

$C = \{\text{strings ending in } 00\}$

Want to show:

QUERY(m_L, m_R):

```

 $k \leftarrow \{0,1\}^\lambda$ 
 $c = k \oplus m_L$ 
 $c' = c \parallel 00$ 
return  $c'$ 

```

=

QUERY(m_L, m_R):

```

 $k \leftarrow \{0,1\}^\lambda$ 
 $c = k \oplus m_R$ 
 $c' = c \parallel 00$ 
return  $c'$ 

```

QUERY(m_L, m_R):

$$k \leftarrow \{0, 1\}^\lambda$$

$$c = k \oplus m_L$$

$$c' = c \parallel 00$$

return c'

factor out

QUERY(m_L, m_R):

$$C = \text{BLAH}(m_L, m_R)$$

$$c' = C \parallel 00$$

return c'

BLAH(m_L, m_R)

$$k \leftarrow \{0, 1\}^\lambda$$

$$C = k \oplus m_L$$

return C

↑ OTP
LOTS-L

because OTP
has one-time
security

≡

QUERY(m_L, m_R):

$$C = \text{BLAH}(m_L, m_R)$$

$$c' = C \parallel 00$$

return c'

BLAH(m_L, m_R)

$$k \leftarrow \{0, 1\}^\lambda$$

$$C = k \oplus m_R$$

return C

↑ OTP
LOTS-R

inline

≡

QUERY(m_L, m_R):

$$k \leftarrow \{0, 1\}^\lambda$$

$$c = k \oplus m_R$$

$$c' = c \parallel 00$$

return c'

QED ✓

More generally:

If $\text{Enc}(k, m)$ is a "good encryption scheme"
(one-time sec)
then $\text{Enc}(k, m) \parallel 00$ is too