

20234757053

Name : SRADHA KEDIA

Date and time : 30/03/2021 , 9:30 AM to 12:30 AM

Examination Roll no : 20234757053

Name of the Programme : MCA

Semester : I

Unique Paper Code : 223401104

Title of the paper : Computer System Architecture

Email ID : 200083@cs.du.ac.in

Mobile no. : 8840502121

Total no. of pages : 4

Question 1 →

$$(b) \quad \bar{X}Z + \bar{X}Y + X\bar{Y}Z + YZ = \bar{X}Y + \underline{\bar{X}Z + X\bar{Y}Z} + YZ$$

($\because AB + AC = A(B + C)$, by distributive law)

$$= \bar{X}Y + (\underline{\bar{X} + X\bar{Y}})Z + YZ$$

$$= \bar{X}Y + (\underline{\bar{X} + \bar{Y}})Z + YZ$$

$$= \bar{X}Y + \bar{X}Z + \underline{\bar{Y}Z + YZ}$$

$$= \bar{X}Y + \bar{X}Z + \underline{Z(\bar{Y} + Y)}$$

$$= \bar{X}Y + \bar{X}Z + \underline{Z.1}$$

$$= \bar{X}Y + \underline{\bar{X}Z + Z}$$

$$= \bar{X}Y + (\underline{\bar{X} + 1})Z$$

$$= \bar{X}Y + \underline{1.Z}$$

$$= \boxed{\bar{X}Y + Z} \text{ (Ans)}$$

(By Absorption law, $AB + \bar{A} = B + \bar{A}$)

(By distribution, $(A + B)C = AC + BC$)

(taking common Z, $AB + AC = A(B + C)$)

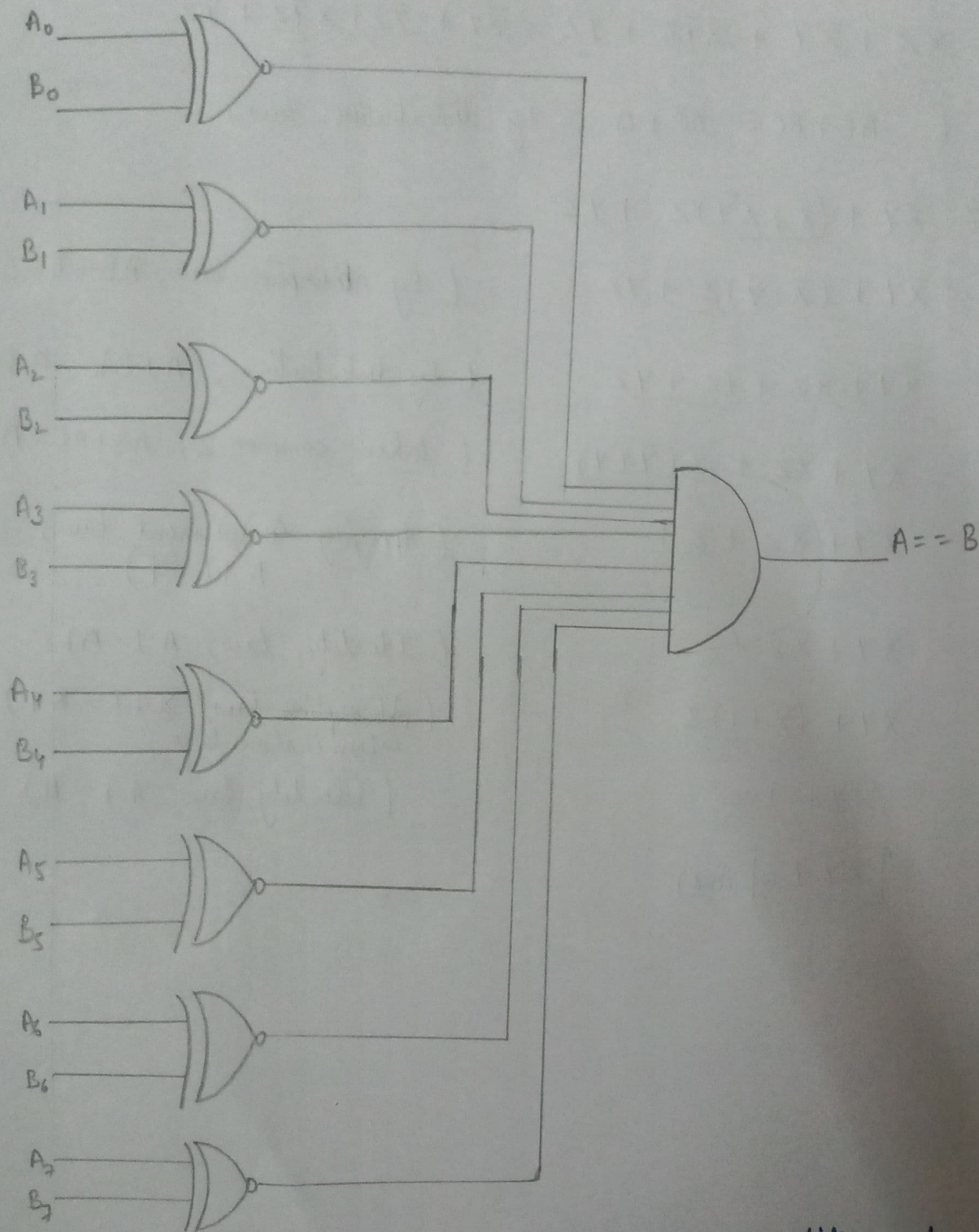
(Applying complement law,
 $A + \bar{A} = 1$)

(Identity law, $A.1 = A$)

(~~Absorption law~~ $\bar{X} + 1 = 1$)
↳ Domination law

(Identity law, $A.1 = A$)

(a)



8 bit combination circuit that compares two 8 bit numbers,

let A, and B be the two 8 bit numbers.

where A_0, B_0 is least significant bit & A_7, B_7 , the most significant bits.

now, if corresponding bits of A and B are equal then the XNOR gives output 1. The truth table for $A \text{ XNOR } B$ is as follows →

A	B	$A \text{ XNOR } B$
0	0	1
0	1	0
1	0	0
1	1	1

After comparing corresponding bits from 0 to 7 for A & B, the same bits (i.e. 0,0 & 1,1) gives output 1, And now we put AND gate which gives output 1 only when all the outputs of XNOR's gate are 1 i.e. all bits are equal of A & B, & 0 when if any one bit does not match.

Therefore, this combinational circuit produces output 1 if the numbers are equal else gives output 0.