

## UNIT-V

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### HASHING

The process of mapping large amount of data into a smaller table using hash function, hash value, hash table is called as hashing.

### HASH FUNCTION :-

It provides the mapping between large amount of data & smaller table.

### HASH VALUE :-

The index value returned by hash function is called hash value.

### TYPES OF HASHING TECHNIQUE :-

1. Static Hashing.
2. Dynamic Hashing.

If the size of the table is fixed, it is static hashing.

If the size of the table is not fixed is called dynamic hashing

### OVERFLOW OR COLLISION IN HASHING :-

0	1	2	3	4

$$h(k) = k \mod m$$

IMP

It is linear probing or open addressing.

If the hashing value hashvalue is there then it is called as overflow or collision.

To overcome linear hash probing or open addressing.

void search()

{

int x, key;  
x = h(k);

printf("Enter key: ");

scanf("%d", &key);

if (key == h(x))

printf("Element found in  
%d position", key);

else

while (h(x) < key)

{

x = (h(x) + i) % m;

{ int search( int k, int hashsize )

int index;  
hashvalue = h(k);

for( i=0; i < hashsize; i++ )

{

index = (h-value + i) % hashsize;

if (a[index] == k)

return 1;

else

return 0; continue;

}

return 0;  
printf ("Element not found");  
}

## ~~v. SIR~~ BASIC HASHING TECHNIQUE:

1. direct
2. subtraction
3. modulo division
4. digit extraction
5. mid square
6. folding
7. Rotation.
8. Pseudo random generator.

### 6. FOLDING:-

consists of two methods:-

#### (i) fold shift

1 2 3 4 5 6 7 8 9

4 5 6

1 2 3

discarded

7 8 9

① 3 6 8

add address to  
the hash table.

#### (ii) fold boundary

1 2 3 4 5 6 7 8 9

3 2 1

9 8 7

① 7 6 4

## B. PSEUDO RANDOM GENERATOR:

$$y = (ax + c) \% m \quad (\text{divide by previous no.})$$

## TREES

Binary tree is a tree which has finite set of nodes i.e either empty or consists of a root & two subtrees.

They are called as left subtree & right subtree.

If tree is not empty then first node in tree is called root node.

left subtree: it is a tree which is connected to left of root.

right subtree: it is a tree which is connected to right of root.

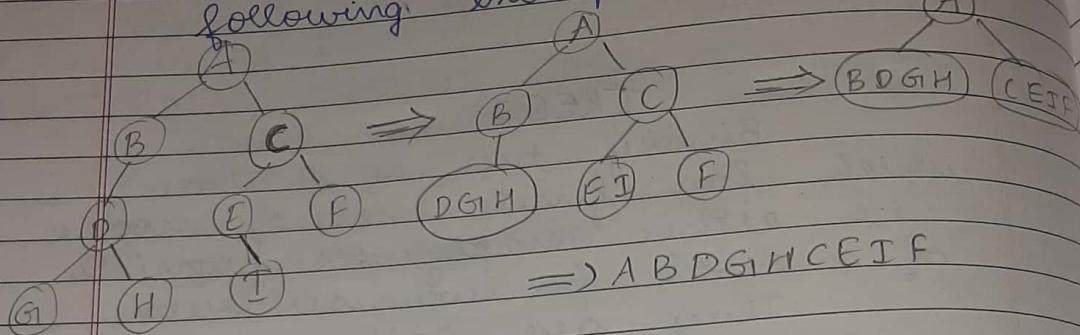
## Binary tree Traversals

- 1] Preorder
- 2] Postorder
- 3] Inorder

### Preorder

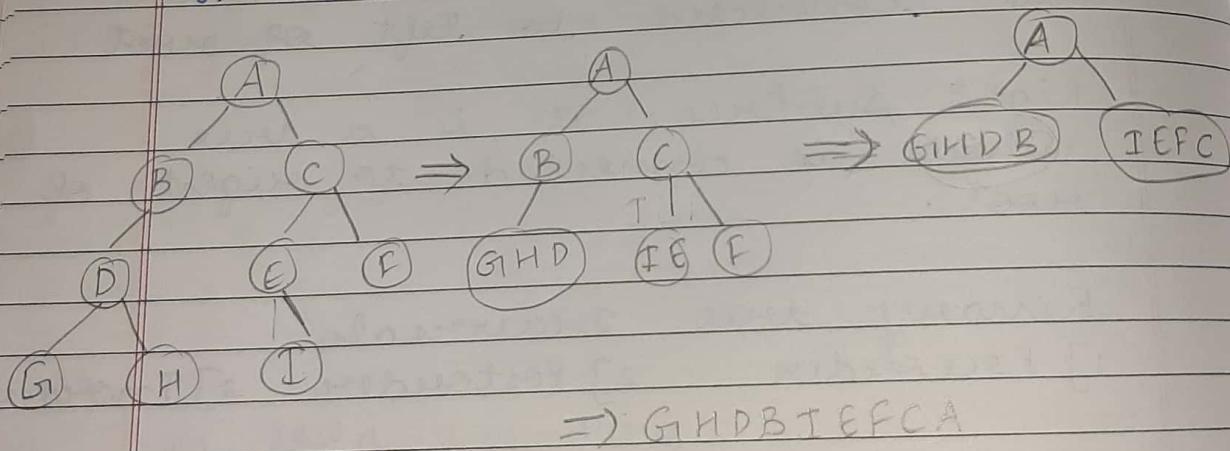
1. Process root node
2. Traverse the left. subtree in preorder.
3. Traverse the right subtree in preorder.

Find the postorder sequence of the following example



### POSTORDER:

1. Traverse the left subtree in postorder
2. Traverse the right subtree in postorder
3. Process root node.

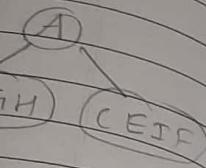


### INORDER:

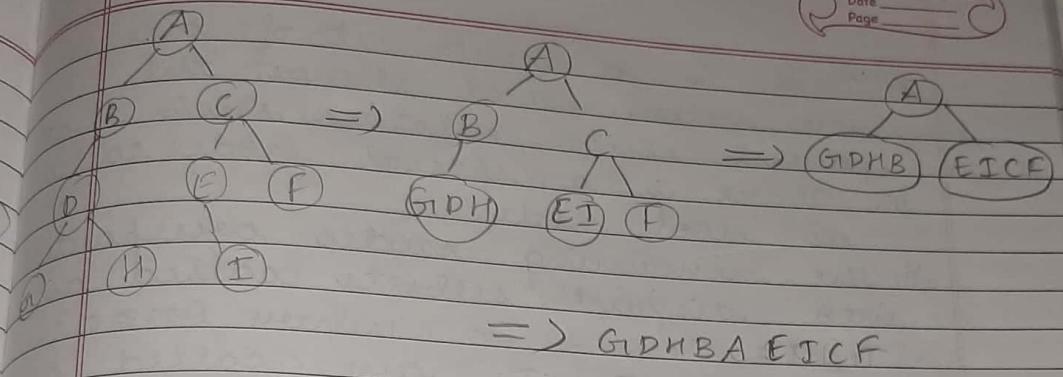
1. Traverse the left subtree in Inorder
2. Process the root node.
3. Traverse the right subtree

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of the



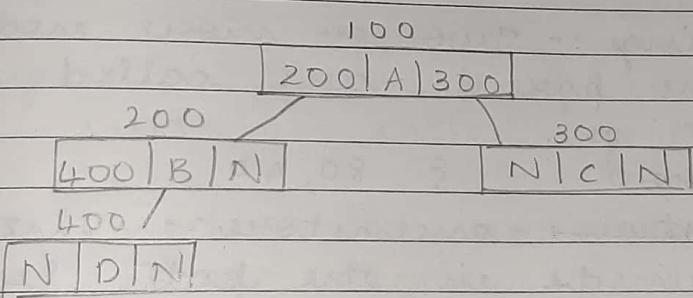
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### BINARY TREE REPRESENTATION:

- 1] linked Representation.
- 2] array Representation.

#### LINKED



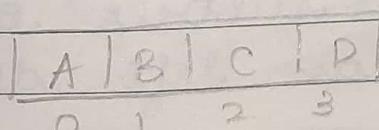
#### struct node

{

```
int data;  
struct node * left;  
struct node * right;
```

}

#### ARRAY



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tree is a finite set of one or more nodes that shows the parent child relation such that  
(i) there is a special node called as root node  
(ii) the remaining nodes are partitioned into disjoint subsets called as  $T_1, T_2, T_3 \dots T_n$  where ( $n \geq 0$ ).  
and  $T_1, T_2, T_3$  are called as the subtrees.

child node :- Node obtain from the parent node.

siblings :- Two or more nodes having same parent are called as siblings.

eg:- 50, 60      |      80, 40

ancestors :- ancestors :- The nodes obtained in the path from specified node  $x$  while moving upwards towards root node are called ancestors

eg:- 50      |      100 are ancestors of 70.

descendants :- The nodes in the path below parent are descendant

left descendants :- The nodes that lie towards left subtree of node  $x$  are called as left descendants

right descendants :- The nodes that lie towards left subtree right subtree of node  $x$  are called right descendants.

left subtree :- all the nodes that are left descendants of node  $x$  from the left subtree of  $x$ .

right subtree :- all the nodes that are right descendants of node  $x$  from the right subtree of  $x$ .

Degree :- The no. of subtrees of a node is called its degree.

leaf node :- A node in a tree that has degree zero is called leaf nodes. eg : 70, 35, 30, 40

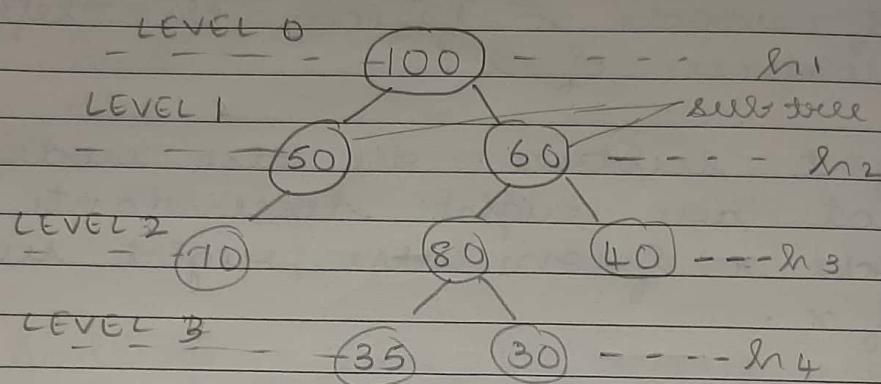
internal nodes :- all the nodes except leaf nodes in a tree are called internal nodes.

External nodes :- The null of any link node in a tree is called external nodes

eg :- 50, 70, 35, 30, 40

Level :- The distance of a node from root node is called level of the node.

Height (Depth) :- The maximum level of any leaf node in a tree  
Eg:- 3



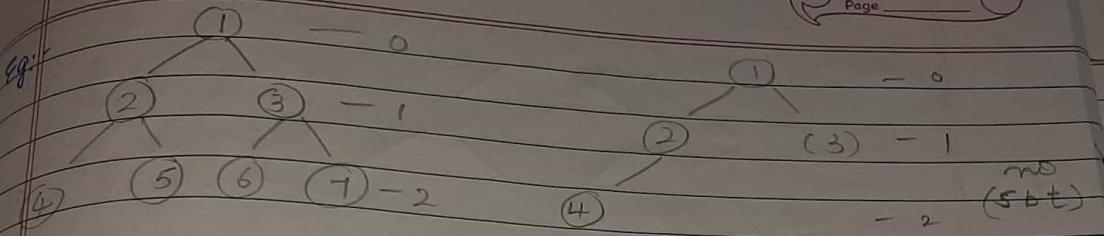
### TYPES OF BINARY TREE :

1. Strictly binary tree (full binary tree)
2. Skewed tree
3. complete
4. Expression
5. Binary search tree

### 1. STRICTLY BINARY TREE:

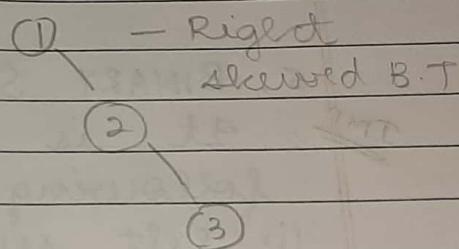
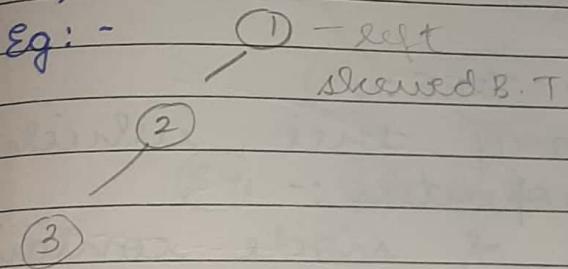
A binary tree having  $2^i$  nodes in any given level  $i$  is called as strictly binary tree where ( $i \geq 0$ ).

node  
red level  
m level  
tree



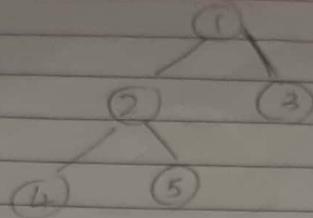
## 2. SKewed BINARY TREE:

It consists of only left subtree or right subtree. A tree with only left subtree is called left skewed binary tree & a tree with only right subtree is called as right skewed binary tree.



## 3. COMPLETE BINARY TREE:

It is a binary tree where every level except last level is completely filled. If the nodes in the last level are not completely filled then all the nodes in that level should be filled only from left to right.

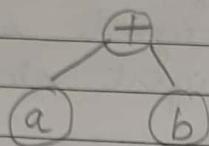


→ ii

root at (1), and  
all left will left  
subtree & then  
subtree than the  
said to be complete  
b.t.

#### 4. EXPRESSION BINARY TREE:

Ex It is a binary tree where each internal node corresponds to operator & each leaf node corresponds to operand.

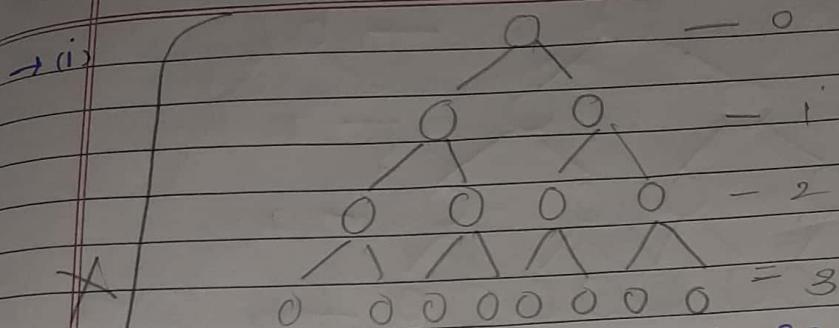


#### 5. BINARY SEARCH TREE:

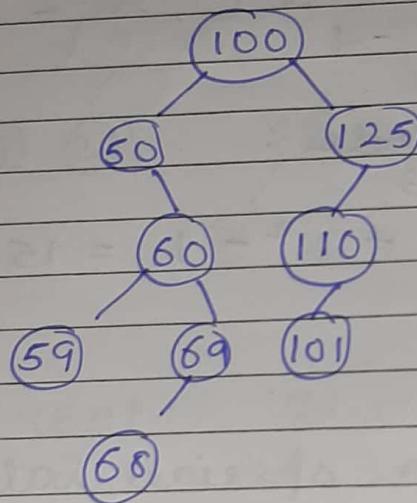
IMP It is binary tree which has following properties :-  
 (i) left subtree of node contains only the nodes with keys lesser than nodes key.  
 (ii) Right subtree of node contains only the nodes with keys greater than nodes key.

Example for constructing a binary search tree:-

- (i) 100, 50, 60, 125, 89, 110, 101, 59, 68
- (ii) 210, 56, 200, 220, 226, 229, 98, 75, 80

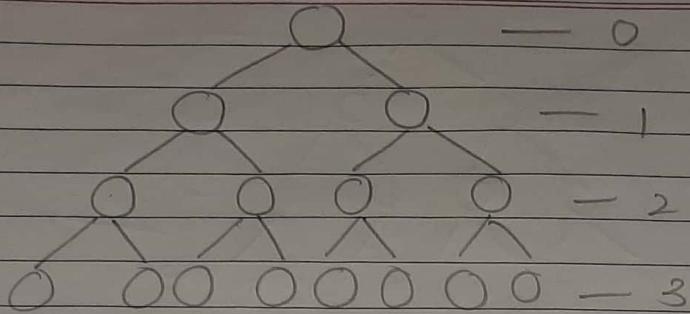


nos. of nodes at level  $i = 2^i$   
 $= 2^0 + 2^1 + 2^2 \dots 2^i$   
 $\leftarrow s = a(r^n - 1)/(r - 1)$   
 $a = 1, n = i + 1, r = 2$



### Properties of binary tree:-

1. Maximum nos. of nodes on level  $i$  of binary tree  $= 2^i$ , ( $i \geq 0$ )
2. The maximum no. of nodes in a binary tree of depth  $n = 2^{n-1}$ , where  $n = (i+1)$



No. of nodes at level  $i = 2^i$

$$= 2^0 + 2^1 + 2^2 + \dots + 2^i$$

$$\therefore S = a(r^n - 1)/(r - 1) \Rightarrow (\text{The geometric progression of above sequence})$$

$a = 1, n = i + 1, r = 2$

$$= 2^{i+1} - 1$$

∴ No. of nodes :

$$\text{eg. } i = 3$$

$i = \text{depth or height}$

$$\therefore 2^{k-1} = 2^4 - 1 = 15$$

$$k = i + 1$$

## HEAP :

heap is a special balanced binary tree where root is compared with its children and arranged accordingly. It has to be a complete binary tree.

There are two types of heap :

1] Max heap

2] Min heap

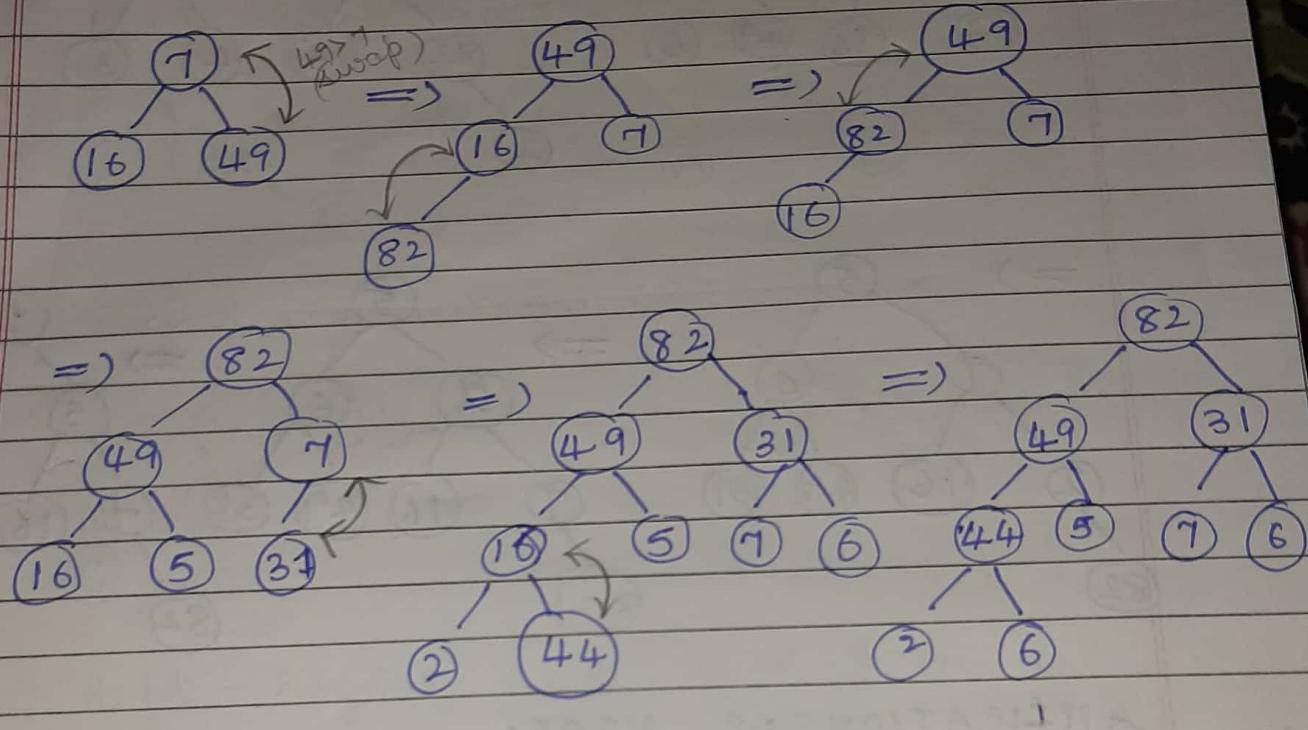
**MAX HEAP:** The value of root node must be greater than its children.

The process of exchanging the element is called heapify part.

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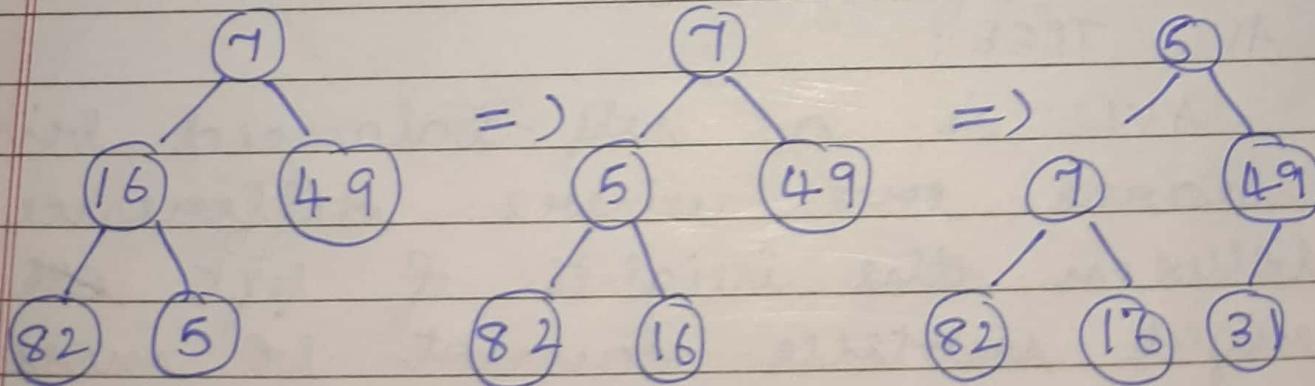
eg:- construct the max heap for following data.

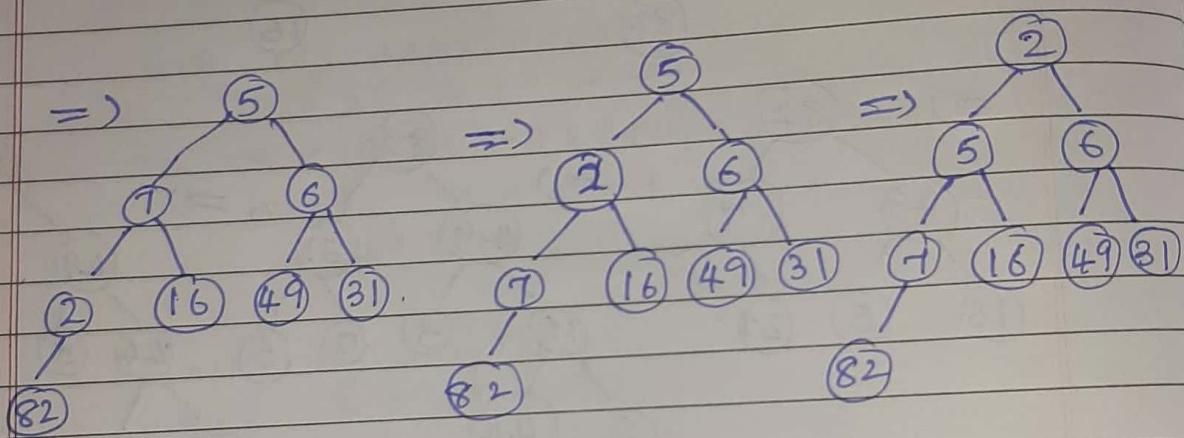
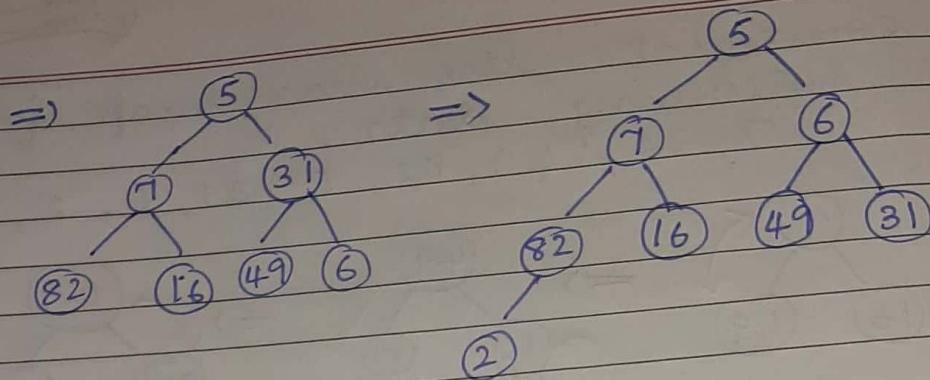
7, 16, 49, 82, 5, 31, 6, 2, 44



2. MIN HEAP:- The value of root node should be less than its children.

eg:- construct the min heap for 7, 16, 49, 82, 5, 31, 6, 2, 44





### APPLICATIONS OF HEAP:

1. Heap is used in heap sort
2. In implementation of priority queue.

### APPLICATIONS OF BINARY SEARCH TREE:

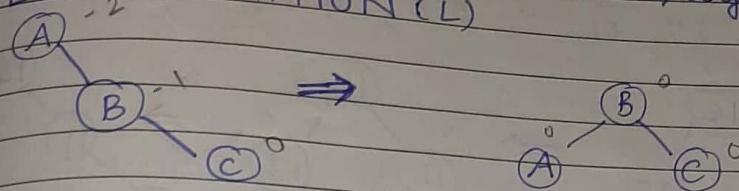
1. Used in sorting
2. To implement priority queue

### AVL TREE:

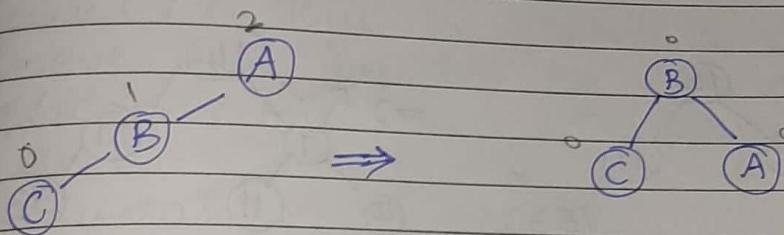
AVL is a self-balanced binary search tree where difference between the heights of left & right subtree cannot be more than one & cannot be less than -1.

Balanced factor  
(Height of left subtree - height of right subtree)  $\rightarrow 1, 0, -1$ .

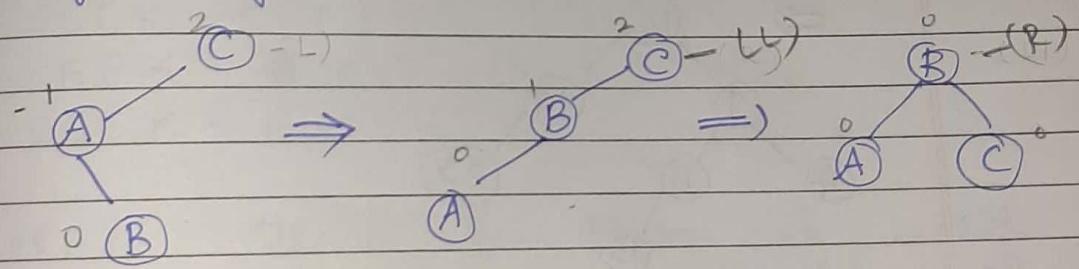
LEFT ROTATION (L)



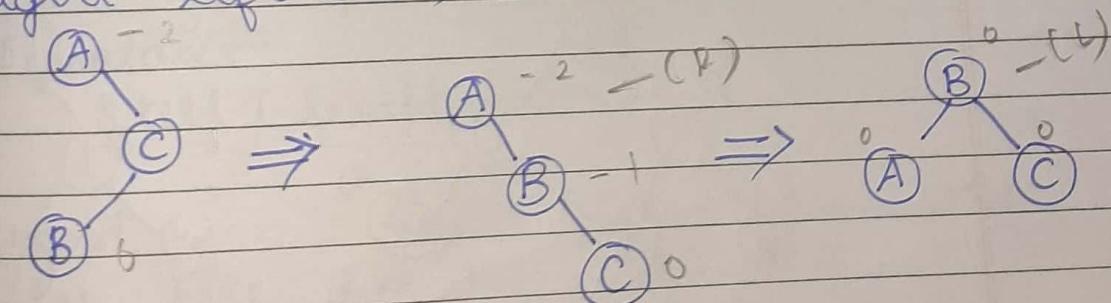
Right rotation (R) :-



left - Right (LR) rotation :



right - left (RL) rotation :



If any tree is unbalanced  
go from leaf node & find  
which rotation is suitable

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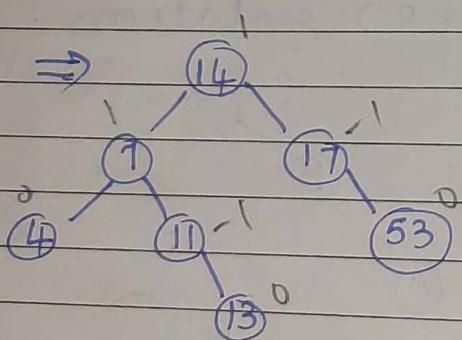
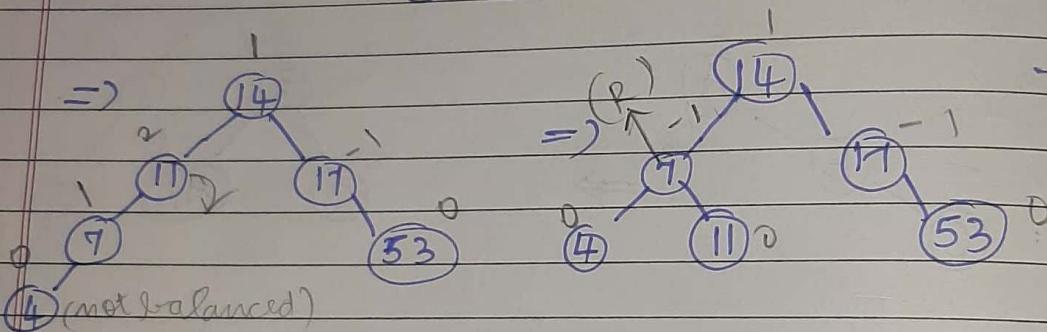
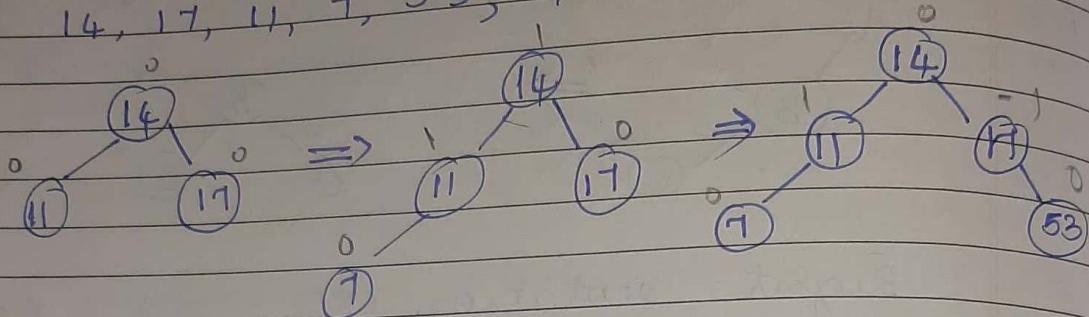
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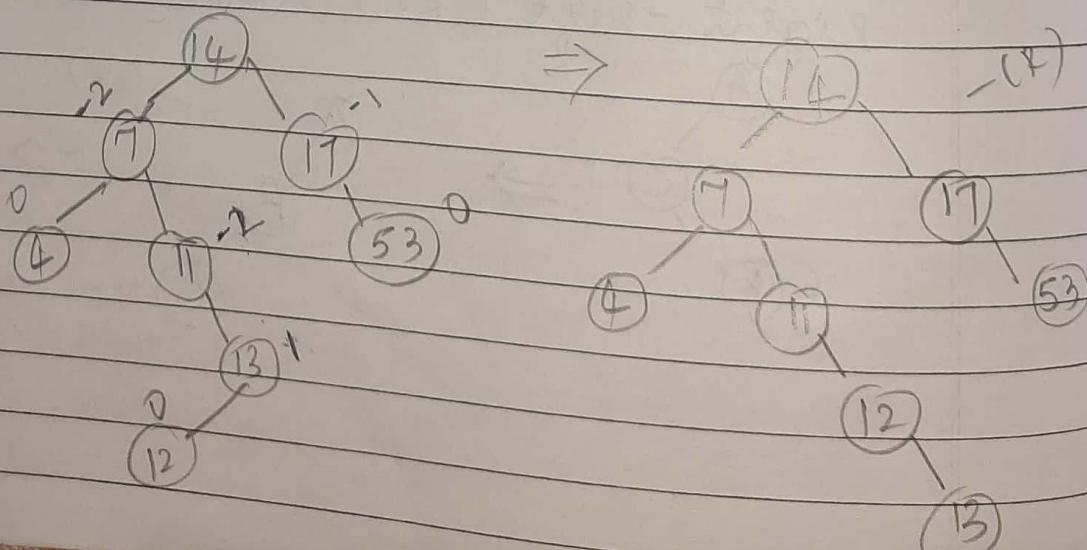
Example:-

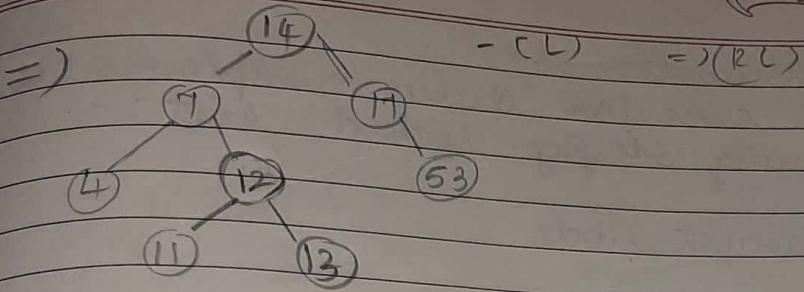
insert these numbers into empty  
~~element~~ tree

AV free  
14, 17, 11, 7, 53, 4, 13



add 12:





(continuation of UNIT 2)  
FILE HANDLING FUNCTIONS IN C:

`fseek()`: This function is used to move file pointer to a different position or specified position in a file.

Syntax :-

`fseek(file pointer, offset, origin);`  
possible values for origin

SEEK - SET :

SEEK - CUR :

SEEK - END :

2. `tell()`: This function is used to tell the current position of the file pointer.

Syntax:-

`tell(filepointer);`

3. `Rewind()`: This function sets the file pointer to the beginning of the file or string.

Syntax:- `rewind(file pointer);`

continuation :-  
circular queue implementation  
using singly linked list :-

struct node

```
{  
    int data;  
    struct node *link;  
};  
struct node *front = NULL;  
struct node *rear = NULL;  
void insert()  
{  
    struct node *temp;  
    temp = (struct node *)malloc(sizeof  
        (struct node));
```

```
    printf("Enter element : ");  
    scanf("./.d", &temp->data);  
    temp->link = NULL;  
    if (rear == NULL)  
    {
```

```
        rear = temp;  
        front = temp;  
    }  
    else  
    {
```

```
        rear->link = temp;
```

```
        rear = temp;
```

```
        rear->link = front;
```

```
}
```

deletion :-

```

void delete()
{
    struct node *cur;
    if (front == NULL)
        printf ("Queue is empty.");
    else
    {
        cur = front;
        printf ("%d element is deleted", front->data);
        front = front->link;
        rear->link = front;
        free(cur);
    }
}

```

Display :-

```

void display()
{
    struct node *temp;
    if (front == NULL || rear == NULL)
        printf ("Queue is empty.");
    else
    {
        temp = front;
        while (temp != rear)
        {
            printf ("%d", temp->data);
            temp = temp->link;
        }
    }
}

```

Construct AVL tree for following elements  
 21, 26, 30, 9, 4, 14, 28  
 18, 15, 10, 2, 3

