



**#ASLI ENGINEERING**

# Quadratic Probing in Hash Tables

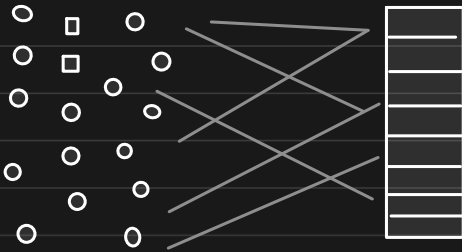


**BY**

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# Conflict Resolution with Quadratic Probing

Conflicts are inevitable!



With Open Addressing, we use a probing function to find the slot where the key should be placed

One such method is Quadratic Probing

## Probing Function

Probing Function is defined as  $p(k, i) = j$  ← index

key ↗ attempt ↘

we use the probing function to find the first available slot  
The same function is used during lookups

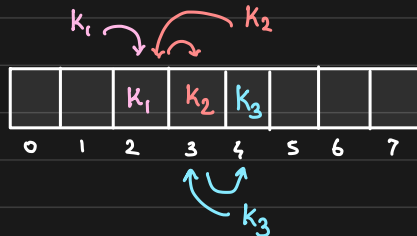
## Challenges with Linear Probing

Linear probing suffers from cascading collisions

if  $k_1$  hashes to 2

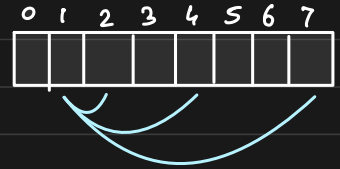
$k_2$  hashes to 2

$k_3$  hashes to 3



## Quadratic Probing

Instead of placing the collided key in the neighbouring slot, quadratic probing adds successive value of an arbitrary quadratic polynomial.



$$p(k, i) = h(k) + i$$

linear Probing

$$p(k, i) = h(k) + c_1 i + c_2 i^2$$

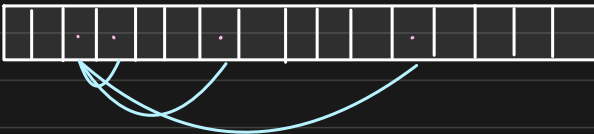
Quadratic Probing

Sample sequence:

$$h(k), h(k) + 1^2, h(k) + 2^2, h(k) + 3^2, \dots$$

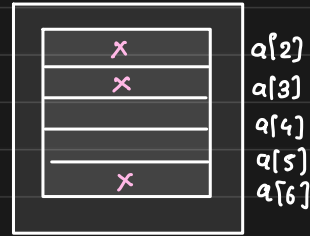
How is it better than linear probing?

It reduces clustering and cascaded collisions as collided keys are placed further away from each other



## Properties of Quadratic Probing

1. It reduces clustered collisions by distributing it quadratically
  - \* It is not immune to it, but still it reduces it to a good extent
2. It has a good locality of reference but not as great as linear probing
  - \* leverages CPU cache well



Unless there are large collisions on same key, at least a couple of subsequent slots will be in CPU cache.

Two slots are already cached on CPU

$$h(k) = 2, \quad h(k) + 1^2 = 3, \quad h(k) + 2^2 = 6$$