$\S 1$  BDDL-RGROWTH INTRO 1

(Downloaded from https://cs.stanford.edu/~knuth/programs.html and typeset on May 28, 2023)

 $printf("f0=x%d?f%d:f0\n", subscr[k][i], maxn + 1);$  $printf("f%d=x%d?c0:f%d\n", maxn, subscr[k][i], maxn);$ 

 $printf("f0=x%d?f%d:f0\n", subscr[k][j], maxn);$ 

 $printf("f%d=f0\n", j);$ 

 $printf("f1=x%d?f1:c0\n", subscr[1][0]);$ 

 $printf("f%d=x%d?c0:f%d\n", maxn + 1, subscr[k][i], maxn + 1);$ 

for (i++; i < k; i++) printf ("f0=x%d?c0:f0\n", subscr[k][i], j);

 $printf("! \_f1 \_represents \_restricted \_growth \_sequences \_of \_length \_%d \n", n);$ 

1. Intro. Given n, generate BDDL to compute a representation of all restricted growth sequences  $a_1 \dots a_n$  (and thus of all set partitions of  $\{1, \dots, n\}$ ). #define maxn 500 #include <stdio.h> #include <stdlib.h> int n: int subscr[maxn + 1][maxn]; /\* allocation of variable subscripts \*/  $main(\mathbf{int} \ argc, \mathbf{char} * argv[])$ register int i, j, k; if  $(argc \neq 2 \lor sscanf(argv[1], "%d", \&n) \neq 1 \lor n \leq 0)$  {  $fprintf(stderr, "Usage: \_\%s \_n \n", argv[0]);$ exit(-1); $printf("\#_{\sqcup}beginning_{\sqcup}the_{\sqcup}output_{\sqcup}of_{\sqcup}BDDL-RGROWTH_{\sqcup}%d\n",n);$ for (i = 0, k = n; k; k--)**for** (j = 0; j < k; j ++) subscr[k][j] = i ++;for  $(j = 1; j \le n; j ++)$  printf("f%d=c1\n", j); for (k = n; k; k--)for (j = 1; j < k; j ++) $printf("f0=x%d?f%d:c0\n", subscr[k][0], j);$  $printf("f\%d=x\%d?c0:f\%d\n", maxn, subscr[k][0], j+1);$  $printf("f%d=x%d?c0:f%d\n", maxn + 1, subscr[k][0], j);$ for (i = 1; i < j; i++) {

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