Group 283: BANK LOAN DEFAULTER PREDICTION

First Name	Last Name	Email (hawk.iit.edu)	Student ID
Venkata Narsimha	Manapragada	vmanapragada@hawk.iit.edu	A20453958
Sri Dattu			
Shreeyesh	Chauhan	schauhan3@hawk.iit.edu	A20449780
Manasi	Shah	mshah114@hawk.iit.edu	A20454824

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1. Introduction

Main idea of the project is to analyze the historical data of the bank loans and predict the defaulters which would help the banks to take appropriate decisions. Here, the profile of "potentially bad customers" and "good customers" is analyzed. We will be considering factors such as the annual income, work experience, purpose of taking the loan and credit score. In this way, bank can detect default behavior in the earlier stage rather than being too late for bank.

2. Data

Application/Domain: Banking and Finance

Source of the dataset: https://www.kaggle.com/zaurbegiev/my-dataset

Size of dataset: 17.9MB

Number of instances: 1,00,514 Number of attributes: 19

Description of attributes:

Loan: Loan Id, Loan status, Current loan amount, Monthly debt, Month since last delinquent,

Term , Current credit balance

Credit: Credit score, Year of credit history, Number of credit problems, Maximum open credit,

Customer: Customer Id, Annual Income, Number of open accounts, Year of current job, Home ownership,

Tax Lieus, Purpose.

3. Problems to be Solved

- To Predict whether loan should be sanctioned to a person on the basis of his history.
- To validate whether credit score of people who has paid the loan (Fully Paid) is equal to credit score of defaulters (Changed Off).

4. Solutions

- Build classification model
- Two sample hypothesis testing

Plan:

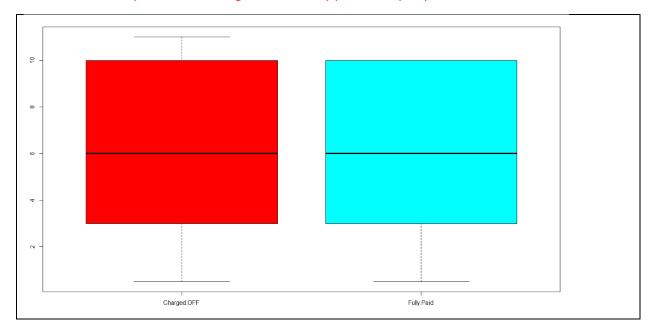
- 1. Data Cleansing:
 - Missing value
 - Attribute selection
 - Noisy value
 - Conversion of data types

- 2. Classification:
 - Logistic regression
 - K-Nearest Neighbors
- 3. Holdout Method:
 - Training Set
 - Test Set
- 4. Data Visualization:
 - Box plot
 - Bar Chart

5. Experiments and Results

Preprocessing:

For the x-variable "years in current job" we have grouped the data into 3 categories as we can observe from the below boxplot that for charged off and fully paid are equally distributed.



```
> sort(unique(MM3$years_in_current_job))
[1] < 1 year 1 year
                          10+ years 2 years 3 years 4 years 5 years 6 years 7 years 8 years
[11] 9 years n/a
    > MM3$current_job_year <- ifelse((MM3$years_in_current_job == ('< 1 year')</pre>
                                      I MM3$years_in_current_job == ('1 year')
                                      | MM3$years_in_current_job ==('2 years')
                                     | MM3$years_in_current_job == ('3 years')
                                     | MM3$years_in_current_job == ('4 years')),'0-4',
                                    ifelse((MM3$years_in_current_job == ('5 years')
                                            I MM3$years_in_current_job ==('6 years')
                                            | MM3$years_in_current_job == ('7 years')
                                            I MM3$years_in_current_job ==('8 years')
                                            | MM3$years_in_current_job == ('9 years')
                                            I MM3$years_in_current_job == ('n/a')), '5-9',
                                           '>=10'))
    > head(MM3$current_job_year)
    [1] "5-9" ">=10" "5-9" "0-4 " "5-9" ">=10"
```

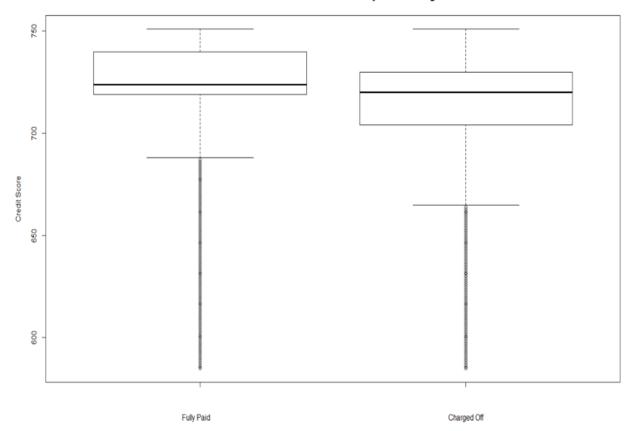
5.1. Methods and Process

- Credit score of people who has paid the loan (Fully Paid) is same as credit score of defaulters (Changed Off)
- Null hypothesis(H0): Average of credit scores of fully paid is same as that of charged off.
- Alternative hypothesis (Ha): Average of credit scores of fully paid is not same as that of charged off.

Below box-blot depicts the basic overview of the claim made above.



Credit scores of users with loan status Fully Paid VS Charged Off



```
> z.test(paid,charged_off, alternative = "two.sided", mu = 0, sigma.x=sd(paid),sigma.y=sd(charged_off), conf.level = 0.95, paired=F)

Two Sample z-test

data: paid and charged_off
z = 50.192, p-value < 2.2e-16
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
9.934093 10.741457
sample estimates:
mean of x mean of y
723.0327 712.6949
```

As we observe above box plot there is no much difference in the median values and there is no necessity to perform z-test. So we have performed the chi-square test to calculate the probability value to predict the hypothesis testing.

```
> chisq.test(MM2$loan_status, MM2$loan_status)

Pearson's Chi-squared test with Yates' continuity correction

data: MM2$loan_status and MM2$loan_status
X-squared = 81994, df = 1, p-value < 2.2e-16</pre>
```

By taking 95% confidence level and the calculated p-value is less than the alpha value. So, we are rejecting the Null-Hypothesis. Hence, we go with the alternative hypothesis which says that both the group means of the Charged off and Fully paid people are different.

Average of credit scores of fully paid is more than that of charged off.

5.2. Evaluations and Results

Logistic Regression

Forward model:

```
glm(formula = loan_status ~ ., family = binomial(), data = train.data)
Deviance Residuals:
             1Q Median
                                  3Q
   Min
                                            Max
-8.4904 -1.1194 0.6595 0.7815 1.9985
Coefficients:
                 Estimate Std. Error z value Pr(>|z|)
-1.077e+01 3.664e-01 -29.392 < 2e-16 ***
-4.257e-01 2.366e-02 -17.990 < 2e-16 ***
4.772e-07 1 903c-02 35 000
(Intercept)
 `termLong Term`
                                 4.772e-07 1.903e-08 25.069 < 2e-16 ***
annual_income
 `home_ownershipHome Mortgage` -8.362e-02 2.279e-01 -0.367 0.713707
-1.572e-01 4.267e-02 -3.685 0.000229 ***
tax_liens
                                 1.647e-02 3.991e-04 41.279 < 2e-16 ***
CLA -3.399e-07 6.623e-08 -5.132 2.86e-07 ***

`current_job_year0-4 ` -3.766e-03 2.327e-02 -0.162 0.871442

`current_job_year5-9 -1.138e-01 2.346e-02 -4.851 1.23e-06 ***

Loan_PurposeBusiness -5.222e-02 3.310e-02 -1.578 0.114678

Loan_PurposeHome -3.366e-02 4.890e-02 0.600 0.1000
newcs
Loan_PurposePersonal
                                 8.568e-03 6.204e-02 0.138 0.890148
Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
(Dispersion parameter for binomial family taken to be 1)
    Null deviance: 77287 on 65598 degrees of freedom
Residual deviance: 72187 on 65581 degrees of freedom
AIC: 72223
Number of Fisher Scoring iterations: 5
```

Backward Model:

```
> backwardmodel = step (full,scope=list(upper = full, lower=~1),direction = "backward", trace = FALSE)
There were 50 or more warnings (use warnings() to see the first 50)
> summary(backwardmodel)
Call:
glm(formula = loan_status ~ `termLong Term` + annual_income +
    `home_ownershipOwn Home` + home_ownershipRent + monthly_debt +
    tax_liens + newcs + CLA + `current_job_year5-9` + Loan_PurposeBusiness,
   family = binomial(), data = train.data)
Deviance Residuals:
   Min 1Q Median
                              30
                                      Max
-8.4904 -1.1185 0.6598 0.7813 2.0001
Coefficients:
                        Estimate Std. Error z value Pr(>|z|)
                       -1.088e+01 2.885e-01 -37.696 < 2e-16 ***
(Intercept)
`termLong Term`
                      -4.257e-01 2.365e-02 -18.004 < 2e-16 ***
                       4.801e-07 1.897e-08 25.317 < 2e-16 ***
annual_income
`home_ownershipOwn Home` -1.025e-01 3.317e-02 -3.091 0.00199 **
home_ownershipRent -2.551e-01 \ 1.996e-02 \ -12.782 \ < 2e-16 \ ***
monthly_debt
                       -1.206e-05 9.723e-07 -12.409 < 2e-16 ***
                       -1.539e-01 3.409e-02 -4.514 6.35e-06 ***
tax_liens
                       1.650e-02 3.960e-04 41.681 < 2e-16 ***
newcs
                       -3.407e-07 6.563e-08 -5.191 2.09e-07 ***
CLA
`current_job_year5-9` -1.117e-01 1.954e-02 -5.713 1.11e-08 ***
Loan_PurposeBusiness
                       -4.494e-02 2.440e-02 -1.842 0.06551 .
Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
(Dispersion parameter for binomial family taken to be 1)
   Null deviance: 77287 on 65598 degrees of freedom
Residual deviance: 72191 on 65588 degrees of freedom
AIC: 72213
Number of Fisher Scoring iterations: 5
```

Best Subset Model

```
> bestsubsetmodel=step(base,scope=list(upper = full, lower=~1),direction = "both", trace = FALSE)
 There were 50 or more warnings (use warnings() to see the first 50)
 > summary(bestsubsetmodel)
glm(formula = loan_status ~ newcs + annual_income + `termLong Term` +
           monthly_debt + home_ownershipRent + CLA + `current_job_year5-9` +
           tax_liens + `home_ownershipOwn Home` + Loan_PurposeBusiness,
           family = binomial(), data = train.data)
 Deviance Residuals:
 Min 1Q Median 3Q Max
-8.4904 -1.1185 0.6598 0.7813 2.0001
 Coefficients:
                                                                  Estimate Std. Error z value Pr(>|z|)
                                                            -1.088e+01 2.885e-01 -37.696 < 2e-16 ***
 (Intercept)
| 1.658e-01 | 2.885e-01 | -37.696 | < 2e-16 ***
| 2.897e-08 | 25.317 | < 2e-16 ***
| 2.897e-08 | 25.317 | < 2e-16 ***
| 2.897e-08 | -37.896 | < 3e-36.896 | < 3e
                                                                 -3.407e-07 6.563e-08 -5.191 2.09e-07 ***
 CLA
  `current_job_year5-9` -1.117e-01 1.954e-02 -5.713 1.11e-08 *** tax_liens -1.539e-01 3.409e-02 -4.514 6.35e-06 ***
 tax_liens
  `home_ownershipOwn Home` -1.025e-01 3.317e-02 -3.091 0.00199 **
 Loan_PurposeBusiness
                                                             -4.494e-02 2.440e-02 -1.842 0.06551 .
 Signif. codes: 0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
 (Dispersion parameter for binomial family taken to be 1)
           Null deviance: 77287 on 65598 degrees of freedom
 Residual deviance: 72191 on 65588 degrees of freedom
 AIC: 72213
 Number of Fisher Scoring iterations: 5
```

Best subset model is the one who is having the least AIC score. Based on the AIC scores of the above models, we found that the best subset model is best among the above.

```
> probl=predict(bestsubsetmodel, type="response", newdata=test.data) > probl=predict(bestsubsetmodel, type="respon
                                                                                                                                                                                                                                          > for(i in 1:length(prob2)){
               if(probl[i]>0.5)
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                    + prob3[i]=1
+ }else(
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                    probl[i]=l
                                                                                                                                                                                                                                                             prob2[i]=1
    + probl[i]=0
+ }
                                                                                                                                                                                                                                          + }else{
                                                                                                                                                                                                                                                            prob2[i]=0
                                                                                                                                                                                                                                                                                                                                                                                                                                                                                    > accuracy(test.label,prob3)
[1] 0.7296951
      > accuracy(test.label,probl)
                                                                                                                                                                                                                                          > accuracy(test.label,prob2)
> prob=predict(bestsubsetmodel, type="response", newdata=test.data)
> for(i in 1:length(prob)){
                                                                                                                                                                                                                                                       > accuracy_1<-table(test.data$loan_status,prob>0.4)
               prob[i]=1
                                                                                                                                                                                                                                                       > accuracy 1
                                                                                                                                                                                                                                                                             FALSE TRUE
                                                                                                                                                                                                                                                                   0 277 4170
                                                                                                                                                                                                                                                                                           232 11721
 > accuracy(test.label,prob)
```

Hold-out evaluation, we produce probabilities of the model and choose cut-off value as 0.4 for calculating the accuracy.

Accuracy= 73.15

K-Nearest Neighbor Model

Here, running the model which different K values like 5, 15, 20, 21 and we found out that K value = 21 get the best accuracy.

Accuracy= 77.14%

```
> knn.5<- knn(train.data,test.data,cl=lss,k=5)
> accuracy(knn.5,ls)
[1] 0.7542683
> knn.15<- knn(train.data,test.data,cl=lss,k=15)
> accuracy(knn.15,ls)
[1] 0.770122
> knn.20<- knn(train.data,test.data,cl=lss,k=20)
> accuracy(knn.20,ls)
[1] 0.7704878

> knn.21<- knn(train.data,test.data,cl=lss,k=21)
> accuracy(knn.21,ls)
[1] 0.7714634
```

5.3. Findings

We can summarize our findings as:

- From the box plot and the hypothesis testing, we can conclude that the means of credit score of Charged Off and Fully Paid people are different.
- We built the Logistic Regression, where the AIC score of the best subset model is 72213.
- From the K-NN demonstrate with k esteem as 21, we got the most elevated exactness.

6. Conclusions and Future Work

6.1. Conclusions

- Based on the Charged off VS Fully paid box-plot it is evident that the medians are the same, but there's a distinction in fluctuation and the mean value of the Fully paid is more prominent than the Charged off individuals, which makes a difference that banks can take educated choices on future endorsing credits or loan approvals.
- By utilizing calculated relapse, we found that the subset show is best when compared with the forward and backward models.
- KNN model is more accurate than the logistic regression.

6.2. Limitations

- There are many x-variables having less co-relation with the y-variable.
- If the data would have the more x-variables like dependents and their financial data, which will increase the accuracy in the model and predictions.
- There is data redundancy in the dataset, where an x-variable has more than 50% of null values, which forced us to drop that variable.

6.3. Potential Improvements or Future Work

We can also perform Naive Bayes, Random Forest, Decision Tree which may result in higher accuracy of the Bank Loan defaulter's prediction.