

# Lab 1

Numbering System  
8086 architecture  
Emulator 8086

# Decimal System

In the decimal system there are **10 digits**:

**0, 1, 2, 3, 4, 5, 6, 7, 8, 9**

**EX: 754**

$$7 \cdot 10^2 + 5 \cdot 10^1 + 4 \cdot 10^0 = 700 + 50 + 4 = 754$$

The diagram illustrates the positional notation of the decimal number 754. It shows the expansion:  $7 \cdot 10^2 + 5 \cdot 10^1 + 4 \cdot 10^0 = 700 + 50 + 4 = 754$ . A red box highlights the '10' in  $10^2$ , with a red line connecting it to a red box labeled 'base'. A green box highlights the '0' in  $10^0$ , with a green line connecting it to a green box labeled 'digit position'.

# Decimal System

**Important note:** any number in power of zero is 1, even zero in power of zero is 1:

$$10^0 = 1$$

$$0^0 = 1$$

$$x^0 = 1$$

# Binary System

Computers are not as smart as humans, it's easy to make an electronic machine with two states: **on** and **off**, or **1** and **0**.

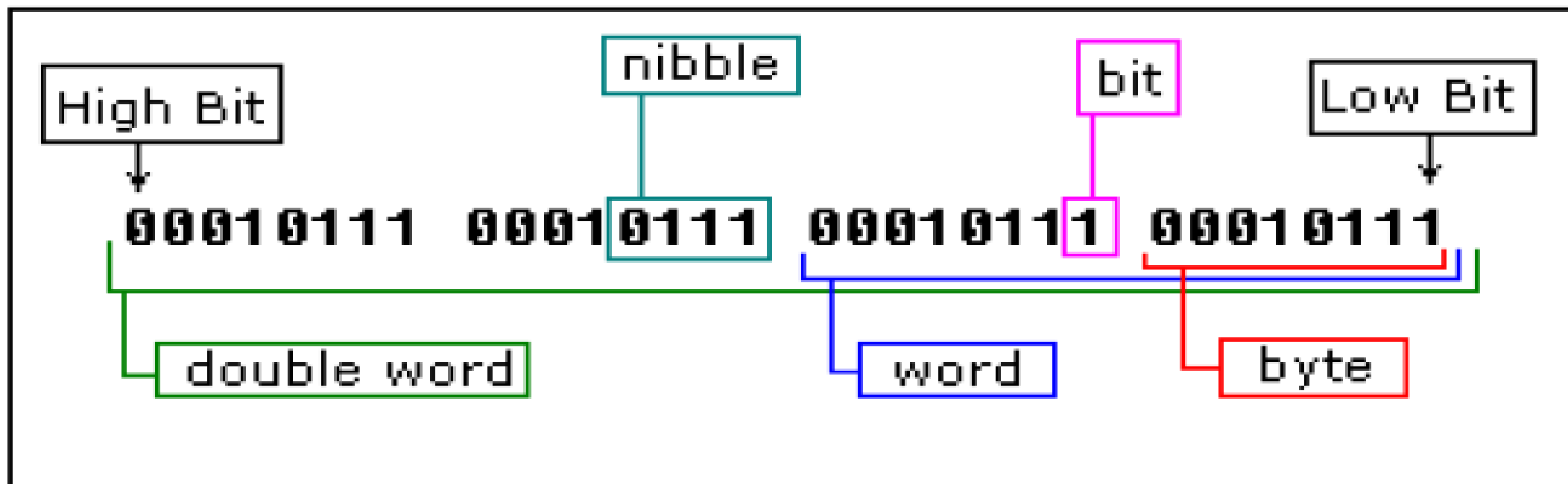
Computers use **binary system**, binary system uses 2 digits:

**0, 1**

And thus the **base** is **2**.

# Binary System

Each **digit** in a binary number is called a **BIT**,  
4 bits form a **NIBBLE**,  
8 bits form a **BYTE**,  
two bytes form a **WORD**,  
two words form a **DOUBLE WORD**.



# Binary System

There is a convention to add "**b**" in the end of a binary number, this way we can determine that 101b is a binary number with decimal value of 5.

$$\begin{aligned} 10100101b &= \\ &= 1 \cdot 2^7 + 0 \cdot 2^6 + 1 \cdot 2^5 + 0 \cdot 2^4 + 0 \cdot 2^3 + 1 \cdot 2^2 + 0 \cdot 2^1 + 1 \cdot 2^0 \\ &= 128 + 0 + 32 + 0 + 0 + 4 + 0 + 1 = 165 \\ &\quad \text{(decimal value)} \end{aligned}$$

base

digit position

## ADD in Binary System

$$0+0=0$$

$$1+0=1$$

$$0+1=1$$

$$1+1= 0 \text{ carry } 1$$

EX: 1011b +1010b

1011b+1111b

## SUB in Binary System

$$0-0=0$$

$$1-0=1$$

$$0-1=1 \text{ borrow } 1$$

$$1-1= 0$$

EX: 1011b -1010b=0001b

1100b-1011b=0001b



# Hexadecimal System

Hexadecimal System uses **16 digits**:

**0, 1, 2, 3, 4, 5, 6, 7, 8, 9, A, B, C, D, E, F**

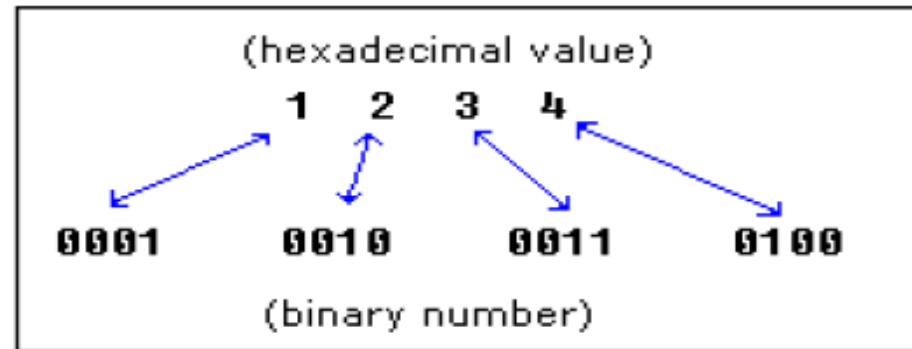
And thus the **base** is **16**.

Note:

- Hexadecimal numbers are compact and easy to read.
- It is very easy to convert numbers from binary system to hexadecimal system and vice-versa, every nibble (4 bits)

converted to a hexadecimal digit using this table:

Decimal (base 10)	Binary (base 2)	Hexadecimal (base 16)
0	0000	0
1	0001	1
2	0010	2
3	0011	3
4	0100	4
5	0101	5
6	0110	6
7	0111	7
8	1000	8
9	1001	9
10	1010	A
11	1011	B
12	1100	C
13	1101	D
14	1110	E
15	1111	F



# Hexadecimal System

- There is a convention to add "**h**" in the end of a hexadecimal number, We also add "**0**" (zero) in the beginning of hexadecimal numbers that begin with a letter (A..F), for example **0E120h**.
- The hexadecimal number **1234h** is equal to decimal value of 4660:

$$1 \cdot 16^3 + 2 \cdot 16^2 + 3 \cdot 16^1 + 4 \cdot 16^0 = 4096 + 512 + 48 + 4 = 4660$$

(decimal value)

The diagram illustrates the conversion of the hexadecimal number 1234h to its decimal equivalent. The equation shown is  $1 \cdot 16^3 + 2 \cdot 16^2 + 3 \cdot 16^1 + 4 \cdot 16^0 = 4096 + 512 + 48 + 4 = 4660$ . A red box labeled "base" points to the 16 in the second term, indicating the base of the hexadecimal system. A green box labeled "digit position" points to the 0 in the fourth term, indicating the position of the digit 4.

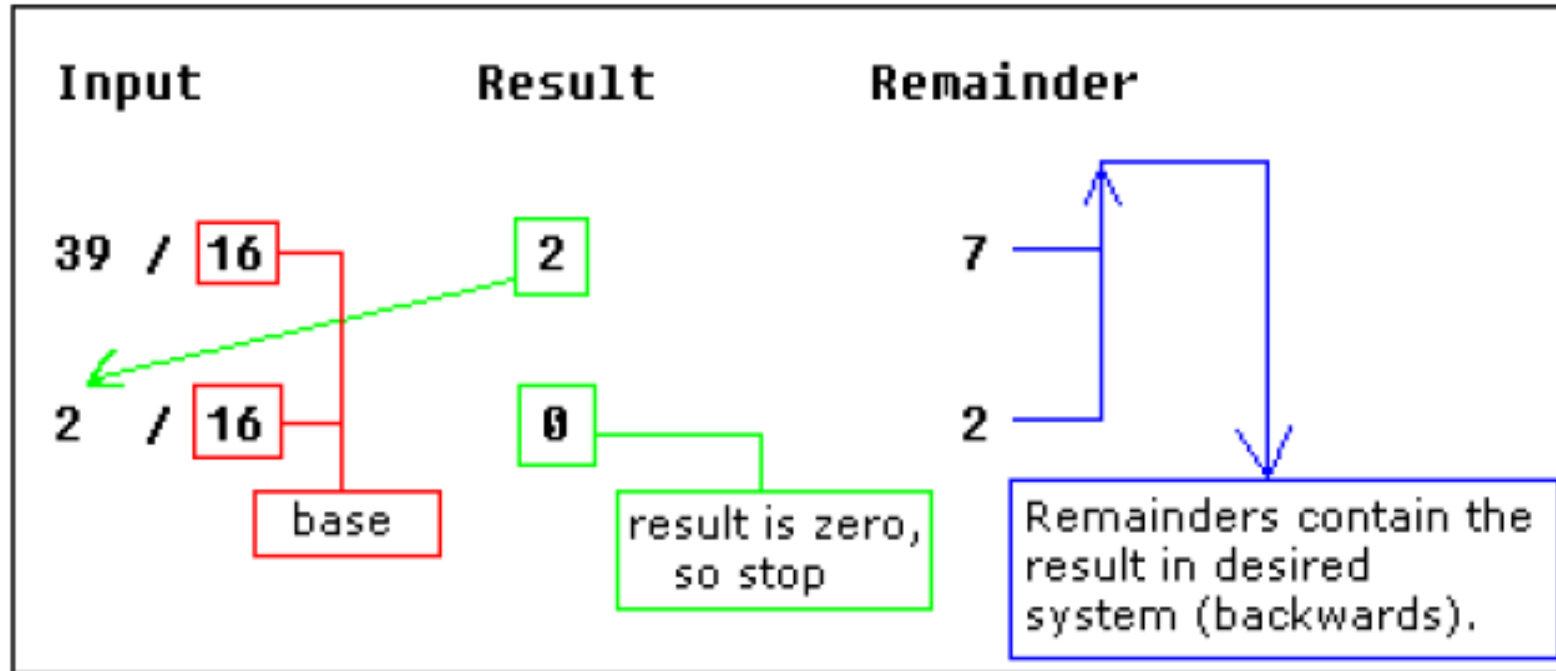
# Converting from Decimal System to Other System

In order to convert from decimal system, to any other system, it is required to divide the decimal value by the **base** of the desired system, each time you should remember the **result** and keep the **remainder**, the divide process continues until the **result** is zero.

The **remainders** are then used to represent a value in that system.

Let's convert the value of **39** (base 10) to *Hexadecimal System* (base 16):

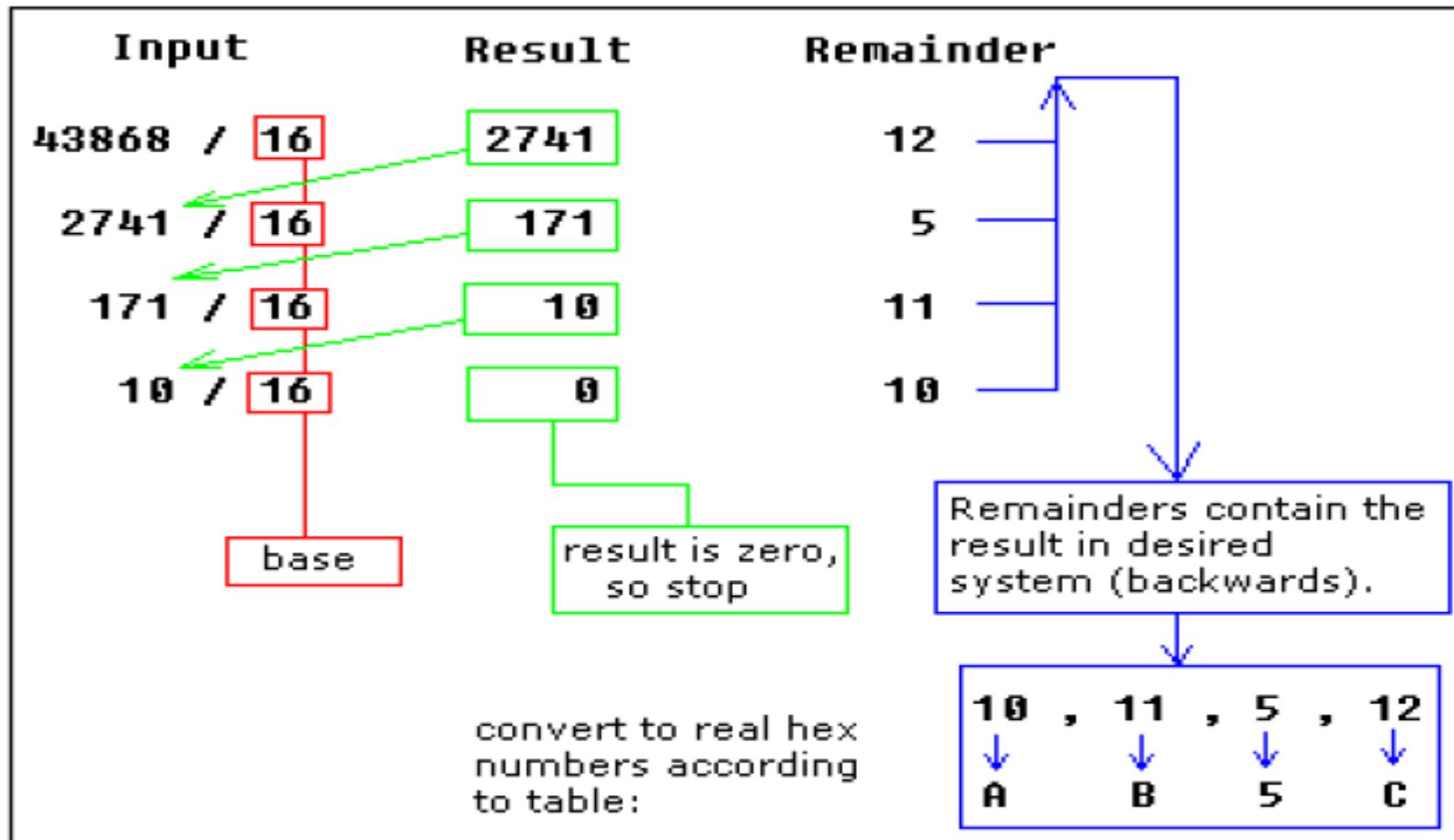
# Converting from Decimal System to hexa.



As you see we got this hexadecimal number: **27h**.

# Converting from Decimal System to Any Other

let's convert decimal number **43868** to hexadecimal form:



# Converting from Decimal System to Any Other

$$420.625_{10} =$$

$$420.625_{10} = 420_{10} + .625_{10}$$

<u>Division</u>	<u>Quotient</u>	<u>Remainder</u>
$420 \div 16$	26	4
$26 \div 16$	1	10 (or A)
$1 \div 16$	0	1

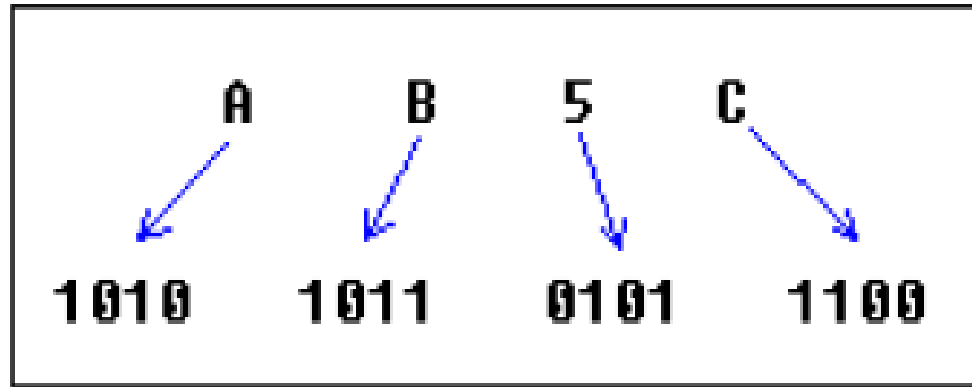
<u>Multiplication</u>	<u>Product</u>	<u>Carry-out</u>
$.625 \times 16$	10.000	10 (or A)

$$420.625_{10} = 1A4.A_{16}$$

$$4135_{10} = 1027_{16}$$

$$625.625_{10} = 271.A_{16}$$

# Convert Hexa. to Binary number



As you see we got this binary number: **1010101101011100b**



# Number Systems

## **Binary-Coded Hexadecimal (BCH):**

$$2AC = 0010 \ 1010 \ 1100$$

$$1000 \ 0011 \ 1101 . 1110 = 83D.E$$

Bit A bit is a value of either a 1 or 0 (on or off)

Nibble A Nibble is 4 bits.

Byte a Byte is 8 bits.

A Kilobyte is 1,024 bytes ( $2^{10}$ ) bytes .

Megabyte (MB) is 1,048,576 bytes or ( $2^{20}$ ) bytes 1,024 Kilobytes

Gigabyte (GB) is 1,073,741,824 ( $2^{30}$ ) bytes. 1,024 Megabytes

Terabyte (TB) is ( $2^{40}$ ) bytes, 1,024 Gigabytes

Petabyte (PB) is ( $2^{50}$ ) bytes, 1,024 Terabytes

Exabyte (EB) is ( $2^{60}$ ) bytes, 1,024 Petabytes

Zettabyte (ZB) is ( $2^{70}$ ) bytes, 1,024 Exabytes

Yottabyte (YB) is ( $2^{80}$ ) bytes, 1,024 Zettabytes

# 8086 Microprocessor

## Introduction To Assembly Language

```
;PROGRAM TO ADD TWO 16-BIT DATA (METHOD-1)
```

```
DATA SEGMENT ;Assembler directive
    ORG 1104H ;Assembler directive
    SUM DW 0 ;Assembler directive
    CARRY DB 0 ;Assembler directive
```

```
DATA ENDS ;Assembler directive
```

```
CODE SEGMENT ;Assembler directive
    ASSUME CS:CODE ;Assembler directive
    ASSUME DS:DATA ;Assembler directive
    ORG 1000H ;Assembler directive
```

```
MOV AX,205AH ;Load the first data in AX register
MOV BX,40EDH ;Load the second data in BX register
MOV CL,00H ;Clear the CL register for carry
ADD AX,BX ;Add the two data, sum will be in AX
MOV SUM,AX ;Store the sum in memory location (1104H)
JNC AHEAD ;Check the status of carry flag
INC CL ;If carry flag is set,increment CL by one
AHEAD: MOV CARRY,CL ;Store the carry in memory location (1106H)
HLT
```

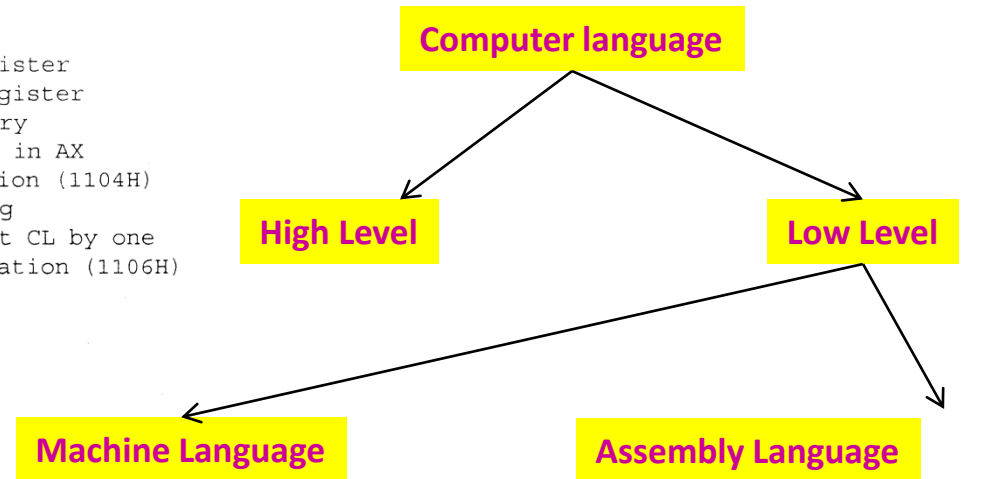
```
CODE ENDS ;Assembler directive
END ;Assembler directive
```

### Program

A set of instructions written to solve a problem.

### Instruction

Directions which a microprocessor follows to execute a task or part of a task.



■ Binary bits

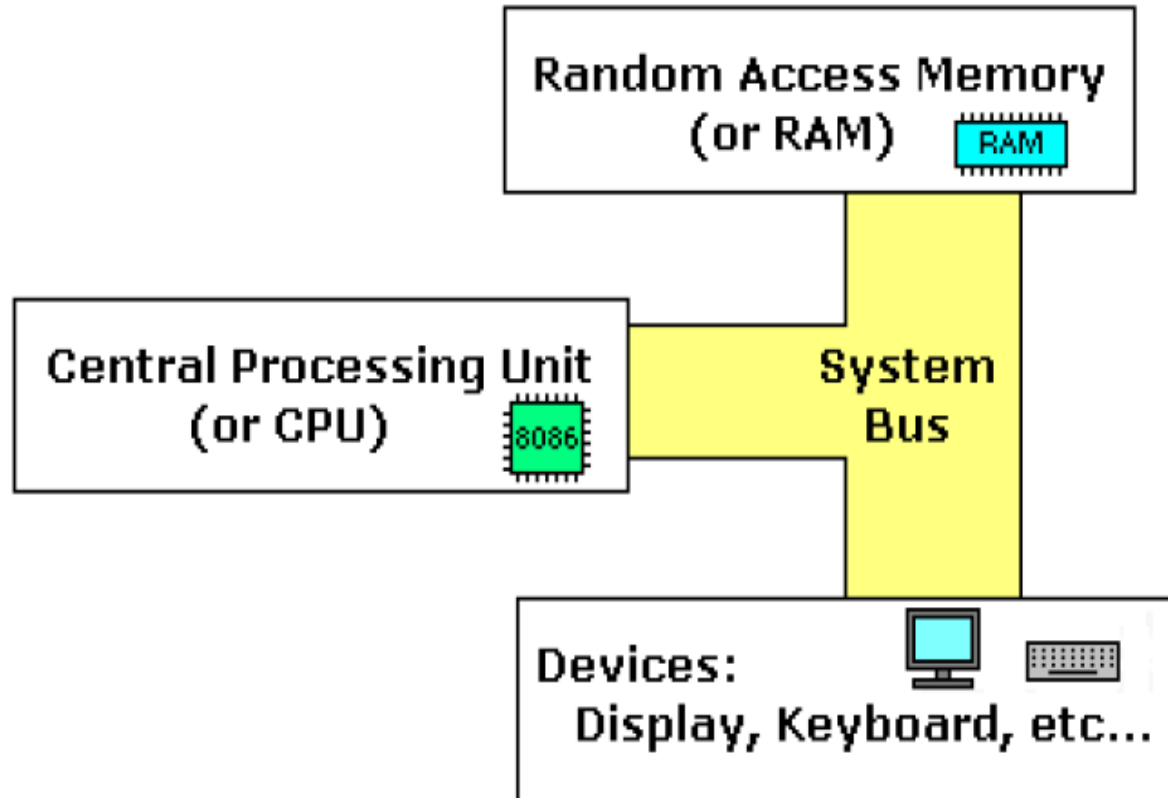
■ English Alphabets  
■ 'Mnemonics'  
■ Assembler Mnemonics → Machine Language

**Assembly language** is a low-level programming language for a computer, it is converted into executable machine code by an assembler program

### **Advantages of Assembly Language**

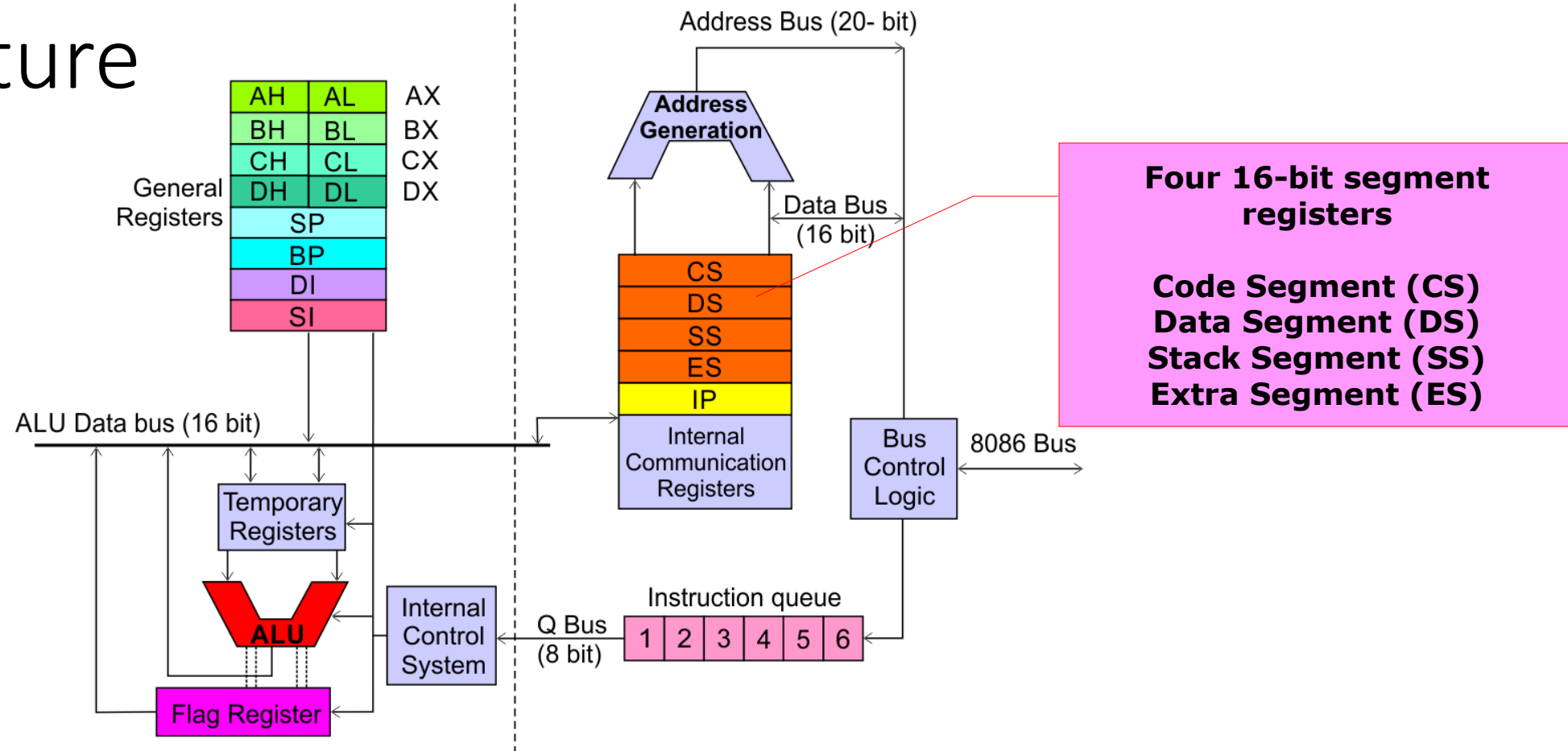
- Having an understanding how programs interface with OS, processor.
- How data is represented in memory.
- How the processor accesses and executes instructions.
- How instructions access and process data.
- It requires less memory and execution time.

# Simple Computer Model



The **system bus** (shown in yellow) connects the various components of a computer. The **CPU** is the heart of the computer, most of computations occur inside the **CPU**. **RAM** is a place to where the programs are loaded in order to be executed

# Architecture



## Execution Unit (EU)

**EU executes instructions that have already been fetched by the BIU.**

**BIU and EU functions separately.**

## Bus Interface Unit (BIU)

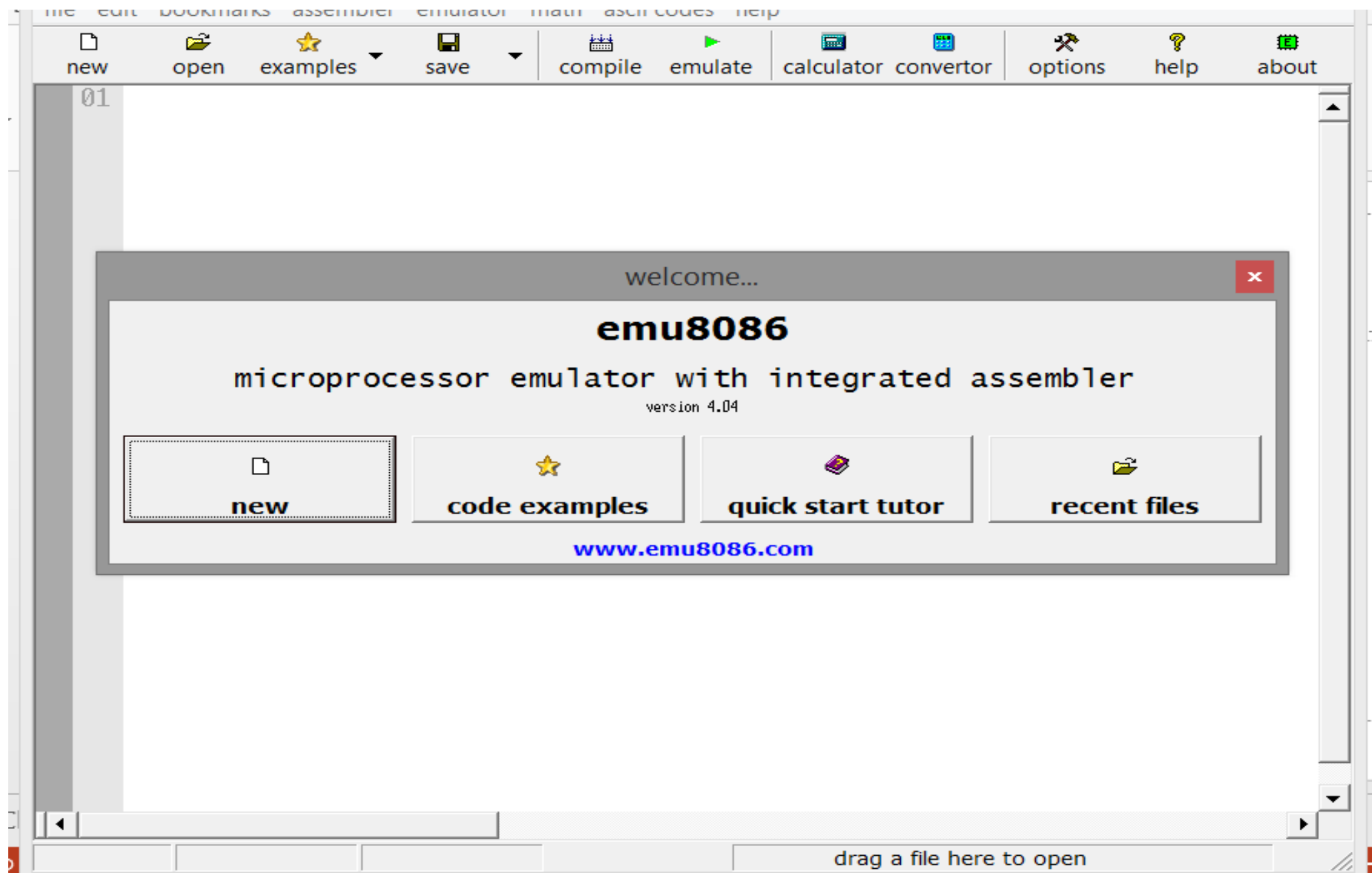
**BIU fetches instructions, reads data from memory and I/O ports, writes data to memory and I/O ports.**

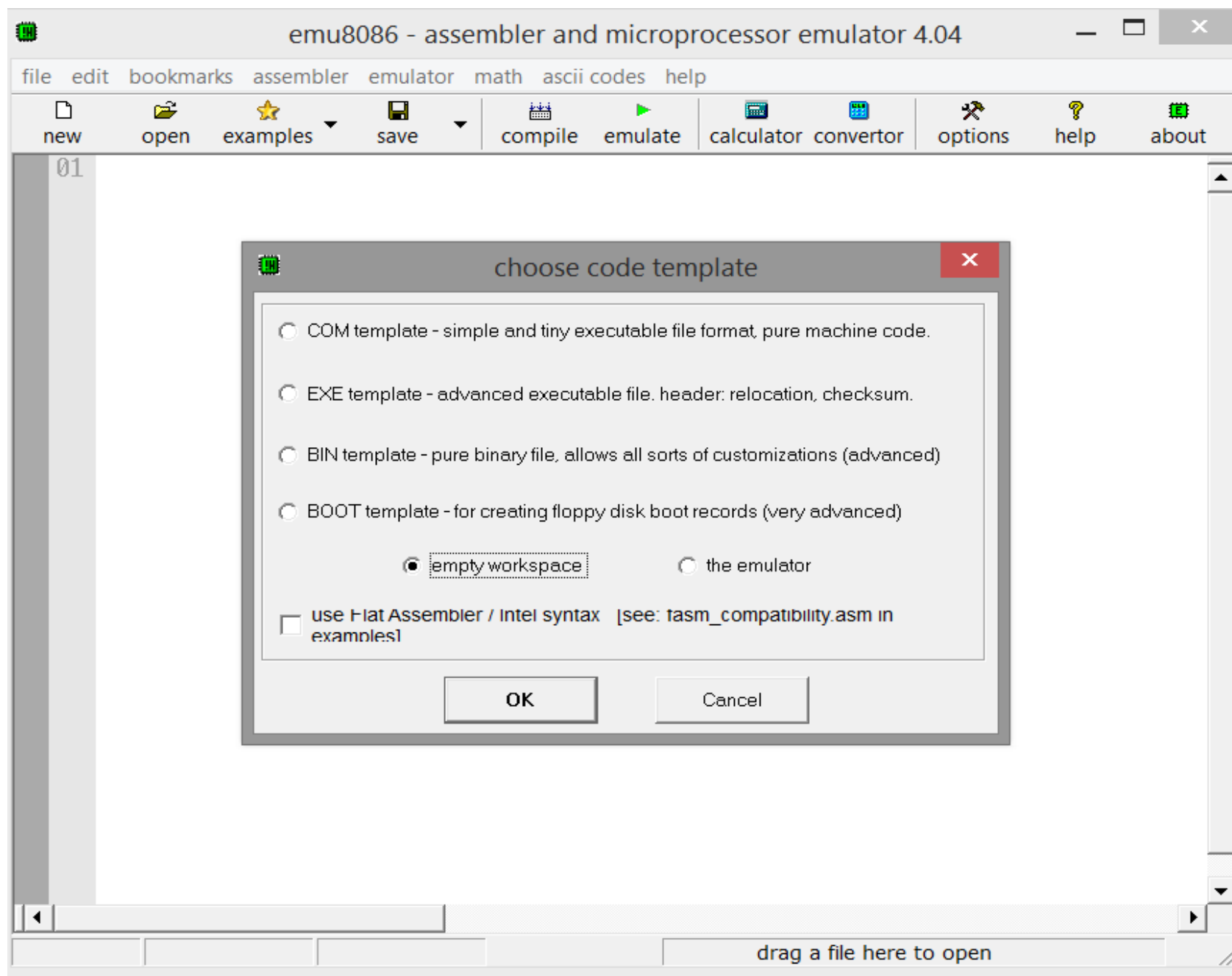
# Register names

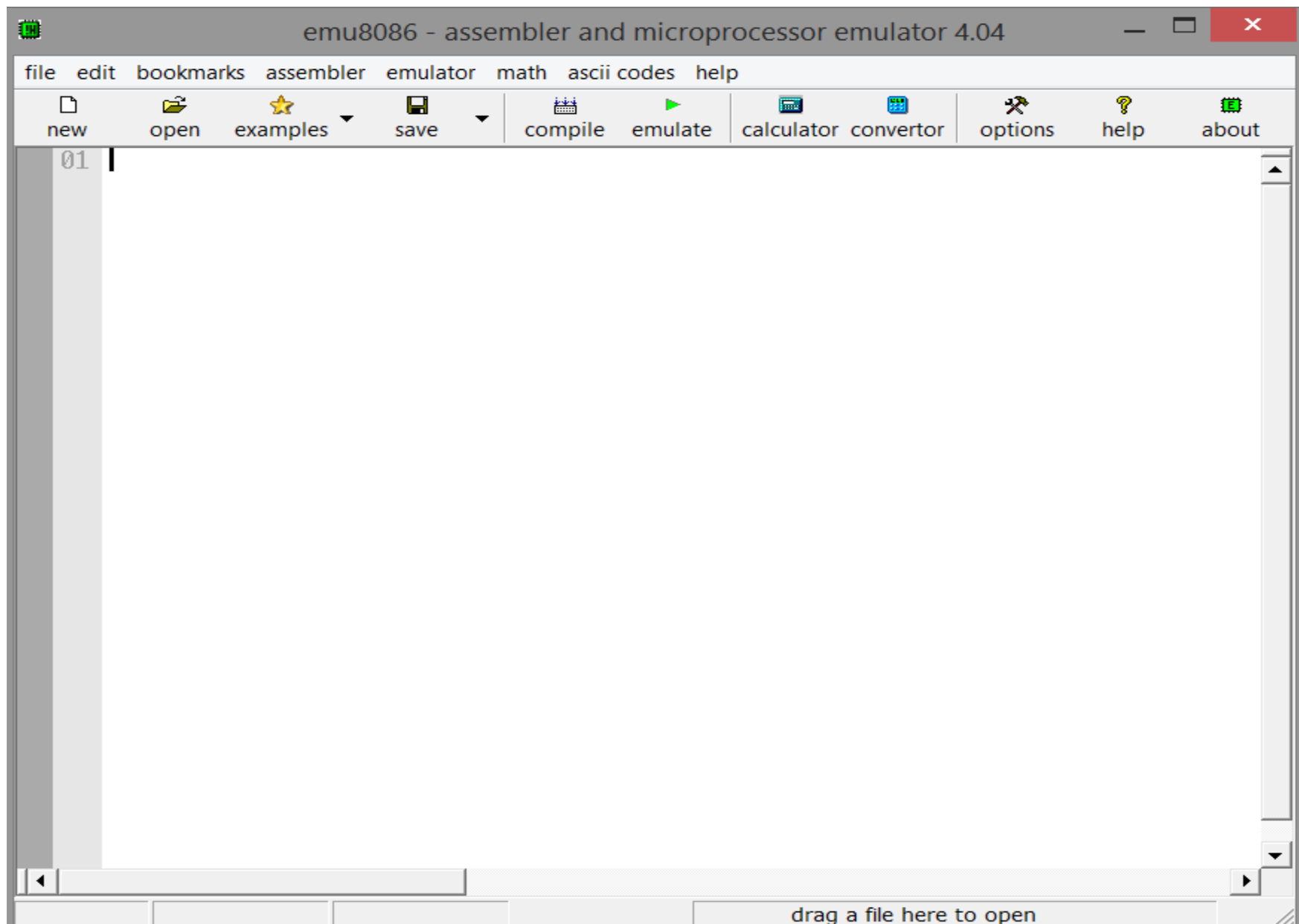
- |                       |                   |
|-----------------------|-------------------|
| ■ Accumulator         | Segment registers |
| ■ Base index          | ■ Code            |
| ■ Count               | ■ Data            |
| ■ Data                | ■ Extra           |
| ■ Stack Pointer       | ■ Stack           |
| ■ Base Pointer        |                   |
| ■ Destination index   |                   |
| ■ Source index        |                   |
| ■ Instruction Pointer |                   |
| ■ Flags               |                   |

Emulator 8086









# Signed Numbers

base convertor

☒ 8 bit ☐ 16 bit

hex: **FB**

signed unsigned

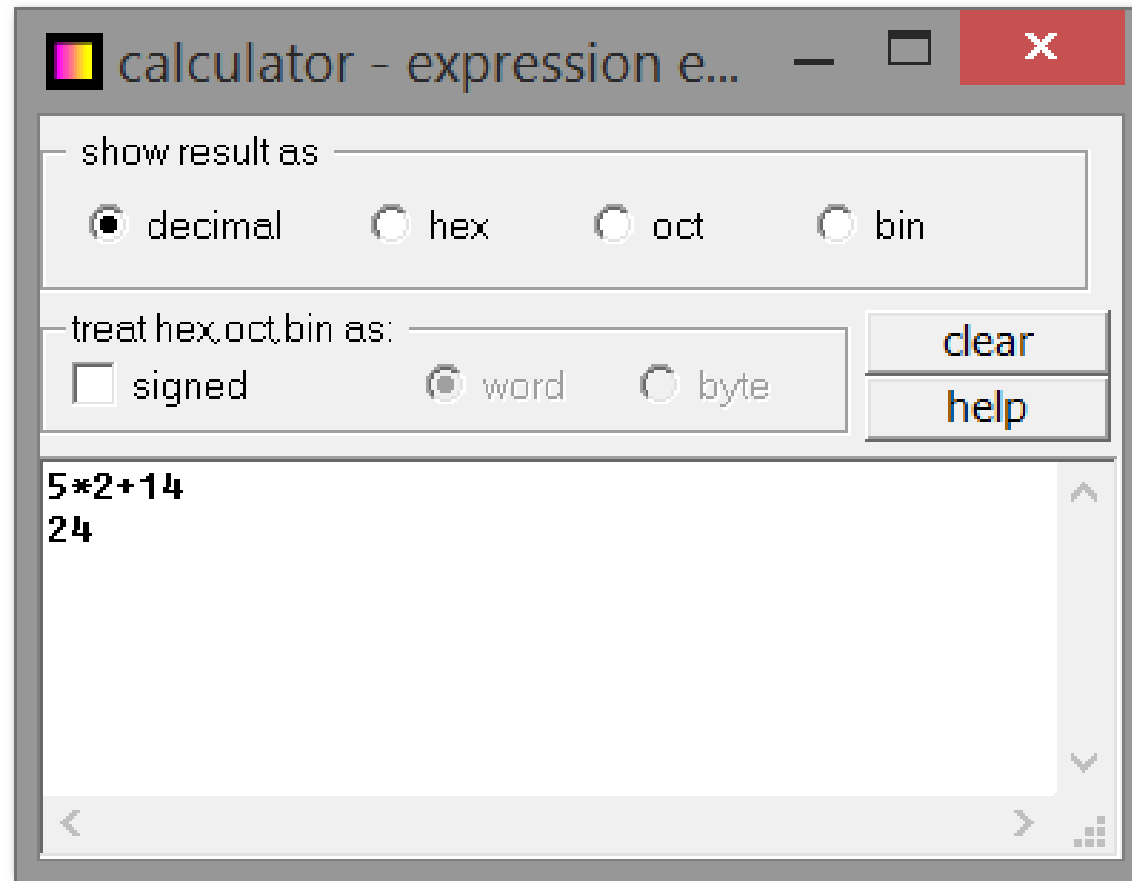
dec: **-5** **251**

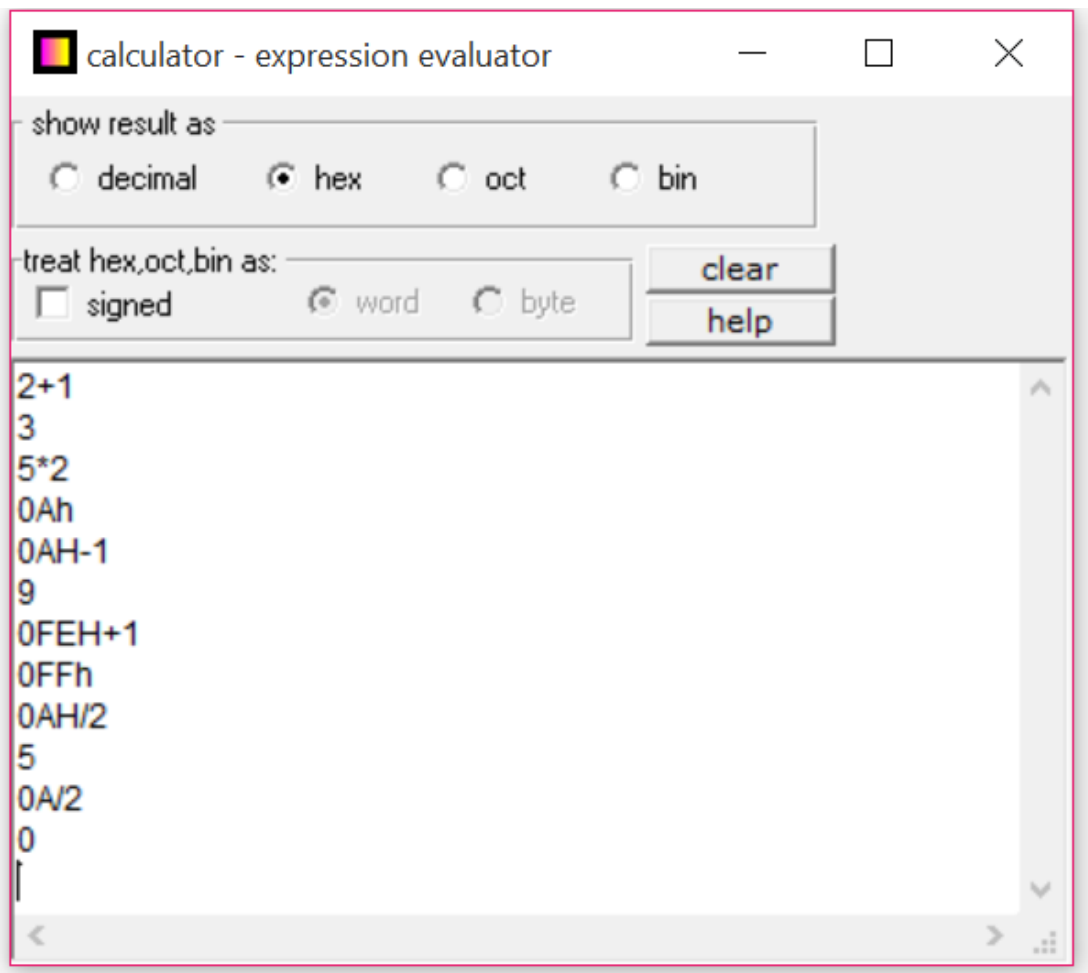
ascii char: **√**

oct: **373**

bin: **11111011**

# Emulator Calculator





Load

reload

step back

single step

run

step delay ms: 0

registers

	H	L
AX	00	00
BX	00	00
CX	00	4B
DX	00	00
CS	0700	
IP	0100	
SS	0700	
SP	FFFE	
BP	0000	
SI	0000	
DI	0000	
DS	0700	
ES	0700	

0700:0100

07100:	B8	184	↵
07101:	03	003	♥
07102:	00	000	NULL
07103:	CD	205	=
07104:	10	016	➤
07105:	B8	184	↵
07106:	03	003	♥
07107:	10	016	➤
07108:	BB	187	↵
07109:	00	000	NULL
0710A:	00	000	NULL
0710B:	CD	205	=
0710C:	10	016	➤
0710D:	B2	178	///
0710E:	00	000	NULL
0710F:	B6	182	
07110:	00	000	NULL
07111:	B3	179	
07112:	00	000	NULL
07113:	EB	235	δ
07114:	09	009	TAB
07115:	FE	254	■

0700:0100

```

MOV AX, 00003h
INT 010h
MOV AX, 01003h
MOV BX, 00000h
INT 010h
MOV DL, 00h
MOV DH, 00h
MOV BL, 00h
JMP 011Eh
INC DH
CMP DH, 010h
JZ 0138h
MOV DL, 00h
MOV AH, 02h
INT 010h
MOV AL, 061h
MOV BH, 00h
MOV CX, 00001h
MOV AH, 09h
INT 010h
INC BL
...

```

screen

source

reset

aux

vars

debug

stack

flags

Disassembled  
Machine Code

Physical Address: **HEX**    DECIMAL    ASCII

The Memory List

Calibri (Body) 28

B I U S abc AV

Font

file edit bookmarks assembler emulator math ascii codes help

new

open

examples

save

compile

emulate

calculator

converter

01

Shape Fill

Shape Outlin

Shape Effect

click to add notes

ascii codes

000: null	032: spa	064: @	096: ' 128: Q
001: ☺	033: !	065: A	097: a 129: C
002: ☹	034: "	066: B	098: b 130: D
003: ♥	035: #	067: C	099: c 131: E
004: ♦	036: \$	068: D	100: d 132: F
005: ♣	037: %	069: E	101: e 133: G
006: ♠	038: &	070: F	102: f 134: H
007: beep	039: ' 071: G	103: g 135: I	