

KATHMANDU UNIVERSITY

Department of Computer Science and Engineering



DHULOKHEL, KAVRE

COURSE CODE: (COMP342)

LAB REPORT: 2

Submitted by: Prithivi Raj Shrestha

Submitted to: Mr. Dhiraj Shrestha

Roll no: 50

Group: C.E. (3rd year, 2nd semester)

Date of Submission: 18th August, 2020

1. Digital differential line drawing algorithm

Step 1: Start Algorithm

Step 2: Declare x_1 , y_1 , x_2 , y_2 , dx , dy , x , y .

Step 3: Enter values of x_1 , x_2 , y_1 , y_2 .

Step 4: Calculate $dx = x_2 - x_1$ and $dy = y_2 - y_1$

Step 5: If $ABS(dx) > ABS(dy)$

Then $step = abs(dx)$

Else $step = abs(dy)$

Step 6: $xinc = dx / step$

$yinc = dy / step$

assign $x = x_1$

assign $y = y_1$

Step 7: Set pixel (x , y)

Step 8: $x = x + xinc$

$y = y + yinc$

Set pixels ($Round(x)$, $Round(y)$)

Step 9: Repeat step 9 until $x = x_2$

Step 10: End Algorithm

Source Code:

```
import turtle
```

```
DDA = turtle.Turtle()
```

```
def line(x1,y1,x2,y2):
```

```
    x = x1
```

```
    y = y1
```

```
    DDA.penup()
```

```
    DDA.goto(x,y)
```

```
    DDA.pendown()
```

```
    i = 0
```

```
    dx = x2-x1
```

```
    dy = y2-y1
```

```
    if abs(dx) > abs(dy):
```

```
        steps = abs(dx)
```

```
    else:
```

```
        steps = abs(dy)
```

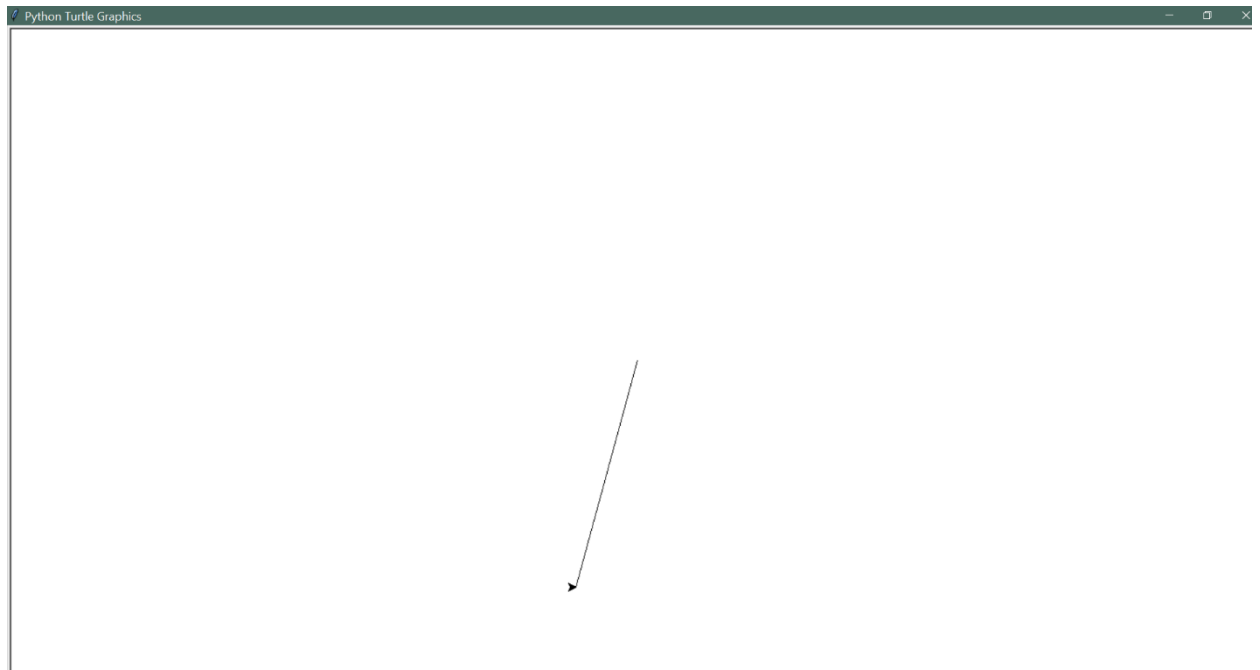
```
x_increment = dx/float(steps)  
y_increment = dy/float(steps)
```

```
for i in range(steps):  
    x = x+ x_increment  
    y = y+ y_increment  
    print(round(x),round(y))
```

```
    DDA.goto(x,y)  
line(-3,1,-78,-275)
```

```
turtle.done()
```

Outout:



2. Bresenham Line Drawing Algorithm for both slopes ($|m| < 1$ and $|m| \geq 1$)

Algorithm:

Step 1: Input end points as (x_1, y_1) and (x_2, y_2)

Step 2: Plot first point (x_1, y_1)

Step 3: Calculate all required variables

Step 4: if $|m| < 1$ go from 5 to 7 else go from 8 to 10

Step 5: Calculate the initial decision parameter as,

$$D_0 = 2dy - dx$$

Step 6: for each x_k starting at $k = 0$

 If $dk < 0$ choose the next point as (x_{k+1}, y_k) and $d(k+1) = dk + 2dy$

 Else, choose next point as (x_{k+1}, y_{k+1})

Step 7: Repeat step 5 and 6 for dx times

Step 8: Calculate the initial decision parameter as,

$$D_0 = 2dx - dy$$

Step 9: for each y_k starting at $k = 0$

 If $dk < 0$ choose the next point as (x_k, y_{k+1}) and $d(k+1) = dk + 2dx$

 Else, choose next point as (x_{k+1}, y_{k+1})

Step 10: Repeat step 8 and 9 for dy times

Source code:

```
import turtle
```

```
BLA = turtle.Turtle()
```

```
def line(x1,y1,x2,y2):
```

```
    xs = 0
```

```
    ys = 0
```

```
    if x1 < x2:
```

```
        xs = 1
```

```
    else:
```

```
        xs = -1
```

```
    if y1 < y2:
```

```
        ys = 1
```

```
    else:
```

```
        ys = -1
```

```

x = x1
y = y1
BLA.penup()
BLA.goto(x,y)
BLA.pendown()
dx = x2-x1
dy = y2-y1

if abs(dy)<abs(dx):
    p0 = 2*dy-dx

    while abs(x) < abs(x2):
        if p0<0:
            x = x+1*xs
            BLA.goto(x,y)
            p0 = p0+2*dy
            print(x,y)

        else:
            x = x+1*xs
            y = y+1*ys
            p0 = p0+2*dy-2*dx
            BLA.goto(x,y)
            print(x,y)

elif abs(dx)<abs(dy):
    p0 = 2*dx-dy

    while abs(y)<abs(y2):
        if p0<0:
            print(xs)

            y = y+1*ys
            BLA.goto(x,y)
            p0 = p0+2*dx
            print(x,y)

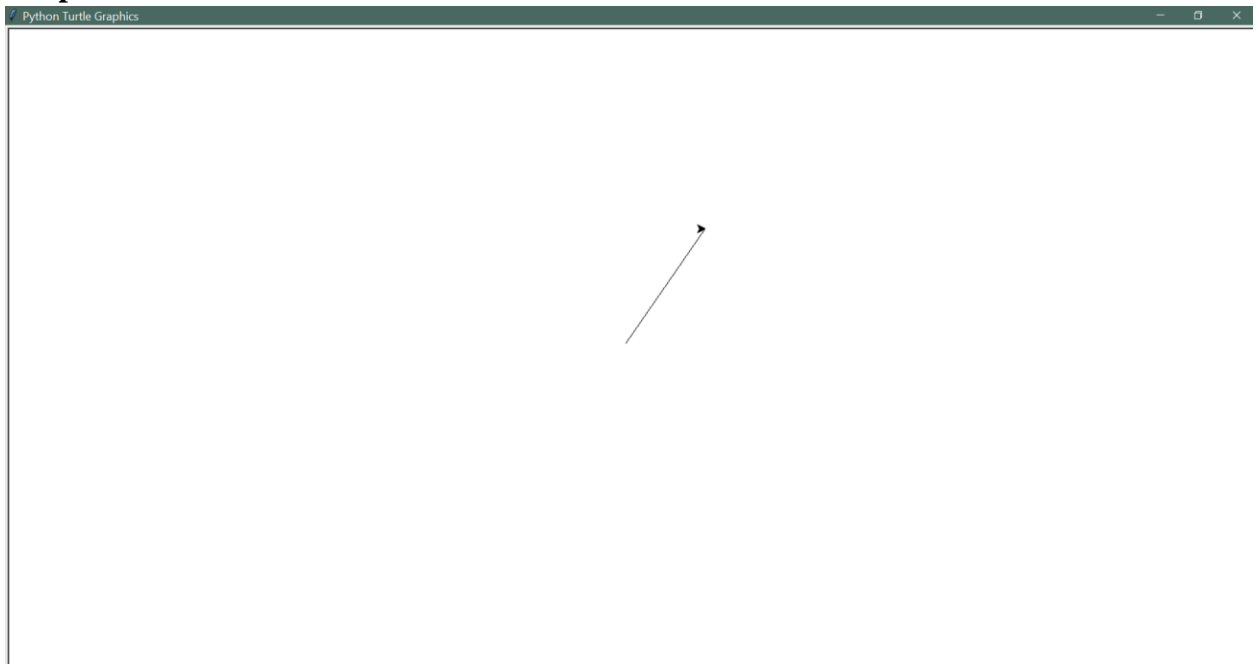
        else:
            x = x+1*xs
            y = y+1*ys

```

```
p0 = p0+2*dx-2*dy  
BLA.goto(x,y)  
print(x,y)
```

```
line(-10,20,87,160)  
turtle.done()
```

Output:



3. Mid-point line drawing algorithm

Algorithm:

Step 1: Input end points as (x_1, y_1) and (x_2, y_2)

Step 2: Plot first point (x_1, y_1)

Step 3: Calculate all required variables

Step 4: if $|m| < 1$ go from 5 to 7 else go from 8 to 10

Step 5: Calculate the initial decision parameter as,

$$D_0 = 2dy - dx$$

Step 6: for each x_k starting at $k = 0$

 If $dk < 0$ choose the next point as (x_{k+1}, y_k) and $d(k+1) = dk + 2dy$

 Else, choose next point as (x_{k+1}, y_{k+1})

Step 7: Repeat step 5 and 6 for dx times

Step 8: Calculate the initial decision parameter as,

$$D_0 = 2dx - dy$$

Step 9: for each y_k starting at $k = 0$

 If $dk < 0$ choose the next point as (x_k, y_{k+2}) and $d(k+1) = dk + 2dx$

 Else, choose next point as (x_{k+1}, y_{k+1})

Step 10: Repeat step 8 and 9 for dy times

Source code:

```
import turtle
```

```
MLP = turtle.Turtle()
```

```
def line(x1,y1,x2,y2):
```

```
    xs = 0
```

```
    ys = 0
```

```
    if x1 < x2:
```

```
        xs = 1
```

```
    else:
```

```
        xs = -1
```

```
    if y1 < y2:
```

```
        ys = 1
```

```
    else:
```

```
        ys = -1
```

```

x = x1
y = y1
MLP.penup()
MLP.goto(x,y)
MLP.pendown()
dx = x2-x1
dy = y2-y1

if abs(dy)<abs(dx):
    p0 = 2*dy-dx

    while abs(x) < abs(x2):
        if p0<0:
            x = x+1*xs
            MLP.goto(x,y)
            p0 = p0+2*dy
            print(x,y)

        else:
            x = x+1*xs
            y = y+1*ys
            p0 = p0+2*dy-2*dx
            MLP.goto(x,y)
            print(x,y)

elif abs(dx)<abs(dy):
    p0 = 2*dx-dy

    while abs(y)<abs(y2):
        if p0<0:
            print(xs)

            y = y+1*ys
            MLP.goto(x,y)
            p0 = p0+2*dx
            print(x,y)

        else:
            x = x+1*xs
            y = y+1*ys

```



```
p0 = p0+2*dx-2*dy  
MLP.goto(x,y)  
print(x,y)
```

```
line(-10,20,87,160)  
turtle.done()
```

Output:

