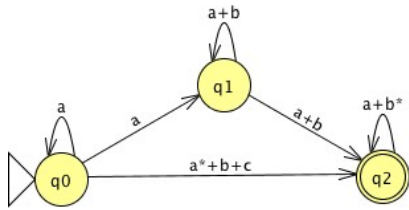
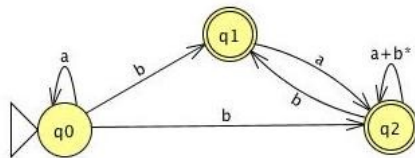


PES University Electronic City Campus, Hosur Road, Electronic City, Bengaluru – 560100 Department of Computer Science & Engineering	
Subject: THEORY OF COMPUTATION	Code - UE18CS254
HOMEWORK	Semester : IV sem CSE Sec : E. & F Sec
Faculty : Prof. R.Bharathi	Date : 10/02/2020

- Find all strings in $L((a+b)^*b(a+ab)^*)$ of length less than four.
- Find a regular expression for the set $\{a^n b^m : (n+m) \text{ is odd}\}$.
- Give regular expression for the complement of $L_1\{a^n b^m, n \geq 3, m \leq 4\}$.
- Find a regular expression for $L = \{w \in \{0,1\}^* : w \text{ has exactly one pair of consecutive zeros}\}$.
- Find a regular expression over $\{0,1\}$ for the all strings not ending in 10.
- Determine whether or not the following claim is true for all regular expressions r_1 and r_2 . The symbol \equiv stands for equivalence regular expressions in the sense that both expressions denote the same language.
 - $(r_1^*)^* \equiv r_1^*$.
 - $r_1^*(r_1 + r_2)^* \equiv (r_1 + r_2)^*$.
 - $(r_1 + r_2)^* \equiv (r_1 r_2)^*$.
 - $(r_1 r_2)^* \equiv r_1^* r_2^*$.
- Use the construction in Theorem 3.1 to find an nfa that accepts the language $L(ab^*aa + bba^*ab)$.
- Find an nfa that accepts the language $L((abab)^* + (aaa^* + b)^*)$.
- Find the minimal dfa that accepts $L(abb)^* \cup L(a^*bb^*)$.
- What language is accepted by the following automata.



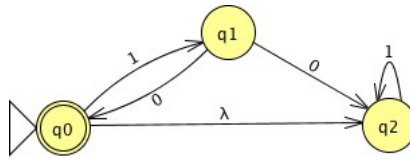
11. Find regular expression for the language accepted by the following automata.



12. Write a regular experssion for the set of all C real numbers.
 13. Construct a dfa that accepts the language generated by the grammar

$$\begin{aligned}
 S &\rightarrow \\
 &abS \mid A, \\
 A &\rightarrow \\
 &baB, B \\
 &\rightarrow \\
 &aA \mid bb.
 \end{aligned}$$

14. Construct right- and left-linear grammars for the language $L = \{a^n b^m : n \geq 3, m \geq 2\}$.
 15. Use the construction suggested by the above exercises to construct a left-linear gram- mar for the nfa bellow.



16. Use the construction in Theorem 4.1 to find nfa that accept $L = ((ab)^*a^*) \cap L(baa^*)$.
17. Show that the following language is not regular. $L = \{a^n b^k c^n : n \geq 0, k \geq n\}$.
18. Determine whether or not the following language on $\Sigma = \{a\}$ is regular

$$L = \{a^n : n = 2^k \text{ for some } k \geq 0\}.$$

19. Is the following language regular? $L = \{uww^Rv : u, v, w \in \{a, b\}^+\}$