

Shreya Sriram
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Aim :

To design and implement 4 bit adder and subtractor using IC 7483.

Apparatus Required :

S.No	Component Name	IC Number	Quantity
1	IC	7483	1
2	EX-OR GATE	7486	1
3	NOT GATE	7404	1
4	IC TRAINER KIT	-	1
5	PATCH CORDS	-	40

Theory :**4 BIT BINARY ADDER:**

A binary adder is a digital circuit that produces the arithmetic sum of two binary numbers. It can be constructed with full adders connected in cascade, with the output carry from each full adder connected to the input carry of next full adder in chain. The augends bits of 'A' and the addend bits of 'B' are designated by subscript numbers from right to left, with subscript 0 denoting the least significant bits. The carries are connected in chain through the full adder. The input carry to the adder is C_0 and it ripples through the full adder to the output carry C_4 .

4 BIT BINARY SUBTRACTOR:

The circuit for subtracting $A-B$ consists of an adder with inverters, placed between each data input 'B' and the corresponding input of full adder. The input carry C_0 must be equal to 1 when performing subtraction.

4 BIT BINARY ADDER/SUBTRACTOR:

The addition and subtraction operation can be combined into one circuit with one common binary adder. The mode input M controls the operation. When $M=0$, the circuit is adder circuit. When $M=1$, it becomes subtractor.

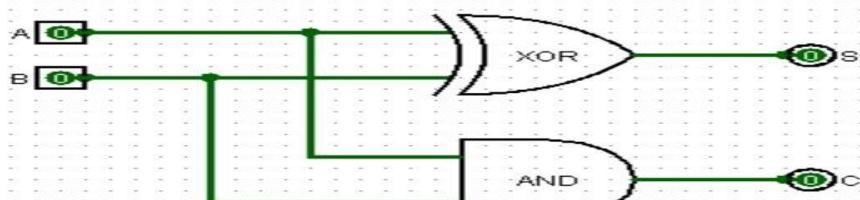
Values :

$$A = 1001 \text{ (9)}$$

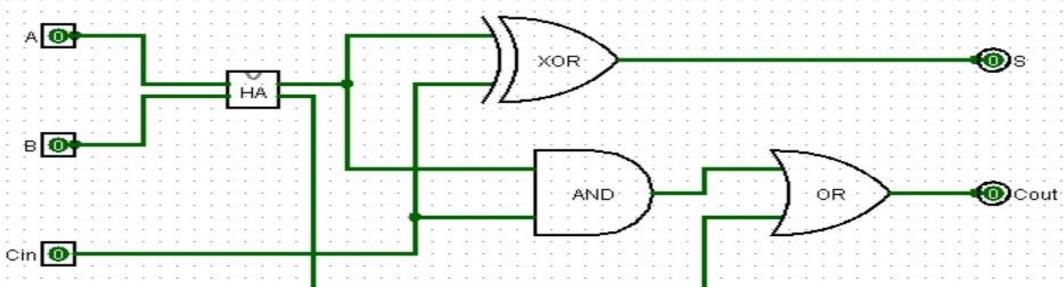
$$B = 0011 \text{ (3)}$$

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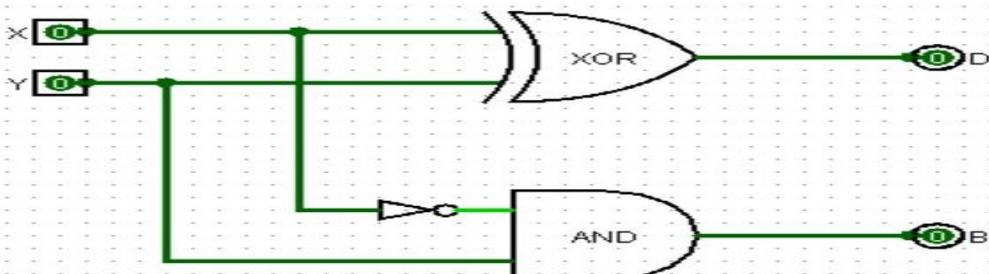
Half Adder :



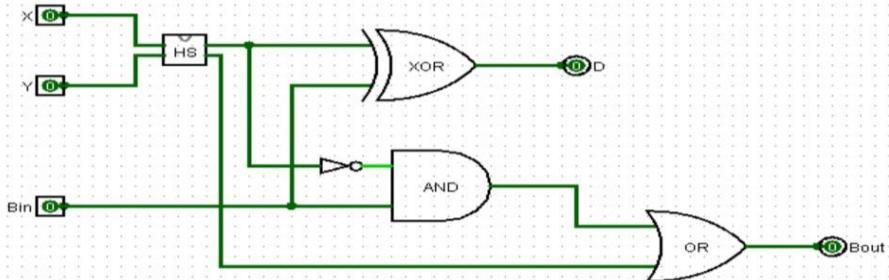
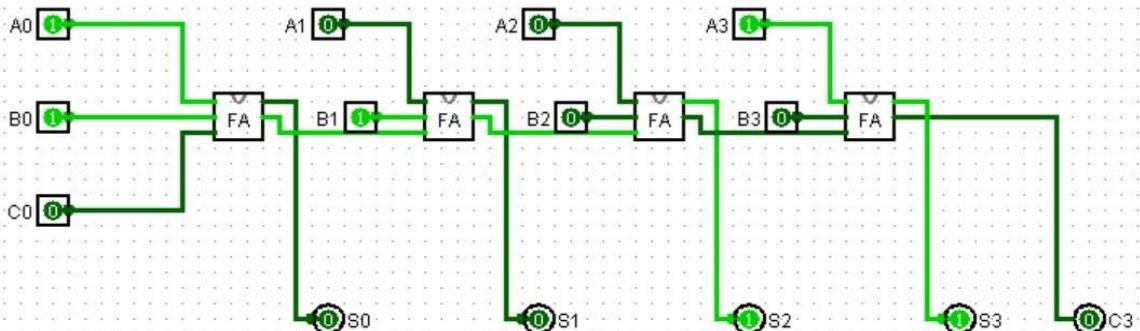
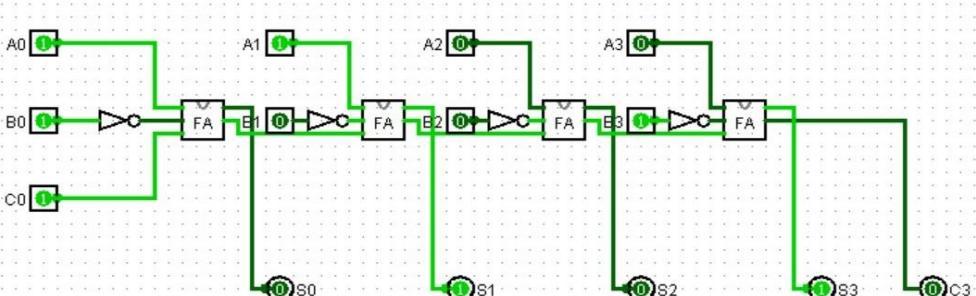
Full Adder :

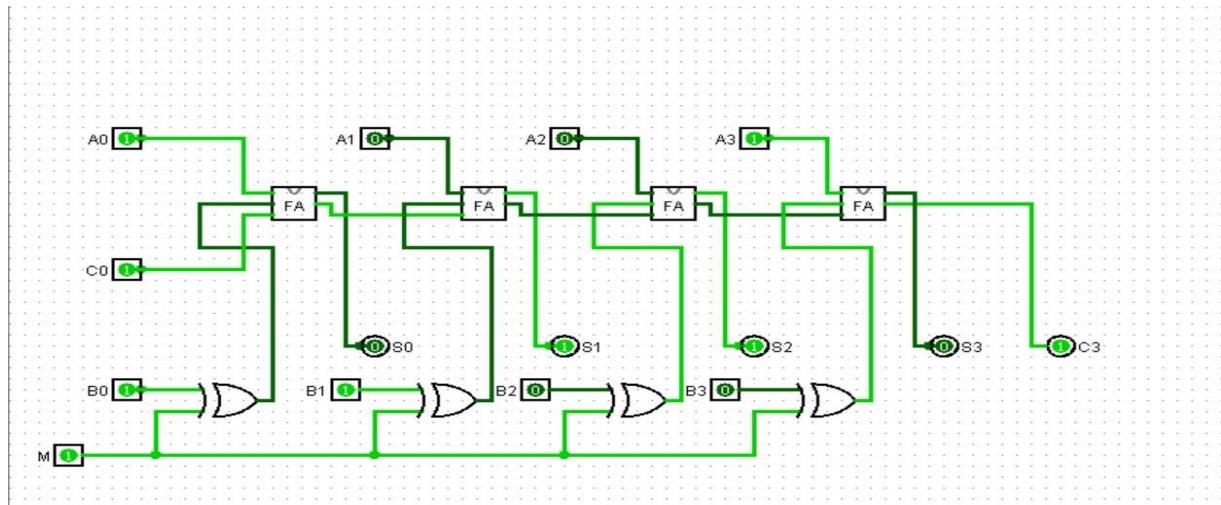
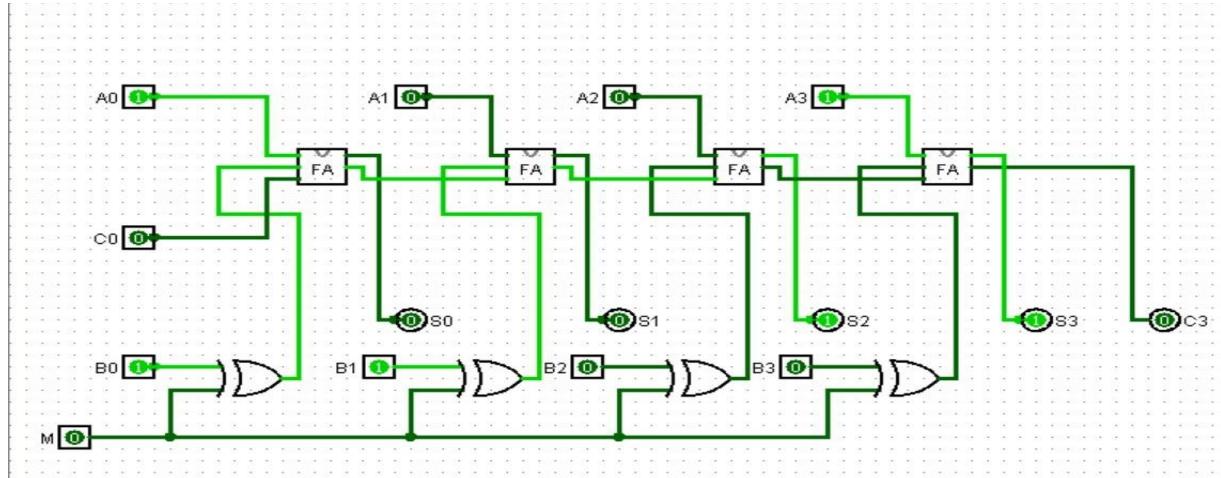


Half Subtractor :



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Full Subtractor :**4 Bit Binary Adder :****4 Bit Binary Subtractor :**

4 Bit Binary Adder/Subtractor :**Output :**

	C_{in}	A_3	A_2	A_1	A_0	B_3	B_2	B_1	B_0	S_3	S_2	S_1	S_0	C_{out}
$A + B$	0	1	0	0	1	0	0	1	1	1	1	0	0	0
$A - B$	1	1	0	0	1	0	0	1	1	0	1	1	0	1
$B - A$	1	1	0	0	1	0	0	1	1	1	0	1	0	0

B - A gives no carry. Therefore, we have to take 2's complement of S and add a negative sign which results in - 0110 (-6).

Result :

The 4 bit adder and subtractor were designed and implemented successfully.

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Aim :

To design and implement the below given Boolean Function using a Multiplexer.

$$F(A, B, C) = \sum (0, 2, 4, 5, 7)$$

Apparatus Required :

S.No	Component Name	IC Number	Quantity
1	NOT Gate	7404	2
2.	Ex-OR Gate	7486	3
3	AND Gate	7408	1
4	OR Gate	7432	2
5	IC Trainer Kit	-	1
6	Connecting Wires	-	30

Truth Table for Boolean Function :

A	B	C	F
0	0	0	1
0	0	1	0
0	1	0	1
0	1	1	0
1	0	0	1
1	0	1	1
1	1	0	0
1	1	1	1

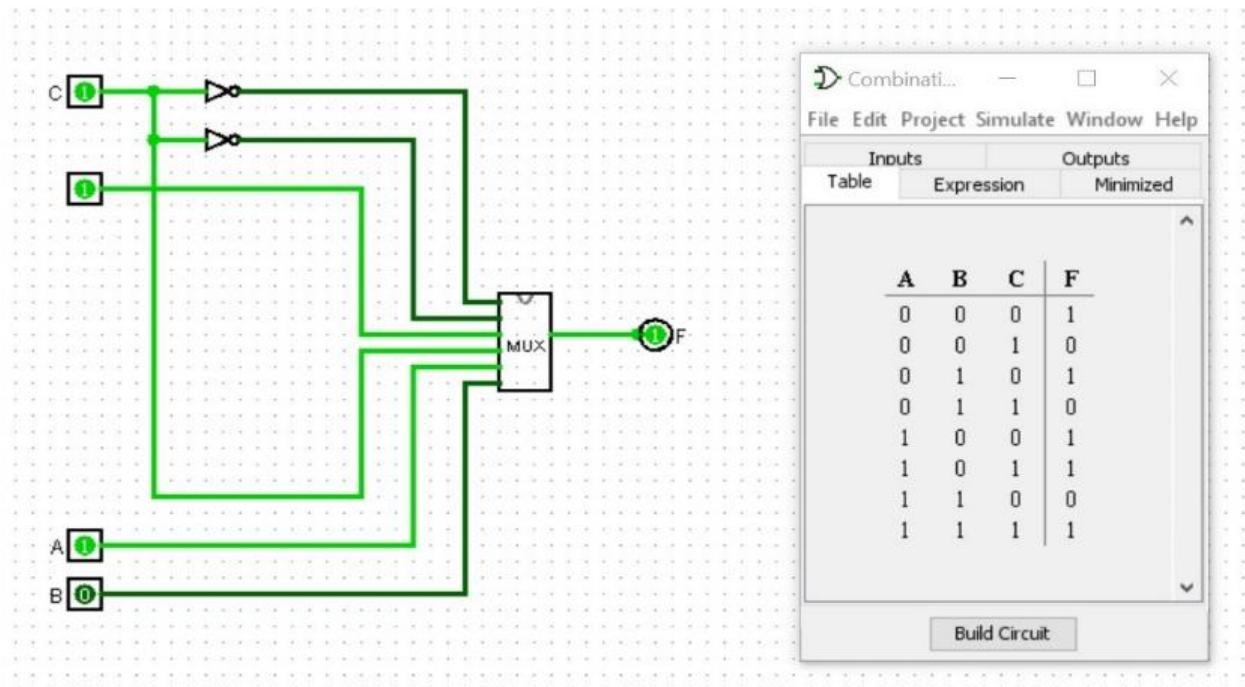
$F = C'$
 $F = C'$
 $F = 1$
 $F = C$

We need a 4:1 MUX and 2 selector lines to implement the Boolean Expression. A and B are taken as the selector lines S1 and S0 respectively.

Inputs for MUX are : D0 = C' D1 = C' D2 = 1 AND D3 = C

Truth Table for MUX :

S1	S0	O/P
0	0	D0 = C'
0	1	D1 = C'
1	0	D2 = 1
1	1	D3 = C

Logic Circuit :**Result :**

The given Boolean Function was designed and implemented successfully using a Multiplexer.

Objective

To design and implement a combinational circuit for the below given code converters.

Components Required

S.No	Component Name	IC Number	Quantity
1	AND	7408	1
2	OR	7432	1
3	Connecting Wires	-	-
4	LogiSIM Software	-	-

Specifications:

1. Draw the truth table for the corresponding code converter with required number of input bits (4 bits) and output bits (Not restricted)
2. Write the simplified Boolean Expression, for each output variable as the function of input variables using Karnaugh map.
3. Draw the combinational logic circuit using basic gates and universal gates
4. Verify the truth table

Truth Table

DECIMAL	8 4 -2 -1 CODE				8 4 2 1 BCD CODE			
	A	B	C	D	W	X	Y	Z
0	0	0	0	0	0	0	0	0
1	0	1	1	1	0	0	0	1
2	0	1	1	0	0	0	1	0
3	0	1	0	1	0	0	1	1
4	0	1	0	0	0	1	0	0
5	1	0	1	1	0	1	0	1
6	1	0	1	0	0	1	1	0
7	1	0	0	1	0	1	1	1
8	1	0	0	0	1	0	0	0
9	1	1	1	1	1	0	0	1

KMap Simplification

AB vertically CD horizontally

	00	01	11	10
00	0	x	x	x
01	0	0	0	0
11	x	x	1	x
10	1	0	0	0

	00	01	11	10
00	0	x	x	x
01	1	0	0	0
11	x	x	0	x
10	0	1	1	1

$$W = AB + AC'D'$$

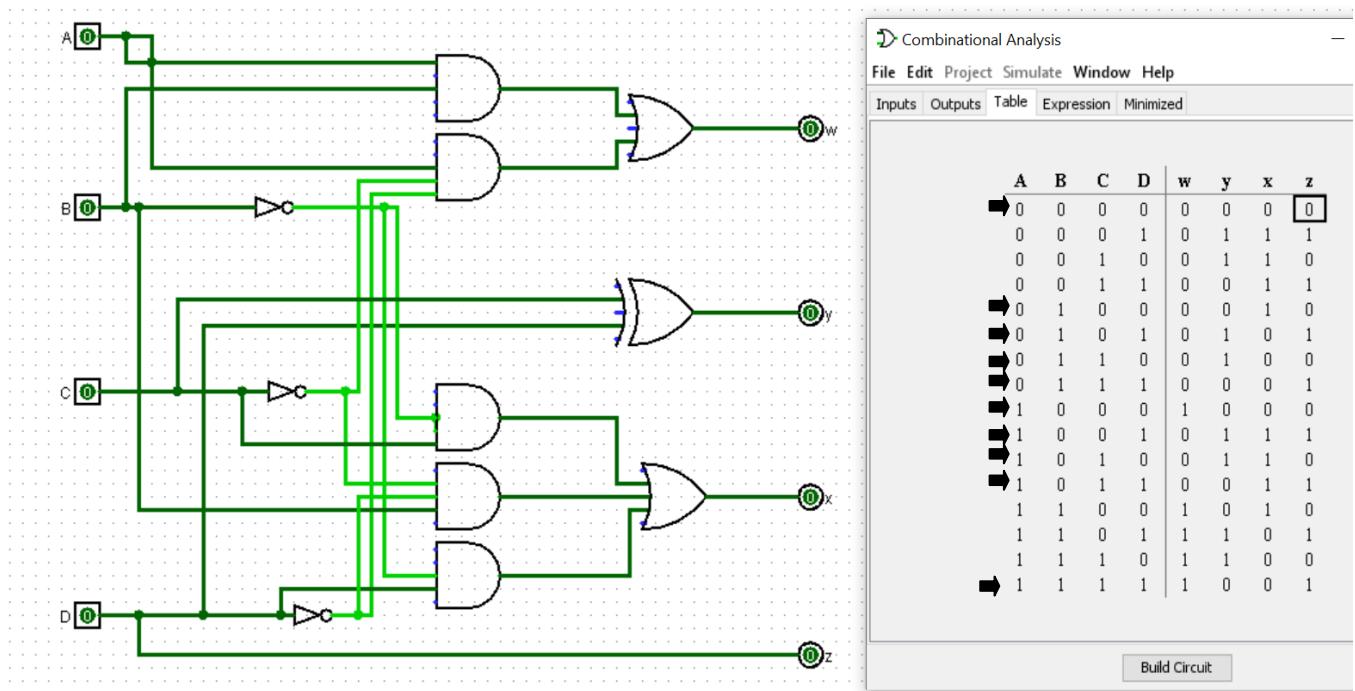
$$X = BC'D' + B'D + B'C$$

	00	01	11	10
00	0	x	x	x
01	0	1	0	1
11	x	x	0	x
10	0	1	0	1

	00	01	11	10
00	0	x	x	x
01	0	1	1	0
11	x	x	1	x
10	0	1	1	0

$$Y = C'D + CD'$$

$$Z = D$$

Output:**Results**

The truth table has been verified with that of the simplified expression.

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Aim :

To design and implement absolute differentiator circuit using IC 7485 (4-bit Magnitude Comparator) and IC 7483 (4-bit Binary Adder).

Apparatus Required :

S.No	Component Name	IC Number	Quantity
1	4-bit Magnitude Comparator	7485	1
2	4-bit Binary Adder	7483	1
3	Ex-OR Gate	7486	2
4	IC Trainer Kit	-	1
5	Patch Cords	-	30

Theory :

Absolute Differentiator is a combinational circuit that takes two binary inputs and computes the difference between the two magnitudes and outputs the difference value irrespective of the sign. The serial circuit is constructed by connecting Magnitude Comparator and Binary Adder circuits in serial. The output of magnitude comparator is $A=B$, $A < B$ and $A > B$. The outputs $A < B$ and $A > B$ are given as input to the Binary Adder circuit to obtain the difference of two magnitudes.

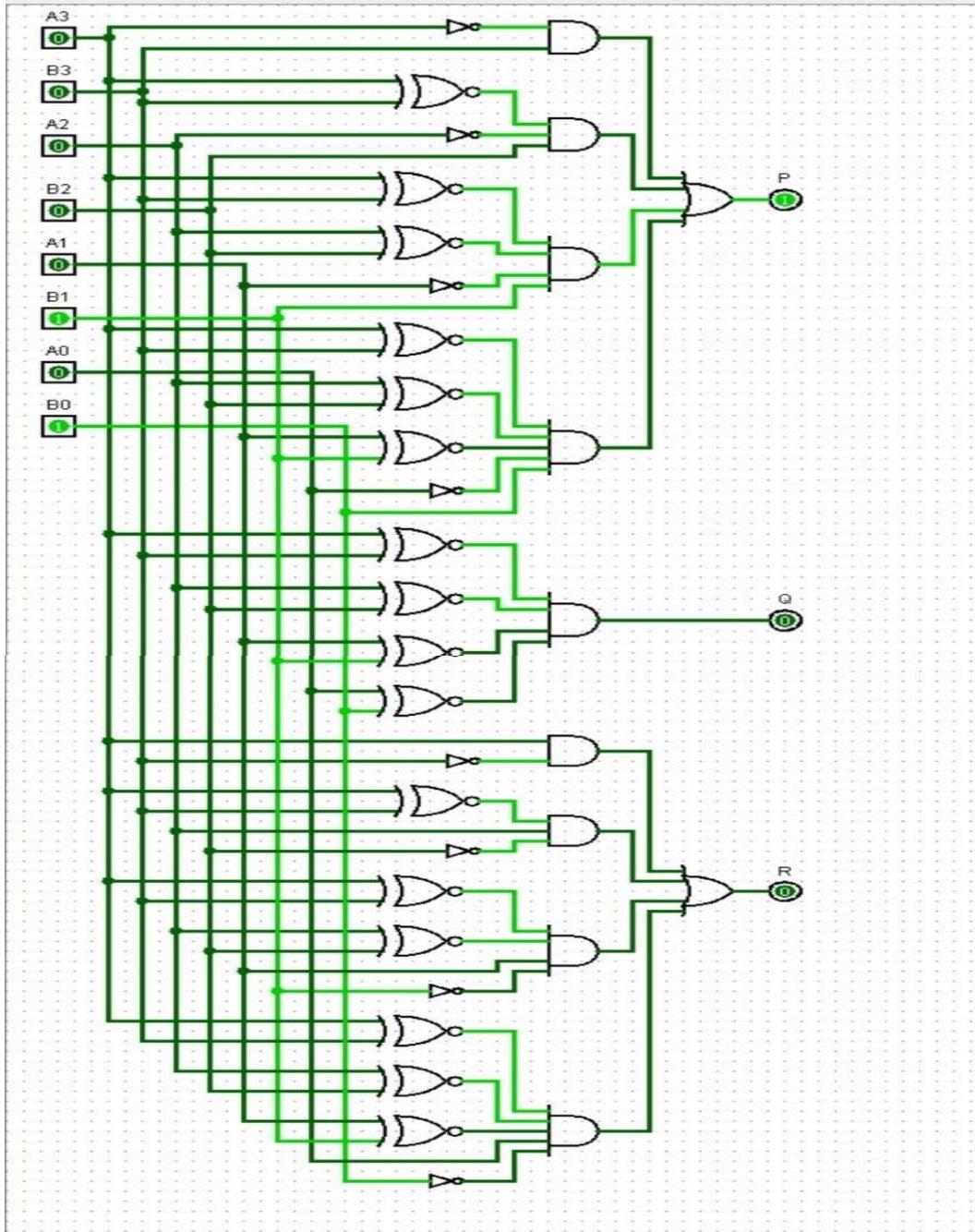
If $A < B$, the value of A is given as one of the inputs of Ex-OR gate and the other input is 1 which is taken from $A < B$ output of Magnitude Comparator. This computes the one's complement of A value and given as input to Binary Adder circuit.

Similarly when $A > B$, the value of B is given as one of the inputs of Ex-OR gate and the other input is 1 which is taken from $A > B$ output of Magnitude Comparator. This computes the one's complement of B and is given as input to Binary Adder circuit.

The C input to Binary Adder is 1 as it computes the 2's complement value of smallest magnitude (either A or B) and adds it with the minuend.

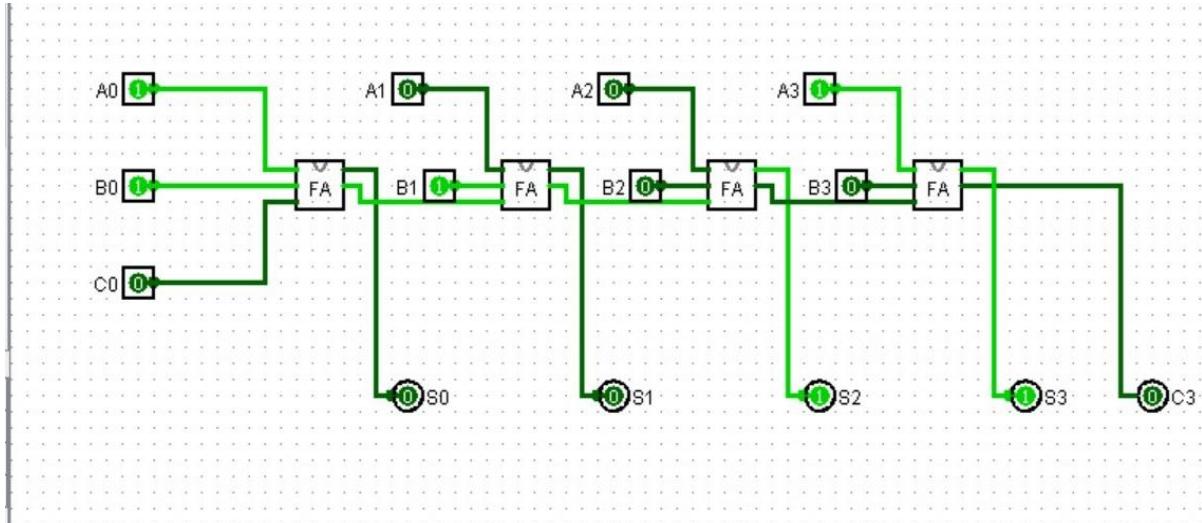
The output of the Binary Adder circuit is the absolute difference between two magnitude values of A and B.

Magnitude Comparator :

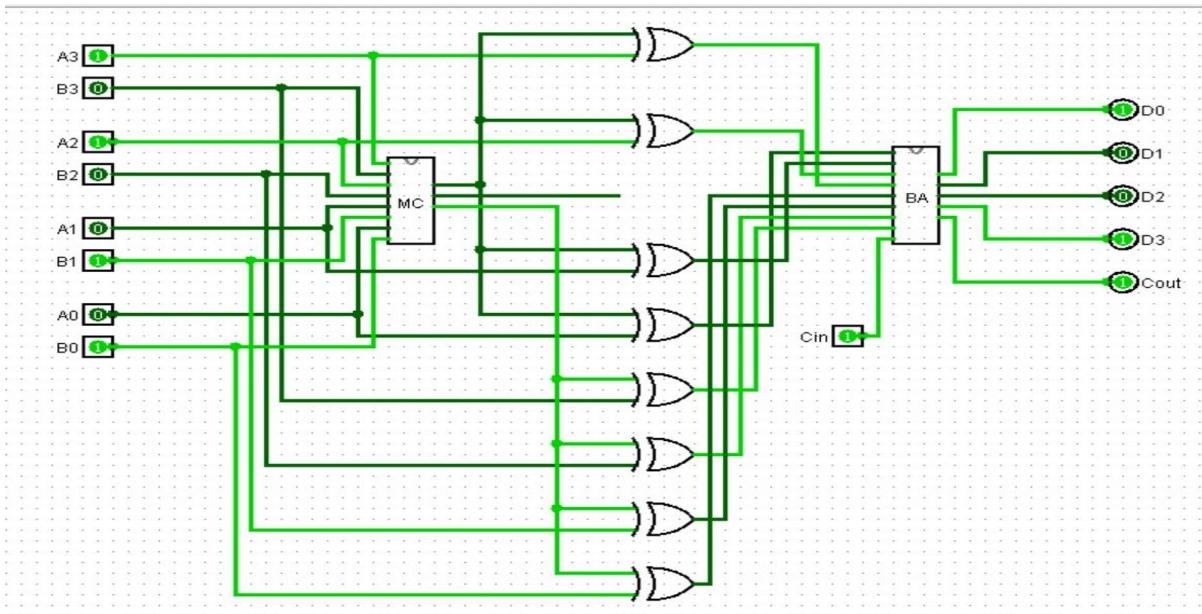


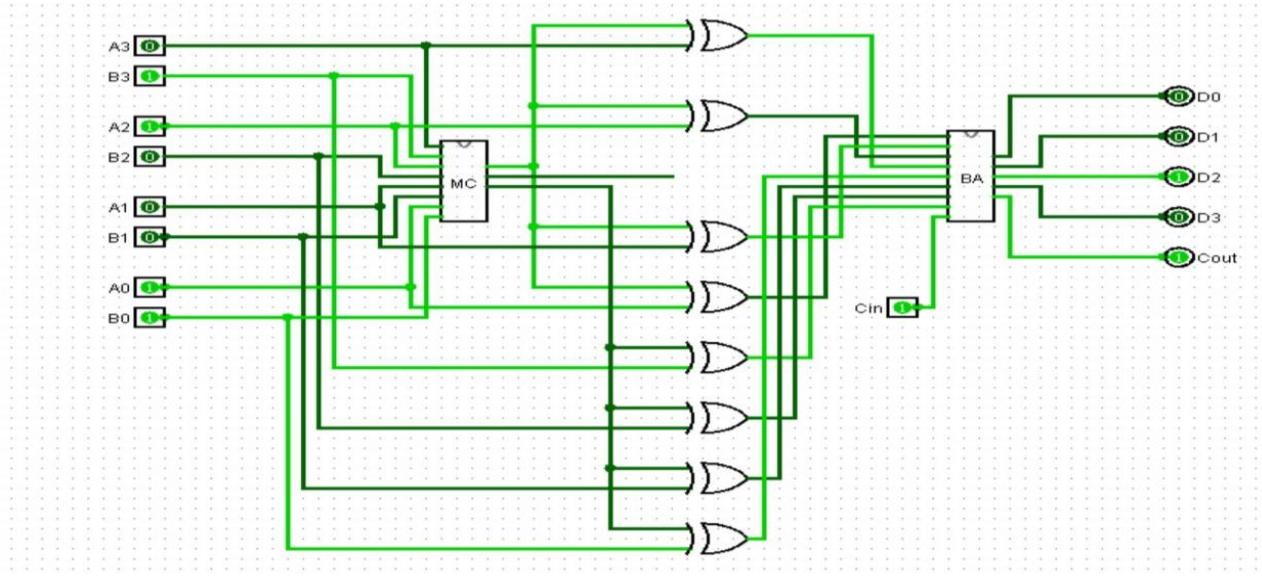
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4 bit Binary Adder



Absolute Differentiator :



**Truth Table :**

	C_{in}	A3	A2	A1	A0	B3	B2	B1	B0	D3	D2	D1	D0	C_{out}
12-3	1	1	1	0	0	0	0	1	1	1	0	0	1	1
5-9	1	0	1	0	1	1	0	0	1	0	1	0	0	1

Result :

The absolute differentiator circuit was designed and implemented successfully.

Aim :

To design and implement a combinational circuit for 2:4 Decoder and 4:2 Encoder.

Apparatus Required :

S.No	Component Name	IC Number	Quantity
1	NOT Gate	7404	2
2	Ex-OR Gate	7486	3
3	AND Gate	7408	1
4	OR Gate	7432	2
5	IC Trainer Kit	-	1
6	Connecting Wires	-	30

Theory :**ENCODER**

An encoder is a digital circuit that performs inverse operation of a decoder. An encoder has 2^n input lines and n output lines. In encoder the output lines generate the binary code corresponding to the input value. In octal to binary encoder it has eight inputs, one for each octal digit and three outputs that generate the corresponding binary code. In encoder it is assumed that only one input has a value of one at any given time otherwise the circuit is meaningless. It has an ambiguity that when all inputs are zero the outputs are zero. The zero outputs can also be generated when $D_0 = 1$.

DECODER

A decoder is a multiple input multiple output logic circuit which converts coded input into coded output where input and output codes are different. The input code generally has fewer bits than the output code. Each input code word produces a different output code word i.e. there is one to one mapping can be expressed in truth table. In the block diagram of decoder circuit, the encoded information is present as n input producing 2^n possible outputs. 2^n output values are from 0 to $2^n - 1$.

Truth Table :**4:2 ENCODER**

X3	X2	X1	X0	Y1	Y0
0	0	0	0	0	0
0	0	0	1	0	0
0	0	1	0	0	1
0	1	0	0	1	0
1	0	0	0	1	1

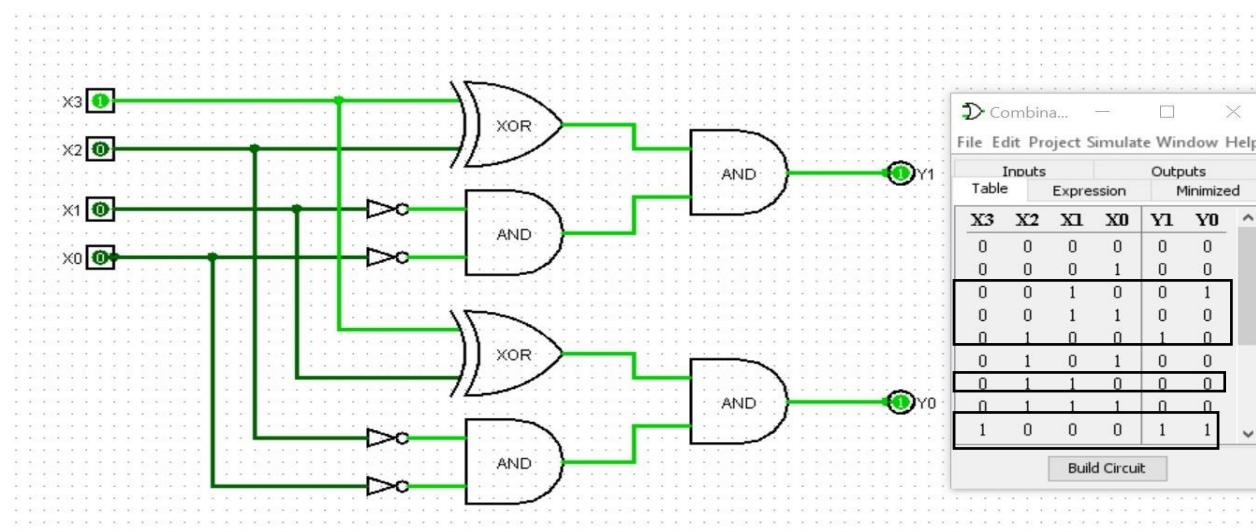
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2:4 DECODER

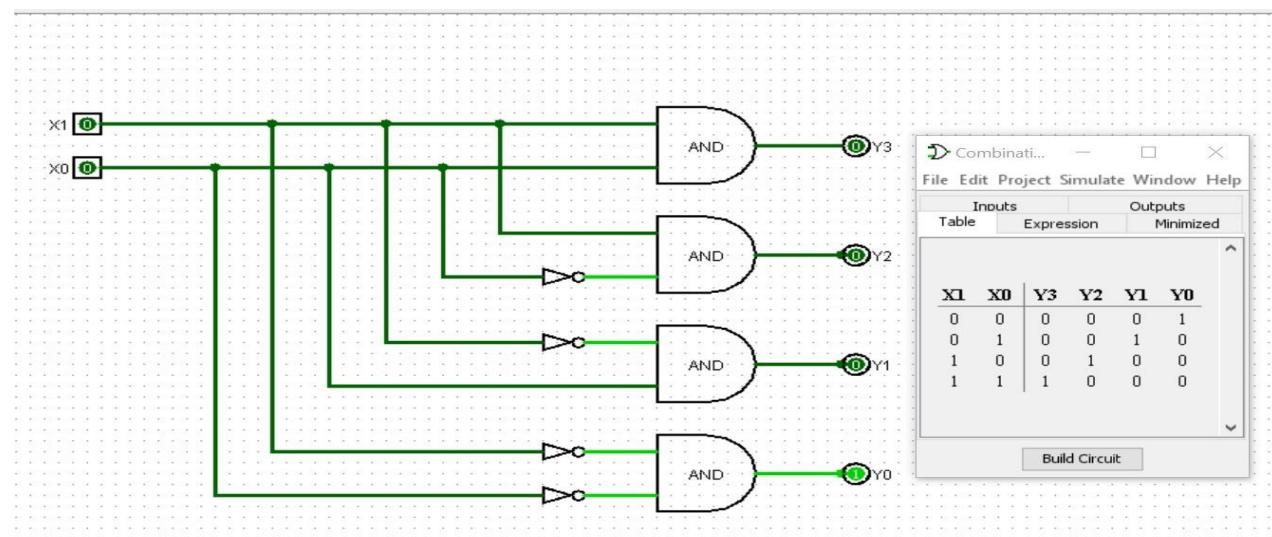
X1	X0	Y3	Y2	Y1	Y0
0	0	0	0	0	1
0	1	0	0	1	0
1	0	0	1	0	0
1	1	1	0	0	0

Logic Circuit :

4:2 ENCODER



2:4 DECODER



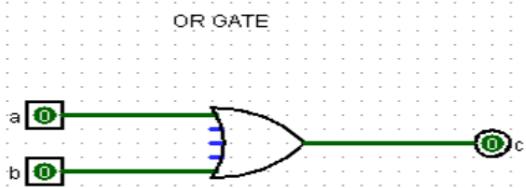
Result :

The combinational circuit for 2:4 Decoder and 4:2 Encoder were designed and implemented successfully.

EXPERIMENT -1

VERIFICATION OF LOGIC GATES

OR GATE



Combinational Analysis

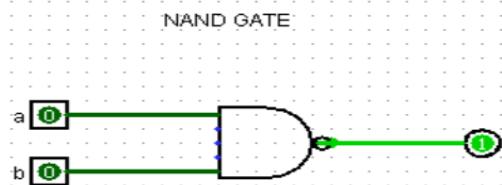
File Edit Project Simulate Window Help

Inputs Outputs Table Expression Minimized

a	b	c
0	0	0
0	1	1
1	0	1
1	1	1

Build Circuit

NAND GATE



Combinational Analysis

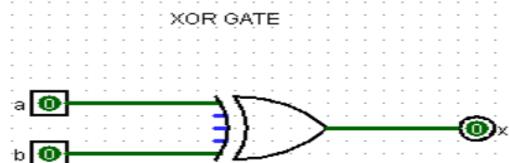
File Edit Project Simulate Window Help

Inputs Outputs Table Expression Minimized

a	b	x
0	0	1
0	1	1
1	0	1
1	1	0

Build Circuit

XOR GATE



Combinational Analysis

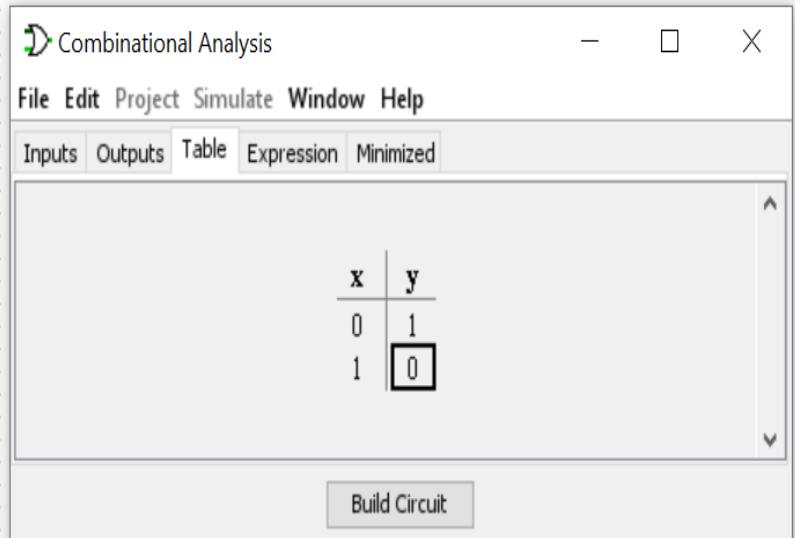
File Edit Project Simulate Window Help

Inputs Outputs Table Expression Minimized

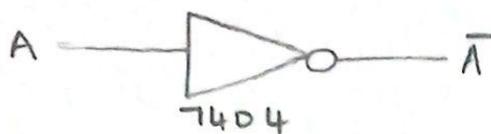
a	b	x
0	0	0
0	1	1
1	0	1
1	1	0

Build Circuit

NOT GATE

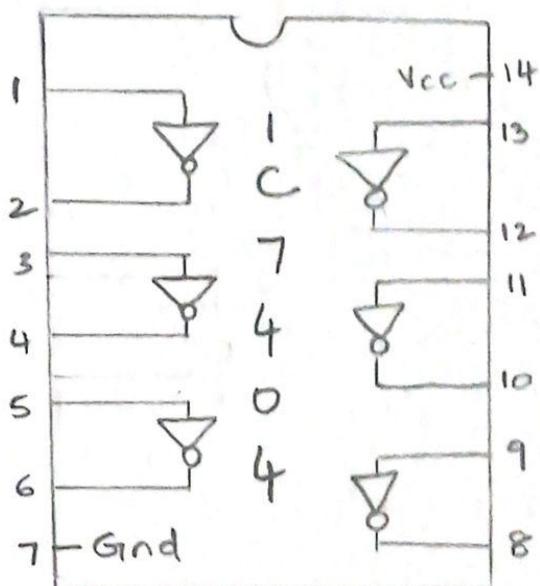


NOT GATE



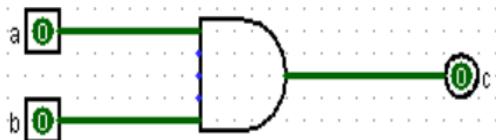
A	\bar{A}
0	1
1	0

Pin Diagram



AND GATE

AND GATE



Combinational Analysis

File Edit Project Simulate Window Help

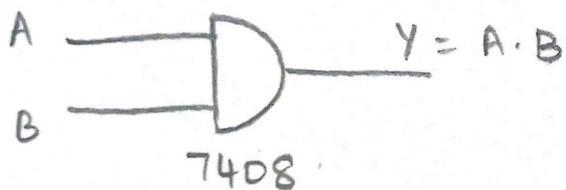
Inputs Outputs Table Expression Minimized

a	b	c
0	0	0
0	1	0
1	0	0
1	1	1

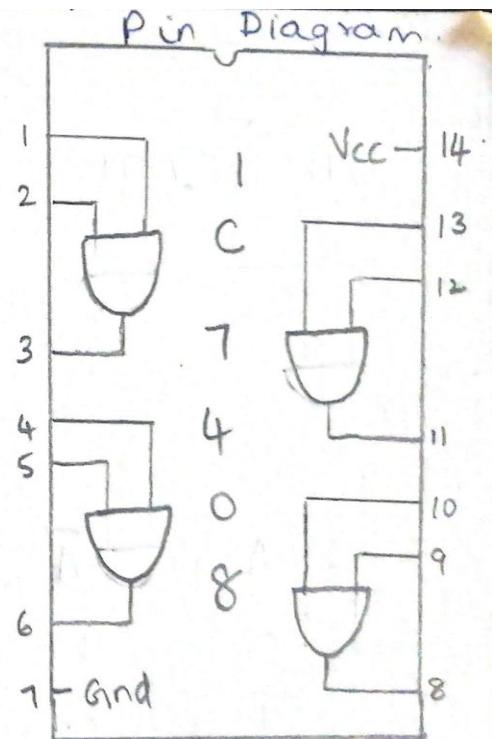
Build Circuit

This screenshot shows a logic simulation interface. At the top, it says "Combinational Analysis". Below that is a menu bar with "File", "Edit", "Project", "Simulate", "Window", and "Help". There are five tabs: "Inputs", "Outputs", "Table" (which is selected), "Expression", and "Minimized". The main area displays a truth table for an AND gate. The columns are labeled "a", "b", and "c". The rows show all combinations of inputs: (0,0), (0,1), (1,0), and (1,1). The output "c" is 0 for (0,0), (0,1), and (1,0), and 1 for (1,1). At the bottom right of the table area is a "Build Circuit" button.

AND GATE

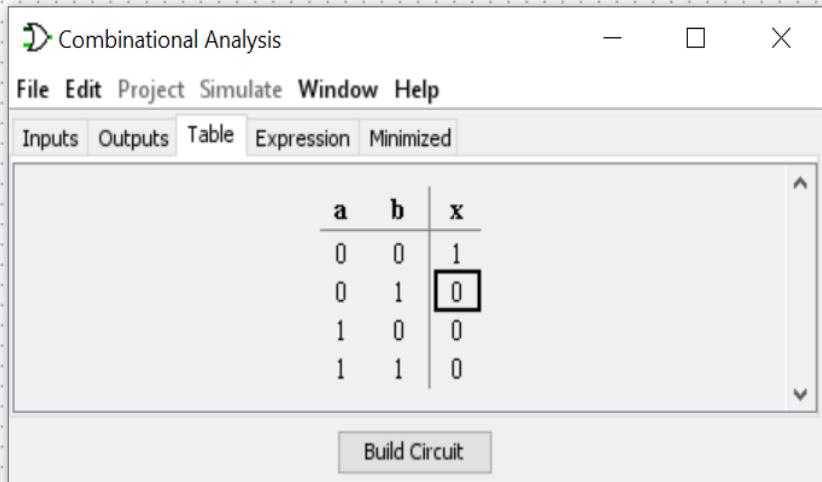
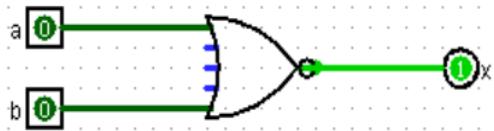


A	B	$A \cdot B$
0	0	0
0	1	0
1	0	0
1	1	1

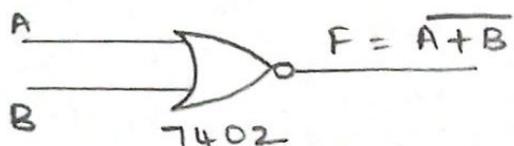


NOR GATE

NOR GATE

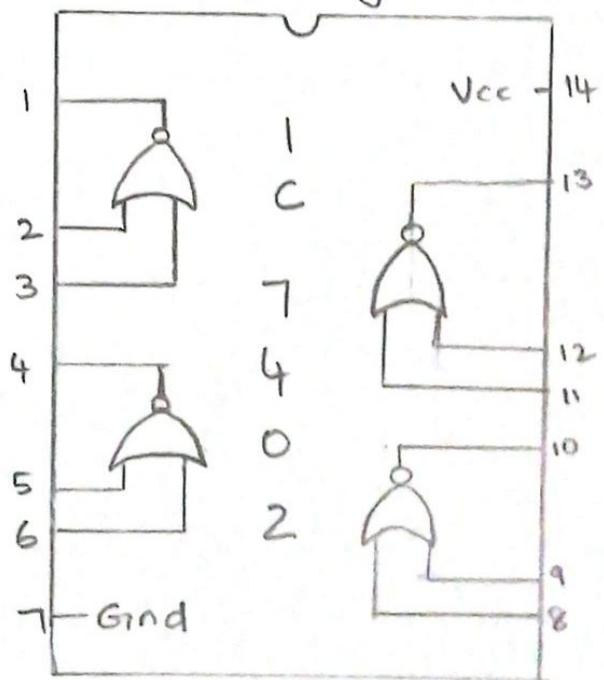


NOR GATE



A	B	$\overline{A+B}$
0	0	1
0	1	0
1	0	0
1	1	0

Pin Diagram



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Objective

To verify the Boolean theorems and postulates of Boolean algebra.

Specifications

1. Draw logic circuit for below theorems using basic logic gates
2. Verify the truth table for all the below mentioned theorems.

Components Required

S.No	Component	Specification	Quantity
1.	NOT GATE	IC 7404	2
2.	EX-OR GATE	IC 7486	3
3.	AND GATE	IC 7408	1
4.	OR GATE	IC 7432	2
5.	IC TRAINER KIT	-	1
6.	Connecting wires	-	30

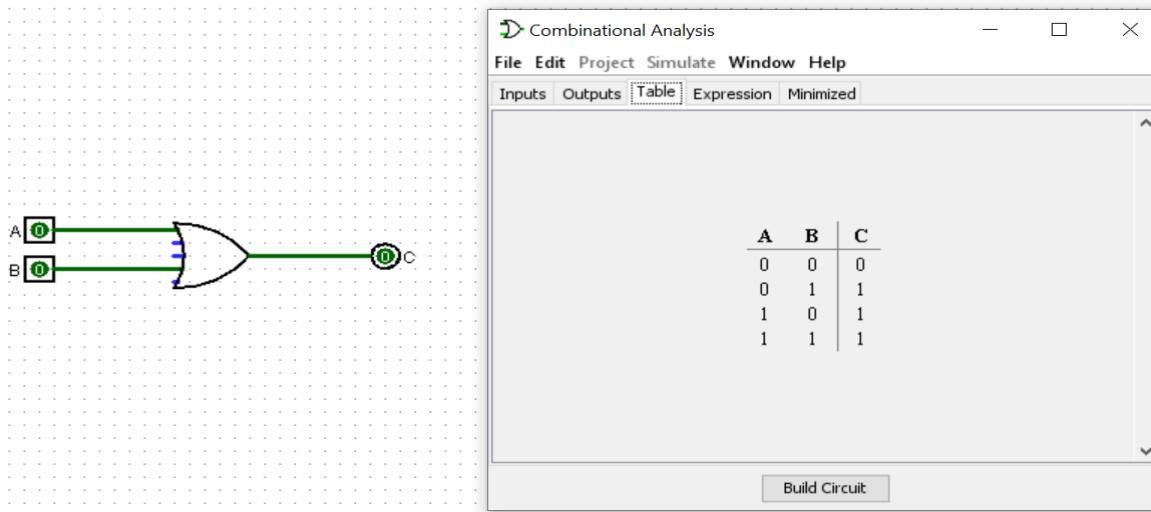
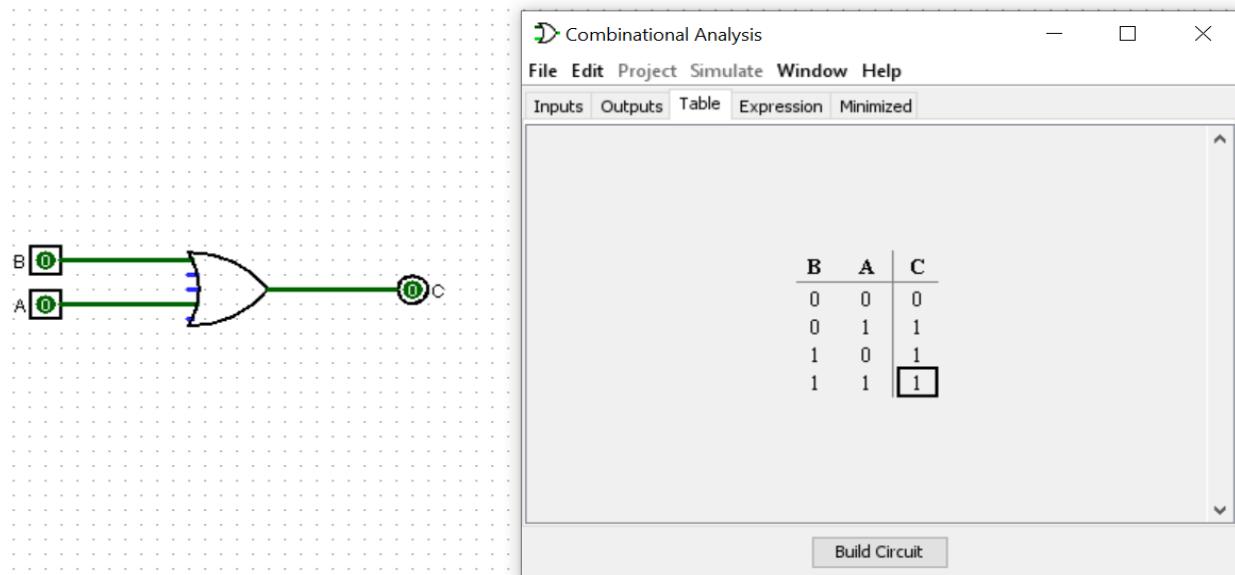
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<Register Number> 195001106

1. Commutative law

i. $A+B = B+A$

Output

Screenshot of LogiSIM - verifying Commutative Law

LHS – A+B**RHS – B+A**

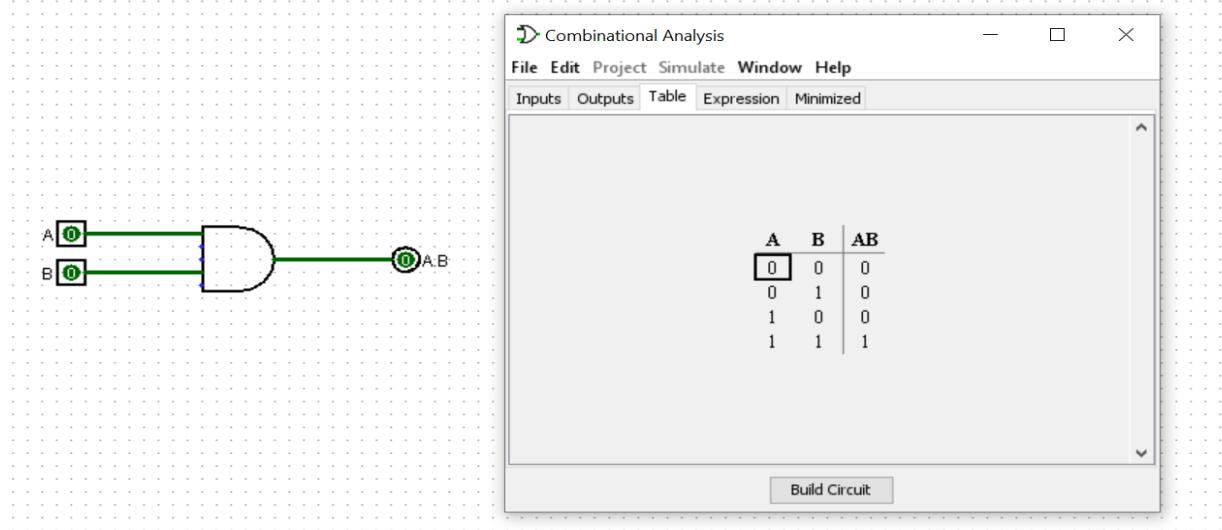
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ii. A.B=B.A

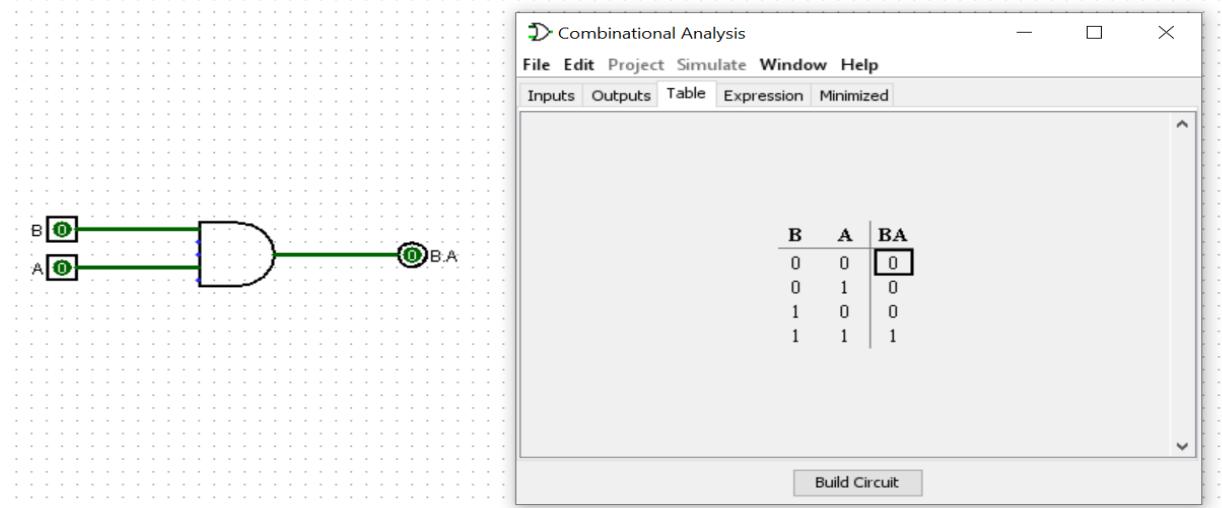
Output

Screenshot of LogiSIM - verifying Commutative Law

LHS-A.B



RHS-B.A



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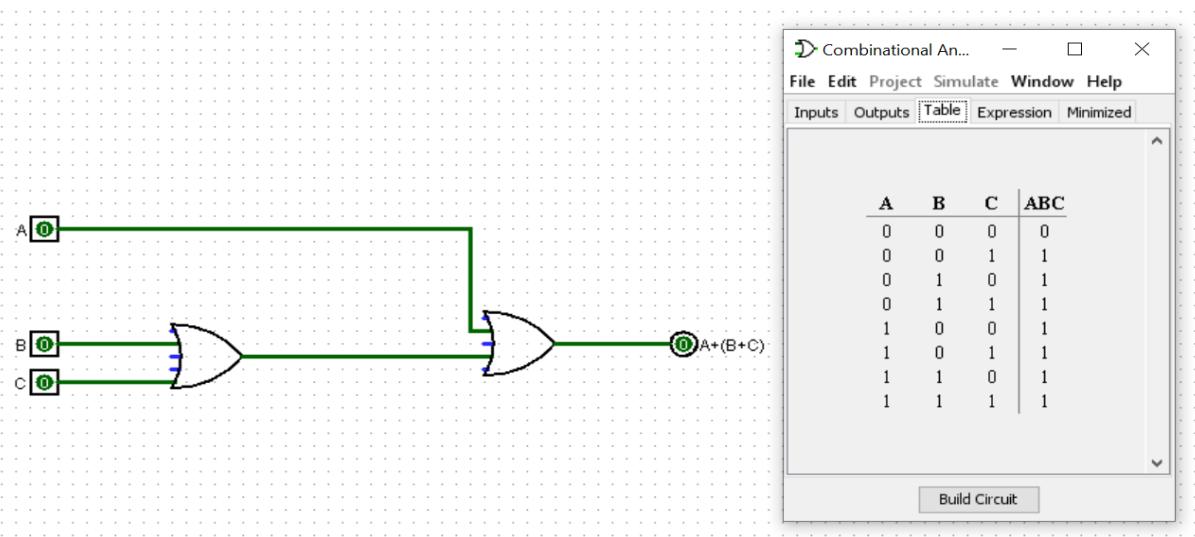
2. Associative law

$$\text{i. } A+(B+C) = (A+B)+C$$

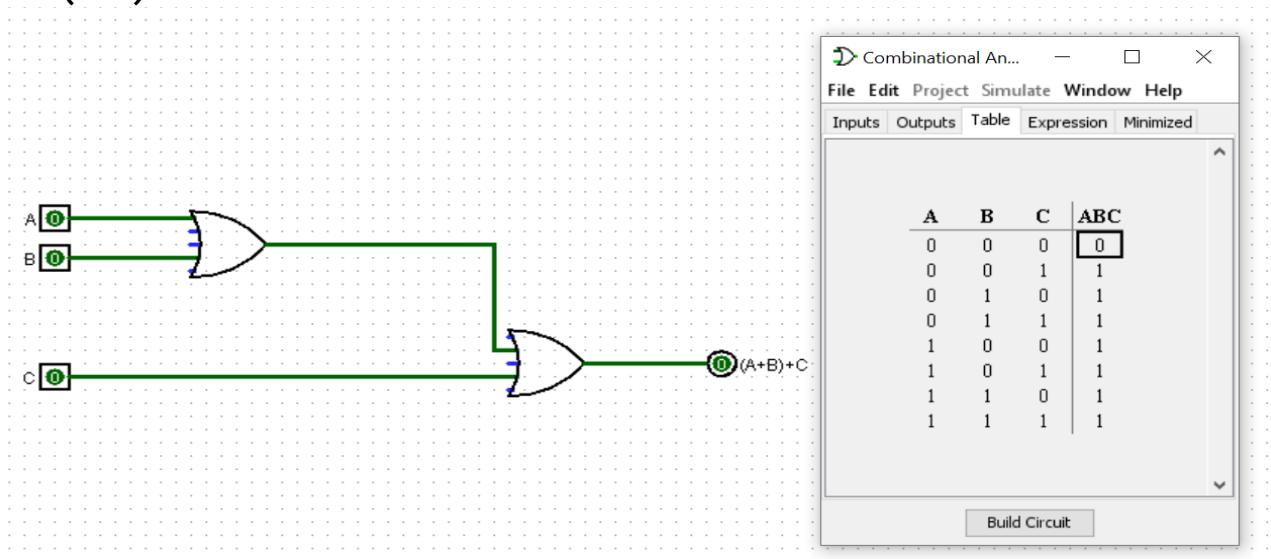
Output

Screenshot of LogiSIM - verifying Associative Law

$$\text{LHS} = A+(B+C)$$



$$\text{RHS} = (A+B)+C$$



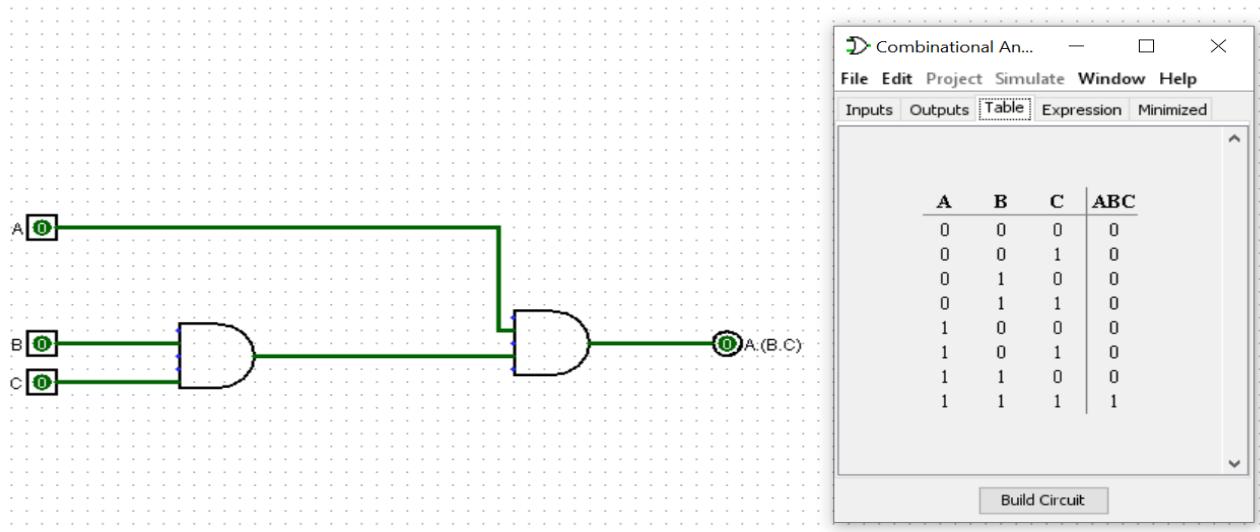
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 <Register Number> 195001106

$$\text{ii. } A.(B.C) = (A.B).C$$

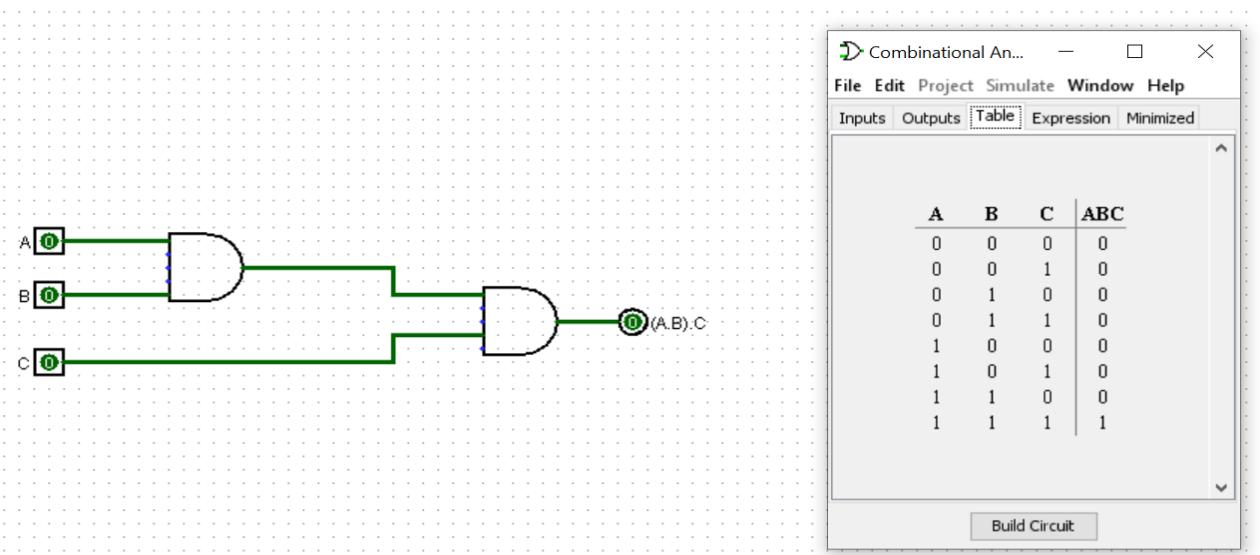
Output

Screenshot of LogiSIM - verifying Associative Law

$$\text{LHS} = A.(B.C)$$



$$\text{RHS} = (A.B).C$$



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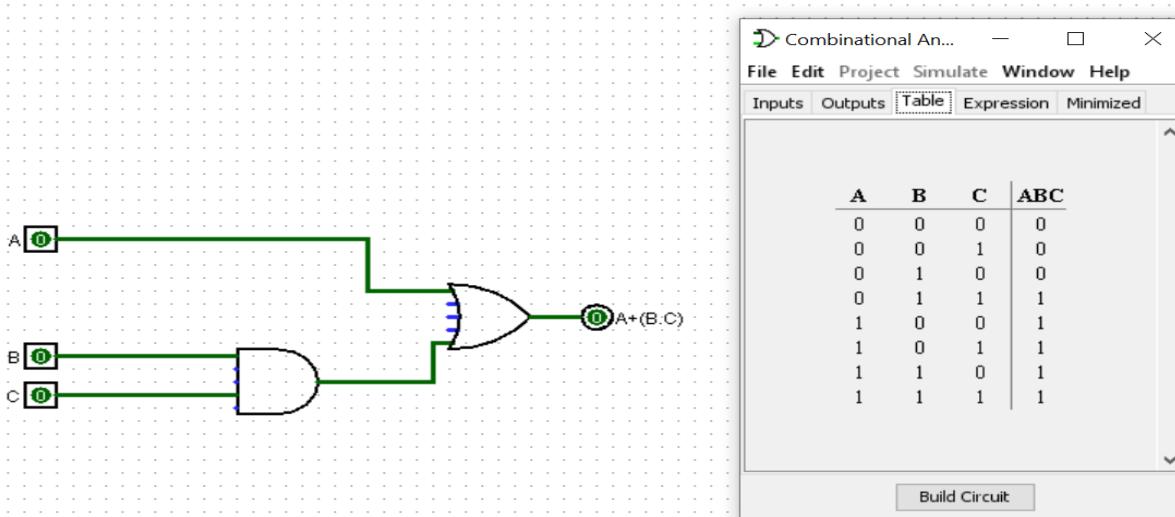
3. Distributive law

$$\text{i. } A + (B \cdot C) = (A + B) \cdot (A + C)$$

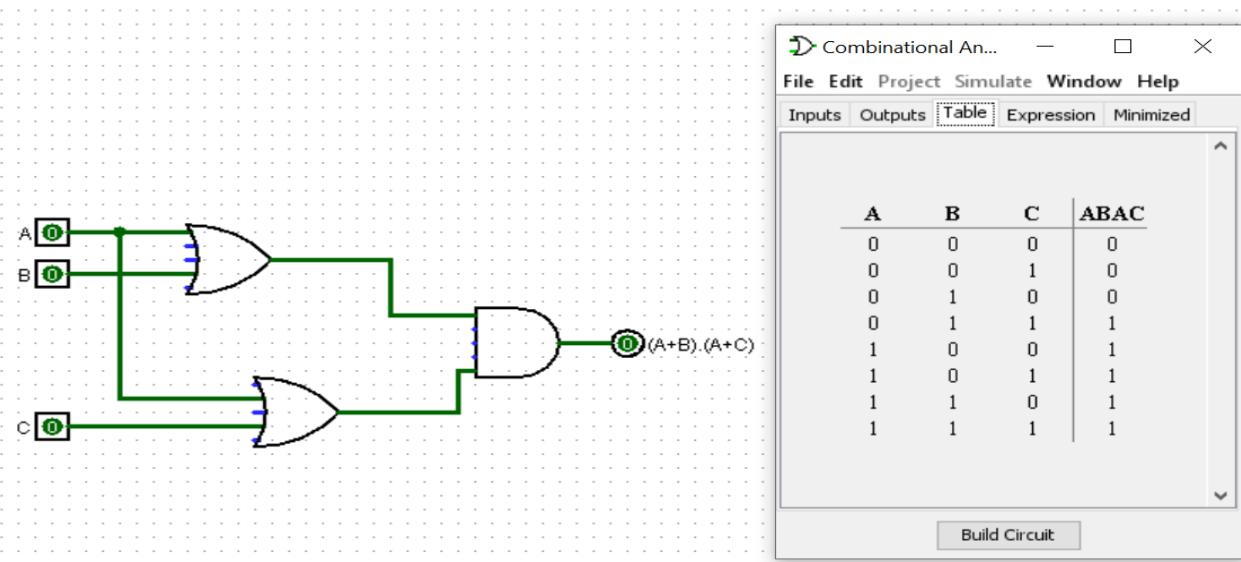
Output

Screenshot of LogiSIM - verifying Distributive Law

$$\text{LHS} = (A + (B \cdot C))$$



$$\text{RHS} = (A + B) \cdot (A + C)$$



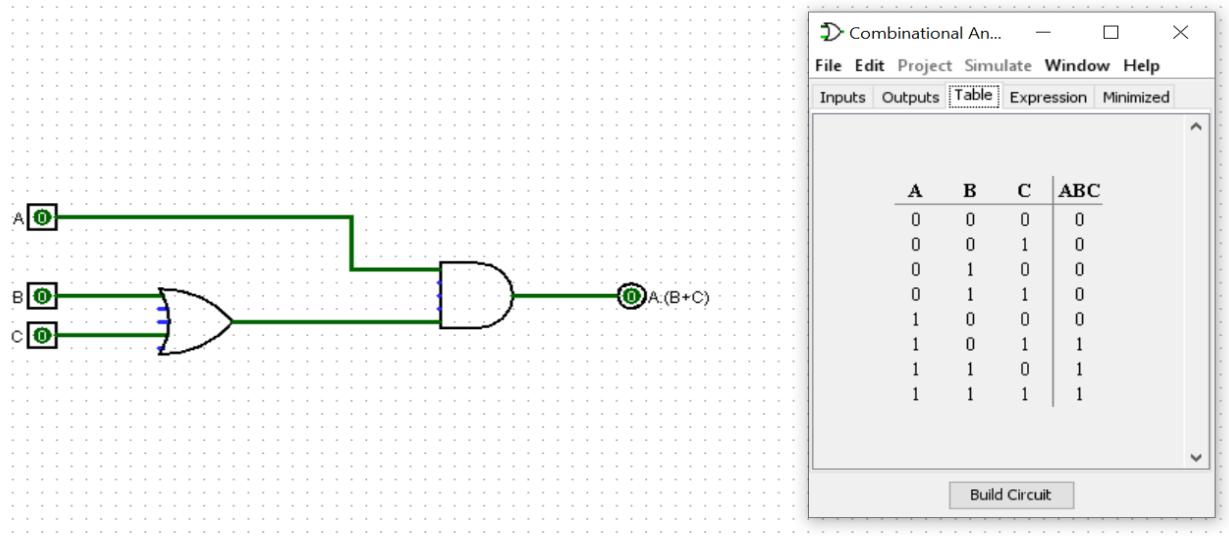
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$$\text{ii. } A.(B+C) = (A.B)+(A.C)$$

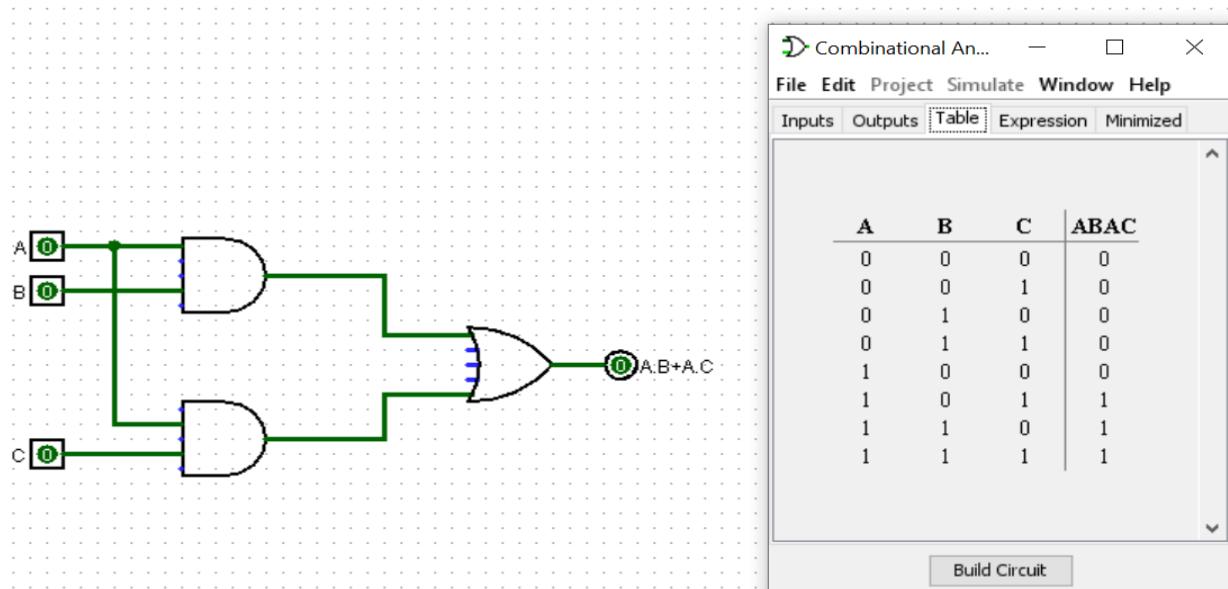
Output

Screenshot of LogiSIM - verifying Distributive Law

$$\text{LHS} = A.(B+C)$$



$$\text{RHS} = (A.B)+(A.C)$$



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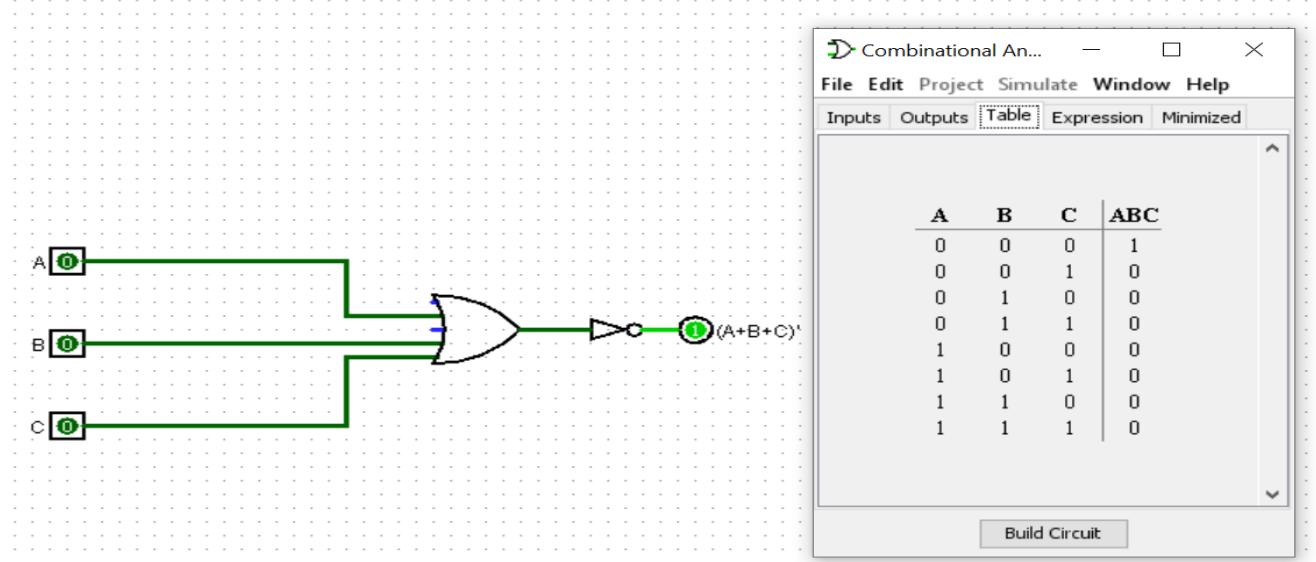
4. De - Morgan's law

i. $(A + B + C)' = A' \cdot B' \cdot C'$

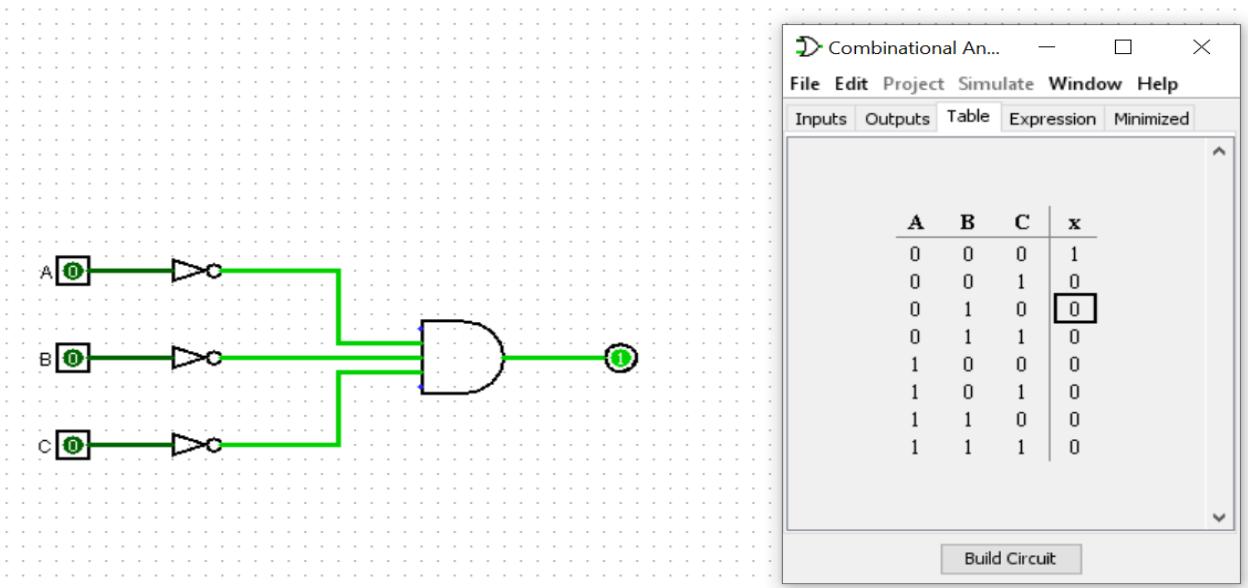
Output

Screenshot of LogiSIM - verifying De-Morgan's Law

LHS = $(A+B+C)'$



RHS = $A' \cdot B' \cdot C'$



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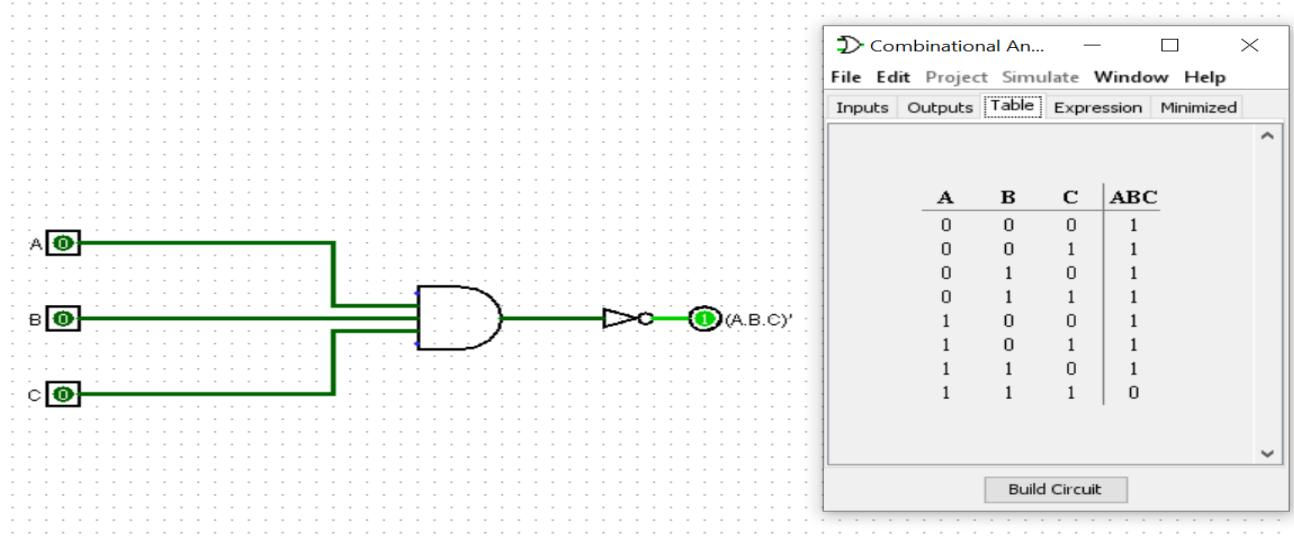
<Register Number> 195001106

$$\text{ii. } (A \cdot B \cdot C)' = A' + B' + C'$$

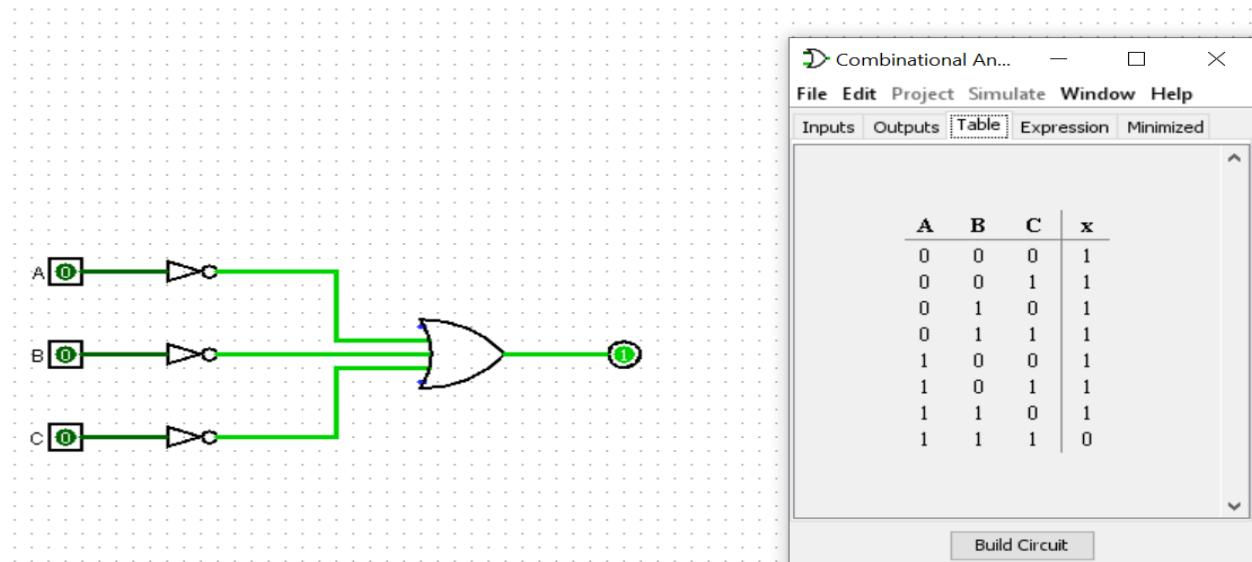
Output

Screenshot of LogiSIM - verifying De Morgens Law

$$\text{LHS} = (A \cdot B \cdot C)'$$



$$\text{RHS} = A' + B' + C'$$



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<Register Number> 195001106

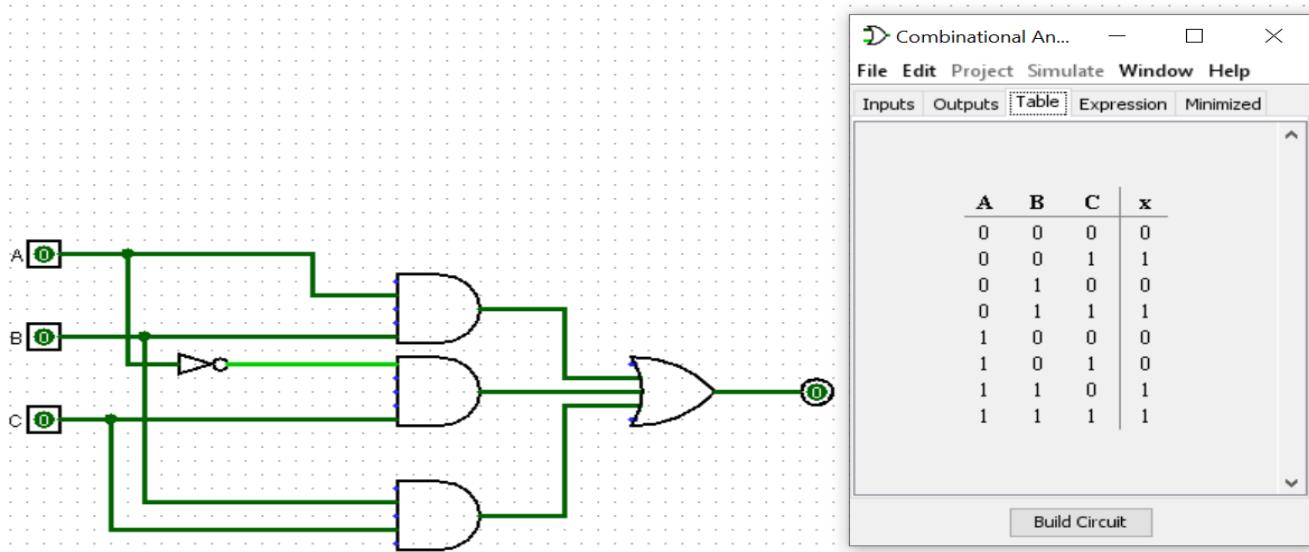
5. Consensus theorem

i. $A \cdot B + A' \cdot C + B \cdot C = A \cdot B + A' \cdot C$

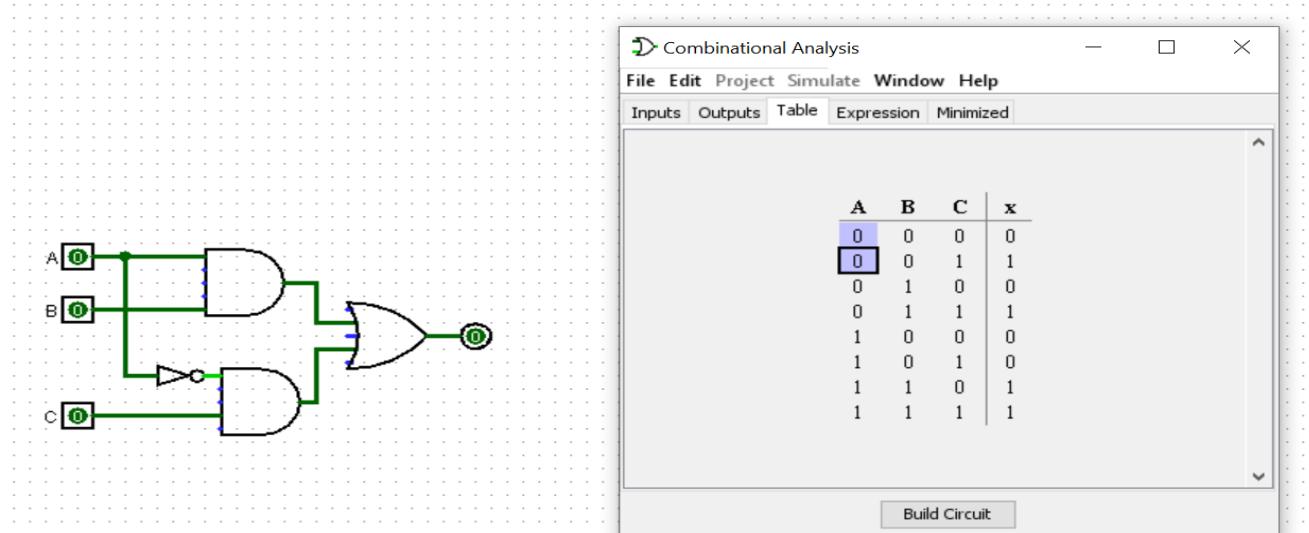
Output

Screenshot of LogiSIM - verifying Consensus theorem

LHS = $(A \cdot B + A' \cdot C + B \cdot C)$



RHS = $(A \cdot B + A' \cdot C)$



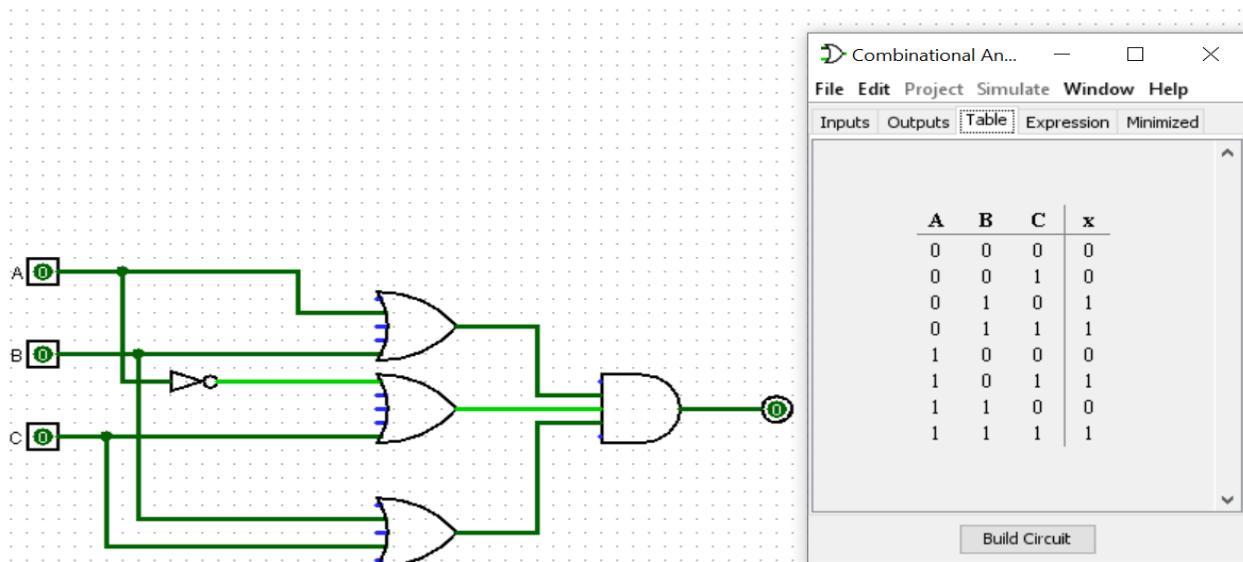
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 <Register Number> 195001106

$$\text{ii. } (A+B) \cdot (A'+C) \cdot (B+C) = (A+B) \cdot (A'+C)$$

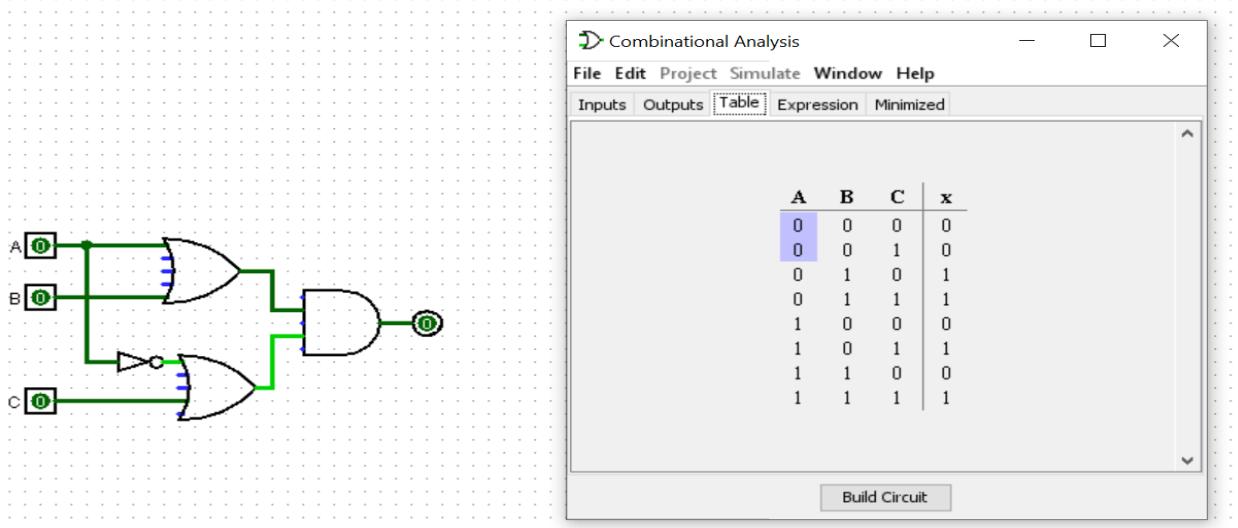
Output

Screenshot of LogiSIM - verifying Consensus Law

$$\text{LHS} = ((A+B) \cdot (A'+C) \cdot (B+C))$$



$$\text{RHS} = (A+B) \cdot (A'+C)$$



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6. Absorption theorem

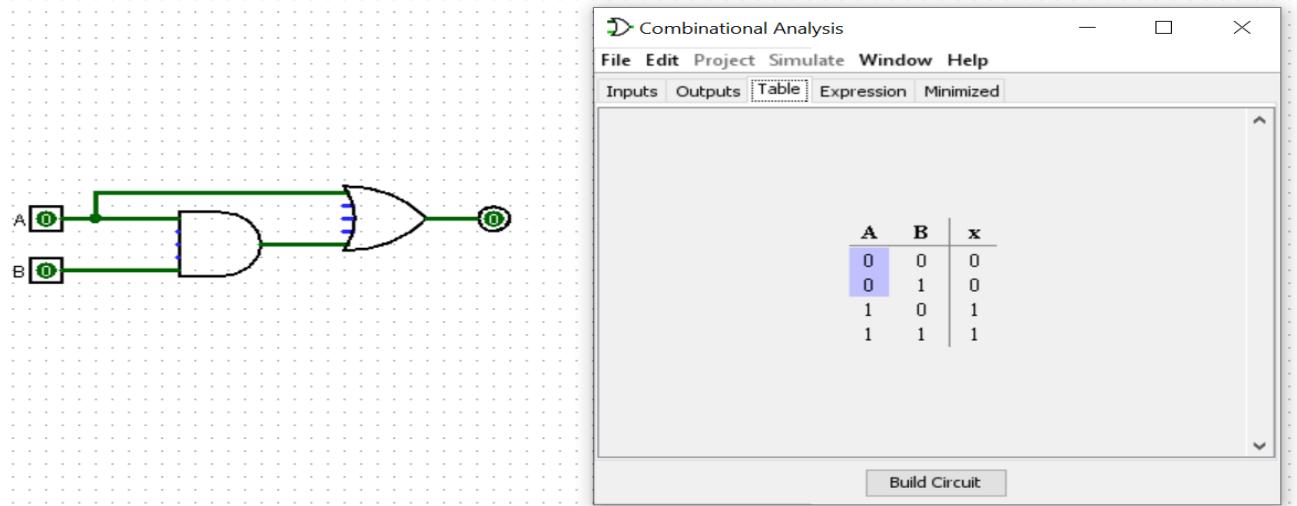
i. $A + A \cdot B = A$

Output

Screenshot of LogiSIM - verifying Absorption theorem

LHS = $(A + A \cdot B)$

RHS = A



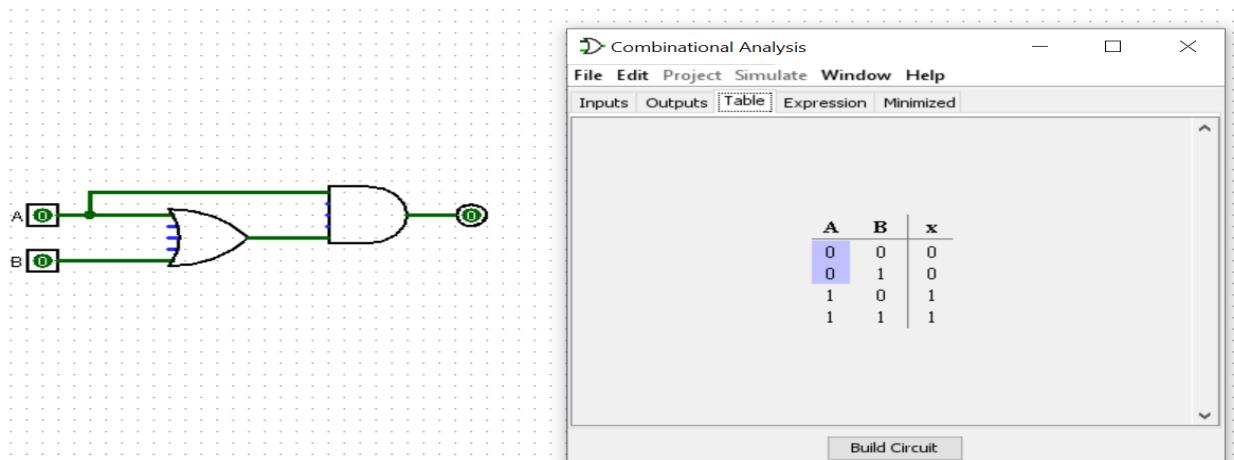
ii. $A \cdot (A + B) = A$

RHS = A

Output

Screenshot of LogiSIM - verifying Aborption theorem ($A \cdot (A + B) = A$)

LHS = $(A \cdot (A + B))$



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7. Idempotency theorem

- i. $A + A = A$
- ii. $A \cdot A = A$

8. Involution law or Double Complement Law

- i. $(A')' = A$

9. Identity Law

- i. $A + 0 = A$
- ii. $A \cdot 1 = A$

10. Complementary or Inverse Law

- i. $A + A' = 1$
- ii. $A \cdot A' = 0$

11. Null element for + and .(dot) operator

- i. $A + 1 = 1$
- ii. $A \cdot 0 = 0$

Results

The outputs of the given logic gates are verified, and the truth tables are drawn.

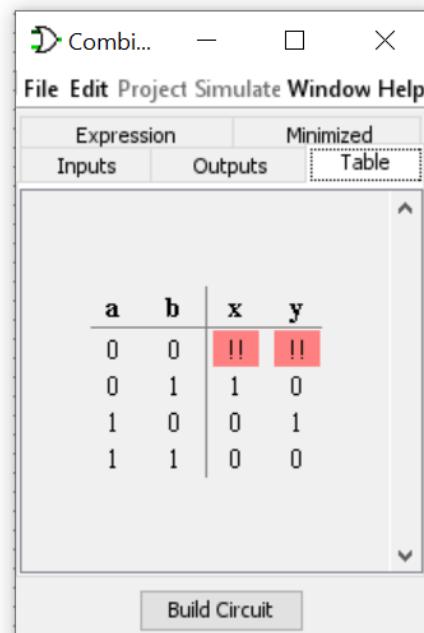
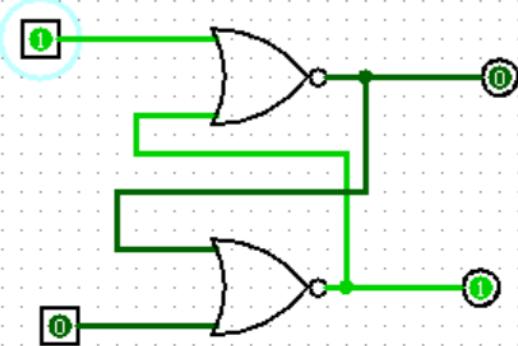
Name : Shreya Sriram
 Register No: 195001106

Aim :

To study different types of Flip Flops.

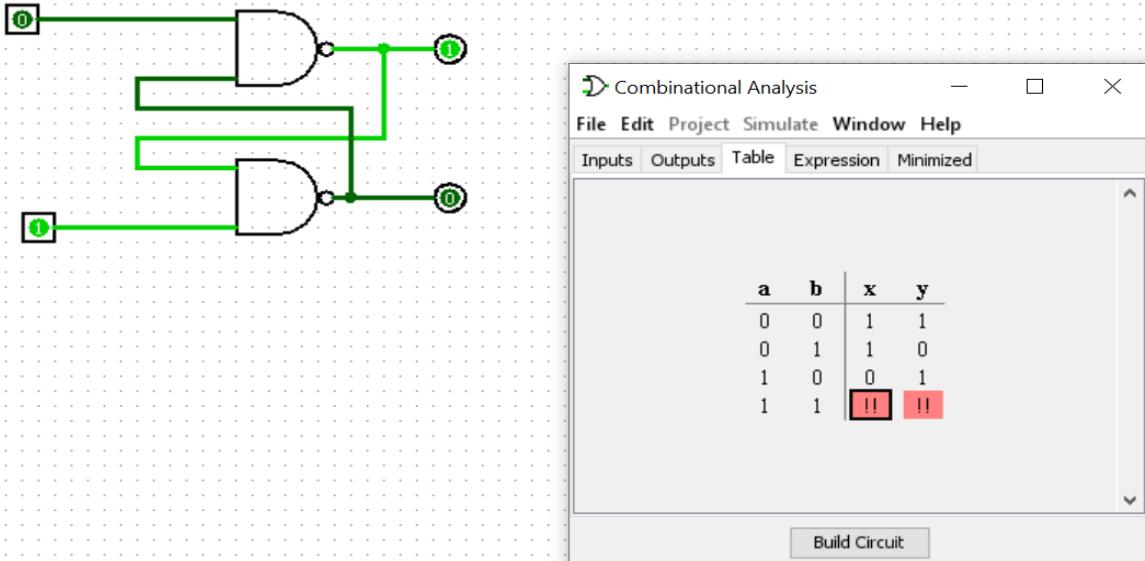
Apparatus Required:

S.No	Component Name	IC Number	Quantity
1	NOT GATE	7404	2
2	EX- OR Gate	7486	3
3	AND Gate	7408	1
4	OR GATE	7432	2
5	NANAD	7400	2
6	NOR GATE	7402	2
7	IC TRAINER KIT	-	1
8	Connecting wires	-	30

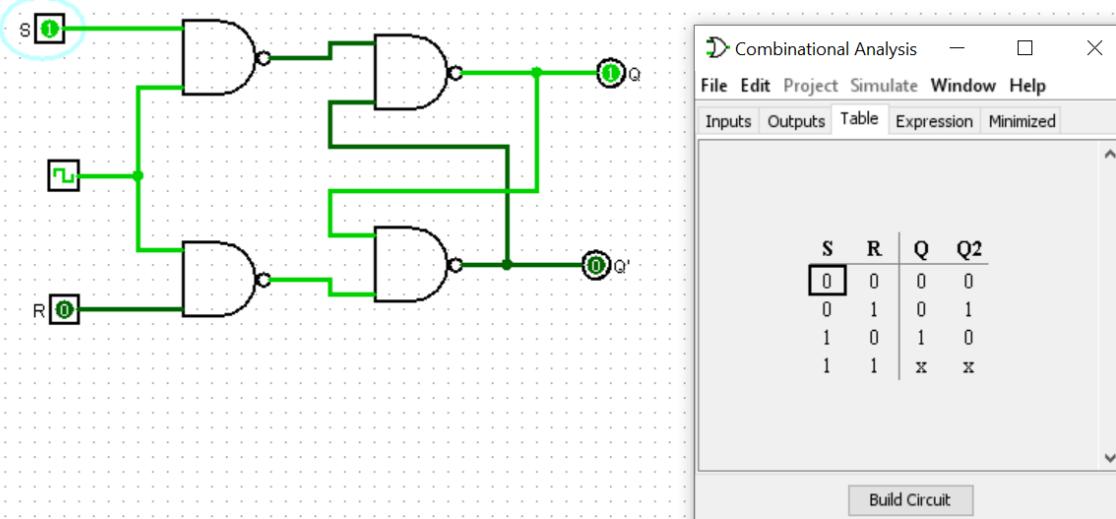
1. SR Latch Using NOR

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2. SR Latch using NAND GATE



3. SR Flip Flop (Set Reset Flip Flop)

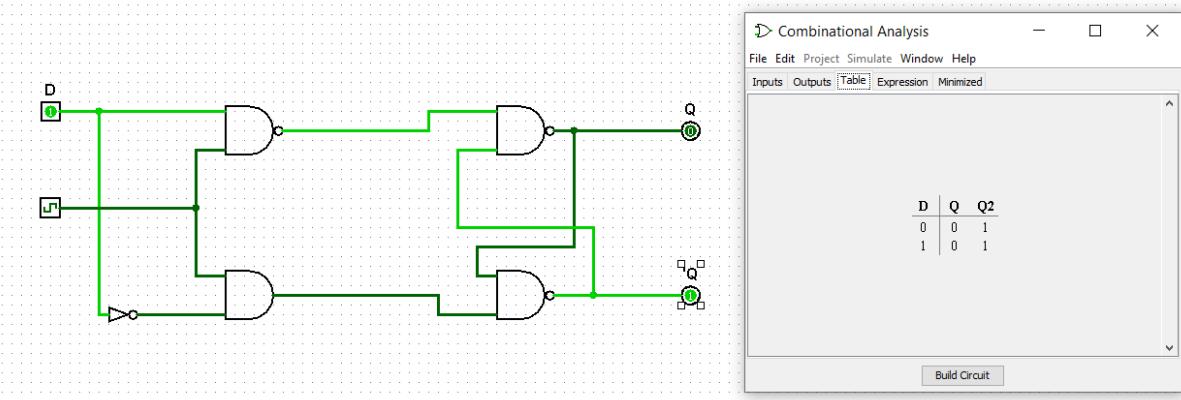


Characteristic Equation:

$$Q(t+1) = S + R' \cdot Q(t)$$

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4. D Flip Flop (Data / Delay Flip Flop)



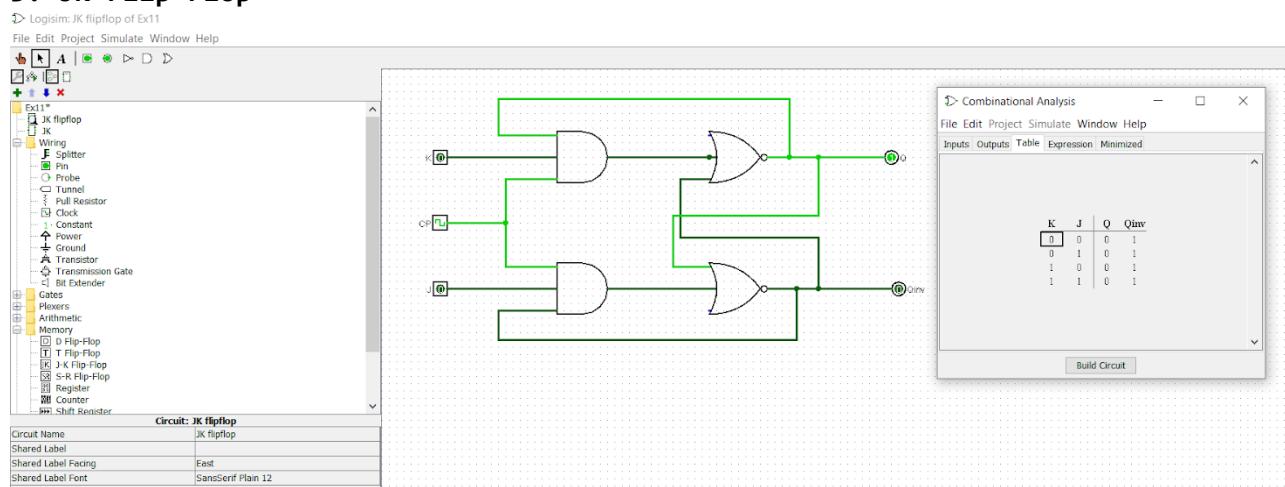
Characteristic Equation:

$$Q(t+1) = D$$

Characteristic Table of D Flip Flop

CLK	D	$Q(t+1)$
0	X	$Q(t)$ No Change
1	0	0 Reset
1	1	1 Set

5. JK Flip Flop



Characteristic Equation:

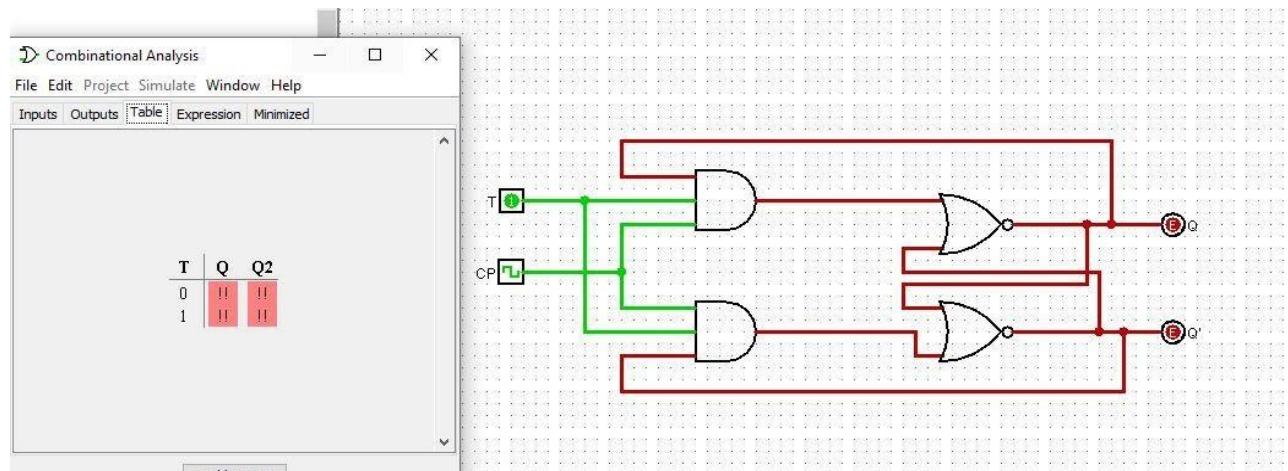
$$Q(t+1) = JQ(t)' + K' Q(t)$$

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Characteristic Table of JK Flip Flop

CLJ	J	K	Q(t+1)
0	X	X	Q(t) (No Change)
1	1	0	1 (Set)
1	0	1	0 (Reset)
1	1	1	Q(t)' (Complement)
1	0	0	Q(t) (No Change)

6. T Flip Flop (Toggle Flip Flop)



Characteristic Equation:

$$Q(t+1) = TQ(t)' + T'Q(t)$$

$$Q(t+1) = T \oplus Q(t)$$

Characteristic Table of T Flip Flop

CLK	T	Q(t+1)
0	X	Q(t) (No Change)
1	1	Q(t)' (Complement)
1	0	Q(t) (No Change)

Result:

The different types of Flip Flops were designed and implemented successfully.

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Aim :

To design and implement a combinational circuit for 4:1 MUX and 1:4 DEMUX

Apparatus Required :

S.No	Component Name	IC Number	Quantity
1	NOT Gate	7404	2
2.	Ex-OR Gate	7486	3
3	AND Gate	7408	1
4	OR Gate	7432	2
5	IC Trainer Kit	-	1
6	Connecting Wires	-	30

Theory :**MULTIPLEXER**

Multiplexer means transmitting a large number of information units over a smaller number of channels or lines. A digital multiplexer is a combinational circuit that selects binary information from one of many input lines and directs it to a single output line. The selection of a particular input line is controlled by a set of selection lines. Normally there are 2^n input lines and n selection lines whose bit combination determines which input is selected.

DEMUTIPLEXER

The function of demultiplexer is in contrast to multiplexer function. It takes information from one line and distributes it to a given number of output lines. For this reason, the demultiplexer is also known as a data distributor. Decoder can also be used as a demultiplexer.

In the 1:4 demultiplexer circuit, the data input line goes to all of the AND gates. The data select lines enable only one gate at a time and the data input line will pass through the selected gate to the associated data output line.

Multiplexer :**FUNCTION TABLE**

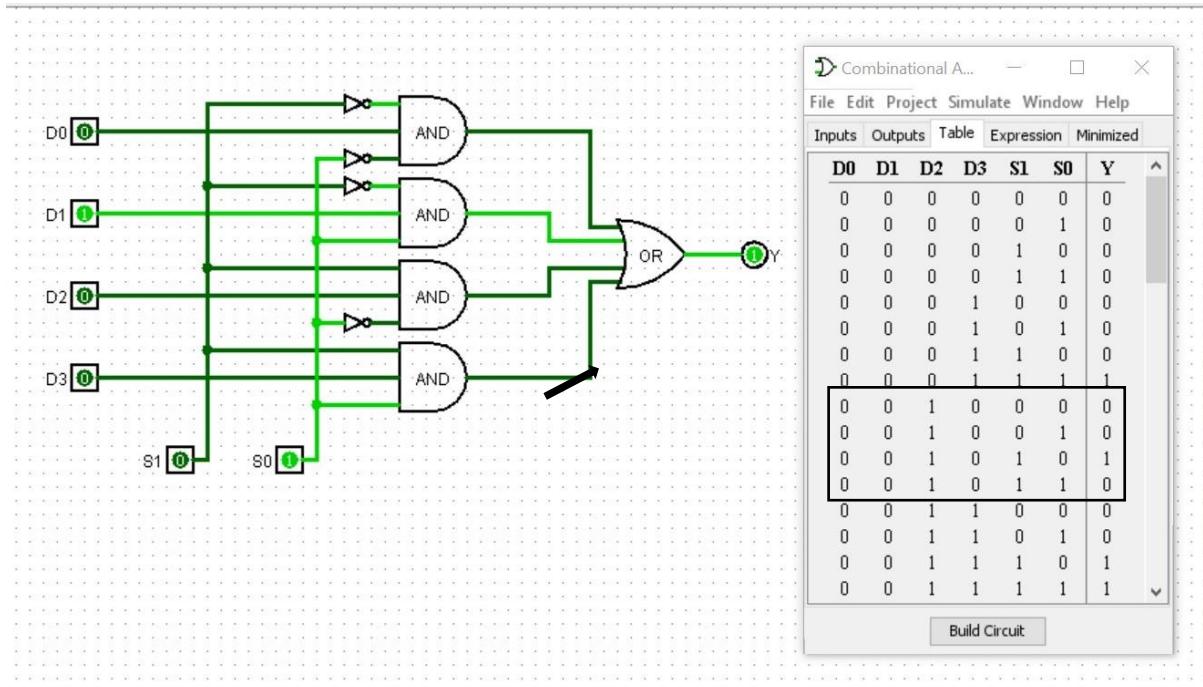
S1	S0	INPUTS Y
0	0	D0 -> D0S1'S0'
0	1	D1 -> D1S1'S0
1	0	D2 -> D2S1S0'
1	1	D3 -> D3S1S0

$$Y = D0S1'S0' + D1S1'S0 + D2S1S0' + D3S1S0$$

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TRUTH TABLE

S1	S0	Y = OUTPUT
0	0	D0
0	1	D1
1	0	D2
1	1	D3

LOGIC CIRCUIT

Demultiplexer :

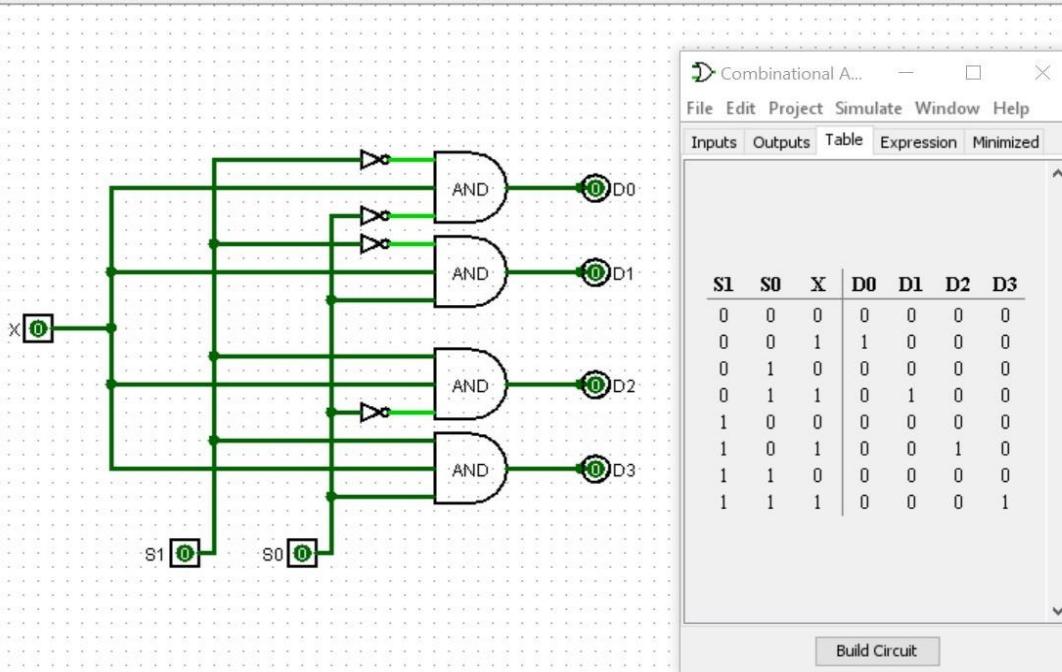
FUNCTION TABLE

S1	S0	INPUTS Y
0	0	X -> D0 = XS1'S0'
0	1	X -> D1 = XS1'S0
1	0	X -> D2 = XS1S0'
1	1	X -> D3 = XS1S0

$$Y = XS1'S0' + XS1'S0 + XS1S0' + XS1S0$$

TRUTH TABLE

INPUT			OUTPUT			
S1	S0	I/P	D0	D1	D2	D3
0	0	0	0	0	0	0
0	0	1	1	0	0	0
0	1	0	0	0	0	0
0	1	1	0	1	0	0
1	0	0	0	0	0	0
1	0	1	0	0	1	0
1	1	0	0	0	0	0
1	1	1	0	0	0	1

LOGIC CIRCUIT**Result :**

The combinational circuit for 4:1 MUX and 1:4 DEMUX were designed and implemented successfully.

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DESIGNING PARITY GENERATOR AND CHECKER

Objective

To design and implement a combinational circuit for odd and even parity generator and checker with 3-bit data.

APPARATUS REQUIRED:

S.No	Component Name	IC Number	Quantity
1	NOT GATE	IC 7404	2
2	EX-OR GATE	IC 7486	3
3	IC TRAINER KIT	-	1
4	PATCH CORDS	-	30

EVEN PARITY GENERATOR:

Truth table:

3-bit message			Even parity generator
A	B	C	F
0	0	0	0
0	0	1	1
0	1	0	1
0	1	1	0
1	0	0	1
1	0	1	0
1	1	0	0
1	1	1	1

Sum of minterms (SOP):

$$F = A' B' C + A' B C' + A B' C' + A B C$$

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Truth Table:

A/BC	00	01	11	10
00	0	1	0	1
01	1	0	1	0

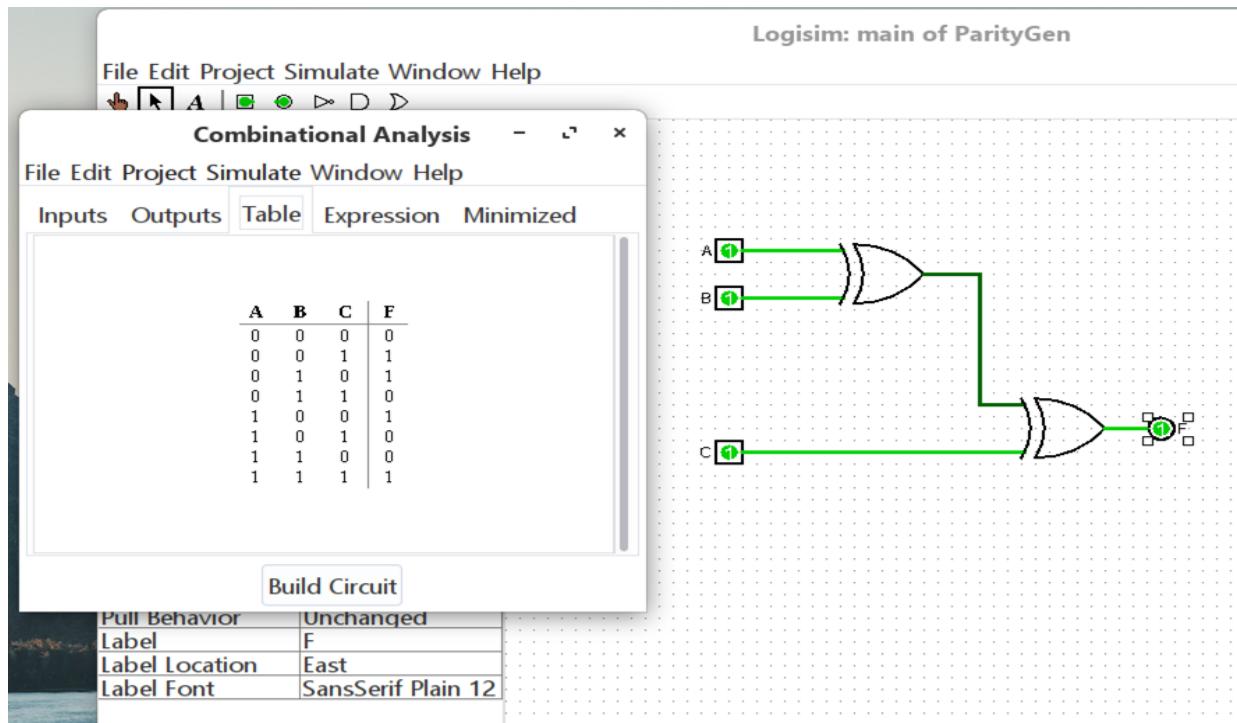
Simplified Boolean Expression

$$P = \bar{A} \bar{B} C + \bar{A} B \bar{C} + A \bar{B} \bar{C} + A B C$$

$$= \bar{A} (\bar{B} C + B \bar{C}) + A (\bar{B} \bar{C} + B C)$$

$$= \bar{A} (B \oplus C) + A (\bar{B} \oplus \bar{C})$$

$$P = A \oplus B \oplus C$$

Logic Diagram:

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<Register Number>195001106

ODD PARITY GENERATOR:

Truth table:

3-bit message			Even parity generator
A	B	C	F
0	0	0	1
0	0	1	0
0	1	0	0
0	1	1	1
1	0	0	0
1	0	1	1
1	1	0	1
1	1	1	0

Sum of minterms (SOP):

$$F = ABC' + AB'C + A'BC + A'B'C'$$

Truth Table:

A/BC	00	01	11	10
00	1	0	1	0
01	0	1	0	1

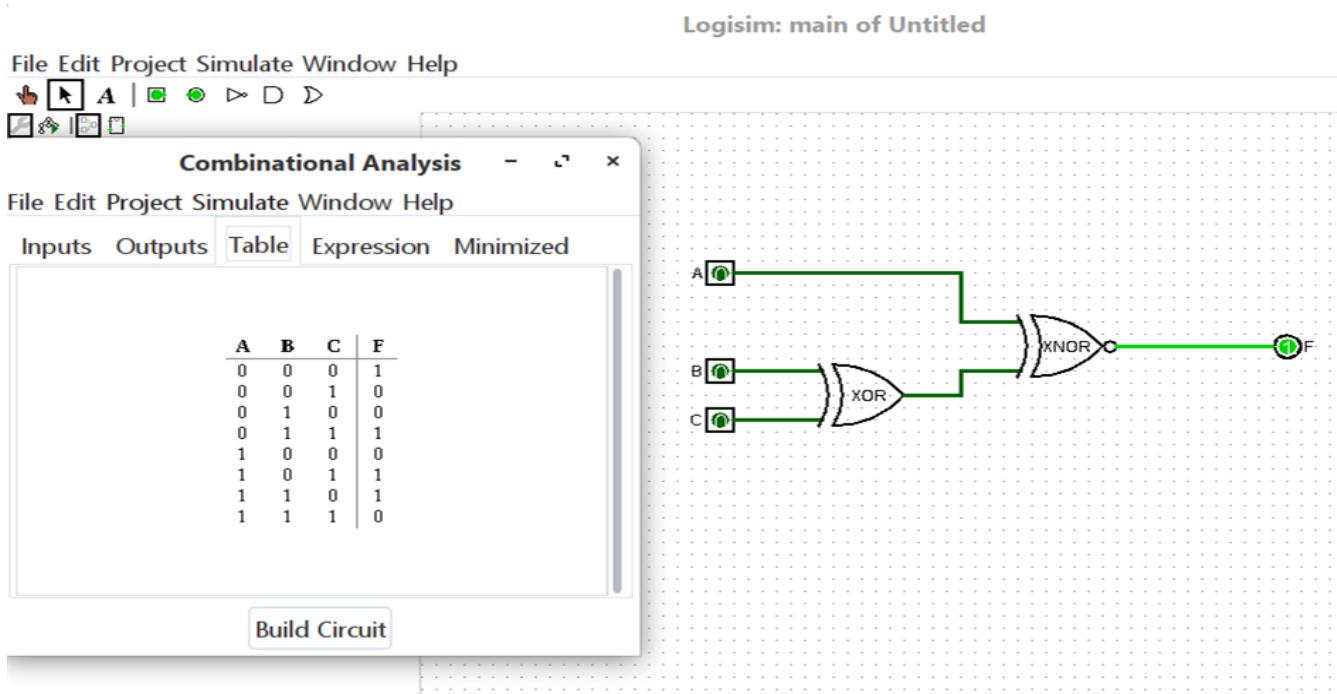
Simplified Boolean Expression

$$\begin{aligned}
 F &= ABC' + AB'C + A'BC + A'B'C' \\
 &= A(BC' + B'C) + A'(BC + B'C') \\
 &= A(\text{XOR}(B, C)) + A'(\text{XNOR}(B, C)) \\
 &= \text{XNOR}(A, \text{XOR}(B, C)).
 \end{aligned}$$

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Logic Diagram:



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EVEN PARITY CHECKER**TRUTH TABLE:**

A	B	C	P	EPC
0	0	0	0	0
0	0	0	1	1
0	0	1	0	1
0	0	1	1	0
0	1	0	0	1
0	1	0	1	0
0	1	1	0	0
0	1	1	1	1
1	0	0	0	1
1	0	0	1	0
1	0	1	0	0
1	0	1	1	1
1	1	0	0	0
1	1	0	1	1
1	1	1	0	1
1	1	1	1	0

SOP EXPRESSION

$$\text{EPC} = (A'B'C'P) + (A'B'CP') + (A'BC'P') + (A'BCP) + (AB'C'P') + (AB'CP) + (ABC'P) + (ABCP')$$

K MAP

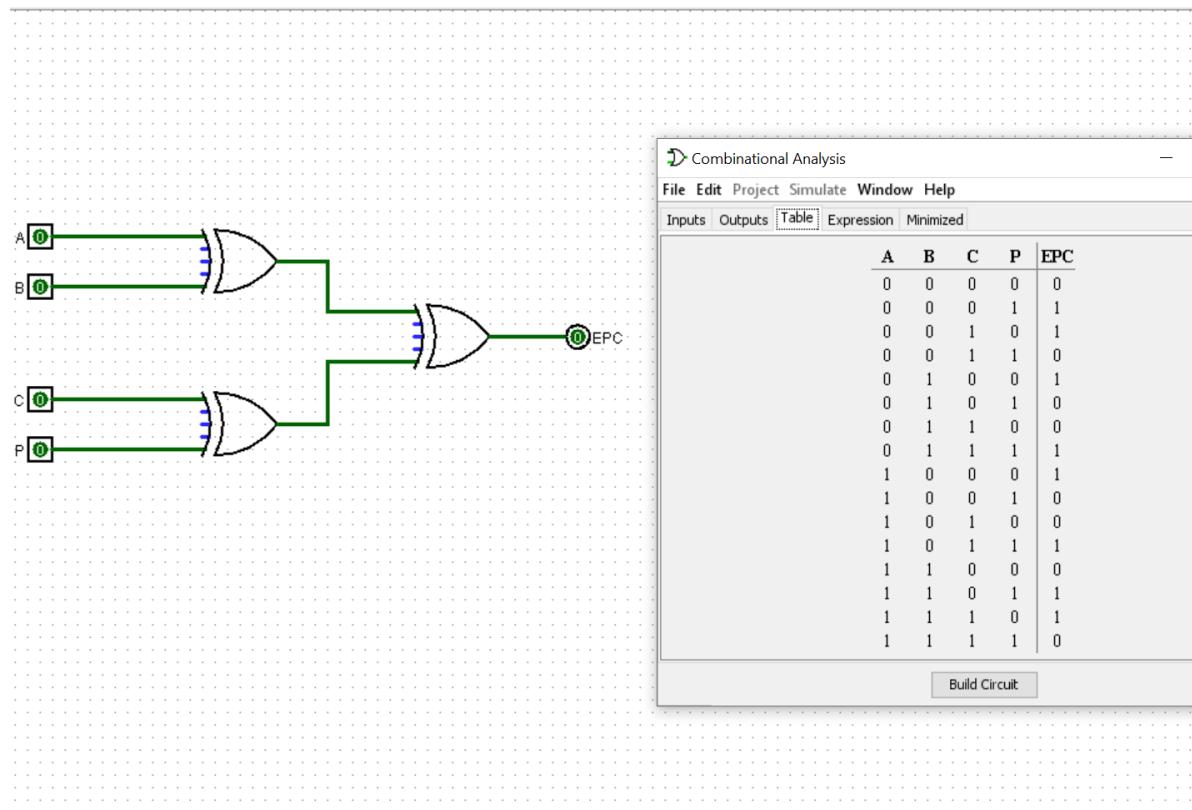
AB/CD	00	01	11	10
00	0	1	0	1
01	1	0	1	0
11	0	1	0	1
10	1	0	1	0

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Simplified Expression

$$\begin{aligned}
 PEC &= \bar{A} \bar{B} (\bar{C} D + \underline{\bar{C}} \bar{D}) + \bar{A} B (\bar{C} \bar{D} + C D) + A B (\bar{C} D + C \bar{D}) + A \bar{B} (\bar{C} \bar{D} + C D) \\
 &= \bar{A} \bar{B} (C \oplus D) + \bar{A} B (\bar{C} \oplus \bar{D}) + A B (C \oplus D) + A \bar{B} (\bar{C} \oplus D) \\
 &= (\bar{A} \bar{B} + A B) (C \oplus D) + (\bar{A} B + A \bar{B}) (\bar{C} \oplus D) \\
 &= (A \oplus B) \oplus (C \oplus D)
 \end{aligned}$$

Logic Diagram

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ODD PARITY CHECKER**TRUTH TABLE**

A	B	C	P	OPC
0	0	0	0	1
0	0	0	1	0
0	0	1	0	0
0	0	1	1	1
0	1	0	0	0
0	1	0	1	1
0	1	1	0	1
0	1	1	1	0
1	0	0	0	0
1	0	0	1	1
1	0	1	0	1
1	0	1	1	0
1	1	0	0	1
1	1	0	1	0
1	1	1	0	0
1	1	1	1	1

SOP EXPRESSION

$$\text{OPC} = (A'B'C'P') + (A'B'CP) + (A'BC'P) + (A'BCP') + (AB'C'P) + (AB'CP') + (ABC'P') + (ABCP)$$

K MAP

AB/CD	00	01	11	10
00	1	0	1	0
01	0	1	0	1
11	1	0	1	0
10	0	1	0	1

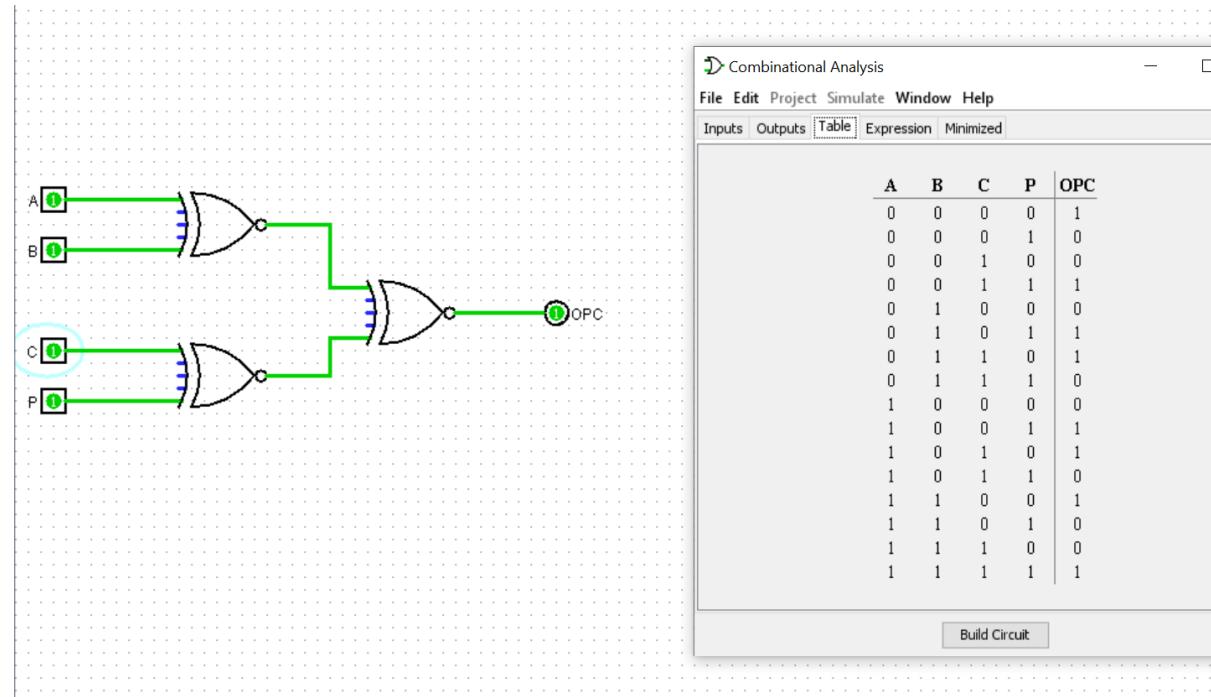
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Simplified Expression

$$OPC = (A \text{ Ex-NOR } B) \text{ Ex-NOR } (C \text{ Ex-NOR } D)$$

Logic Diagram:



RESULT:

The combinational circuits for odd and even parity generator and checker with 3-bit data have been designed and implemented and truth tables have been verified.

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Aim :

To design and implement a 4:2 Priority Encoder.

Apparatus Required :

S.No	Component Name	IC Number	Quantity
1	NOT Gate	7404	2
2	AND Gate	7408	1
2	OR Gate	7432	2
4	IC Trainer Kit	-	1
6	Connecting Wires	-	30

Priority Encoder :

Encoder circuit is a combinational circuit which takes binary information in 2^n input lines and produces n outputs. Encoder produces the binary equivalent of input lines. At any given time, only one input line can be high in encoder circuit. If more than one input is high at the same time, encoder circuit must establish a priority on inputs. An encoder circuit, that gives priority to inputs, is called as Priority Encoder. The higher priority will be given to higher input suffix. For input lines 0000 and 0001, output will be 00. To differentiate between both or to resolve the ambiguity on both type of inputs, a Valid (V) bit is considered as one of the outputs of priority encoder circuit. V bit is set to high when there is at least one 1 in the input. V bit is low when all inputs are zero. The truth table of 4:2 priority encoder us given below.

Truth Table of 4:2 Priority Encoder :

X3	X2	X1	X0	Y1	Y0	V
0	0	0	0	0	0	0
0	0	0	1	0	0	1
0	0	1	0	0	1	1
0	0	1	1	0	1	1
0	1	0	0	1	0	1
0	1	0	1	1	0	1
0	1	1	0	1	0	1
0	1	1	1	1	0	1
1	0	0	0	1	1	1
1	0	0	1	1	1	1
1	0	1	0	1	1	1
1	0	1	1	1	1	1
1	1	0	0	1	1	1
1	1	0	1	1	1	1
1	1	1	0	1	1	1
1	1	1	1	1	1	1

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K-map :

	x_1x_0	00	01	11	10
x_3x_2	00	0	0	0	0
00	01	1	1	1	1
01	11	1	1	1	1
11	10	1	1	1	1

$$Y_1 = X_3 + X_2$$

	x_1x_0	00	01	11	10
x_3x_2	00	0	0	1	1
00	01	0	0	0	0
01	11	1	1	1	1
11	10	1	1	1	1

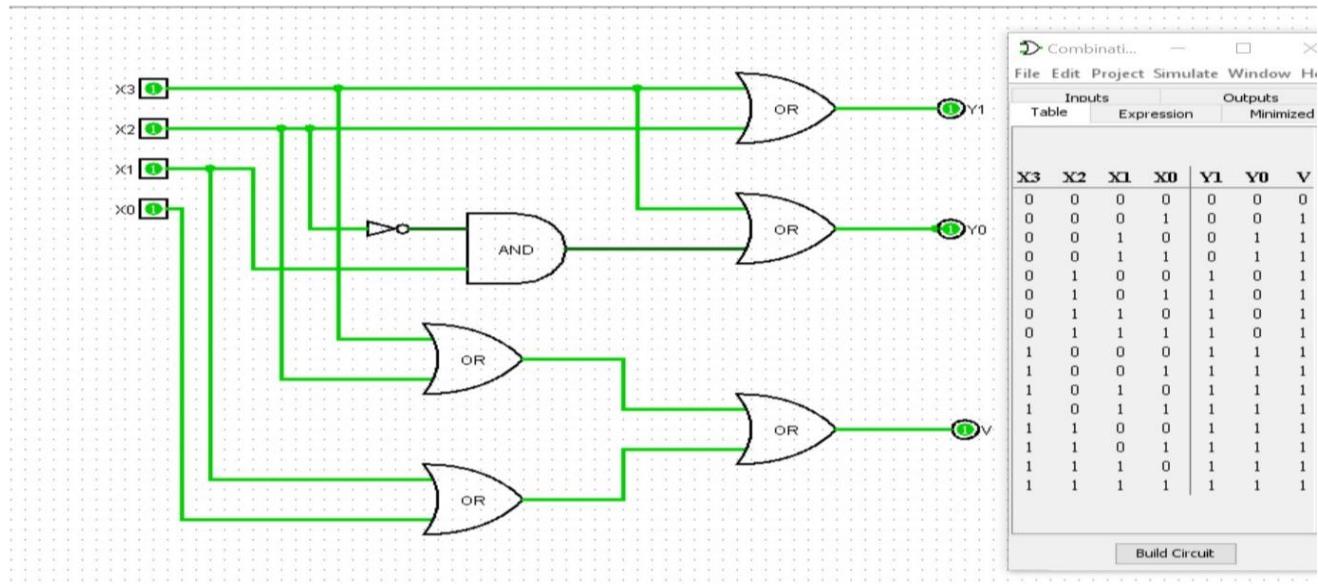
$$Y_0 = X_3 + X_2'X_1$$

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	00	01	11	10
00	0	1	1	1
01	1	1	1	1
11	1	1	1	1
10	1	1	1	1

$$V = X_3 + X_2 + X_1 + X_0$$

Logic Circuit :



Result :

4:2 Priority Encoder was designed and implemented successfully.

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EX. NO.:17

DESIGN AND IMPLEMENTATION OF MOD 10 RIPPLE COUNTER

AIM:

To design and verify Mod 10 or BCD Ripple (Asynchronous) counter using

JK Flip Flop

APPARATUS REQUIRED:

S.No.	COMPONENT	SPECIFICATION	QTY.
1.	JK FLIP FLOP	IC 7476	2
2.	NAND GATE	IC 7400	1
3.	NOT GATE	IC 7404	1
4.	IC TRAINER KIT	-	1
5.	PATCH CORDS	-	30

THEORY:

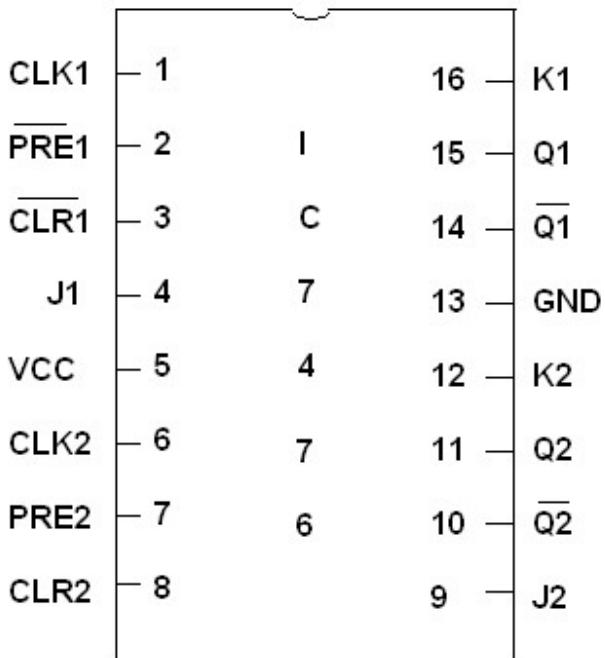
A counter is a register capable of counting number of clock pulse arriving at its clock input. Counter represents the number of clock pulses arrived. A specified sequence of states appears as counter output. This is the main difference between a register and a counter. There are two types of counter, synchronous and asynchronous. In synchronous common clock is given to all flip flop and in asynchronous first flip flop is clocked by external pulse and then each successive

—

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Register No. 195001106

flip flop is clocked by Q or \bar{Q} output of previous stage. As soon the clock of second stage is triggered by output of first stage. Because of inherent propagation delay time all flip flops are not activated at same time which results in asynchronous operation.

PIN DIAGRAM FOR IC 7476:

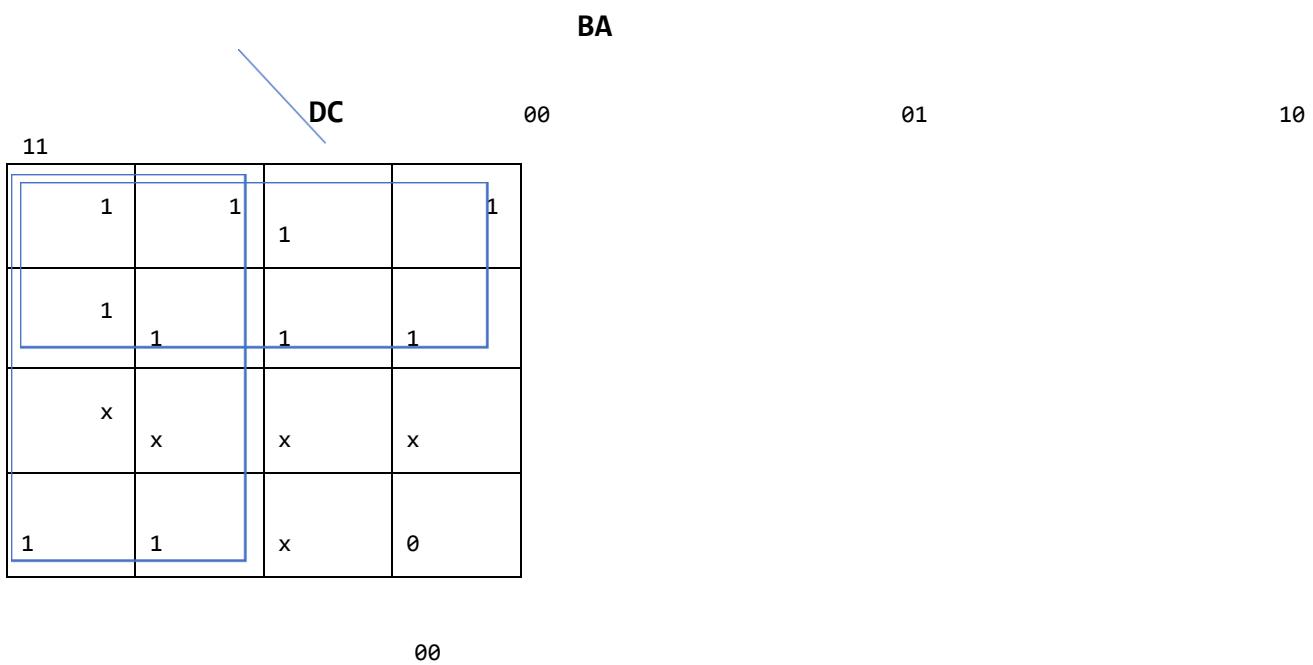


TRUTH TABLE FOR BCD RIPPLE COUNTER:

CLK Pulse	QD	QC	QB	QA	Y Output

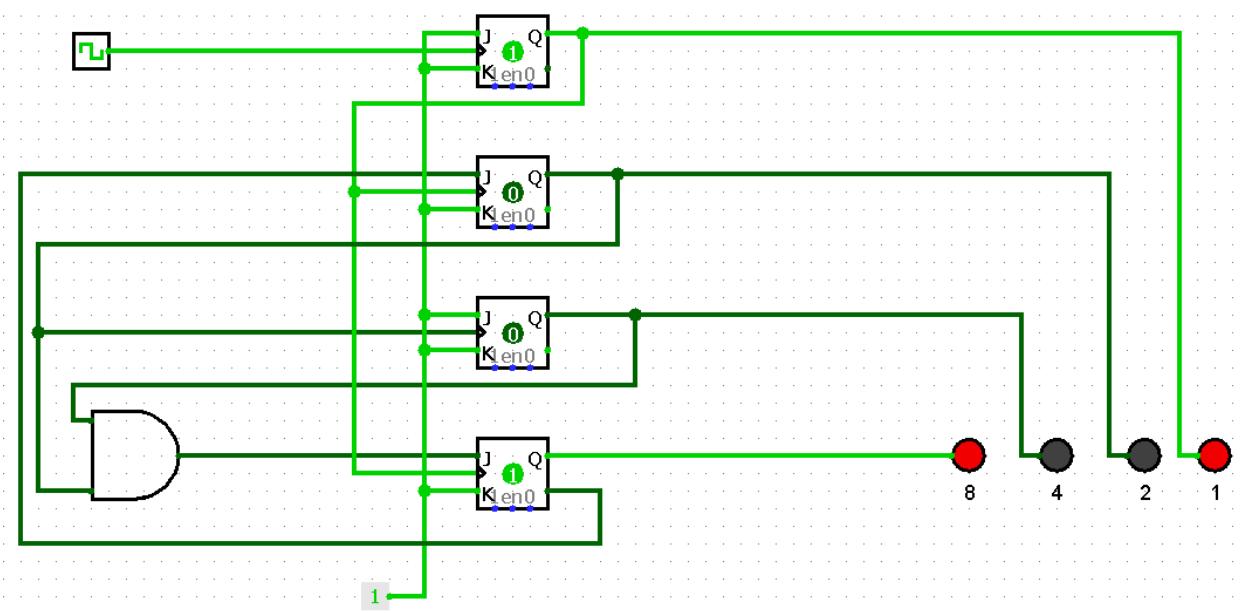
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Register No. 195001106

0	0	0	0	0	1
1	0	0	0	1	1
2	0	0	1	0	1
3	0	0	1	1	1
4	0	1	0	0	1
5	0	1	0	1	1
6	0	1	1	0	1
7	0	1	1	1	1
8	1	0	0	0	1
9	1	0	0	1	1
10	1	0	1	0	0
11	1	0	1	1	X
12	1	1	0	0	X
13	1	1	0	1	X
14	1	1	1	0	X
15	1	1	1	1	X



Equation of Y:

$$Y = D' + B'$$



EX. NO.:16

DESIGN AND IMPLEMENTATION OF 4 BIT UP/ DOWN RIPPLE COUNTER

AIM:

To design and verify 4 bit Up / Down Ripple (Asynchronous) counter using JK FlipFlop

Specifications:

1. Draw the logic diagram for 4 - Bit Ripple Up counter by giving output every JK flip flop as a clock input for next stage of JK flip flop.
2. Derive the truth table for 4 - Bit Ripple Up counter.
3. Draw the timing diagram for 4 - Bit Ripple Up counter.
4. Make connections using IC 7476 and verify the truth table for Ripple Up counter.

APPARATUS REQUIRED:

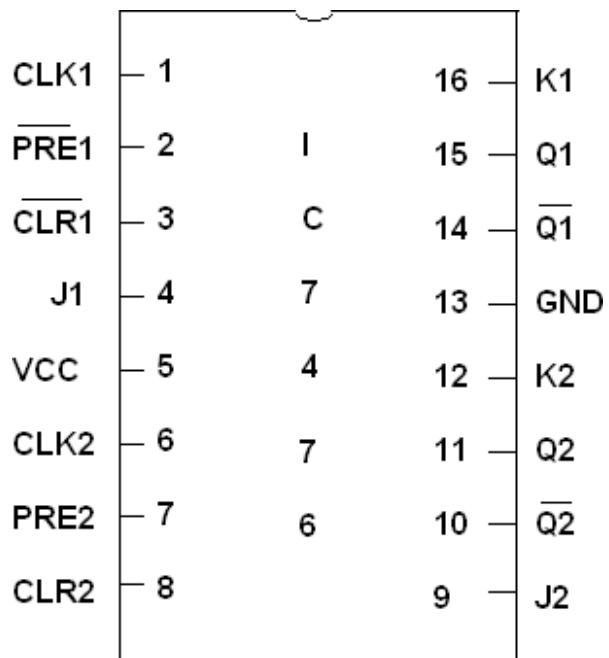
S.No .	COMPONENT	SPECIFICATION	QTY.
1.	JK FLIP FLOP	IC 7476	2
2.	NAND GATE	IC 7400	1
3.	NOT GATE	IC 7404	1
4.	IC TRAINER KIT	-	1
5.	PATCH CORDS	-	30

THEORY:

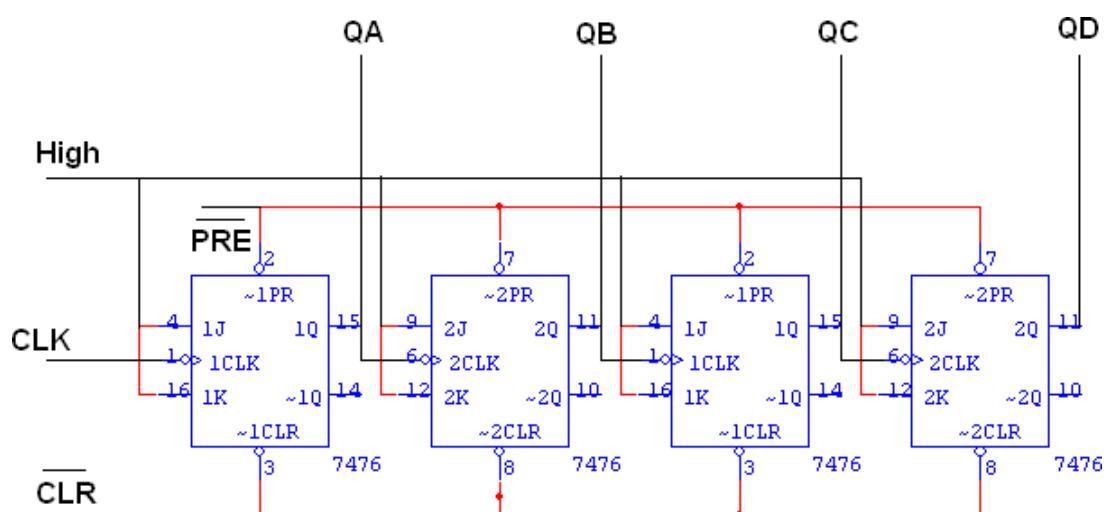
A counter is a register capable of counting number of clock pulse arriving at its clock input. Counter represents the number of clock pulses arrived. A specified sequence of states appears as counter output. This is the main difference between a register and a counter. There are two types of counter, synchronous and asynchronous. In synchronous common clock is given to all flip flop and in asynchronous first flip flop is clocked by external pulse and then each successive flip flop is clocked by Q or Q output of previous stage. As soon the clock of second stage is triggered by

output of first stage. Because of inherent propagation delay time all flip flops are not activated at same time which results in asynchronous operation.

PIN DIAGRAM FOR IC 7476:



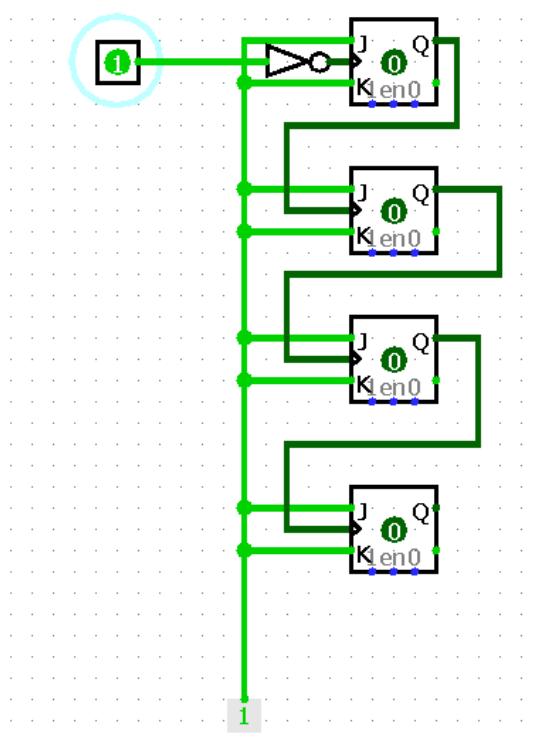
LOGIC DIAGRAM FOR 4 BIT RIPPLE UP COUNTER:



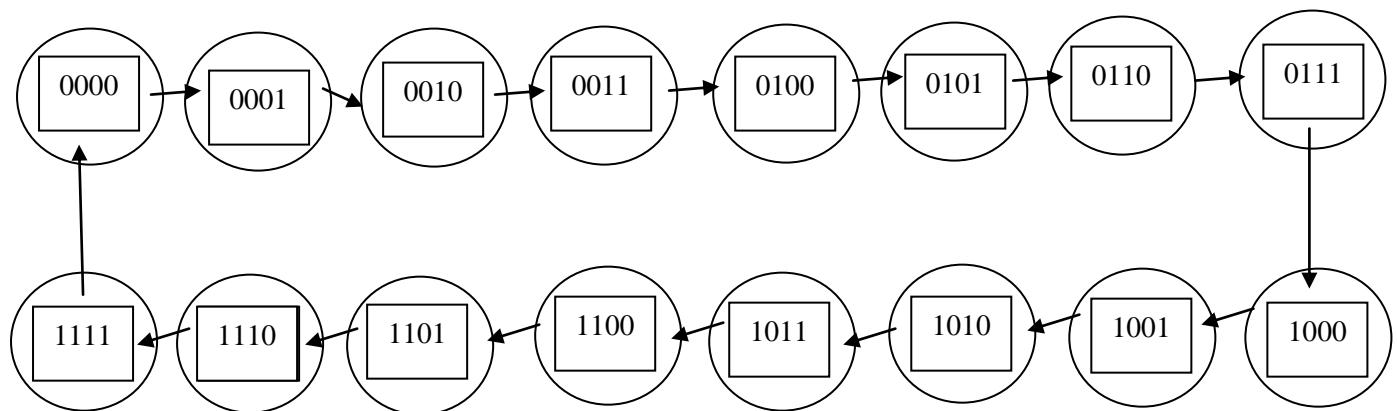
TRUTH TABLE FOR UP COUNTER:

CLK Pulse	QD	QC	QB	QA
0	0	0	0	0
1	0	0	0	1
2	0	0	1	0
3	0	0	1	1
4	0	1	0	0
5	0	1	0	1
6	0	1	1	0
7	0	1	1	1
8	1	0	0	0
9	1	0	0	1
10	1	0	1	0
11	1	0	1	1
12	1	1	0	0
13	1	1	0	1
14	1	1	1	0
15	1	1	1	1

Circuit Diagram:



State Diagram:



Result:

The circuit for ripple counter is designed and the state table and state diagram is recorded.

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AIM:

To implement a 4 - bit Shift Register using D FlipFlop (IC7474).

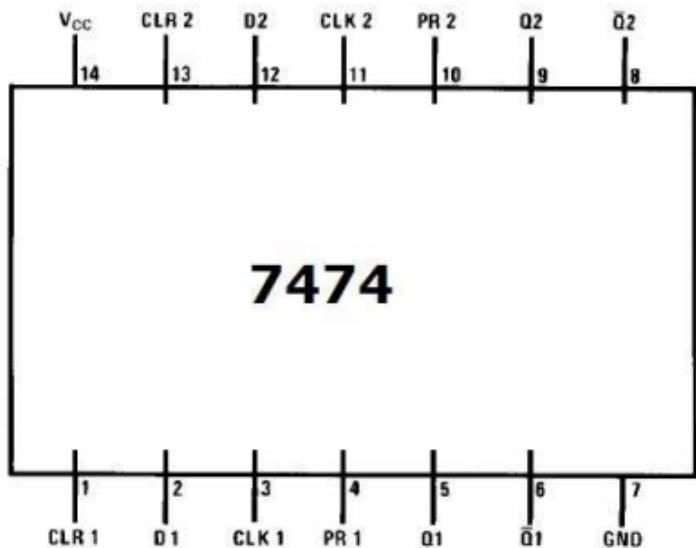
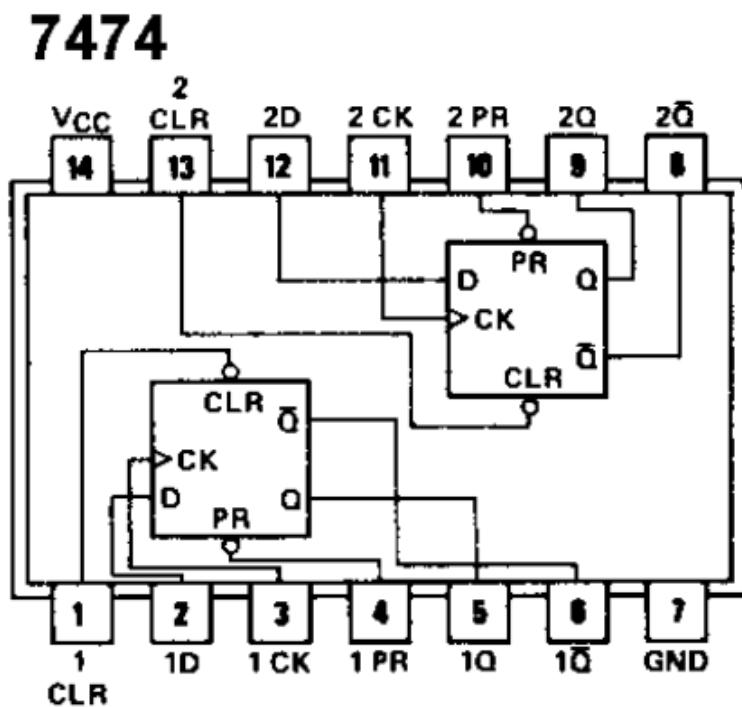
APPARATUS REQUIRED:

S.No.	COMPONENT	SPECIFICATION	QTY.
1	D FLIP FLOP	IC 7474	2
2	OR GATE	IC 7432	1
3	IC TRAINER KIT	-	1
4	PATCH CORDS	-	35

THEORY:

A register is capable of shifting its binary information in one or both directions is known as shift register. The logical configuration of shift register consist of a D-Flip flop cascaded with output of one flip flop connected to input of next flip flop. All flip flops receive common clock pulses which causes the shift in the output of the flip flop. The simplest possible shift register is one that uses only flip flop. The output of a given flip flop is connected to the input of next flip flop of the register. Each clock pulse shifts the content of register one bit position to right.

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PIN DIAGRAM IC 7474**IC 7474 has internally 2 - JK Flip Flops as shown below****Specifications:**

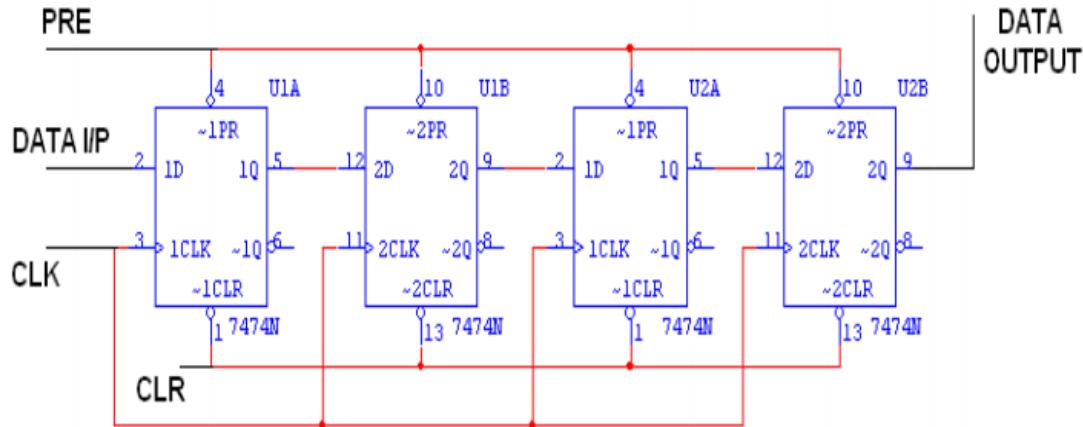
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1. Construct a 4 Bit Shift Register, by connecting (two IC 7474) serially, which involves 4 - D flipflops
2. Implement the following types of Shift Register using IC 7474.
 1. Serial In Serial Out
 2. Serial In Parallel Out
 3. Parallel In Serial Out
 4. Parallel In Parallel Out

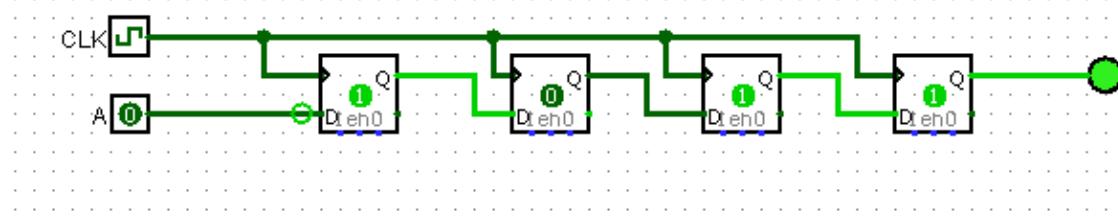
Preset and clear are active low signals

Preset	Clear	Operation
0	1	1 (Set to 1)
1	0	(Clear FF)
1	1	Normal Operation of FF
0	0	Undefined one (should not occur)

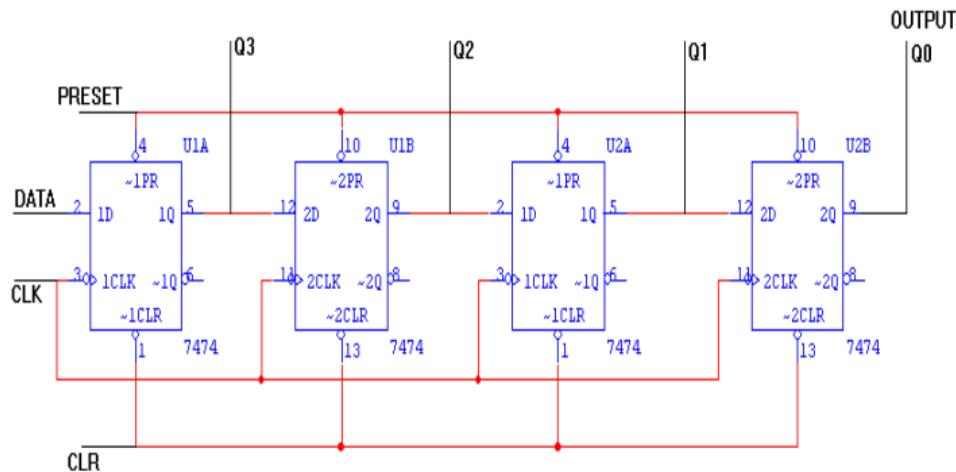
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 <Register Number> 195001106

LOGIC DIAGRAM:**SERIAL IN SERIAL OUT:****TRUTH TABLE:**

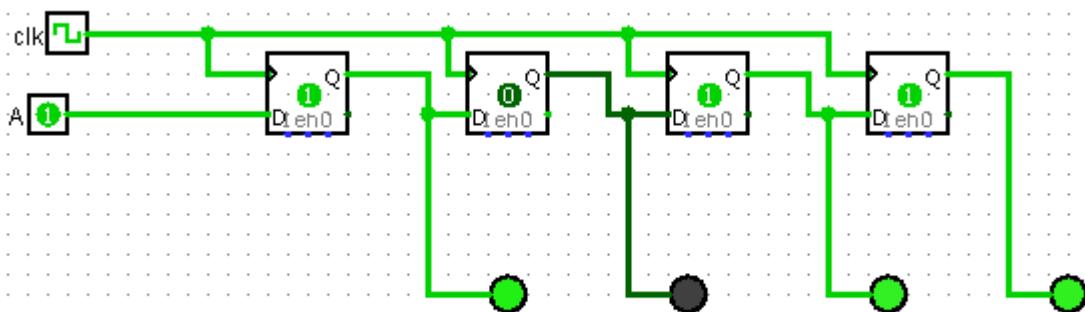
CLK	Serial in	Serial out
1	1	0
2	0	0
3	0	0
4	1	1
5	X	0
6	X	0
7	X	1

IMPLEMENTATION:

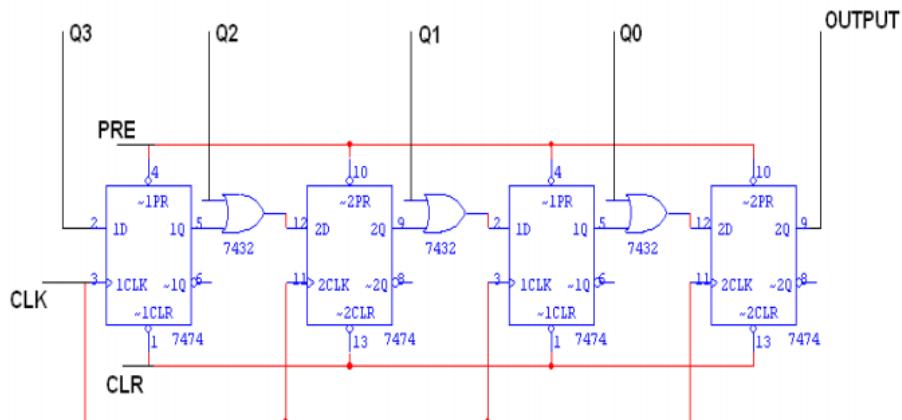
<Student Name> Shreya Sriram
 <Register Number> 195001106

LOGIC DIAGRAM:**SERIAL IN PARALLEL OUT:****TRUTH TABLE:**

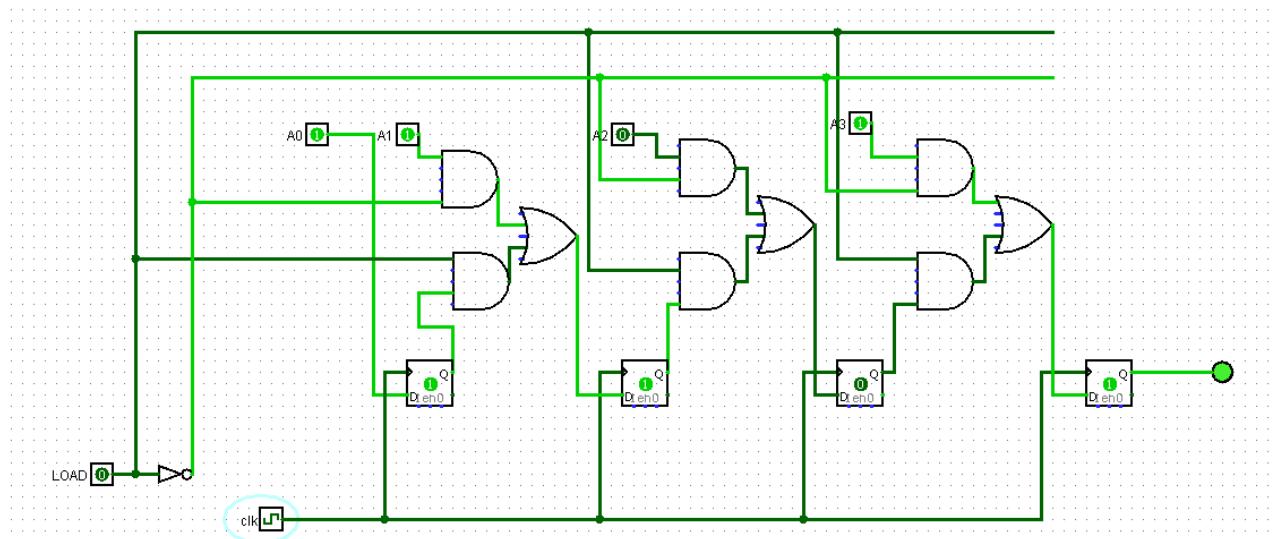
CLK	DATA	OUTPUT			
		Q _A	Q _B	Q _C	Q _D
1	1	1	0	0	0
2	0	0	1	0	0
3	0	0	0	1	0
4	1	1	0	0	1

IMPLEMENTATION:

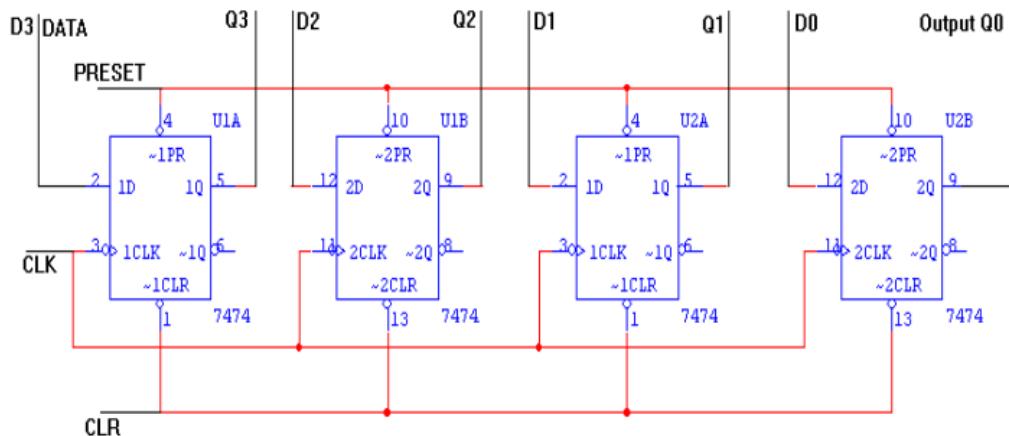
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 <Register Number> 195001106

LOGIC DIAGRAM:**PARALLEL IN SERIAL OUT:****TRUTH TABLE:**

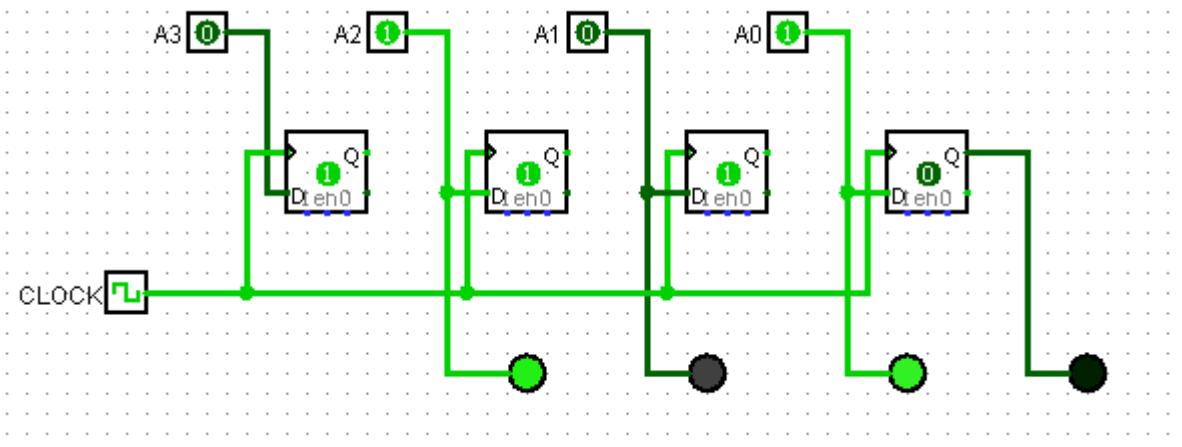
CLK	Q3	Q2	Q1	Q0	O/P
0	1	0	0	1	1
1	0	0	0	0	0
2	0	0	0	0	0
3	0	0	0	0	1

IMPLEMENTATION:

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LOGIC DIAGRAM:**PARALLEL IN PARALLEL OUT:****TRUTH TABLE:**

CLK	DATA INPUT				OUTPUT			
	D _A	D _B	D _C	D _D	Q _A	Q _B	Q _C	Q _D
1	1	0	0	1	1	0	0	1
2	1	0	1	0	1	0	1	0

IMPLEMENTATION:

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Simplification of Boolean Expression using Karnaugh Map

Objective

To simplify the Boolean expression using Karnaugh map and to verify the truth table.

$$F(A,B,C,D) = \pi(0,2,3,8,9,12,13,15)$$

TRUTH TABLE:

	A	B	C	D	F
m0	0	0	0	0	0
m1	0	0	0	1	1
m2	0	0	1	0	0
m3	0	0	1	1	0
m4	0	1	0	0	1
m5	0	1	0	1	1
m6	0	1	1	0	1
m7	0	1	1	1	1
m8	1	0	0	0	0
m9	1	0	0	1	0
m10	1	0	1	0	1
m11	1	0	1	1	1
m12	1	1	0	0	0
m13	1	1	0	1	0
m14	1	1	1	0	1
m15	1	1	1	1	0

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Minimize the given Boolean expression using Karnaugh map.

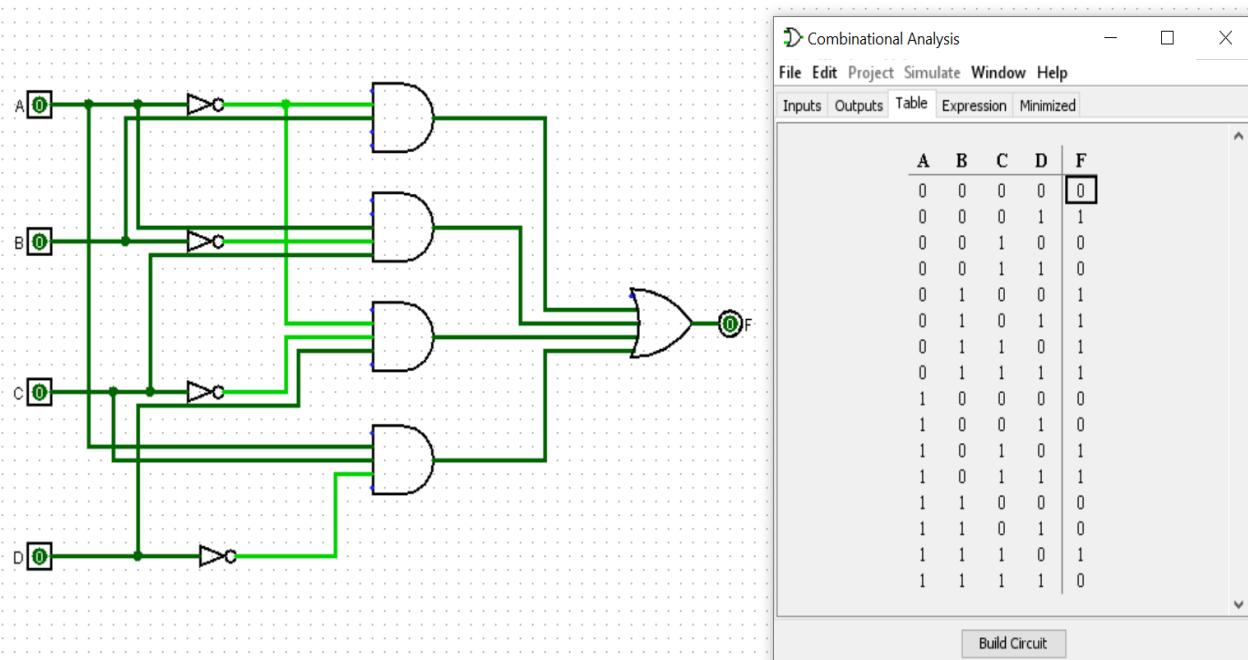
SOP FORM

	C'D'	C'D	CD	CD'
A'B'	0	1	0	0
A'B	1	1	1	1
AB	0	0	0	1
AB'	0	0	1	1

ON GROUPING 1's IN THE KMAP

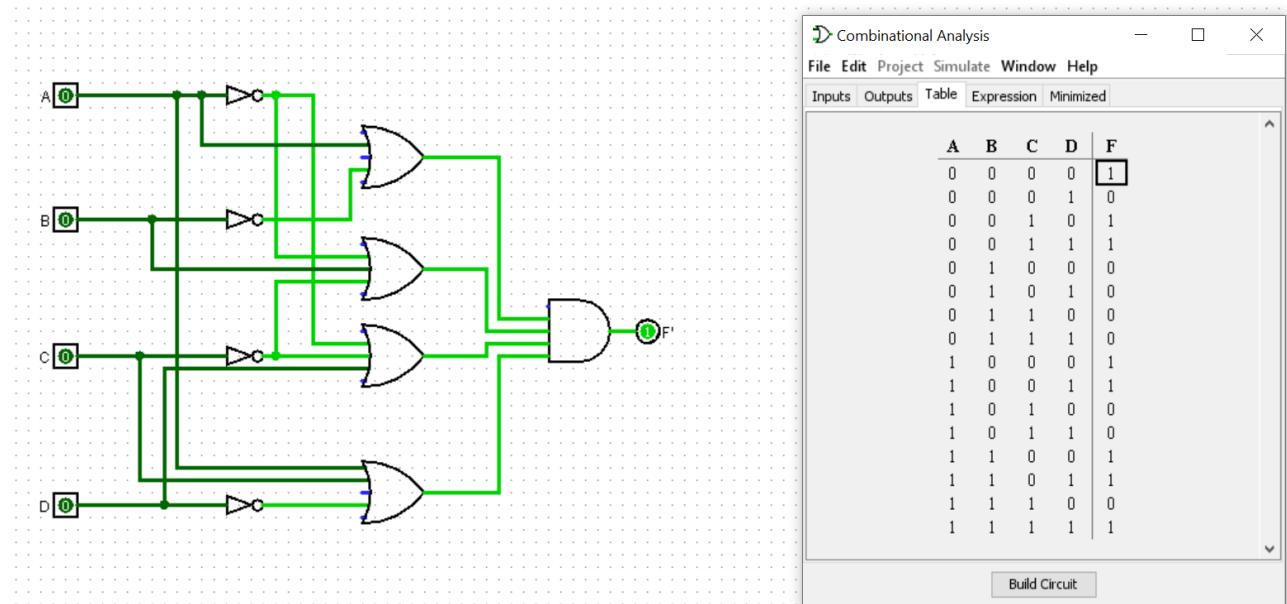
$$F = A'B + ACD' + AB'C + A'C'D$$

THIS IS THE REQUIRED SOP FORM



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$$F' = (A+B') \cdot (A'+C'+D) \cdot (A'+B+C') \cdot (A+B+D')$$



POS FORM

	C'D'	C'D	CD	CD'
A'B'	0	1	0	0
A'B	1	1	1	1
AB	0	0	0	1
AB'	0	0	1	1

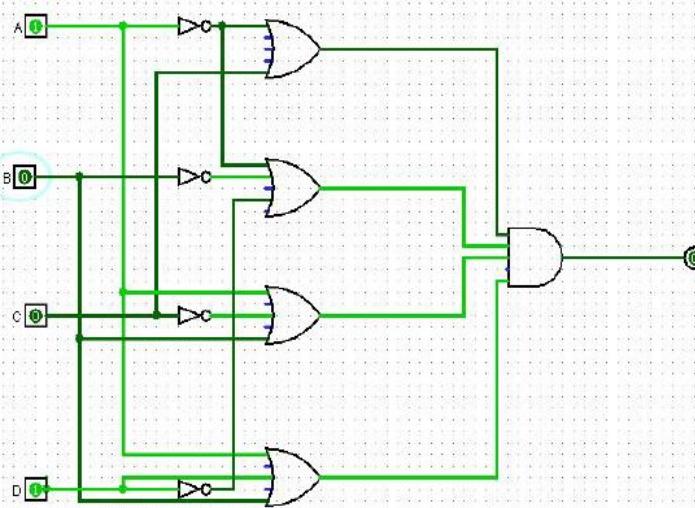
ON GROUPING 0's IN THE KMAP

$$F = (A'+C) \cdot (A'+B'+D') \cdot (A+B+C') \cdot (A+B+D)$$

THIS IS THE REQUIRED POS FORM

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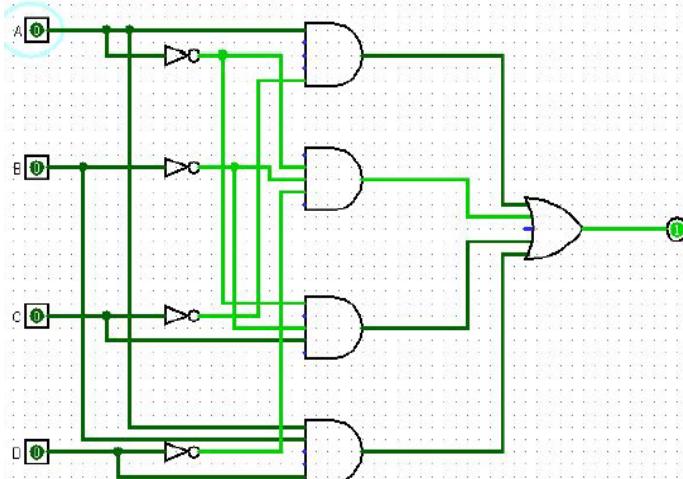
$$F = (A' + C) \cdot (A' + B' + D') \cdot (A + B + C') \cdot (A + B + D)$$



Combinational Analysis

	A	B	C	D	x
0	0	0	0	0	0
0	0	0	0	1	1
0	0	0	1	0	0
0	0	0	1	1	0
0	1	0	0	0	1
0	1	0	0	1	1
0	1	1	0	0	1
0	1	1	1	1	1
1	0	0	0	0	0
1	0	0	0	1	0
1	0	0	1	0	1
1	0	1	1	1	0
1	1	0	0	0	0

$$(F)' = AC' + ABD + A'B'C + A'B'D'$$



Combinational Analysis

	A	B	C	D	x
0	0	0	0	0	1
0	0	0	0	1	0
0	0	0	1	0	1
0	0	0	1	1	1
0	1	0	0	0	0
0	1	0	0	1	0
0	1	1	0	0	0
0	1	1	1	0	0
1	0	0	0	0	1
1	0	0	0	1	1
1	0	0	1	0	0
1	0	1	1	0	0
1	1	0	0	0	1

RESULT:

The given Boolean expression is simplified using KMap and the truth tables are verified

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Design And Implementation Of 3 Bit Synchronous Counter Using JK Flip Flop

Objective

To design and implement a 3 bit synchronous counter using JK Flip Flop.

Specifications

1. Draw the state diagram for 3 bit - Synchronous UP/ Down counter
2. Derive the state table for 3 bit synchronous UP/ Down counter.
3. Obtain simplified Boolean function for input equations of JK flip flop
4. Draw the synchronous sequential circuit with JK flip flop for a 3 bit - Synchronous UP/ Down counter
5. Verify using LogiSIM software

Components Required

S.No	Component Name	IC Number	Quantity
1	1. JK FLIP FLOP IC 7476 2	7408	1
2	OR GATE IC 7432 1	7432	1
3	Connecting Wires	-	-
4	LogiSIM Software	-	-
5	3 I/P AND GATE IC 7411 1		
6	XOR GATE IC 7486 1		
7	NOT GATE IC 7404 1		
8	IC TRAINER KIT - 1		
9	PATCH CORDS - 35		

Theory:

A counter is a register capable of counting number of clock pulse arriving at its clock input.

Counter represents the number of clock pulses arrived. A specified sequence of states appears as counter output. This is the main difference between a register and a counter. There are two types of counter, synchronous and asynchronous. In synchronous common clock is given to all flip flop and in asynchronous first flip flop is clocked by external pulse and then each successive flip flop is clocked by Q or Q output of previous stage. As soon the clock of second stage is triggered by output of first stage. Because of inherent propagation delay time all flip flops are not activated at same time which results in asynchronous operation.

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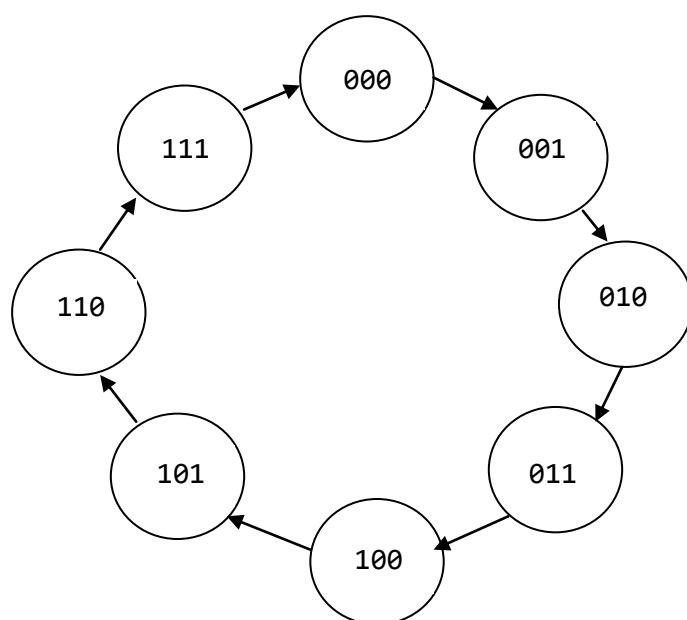
The counter can be either UP / DOWN counter. The 4 bit UP counter starts from 0000 and increments by 1 for every clock input reaches 1111 and repeats to 0000. The DOWN counter starts from 1111 and decrements by 1 for every clock input, reaches 0000 and repeats to 111

Excitation table for JK flip flop

Q	Q _{n+1}	J	K
0	0	0	X
0	1	1	X
1	0	X	1
1	1	X	0

UP COUNTER

State Diagram



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State table

PS			NS			Jc	Kc	Jb	Kb	Ja	Ka
Qc	Qb	Qa	Qc+	Qb+	Qa+						
0	0	0	0	0	1	0	X	0	X	1	X
0	0	1	0	1	0	0	X	1	X	X	1
0	1	0	0	1	1	0	X	X	0	1	X
0	1	1	1	0	0	1	X	X	1	X	1
1	0	0	1	0	1	X	0	0	X	1	X
1	0	1	1	1	0	X	0	1	X	X	1
1	1	0	1	1	1	X	0	X	0	1	X
1	1	1	0	0	0	X	1	X	1	X	1

Simplification using KMAP

QbQa

Qc	00	01	11	10
0	0	0	1	0
1	X	X	X	X

$$Jc = QbQa$$

QbQa

Qc	00	01	11	10
0	X	X	X	X
1	0	0	1	0

$$Kc = QbQa$$

QbQa

Qc	00	01	11	10
0	0	1	X	X
1	0	1	X	X

$$Jb = Qa$$

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		QbQa			
Qc		00	01	11	10
0	X	X	1		0
1	X	X	1		0

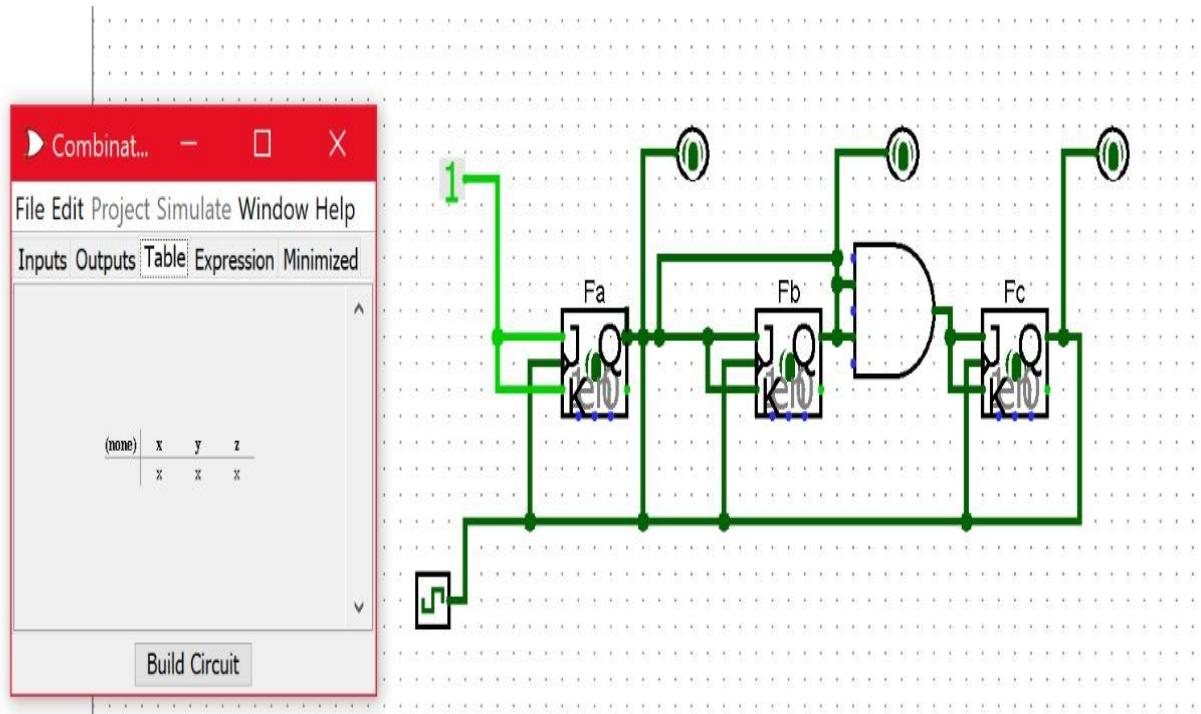
$$K_b = Q_a$$

		QbQa			
Qc		00	01	11	10
0	1	X	X	1	
1	1	X	X	1	

$$J_a = 1$$

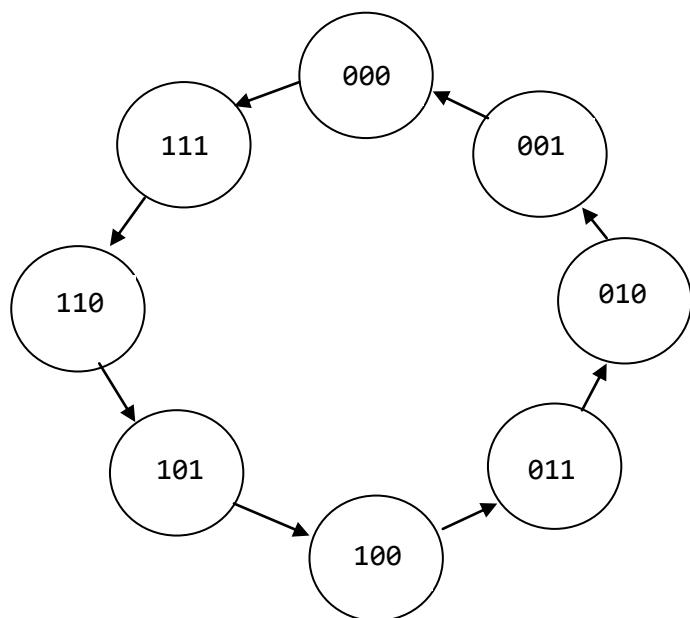
		QbQa			
Qc		00	01	11	10
0	X	1	1	X	
1	X	1	1	X	

$$K_a = 1$$



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DOWN COUNTER



State table

PS			NS			Jc	Kc	Jb	Kb	Ja	Ka
Qc	Qb	Qa	Qc+	Qb+	Qa						
0	0	0	1	1	1	1	X	1	X	1	X
0	0	1	0	0	0	0	X	0	X	X	1
0	1	0	0	0	1	0	X	X	1	1	X
0	1	1	0	1	0	0	X	X	0	X	1
1	0	0	0	1	1	X	1	1	X	1	X
1	0	1	1	0	0	X	0	0	X	X	1
1	1	0	1	0	1	X	0	X	1	1	X
1	1	1	1	1	0	X	0	X	0	X	1

Kmap Simplification

QbQa		Qc	00	01	11	10
Qc	00	0	1	0	0	0
0	1	0	0	0	0	0
1	X	X	X	X	X	X

$$J_c = Q_b' Q_a'$$

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Q_bQ_a

Q _c	00	01	11	10
0	X	X	X	X
1	1	0	0	0

$$K_c = Q_b' Q_a'$$

Q_bQ_a

Q _c	00	01	11	10
0	1	0	X	X
1	1	0	X	X

$$J_b = Q_a'$$

Q_bQ_a

Q _c	00	01	11	10
0	X	X	0	1
1	X	X	0	1

$$K_b = Q_a'$$

Q_bQ_a

Q _c	00	01	11	10
0	1	X	X	1
1	1	X	X	1

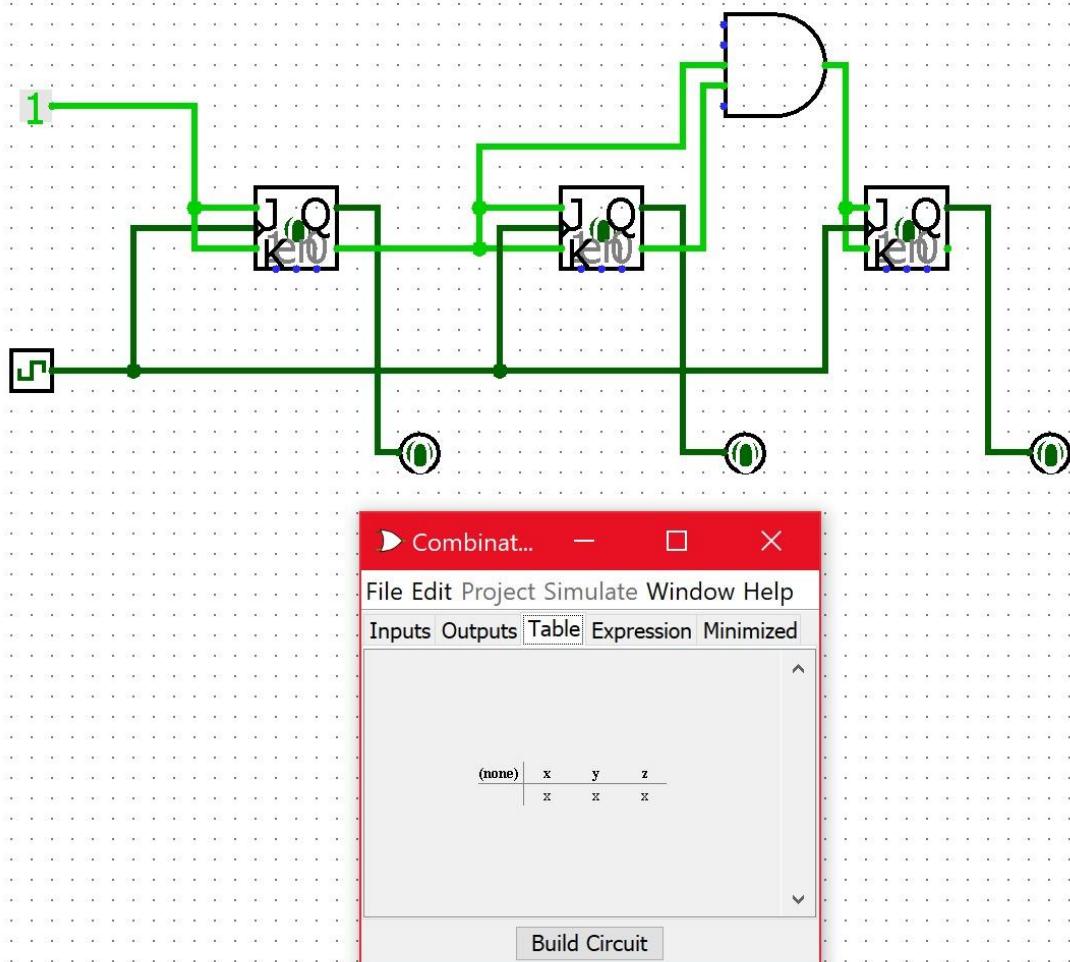
$$J_a = 1$$

Q_bQ_a

Q _c	00	01	11	10
0	X	1	1	X
1	X	1	1	X

$$K_a = 1$$

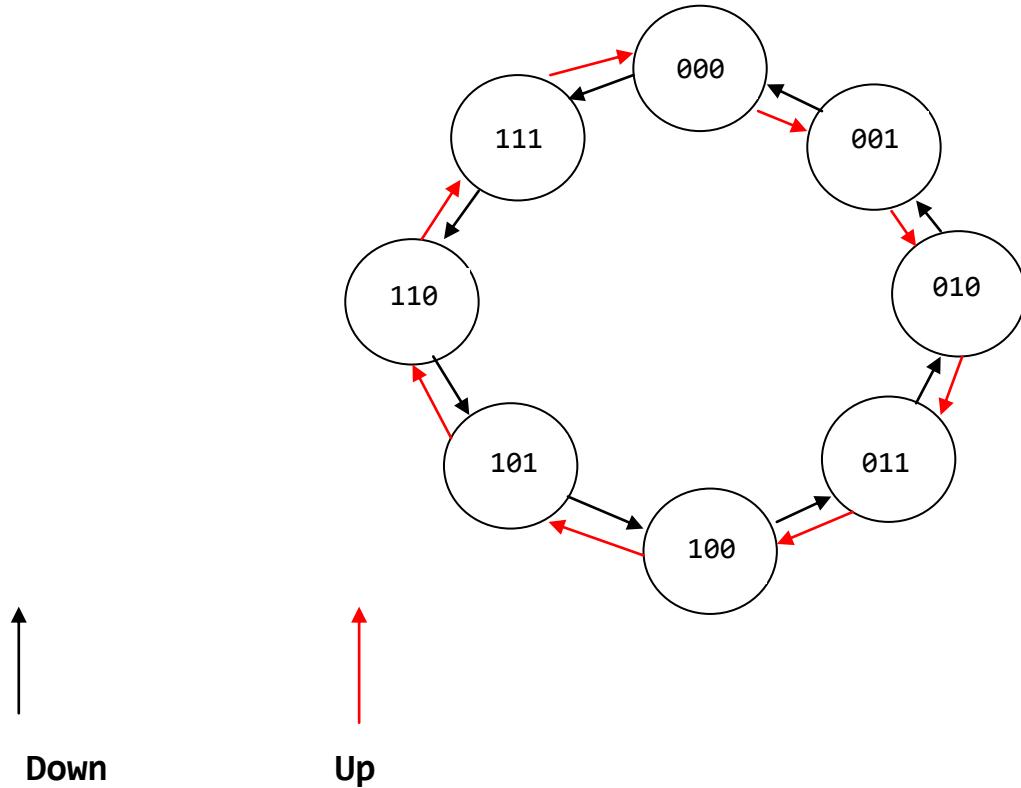
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UP DOWN COUNTER

State Diagram



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State table

M	PS			NS			Jc	Kc	Jb	Kb	Ja	Ka
	Qc	Qb	Qa	Qc+	Qb+	Qa						
0	0	0	0	0	0	1	0	X	0	X	1	X
0	0	0	1	0	1	0	0	X	1	X	X	1
0	0	1	0	0	1	1	0	X	X	0	1	X
0	0	1	1	1	0	0	1	X	X	1	X	1
0	1	0	0	1	0	1	X	0	0	X	1	X
0	1	0	1	1	1	0	X	0	1	X	X	1
0	1	1	0	1	1	1	X	0	X	0	1	X
0	1	1	1	0	0	0	X	1	X	1	X	1
1	0	0	0	1	1	1	1	X	1	X	1	X
1	0	0	1	0	0	0	0	X	0	X	X	1
1	0	1	0	0	0	1	0	X	X	1	1	X
1	0	1	1	0	1	0	0	X	X	0	X	1
1	1	0	0	0	1	1	X	1	1	X	1	X
1	1	0	1	1	0	0	X	0	0	X	X	1
1	1	1	0	1	0	1	X	0	X	1	1	X
1	1	1	1	1	1	0	X	0	X	0	X	1

Kmap Simplification

For all kmmaps QbQa columns and mQc are rows

	00	01	11	10
00	0	0	1	0
01	x	x	x	x
11	x	x	x	x
10	1	0	0	0

$$Jc = Qb'Qa'm + m'QbQa$$

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	00	01	11	10
00	x	x	x	x
01	0	0	1	0
11	1	0	0	0
10	x	x	x	x

$$K_c = Qb'Qa'm + m'QbQa$$

	00	01	11	10
00	0	1	x	x
01	0	1	x	x
11	1	0	x	x
10	1	0	x	x

$$J_b = mQa' + m'Qa$$

	00	01	11	10
00	x	x	1	0
01	x	x	1	0
11	x	x	0	1
10	x	x	0	1

$$K_b = mQa' + m'Qa$$

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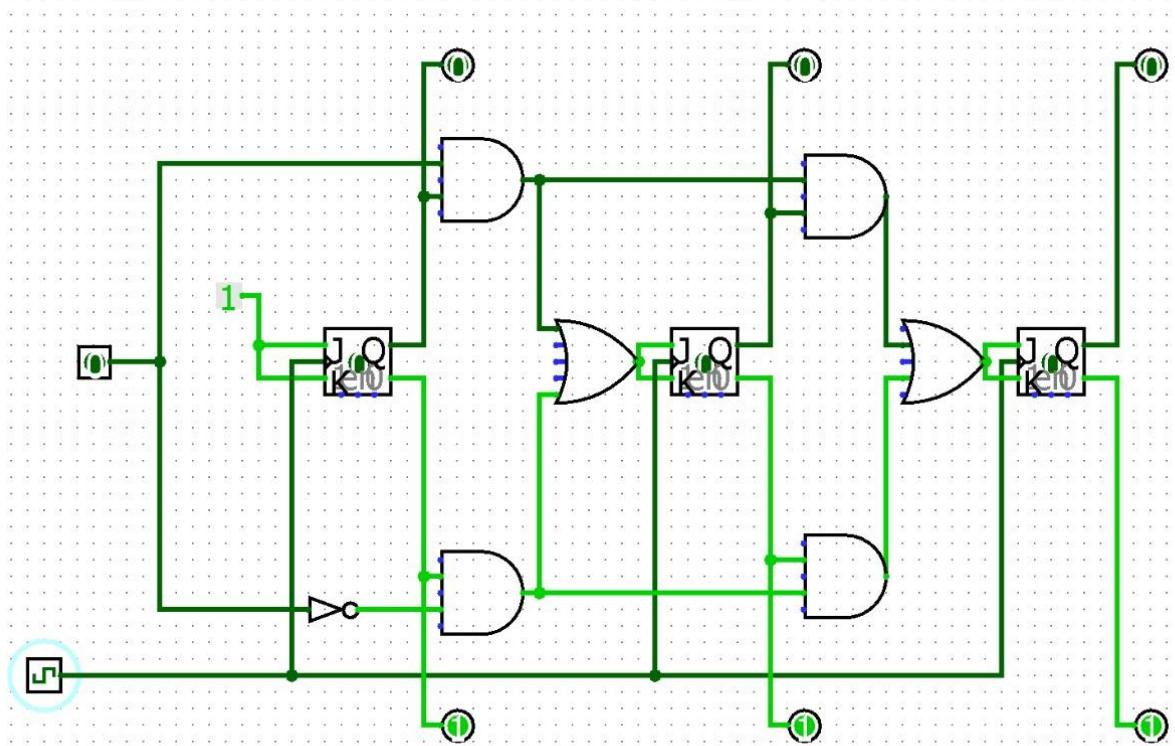
	00	01	11	10	
00	1	x	x	1	
01	1	x	x	1	
11	1	x	x	1	
10	1	x	x	1	

Ja = 1

	00	01	11	10	
00	x	1	1	x	
01	x	1	1	x	
11	x	1	1	x	
10	x	1	1	x	

Ka = 1

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Result:

The implementation has been done for 3bit synchronous counters

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Realization of Boolean Expression using Basic and Universal gates

Aim: To realize the simplified Boolean expression using the basic and Universal gates (NAND and NOR) for the below given Truth Table.

$$F(A, B, C, D) = \pi(0, 2, 3, 8, 9, 12, 13, 15)$$

TRUTH TABLE:

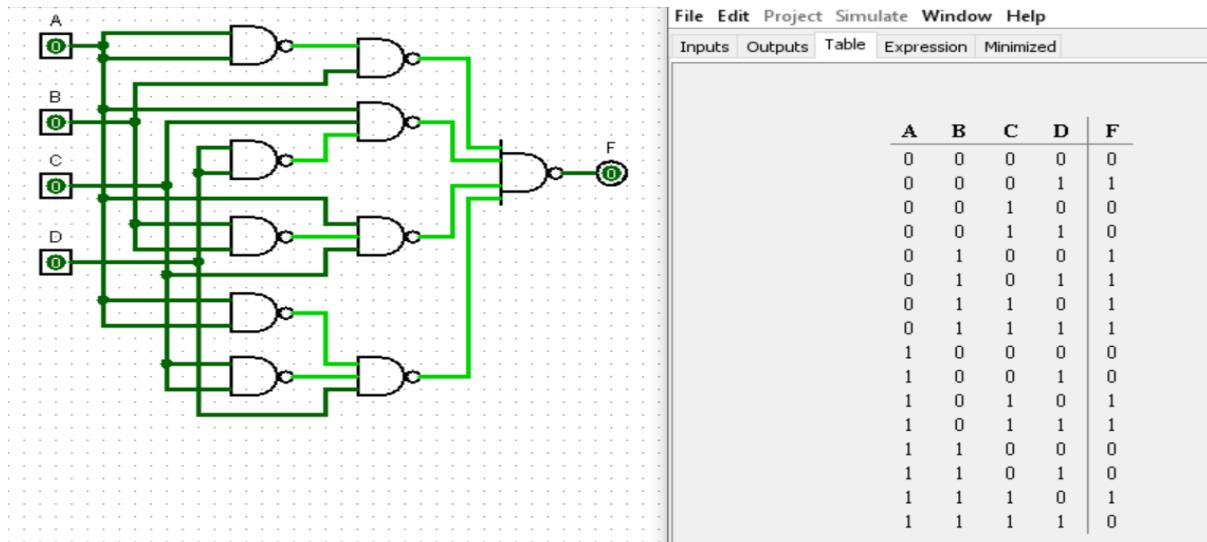
A	B	C	D	F	POS	SOP
0	0	0	0	0		$A+B+C+D$
0	0	0	1	1	$A'B'C'D$	
0	0	1	0	0		$A+B+C'+D$
0	0	1	1	0		$A+B+C'+D'$
0	1	0	0	1	$A'BC'D'$	
0	1	0	1	1	$A'BC'D$	
0	1	1	0	1	$A'BCD'$	
0	1	1	1	1	$A'BCD$	
1	0	0	0	0		$A'+B+C+D$
1	0	0	1	0		$A'+B+C+D'$
1	0	1	0	1	$AB'CD'$	
1	0	1	1	1	$AB'CD$	
1	1	0	0	0		$A'+B'+C+D$
1	1	0	1	0		$A'+B'+C+D'$
1	1	1	0	1	$ABCD'$	
1	1	1	1	0		$A'+B'+C'+D'$

USING SOP FORM $F = A'B + ACD' + AB'C + A'C'D$

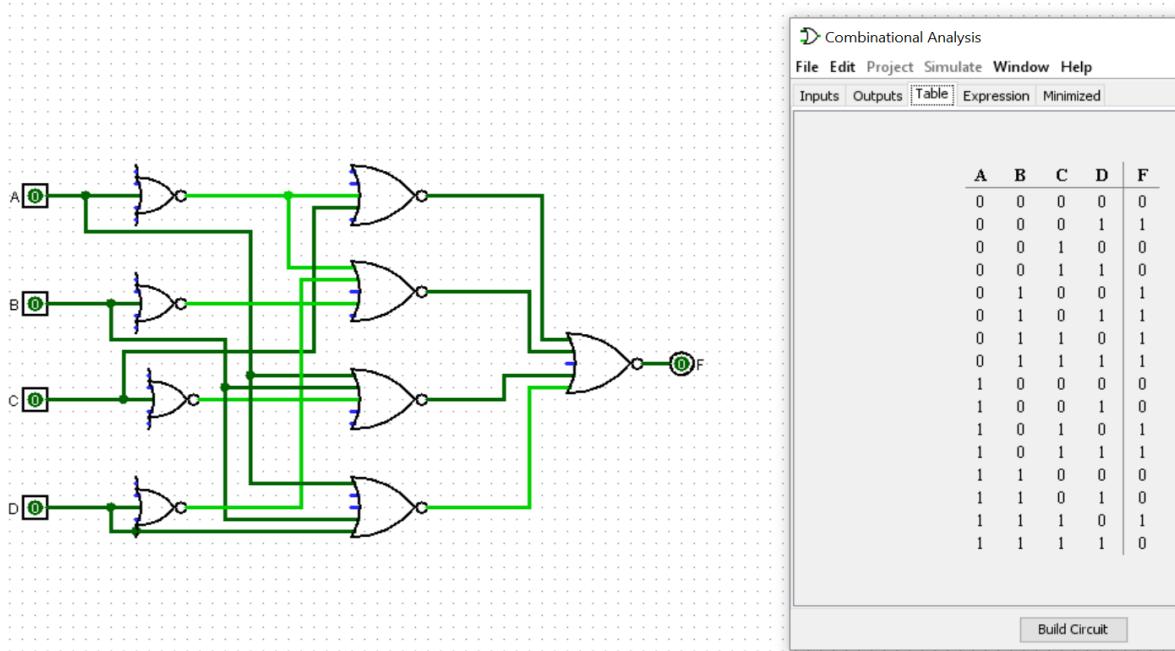
USING POS FORM $F = (A'+C).(A'+B'+D').(A+B+C').(A+B+D)$

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SOP USING NAND GATES:



SOP USING NOR GATE



Results

The Boolean expressions are simplified and realised using NAND and NOR gates.