

**Computational Structures in Data Science** 



UC Berkeley EECS Adj. Ass. Prof. Gerald Friedland

# Lecture #18: **Efficiency**

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## **Solutions for the Wandering Mind**



Can you write a quine that mutates on self-replication?

#### Give an example.

A Fibonacci-quine outputs a modification of the source by the following rules:

- 1) The initial source should contain 2.
- 2) When run, output the source, but only the specific number (here 2) changed to the next number of the Fibonacci sequence. For example, 3. Same goes for the output, and the output of the output, etc.

s='s=%r; print(s%%(s, round(%s\*(1+5\*\*.5)/2)))';print (s% (s, round (2\*(1+5\*\*,5))/2)))

## Why?



- · Runtime Analysis:
  - How long will my program take to run?
  - Why can't we just use a clock?
- Data Structures
  - OOP helps us organize our programs
  - Data Structures help us organize our data!
  - You already know lists and dictionaries!
  - We'll see two new ones today
- · Enjoy this stuff? Take 61B!
- · Find it challenging? Don't worry! It's a different way of thinking.



## **Efficiency**

How long is this code going to take to run?

## Is this code fast?



- · Most code doesn't really need to be fast! Computers, even your phones are already amazingly fast!
- Sometimes...it does matter!
  - -Lots of data
  - -Small hardware
  - -Complex processes
- We can't just use a clock
  - -Every computer is different? What's the benchmark?

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## Runtime analysis problem & solution



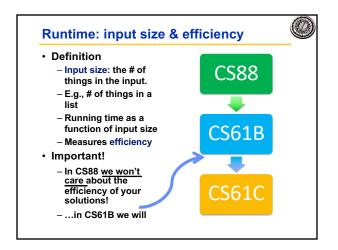
- Time w/stopwatch,
- but...

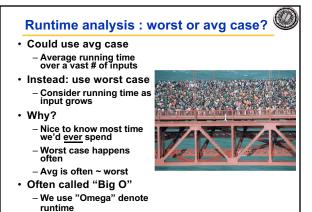
  Different computers may have different runtimes. 
  Same computer may have different runtime on the same input. 

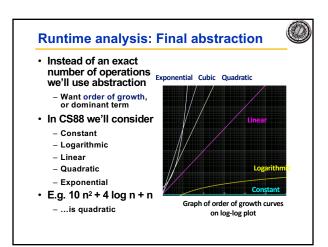
  Need to implement the
  - Need to implement the algorithm first to run it. ⊗
- Solution: Count the number of "steps" involved, not time!
  - Each operation = 1 step
  - If we say "running time", we'll mean # of steps, not time!

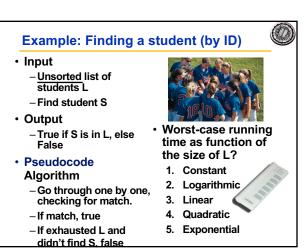


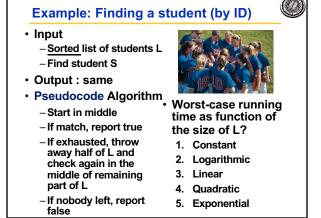
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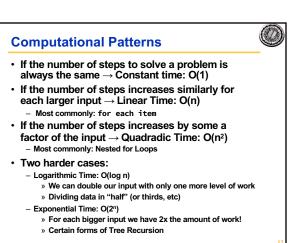












#### **Comparing Fibonacci**



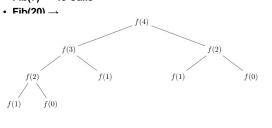
```
def iter_fib(n):
    x, y = 0, 1
    for _ in range(n):
        x, y = y, x+y
    return x

def fib(n): # Recursive
    if n < 2:
        return n
    return fib(n - 1) + fib(n - 2)</pre>
```

#### **Tree Recursion**



- Fib(4) → 9 Calls
- Fib(5) → 16 Calls
- Fib(6) → 26 Calls
- Fib(7)  $\rightarrow$  43 Calls



### What next?



- Understanding algorithmic complexity helps us know whether something is possible to solve.
- Gives us a formal reason for understanding why a program might be slow
- · This is only the beginning:
  - We've only talked about time complexity, but there is space complexity.
  - In other words: How much memory does my program require?
  - Often times you can trade time for space and vice-versa
  - Tools like "caching" and "memorization" do this.
- If you think this is cool take CS61B!

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## **Thoughts for the Wandering Mind**



#### Consider the following simple Python code:

x = input("Enter a number between  $\bar{\theta}$  and 1:") for i in range(10):  $x{=-}x**2{+}4*x$  print x

#### Plot the function implemented by the code.

- Could you predict using sampling (e.g., interpolate from the results of inputs 0, 0.25, 0.5, 0.75, 1)?
- Could you predict using calculus (e.g., using the derivative of f(x)=-x²+4x)?
- Could a neural network learn the function, given enough (input, output) tuples as training data?

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