





LR(1) Parsers

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Algorithm for CLR (1) Parsing Table



- Construct $C=\{I_0, ..., I_n\}$ the sets of LR(1) items.
- If $[A \rightarrow \alpha.a\beta, b]$ is in I_i and $goto(I_i, a)=I_j$ then action[i,a]=shift j
- If $[A \rightarrow \alpha., a]$ is in I_i then action $[i,a] = \text{reduce } A \rightarrow \alpha$
- If $[S' \rightarrow S., \$]$ is in I_i then action[i,\$] = accept
- If $goto(I_i, A) = I_j$ then goto[i,A] = j for all non terminals A

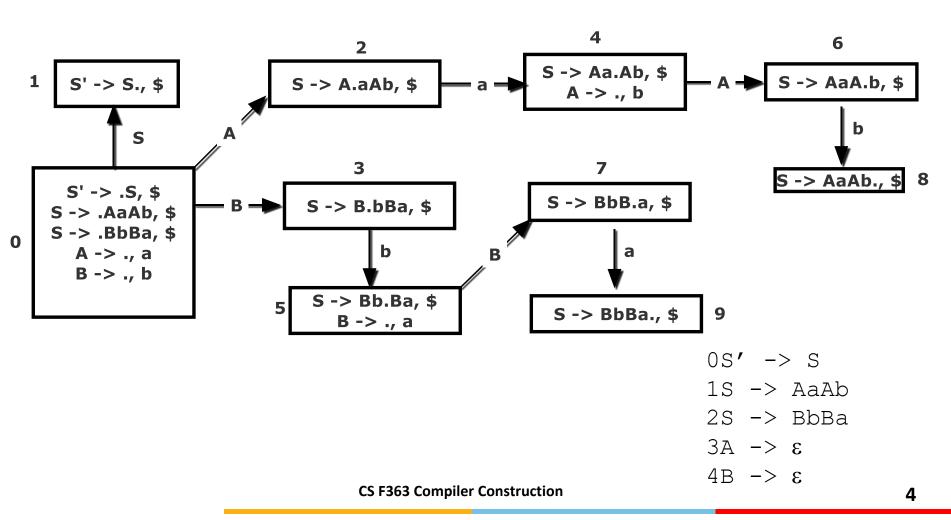
More Examples

Construct the LR(1) collection of items for the following Grammar and design the CLR(1) parsing table and find out whether this grammar is CLR(1) or not.

$$3 \leftarrow A$$

$$B \rightarrow \epsilon$$

GOTO GRAPH



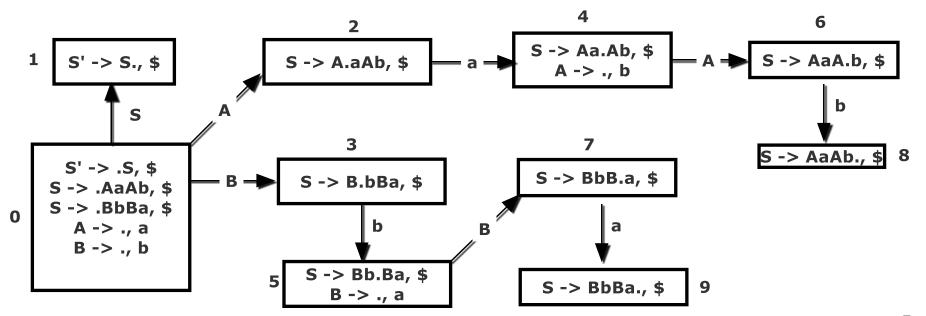
CLR(1) Parsing Table

0s'	->	> S
1s	->	AaAb
2s	->	BbBa
3A	->	3

 $4B \rightarrow \epsilon$

BLANK CELLS ARE ERROR ENTRIES

	ACTION			GOTO		
	a	b	\$	S	A	В
0	R3	R4		1	2	3
1			ACCEPT			
2	S4					
3		S5				
4		R3			6	
5	R4					7
6		S 8				
7	S 9					
8			R1			
9			R2			



CLR(1) Parser

On an error canonical LR parser never makes a wrong shift/reduce move. It immediately declares an error.

Problem: Canonical LR parse table has a large number of states

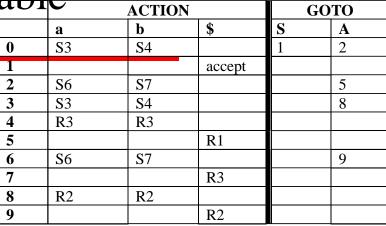
innovate

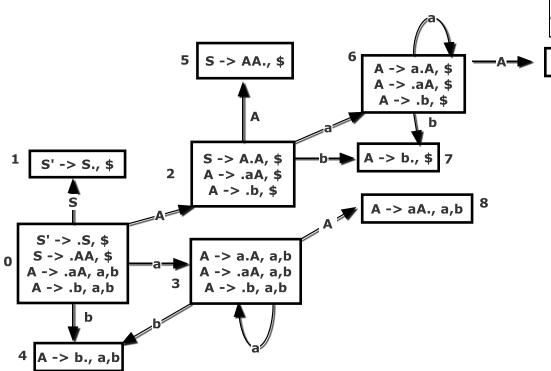
achieve

lead

Revisiting CLR (1) Parsing Table

BLANK	CELLS	ARE	ERROR	
ENTRIES				





$0S' \rightarrow S$
00 -/ 0

A -> aA., \$

$$1S \rightarrow AA$$

$$2A \rightarrow aA$$

$$3A \rightarrow b$$



LookAhead (LALR(1) Parser)

Consider a pair of similar looking states (same core and different lookaheads) in the set of LR(1) items

• $I_4: A \to b.$, a/b $I_7: A \to b.$, \$

Replace I_4 and I_7 by a new state I_{47} consisting of (A \rightarrow b., a/b/\$)

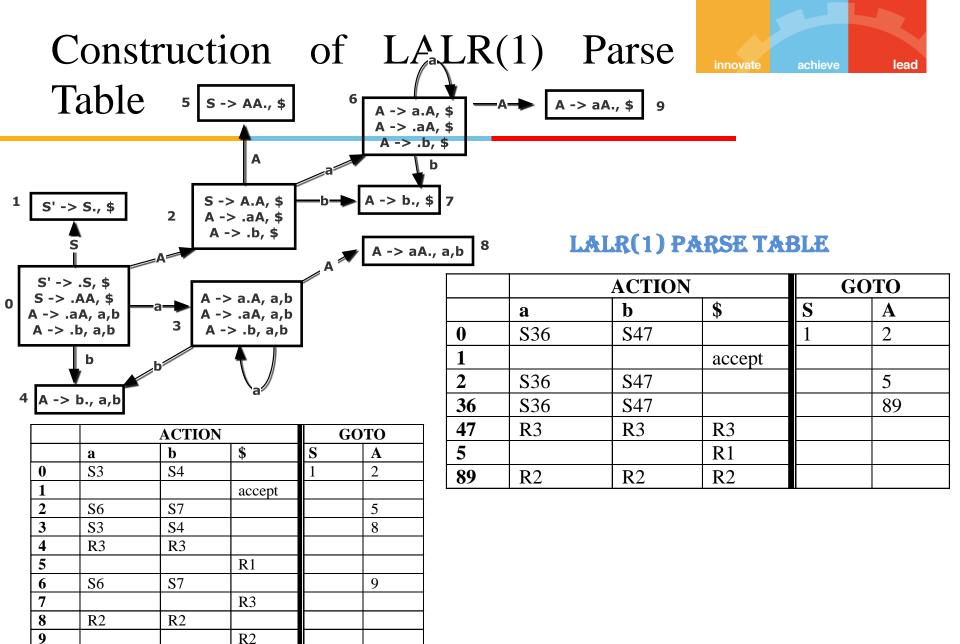
- Similarly I₃ & I₆ and I₈ & I₉ form pairs.
- Merge LR(1) items having the same core.

Construction of LALR(1) Parse Table



Construct $C = \{I_0, \dots, I_n\}$ set of LR(1) items

For each LR(0) item present in LR(1) items find all sets having the same LR(0) item and replace these sets by their union.



Construction of LALR(1) Parse Table



Let $C' = \{J_0, \ldots, J_m\}$ be the resulting set of items.

Construct action table as was done earlier.

Let $J = I_1 \cup I_2 \cup \dots \cup I_k$ since I_1 , $I_2 \cup \dots \cup I_k$ have same core, goto(J,X) will have the same core.

• Let $K = goto(I_1,X)$ U $goto(I_2,X)$ $goto(I_k,X)$ the goto(J,X) = K



LALR(1) Parse Table

In general core is a set of LR(0) items and LR(1) grammar may produce more than one set of items with the same core.

Merging items in LALR(1) parsing table may produces conflicts.

• SLR and LALR parse tables have same number of states

LALR(1) Parse Table

Merging items may result into conflicts in LALR parsers which did not exist in LR parsers

New conflicts may arise in LALR(1) Parsers.

LALR(1) Parse Table

LALR parser can have new conflicts

- Assume states {[X $\rightarrow \alpha$., a], [Y $\rightarrow \beta$., b]} and {[X $\rightarrow \alpha$., b], [Y $\rightarrow \beta$., a]}
- Merging the two states produces

$$\{[X\rightarrow\alpha., a/b], [Y\rightarrow\beta., a/b]\}$$

More Examples

Consider the following Grammar and find out whether it is LALR(1) or not.

$$S \rightarrow aEa \mid bEb \mid aFb \mid bFa$$

$$E \rightarrow e$$

$$F \rightarrow e$$

GRAMMAR IS NOT LALR(1) BECAUSE OF CONFLICT IN SOME OF ITS STATES.