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Recursive Descent Parsing

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Calculation of First Sets

- **if** p is a token/terminal symbol then $\text{First}(p) = \{p\}$
- **if** $P \rightarrow \epsilon$ is a production then $\text{First}(P) = \{\epsilon\}$

Calculation of First Sets

- **if** P is a non-terminal and $P \rightarrow Q_1 Q_2 Q_3 \dots Q_k$ is a production then
 - if** for some i , $\text{First}(Q_i) = \{x\}$ and ϵ is in all of $\text{First}(Q_j)$ (such that $j < i$) then

$$\text{First}(P) = \{x\}$$
- **if** ϵ is in $\text{First}(Q_1) \dots \text{First}(Q_k)$ then $\text{First}(P) = \{\epsilon\}$

Example

Calculate the First of all non-terminals in the following grammar
 $\{ \{S, B, C\}, \{a, b, c, d\}, P, S \}.$

$$S \rightarrow Bb \mid Cd$$

$$B \rightarrow aB \mid \epsilon$$

$$C \rightarrow cC \mid \epsilon$$

Variables/Non Terminals	First
S	{a, b, c, d}
B	{a, ϵ }
C	{c, ϵ }

Example



Calculate the First of all non-terminals in the following grammar

$\{\{S, A, B, C\}, \{a, b, d, g, h\}, P, S\}$.

$$S \rightarrow ACB \mid CbB \mid Ba$$

$$A \rightarrow da \mid BC$$

$$B \rightarrow g \mid \epsilon$$

$$C \rightarrow h \mid \epsilon$$

Variables/Non-terminals	First
S	{d, g, h, ϵ , b, a}
A	{d, g, h, ϵ }
B	{g, ϵ }
C	{h, ϵ }

RECURSIVE DESCENT PARSER

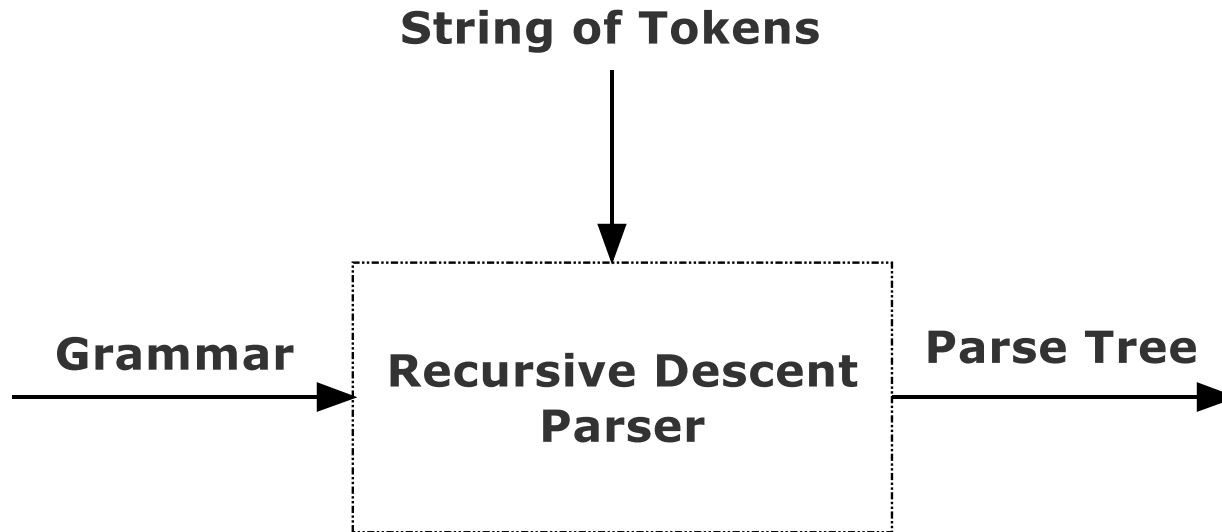
Recursive Descent Parser

It is a top down method of syntax analysis in which a set of recursive procedures are executed to parse the stream of tokens.

- A procedure is associated with each non-terminal of the grammar.

It is usually built from a set of mutually-recursive procedures or a non-recursive equivalent where each such procedure usually implements one of the production rules of the grammar.

Recursive Descent Parser



How to Develop the Procedures?

Develop a procedure for each Non-terminal of the Grammar rule.

- This procedure will capture all the specifications on the RHS of the grammar rule.

In each procedure, perform a match operation on hitting any token (in the right hand side of the grammar) with the current token in the input that needs to be parsed.

- If match occurs, increment the lookahead pointer to the next input token that needs to be parsed else, throw syntax error.

Syntax of Procedure for each Non-terminal



```
void A() {  
  Choose an A-production  $A \rightarrow X_1X_2 \dots X_k$   
  for  $i \leftarrow 1 \dots k$   
  if  $X_i$  is a nonterminal  
    call procedure  $X_i()$   
  else if  $X_i$  equals the current input symbol  $a$   
    advance the input to the next symbol  
  else  
    // error }
```

Example

Write procedures for each of the non-terminals of this grammar $\{\mathbf{E}, \mathbf{E'}}, \{\mathbf{i}, \mathbf{+}\}, \mathbf{P}, \mathbf{E}\}$ using recursive descent parsing and parse the following input: $\mathbf{i} + \mathbf{i} \$$

$$E \rightarrow i E'$$

$$E' \rightarrow + i E' \mid \in$$

Recursive Descent Parser



String to be Parsed: $i + i \$$

$$E \rightarrow i E'$$

$$E' \rightarrow + i E' \mid \epsilon$$

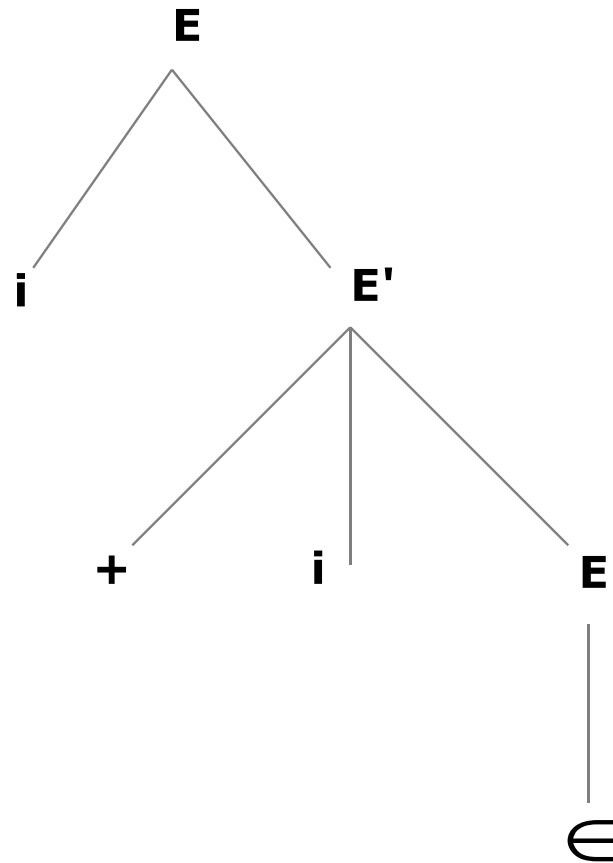
```
main() {  
    E();  
    if lookahead == '$'  
        Printf("Parsing  
Successful"); }
```

```
E() {  
    if lookahead == 'i' {  
        match (i);  
        E'(); }  
}
```

```
match (char t) {  
    if lookahead == 't'  
        lookahead = nexttoken();  
    else  
        Error; }
```

```
E' () {  
    if lookahead == '+'  
        match (+);  
        match (i);  
        E'();  
    else  
        return; }
```

Parse Tree for $i + i \$$



Example

Write procedures for each of the non-terminals of this grammar $\{\{type, simple\}, \{\uparrow, [,], id, array, of, int, char, num, dotdot\}, P, type\}$ using recursive descent parsing and parse the following input:

array [num dotdot num] of int

type \rightarrow *simple* | \uparrow *id* | *array* [*simple*] *of type*

simple \rightarrow *int* | *char* | *num dotdot num*

Recursive Descent Parser



$type \rightarrow simple \mid \uparrow id \mid array[simple] of type$

$simple \rightarrow int \mid char \mid num \text{ dotdot } num$

$array [num \text{ dotdot } num] of int$

```
type () {
if lookahead == First (simple)
    simple ();
else if lookahead == '\u2191' {
    match (\u2191);
    match (id);}
else if lookahead == 'array' {
    match (array);
    match ([]);
    simple ();
    match (]);
    match (of);
    type ();}
else
    Error;}

match (char t){
if lookahead == 't'
    lookahead = nexttoken();
else
    Error;
}
```

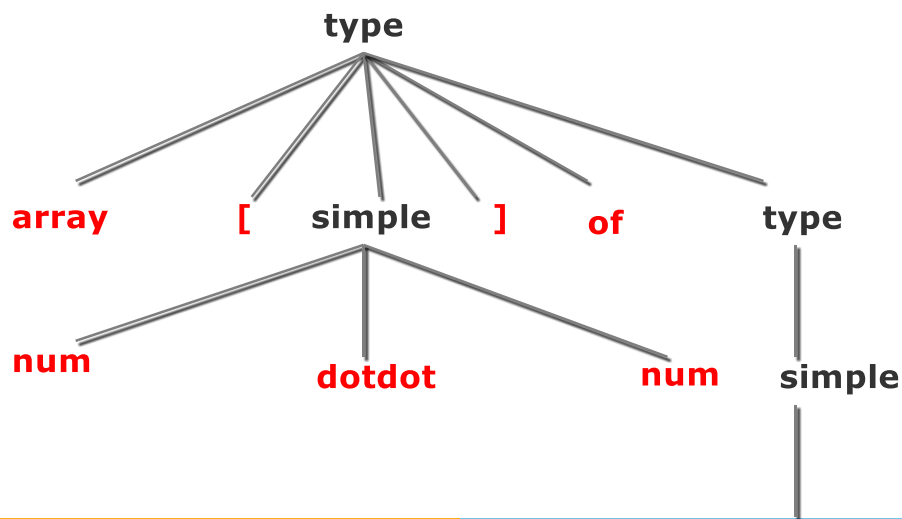
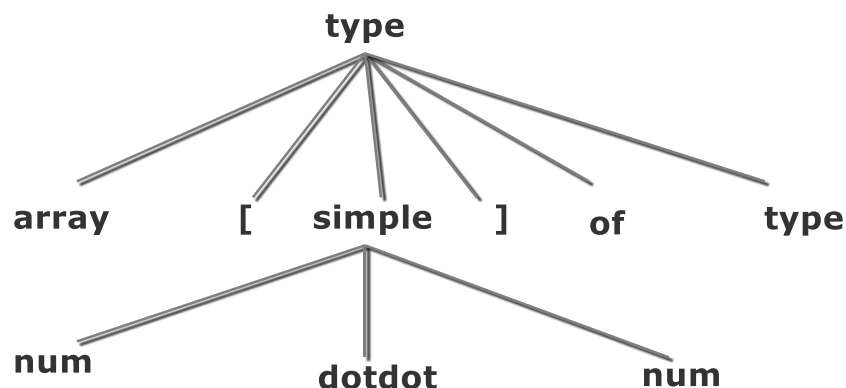
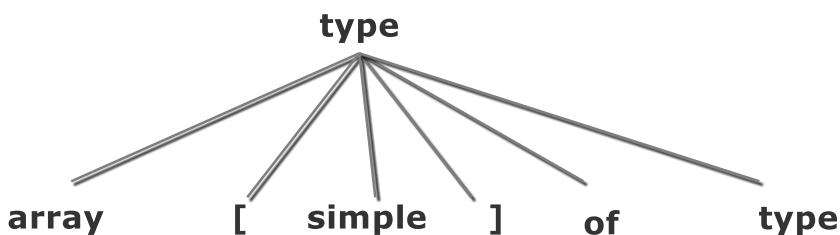
```
simple () {
if lookahead == 'int'
    match (int);
else if lookahead == 'char'
    match (char);
else if lookahead == 'num' {
    match (num);
    match (dotdot);
    match (num);}
else
    Error;
}
```

```
main () {
    type();
    if lookahead == '$'
        "Parsing Success"
}
```

Example

$type \rightarrow simple \mid \uparrow id \mid array[simple] of type$
 $simple \rightarrow int \mid char \mid num \mid dotdot \mid num$

Parse **array [num dotdot num] of integer**



ISSUES IN RECURSIVE DESCENT PARSER

Limitations with Recursive-Descent Parsing



- Consider a grammar with two productions

$$X \rightarrow \gamma_1$$

$$X \rightarrow \gamma_2$$

- Suppose $\text{FIRST}(\gamma_1) \cap \text{FIRST}(\gamma_2) \neq \phi$
- Say a is the common terminal symbol
- Function corresponding to X will not know which production to use on input token a .

Recursive Descent Parser with Backtracking



To support backtracking

- All productions should be tried in some order
- Failure for some production implies we need to try remaining productions
- Report an error only when there are no other rules

Left Recursion

- A recursive descent parser may loop forever for the following production of the form:

$$A \rightarrow A\alpha$$

- From the Grammar $A \rightarrow A\alpha \mid \beta$
- Left recursion can be removed by rewriting the grammar as

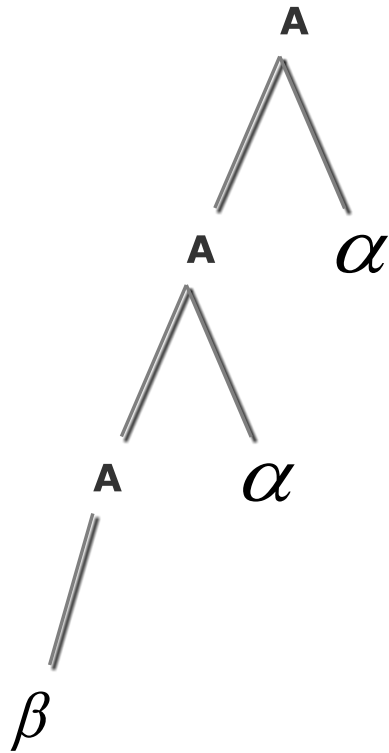
$$A \rightarrow \beta A'$$

$$A' \rightarrow \alpha A' \mid \epsilon$$

Example

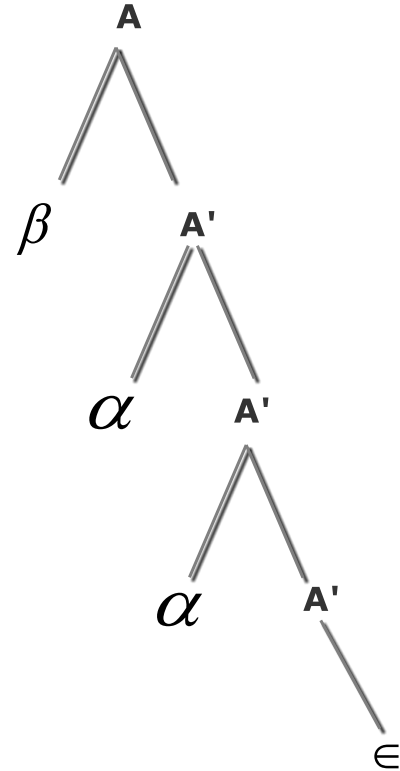


$$A \rightarrow A\alpha \mid \beta$$



$$A \rightarrow \beta A'$$

$$A' \rightarrow \alpha A' \mid \epsilon$$



Example

$$\begin{array}{ll}
 E \rightarrow E + T \mid T & E \rightarrow T E' \\
 T \rightarrow T * F \mid F & \longrightarrow E' \rightarrow + T E' \mid \in \\
 F \rightarrow (E) \mid id & T \rightarrow F T' \\
 & T' \rightarrow * F T' \mid \in \\
 & F \rightarrow (E) \mid id
 \end{array}$$