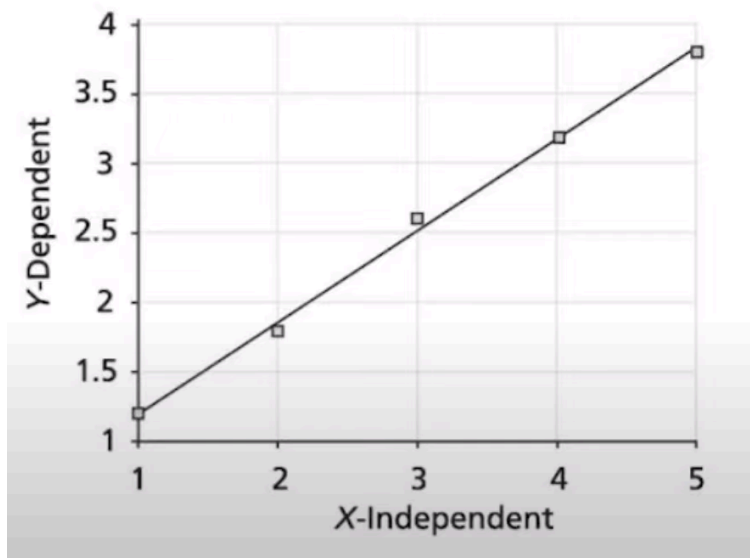


1. Apply linear regression techniques to predict the 7th and 12th week sales.

$x_i$ (Week)	$y_j$ (Sales in Thousands)
1	1.2
2	1.8
3	2.6
4	3.2
5	3.8

Solution:

Step 1 : First we have to plot a graph of independent variables against dependent variables. The goal of linear regression is to find a straight line which will fit into this dataset completely.



Linear regression equation is given by

$$y = c + m \cdot x$$

$c$ =intercept ,  $m$  = coefficient of independent variable

## ✓ Loss Function

The loss is the error in our predicted value of m and c.

Goal - minimize this error to obtain the most accurate value of m and c.

Here we will use the MSE function to calculate the loss.

$$E = \frac{1}{n} \sum_{i=0}^n (y_i - \bar{y}_i)^2$$

Mean Squared Error Equation

*y predicted*

$$y = mx + c$$

*for each xi*  
*0.1* *0.1*

```
L = 0.001 # The learning Rate
m values: [0.1]
c values: [0.1]
```

$Y_{\text{predicted}} = mx_i + c$

X(week)	Y(sales in thousands)		<i>mxc</i> y_pred	(Y-y_pred)^2
1	1.2		0.9413	0.06692569
2	1.8		1.614391	0.03445070088
3	2.6		2.287482	0.09766750032
4	3.2		2.960572	0.05732576718
5	3.8		3.633663	0.02766799757

$$= \frac{\sum (y - y_{\text{pred}})^2}{n}$$

Mse = 0.284037656/5 = 0.013908918347787921

$$m = m - \alpha \frac{\partial J}{\partial m}$$

where  $\alpha$  is the learning rate, a hyperparameter that controls the step size in the update process.

$$\frac{\partial J}{\partial m} = \frac{1}{n} \sum_{i=1}^n (mx_i + b - y_i)x_i$$

[illegible]

$$\frac{\partial J}{\partial m} = 0.6713738$$

A	B	C	D
X(week)	Y(sales in thousands)	y_pred	Y-y_pred
1	1.2	0.9413	0.2587
2	1.8	1.614391	0.185609
3	2.6	2.287482	0.312518
4	3.2	2.960572	0.239428
5	3.8	3.633663	0.166337
			0.2325184 ×
		$\frac{\partial J}{\partial c} =$	=SUM(D2:D6)/5

$$c = c - 0.2325184 = 0.1 - 0.2325184 = -0.133$$

$$M = m - 0.06713738 =$$

$$0.1 - 0.06713738 = 0.033$$

Iteration 2 : same as previous calculate y\_predicted by taking value of new m and c and solving similarly.