

# Thermal PROPERTIES

1)  $l = L_0 (1 + \alpha \Delta T)$  → **Linear**

2)  $A = A_0 (1 + \beta \Delta T)$  → **area**

3)  $V = V_0 (1 + \gamma \Delta T)$  → **volume**

4)  $A_{k0},$

$$\beta = \frac{\beta_0}{1 + \gamma \Delta T}$$

$$\beta = 2\alpha$$

$$\gamma = 3\alpha$$

$$6\alpha = 3\beta = 2\gamma$$

$$\alpha : \beta : \gamma = 1 : 2 : 3$$

$$\alpha = \frac{dL}{LdT}$$

$$LdT$$

## Simple Pendulum [On increase temp clock will lose time]

$$\text{Time loss in } \frac{1}{2} \text{ day} = \frac{\alpha}{2} \Delta T \times 86400 \text{ sec}$$

## Apparent $\gamma$

Time gain = Temp. decrease  
Time loss = Temp. increase

$$\gamma_{app} = \gamma_t - \gamma_c$$

## CALORIMETRY

ESTIMATE

## • Molar Heat Capacity

$$C = \frac{\Delta \phi}{n \Delta T}$$

Unit:  $J/mol \cdot K$

## • Specific Heat Capacity (s)

$$s = \frac{\Delta \phi}{m \Delta T}$$

Unit:  $J/Kg \cdot K$   
 $J/Kg \cdot ^\circ C$

## • Heat Capacity (H)

$$H = \frac{\Delta \phi}{\Delta t}$$

Unit:  $J/K$

$$H = m s = n C$$

$$1 \text{ calorie} = 4.18 \text{ J}$$

- {
- $s_{\text{water}} = 4200 \text{ J/Kg} \cdot ^\circ C$  or  $1 \text{ cal/g} \cdot ^\circ C$
  - $s_{\text{ice}} = 2100 \text{ J/Kg} \cdot ^\circ C$  or  $0.5 \text{ cal/g} \cdot ^\circ C$

## Latent Heat of Fusion

$$h_f = \frac{\Delta \phi}{m}$$

# Hartent Heat of Vaporisation

$$hv = \frac{\Delta q}{m}$$

$$L_{\text{vap}} = 80 \text{ cal/g}$$

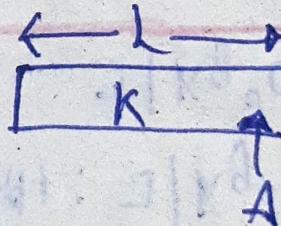
$$L_{\text{steam}} = 540 \text{ cal/g}$$

# PRINCIPLE OF CALORIMETRY

$$\text{Heat Loss} = \text{Heat Gain}$$

## Heat TRANSFER

$$H = \frac{KA\Delta T}{L}$$



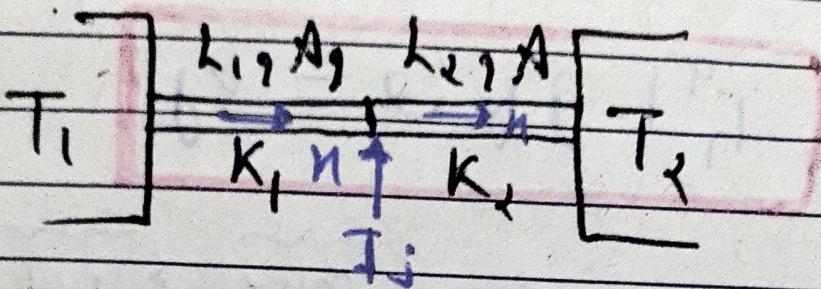
$$\Delta T = H \times \left( \frac{L}{KA} \right)$$

A good can be treated as a <sup>Thermal Resistance</sup> <sub>resistance</sub> of  $L/KA$

ESTIMATE

Combination 8

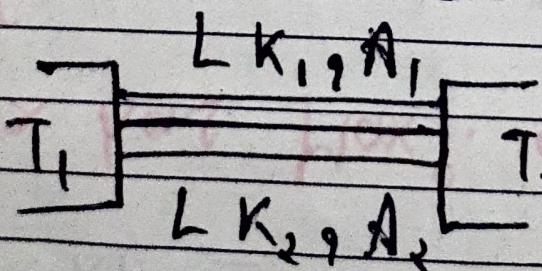
1.) Series Combination



$$V = V_1 + V_2$$
$$I = I_1 = I_2$$

$$R_{\text{eff}} = \frac{R_1 R_2}{R_1 + R_2}$$

2.) Parallel Combination



$$\frac{1}{R_{\text{eff}}} = \frac{1}{R_1} + \frac{1}{R_2}$$

By principle of Calorimetry

$$(m \times L) + (m \times s \times \Delta \theta) = m \times s \times \Delta \theta$$

Growth of Ice on Surface  
of Lake :-

Water has Maxi. density at  
 $4^{\circ} \text{C}$

Distance of water becoming  
frozen :-

$$y = \sqrt{\frac{2KT_f}{PL_f}}$$

Radiation :-

• Stefen's Law -

$$P_e = \sigma A E T_b^4$$

$\sigma$  (Stefan Constant)

$$= 5.6 \times 10^{-8} \text{ W/m}^2\text{K}^4$$

ESTIMATE

for black body,  $E = 1$

$$\frac{dQ}{dt} = P_{\text{net}} = \sigma A E (T_b^4 - T_s^4)$$

Temp.  
surrounding

Rate of cooling  $\propto \Delta T$

Newton's Law of Cooling

$$\frac{T_{b\text{f}} - T_{b\text{i}}}{t} = k \left( \frac{T_{b\text{f}} + T_{b\text{i}}}{2} - T_s \right)$$

$$T_b = T_s + (T_{b\text{i}} - T_s) e^{-kt}$$

Emissive Power  $\sigma$  -

$$E_p = \frac{P_p}{A}$$

$$E_p = \sigma E T_b^4$$

Wein's Displacement Law (for black body radiation)

$$\lambda_{\text{max}} \times T = \text{constant}$$

black body radiation

$$\lambda_1 T_1 = \lambda_2 T_2$$

Ratio of Emissive Power to  
Absorptive Power is same  
for all bodies equal to  
emissive power of perfectly  
black body

$$\left(\frac{e}{a}\right)_{\text{body}} = E_{\text{black body}} = (E_{\lambda})_{\text{black body}}$$