

Semi-Supervised Dependency Parsing with Variational Autoencoder

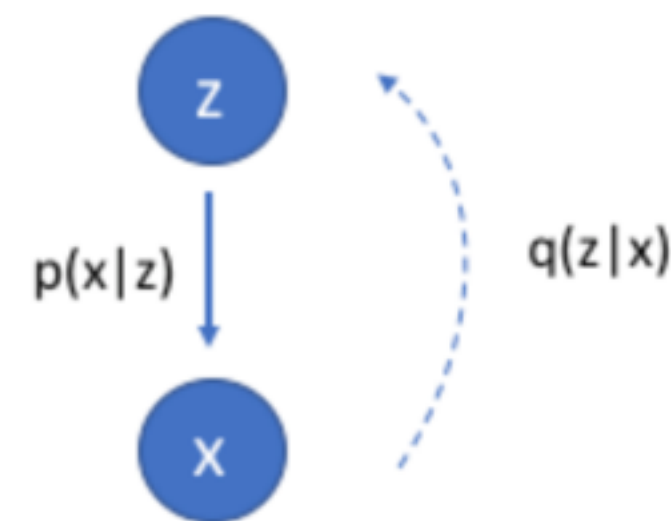
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Why is Semi-Supervised Learning Necessary

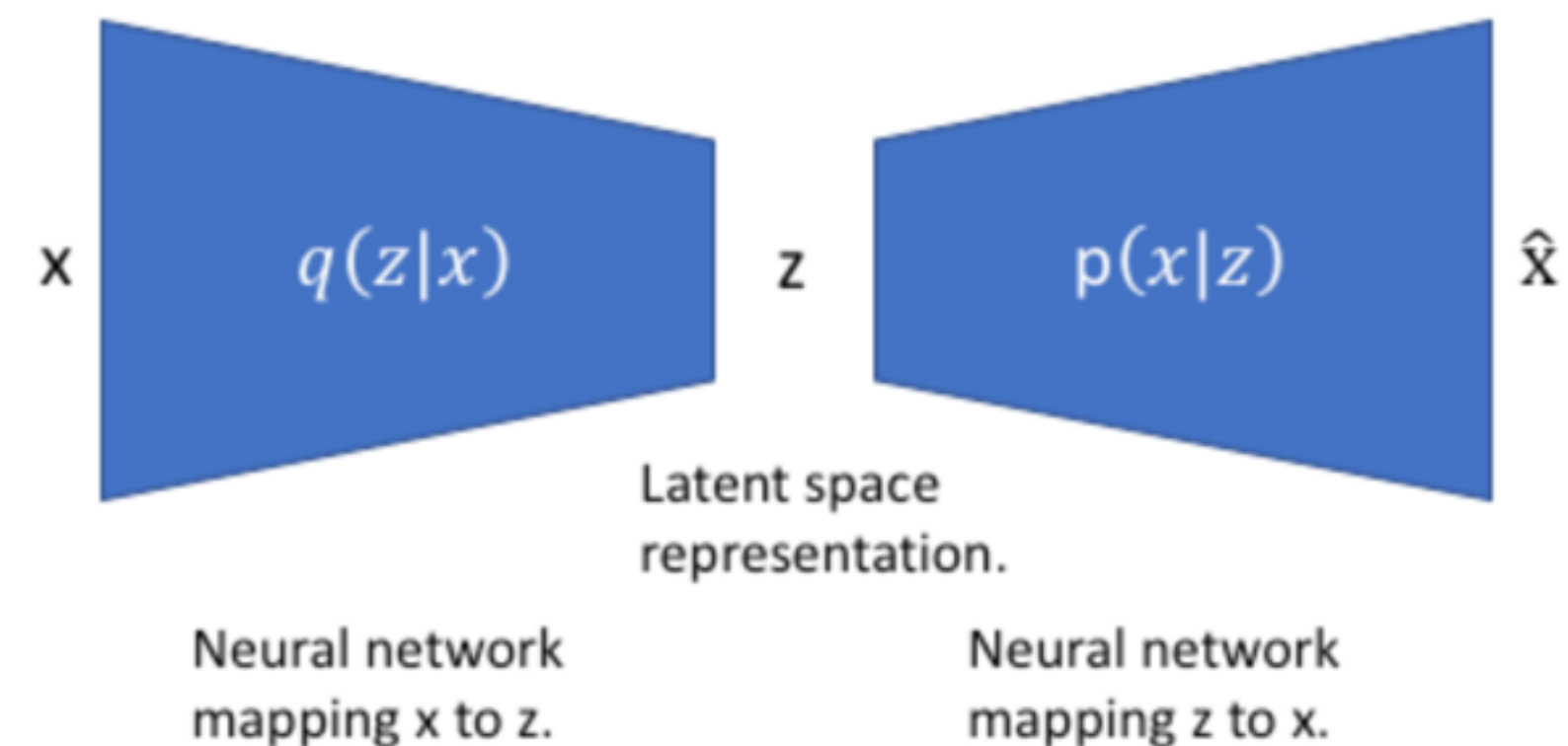
- Learning a reliable dependency parser requires a large amount of labelled data, e.g. Penn Treebank (39000+ sentence for training).
- Labelling data with dependency parse trees is a challenging and laborious work. For many languages, enough labelled data are not available.
- Unsupervised methods require POS tag information, lacking robustness over different annotation criteria such as WSJ and UD

Variational Autoencoder

- An elegant generative model with latent variables

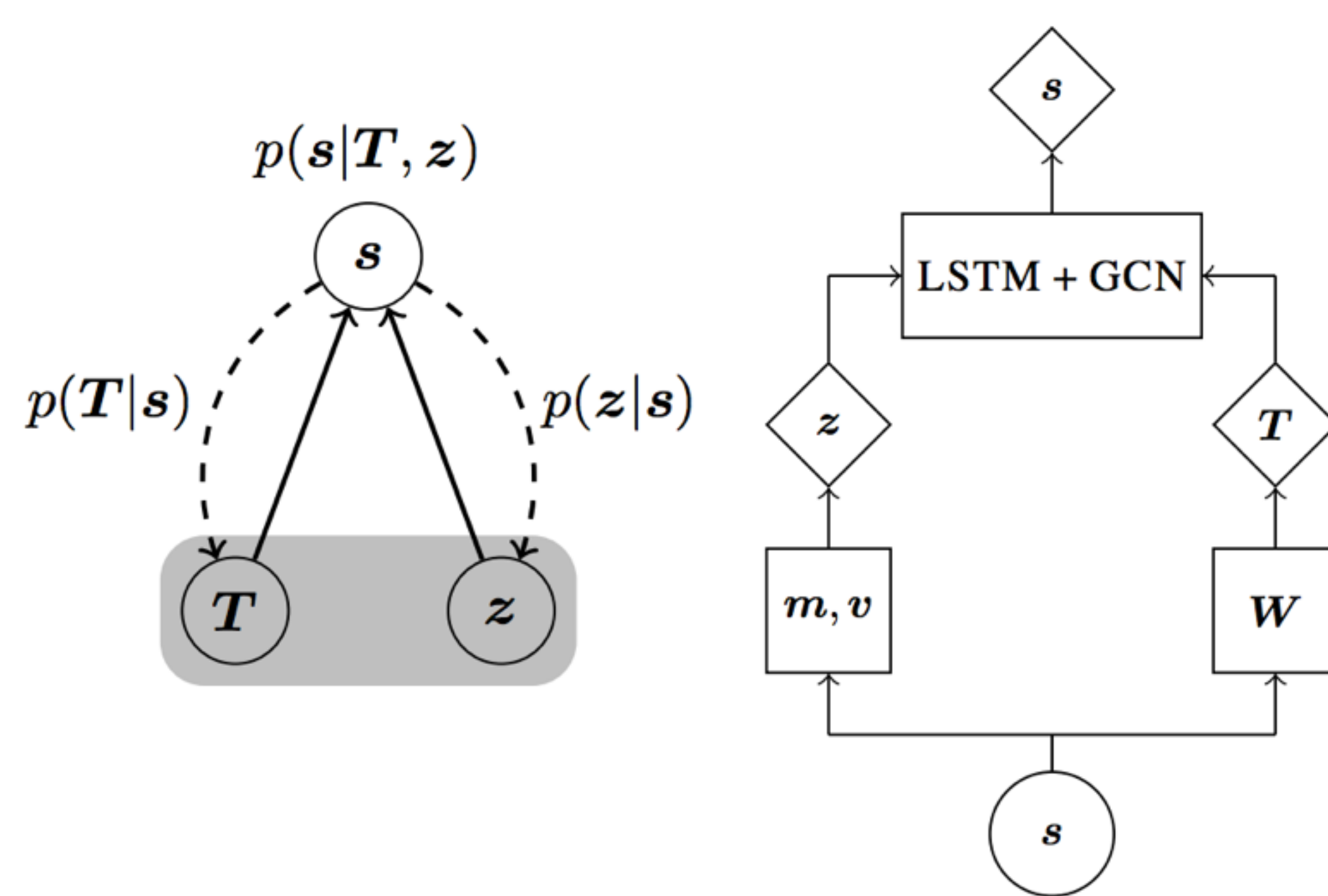


We'd like to use our observations to understand the hidden variable.

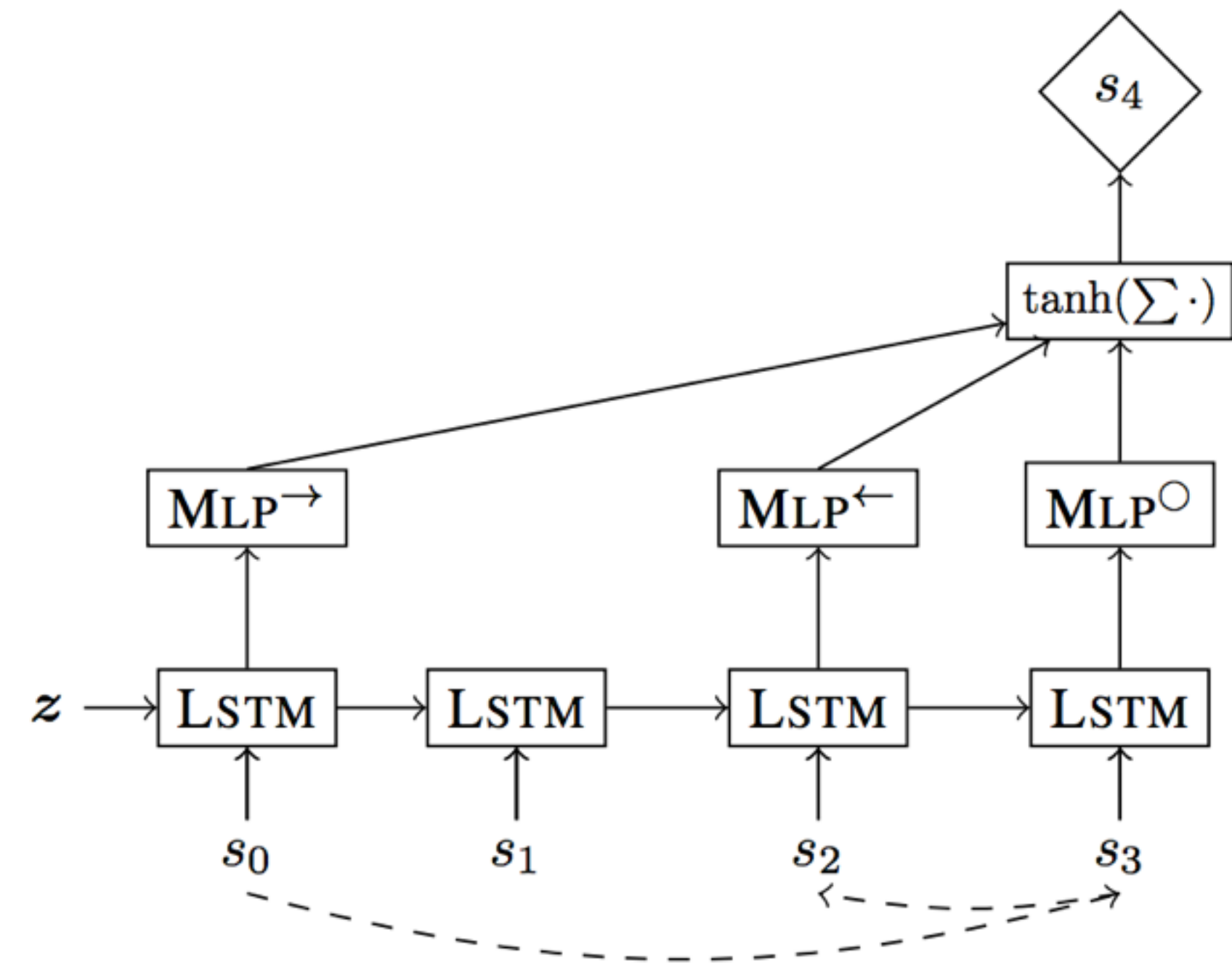


- Easy to be applied to semi-supervised learning, not suitable for structured latent variable like parse tree

Recent Work Combining Semi-Supervised Parsing with VAE



Graphical Model and Computational Graph



Decoder Implementation

Model Detail

- Generative Story

$$\mathbf{T} \sim p(\mathbf{T}|n)$$

$$\mathbf{z} \sim p(\mathbf{z}|n)$$

$$\mathbf{s} \sim p(\mathbf{s}|\mathbf{T}, \mathbf{z}, n)$$

- Objective Function

$$\log p_{\theta}(\mathbf{s}) = \mathbb{E}_{q_{\phi}(\mathbf{T}, \mathbf{z}|\mathbf{s})} [\log p_{\theta}(\mathbf{s}|\mathbf{T}, \mathbf{z})] - \text{KL}[q_{\phi}(\mathbf{T}, \mathbf{z}|\mathbf{s})|p(\mathbf{T}, \mathbf{z})] + \text{KL}[q_{\phi}(\mathbf{T}, \mathbf{z}|\mathbf{s})||p_{\theta}(\mathbf{T}, \mathbf{z}|\mathbf{s})]$$

$$\log p_{\theta}(\mathbf{s}) \geq \mathbb{E}_{q_{\phi}(\mathbf{T}, \mathbf{z}|\mathbf{s})} [\log p_{\theta}(\mathbf{s}|\mathbf{T}, \mathbf{z})] - \text{KL}[q_{\phi}(\mathbf{T}, \mathbf{z}|\mathbf{s})|p(\mathbf{T}, \mathbf{z})] = \tilde{\mathcal{E}}_{\theta, \phi}(\mathbf{s})$$

$$\bar{\mathcal{E}}_{\theta, \phi}(\mathbf{s}, \mathbf{T}) = \mathbb{E}_{q_{\phi}(\mathbf{z}|\mathbf{s})} [\log p_{\theta}(\mathbf{s}|\mathbf{T}, \mathbf{z})] - \text{KL}[q_{\phi}(\mathbf{z}|\mathbf{s})|p(\mathbf{z})]$$

$$\bar{\mathcal{E}}_{\theta, \phi}(\mathbf{s}, \mathbf{T}) = \mathbb{E}_{q_{\phi}(\mathbf{z}|\mathbf{s})} [\log p_{\theta}(\mathbf{s}|\mathbf{T}, \mathbf{z})] - \text{KL}[q_{\phi}(\mathbf{z}|\mathbf{s})|p(\mathbf{z})]$$

Encoder and Decoder

- For the encoder:

$$\mathbf{W} = \text{DEPWEIGHTS}(\mathbf{s})$$

$$q_{\phi}(\mathbf{T}|\mathbf{s}) = \frac{\exp(\sum_{i,j} W_{i,j} T_{i,j})}{\sum_{\mathbf{T}'} \exp(\sum_{i,j} W_{i,j} T'_{i,j})}$$

$$\mathbf{m}, \log \mathbf{v}^2 = \text{EMBPARAMS}(\mathbf{s})$$

$$q_{\phi}(\mathbf{z}|\mathbf{s}) = \mathcal{N}(\mathbf{z}|\mathbf{m}, \mathbf{v})$$

- For the decoder:

$$\mathbf{g}^i = \tanh \left(\text{MLP}^{\circ}(\mathbf{o}^i) + \sum_{h=0}^{i-1} T_{h,i} \times \text{MLP}^{\curvearrowright}(\mathbf{o}^h) + \sum_{m=0}^{i-1} T_{i,m} \times \text{MLP}^{\curvearrowright}(\mathbf{o}^m) \right)$$

Differentiable Perturb-and-Parse

- Sampling dependency tree by perturbing weight matrix

$$\mathbf{W} = \text{EMBPARAMS}(\mathbf{s})$$

$$\mathbf{P} \sim \mathcal{G}(0, 1)$$

$$\mathbf{T} = \text{EISNER}(\mathbf{W} + \mathbf{P})$$

where the perturbation is sampled from Gumbel distribution

- Sampling dependency tree by perturbing weight matrix

Replace the one-hot-argmax

peaked-softmax

$$o_i = \mathbb{1}[\forall 1 \leq j \leq k, j \neq i : v_i > v_j] \quad \text{with}$$

$$o_i = \frac{\exp(1/\tau v_i)}{\sum_{1 \leq j \leq k} \exp(1/\tau v_j)}$$

Experiment Results

(a) Parsing results

	English	French	Swedish
Supervised	88.79 / 84.74	84.09 / 77.58	86.59 / 78.95
VAE w. z	89.39 / 85.44	84.43 / 77.89	86.92 / 80.01
VAE w/o z	89.50 / 85.48	84.69 / 78.49	86.97 / 79.80
Kipperwasser & Goldberg	89.88 / 86.49	84.30 / 77.83	86.93 / 80.12

(b) Dependency length analysis

Distance	Supervised Re / Pr	Semi-sup. Re / Pr
(to root)	93.46 / 89.30	93.84 / 92.41
1	95.61 / 94.07	95.33 / 94.57
2	93.01 / 90.88	92.50 / 92.09
3 ... 6	85.95 / 88.13	87.31 / 87.93
> 7	72.47 / 83.26	78.72 / 83.11

(c) Dependency label analysis

Label	Supervised Re / Pr	Semi-sup. Re / Pr
mwe	75.58 / 81.25	90.70 / 84.78
advmod	87.27 / 85.95	87.32 / 87.51
appos	77.49 / 80.27	81.39 / 81.03