

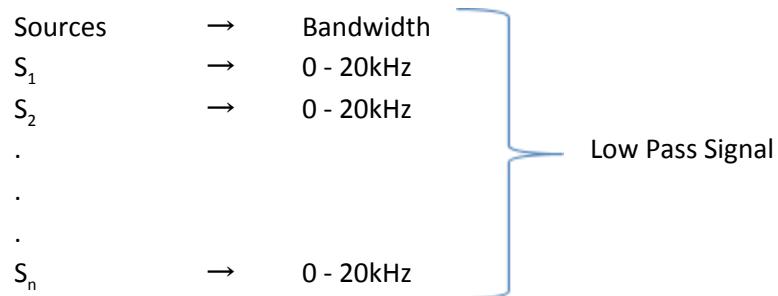
Satellite & Mobile Communication Network

01.09.2020

1. Transmission over space:
 - a. Analog signal transmission
 - i. Analog voice
 1. Music (0 - 20kHz)
 2. Telephone (0 - 4kHz)
 - ii. TV
 1. Video (0 - 5MHz)
 2. Audio (0 - 20kHz)
 - b. Digital signal transmission : we'll do it later.

2. Analog music transmission over space :

Say we have n number of sources:

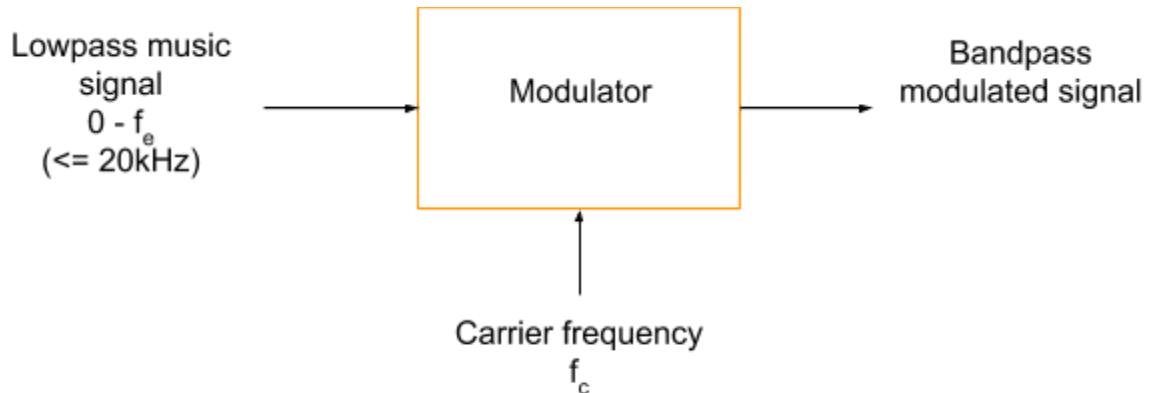


3. When all sources transmit their music signal, all will collide in the space.

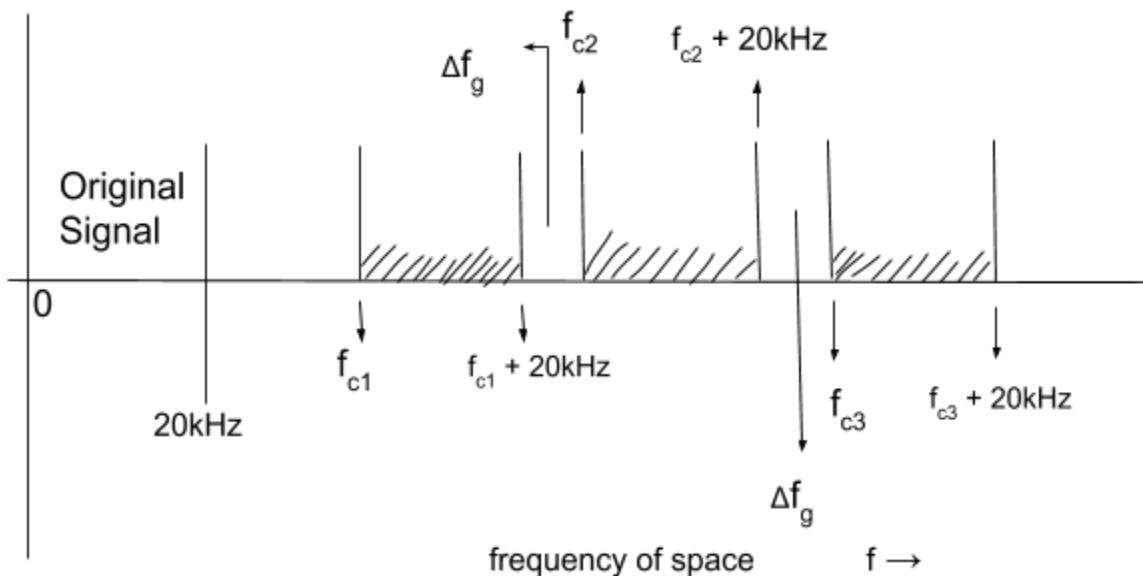
4. Signals

- a. Lowpass (music) $\rightarrow 0 - f_e$
- b. Bandpass (modulated signal) $\rightarrow f_L - f_H$
- c. Highpass $\rightarrow f_H - \infty$ [no relevance]

5. Solution:



6. Modulation types
 - a. Amplitude Modulation (AM)
 - b. Frequency Modulation (FM)
 - c. Phase Modulation (PM) [not used]
7. Amplitude modulated music:
 - a. Bandpass signal: $f_c \rightarrow f_c + 20\text{kHz}$, bandwidth of each channel
 - b. $0 \rightarrow 20\text{kHz}$ lowpass signal is transformed to f_c to $f_c + 20\text{kHz}$ bandpass signal.
8. Frequency modulation :
 - a. $0 \rightarrow 20\text{kHz}$ lowpass signal is transformed to f_c to $f_c + 5 \times 20\text{kHz}$ bandpass signal by frequency modulation.
9. Frequency Division Multiplexing in AM music transmission

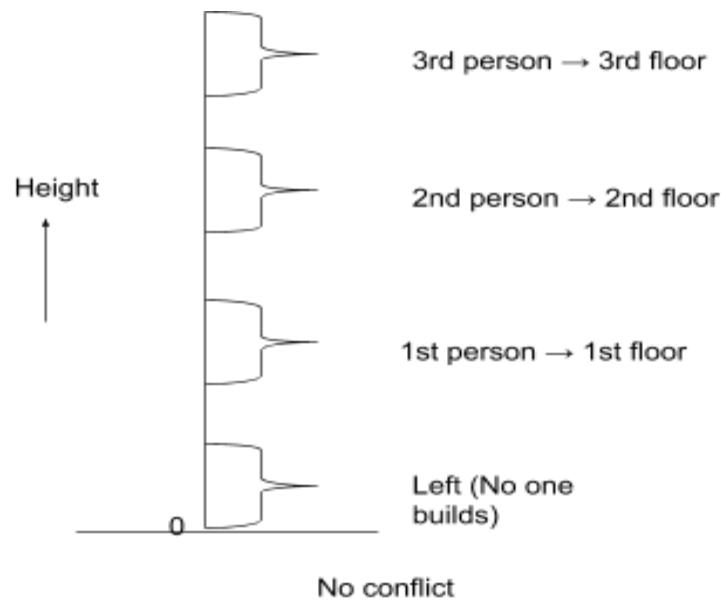


$$f_{c2} = f_{c1} + 20\text{ kHz} + \Delta f_g$$

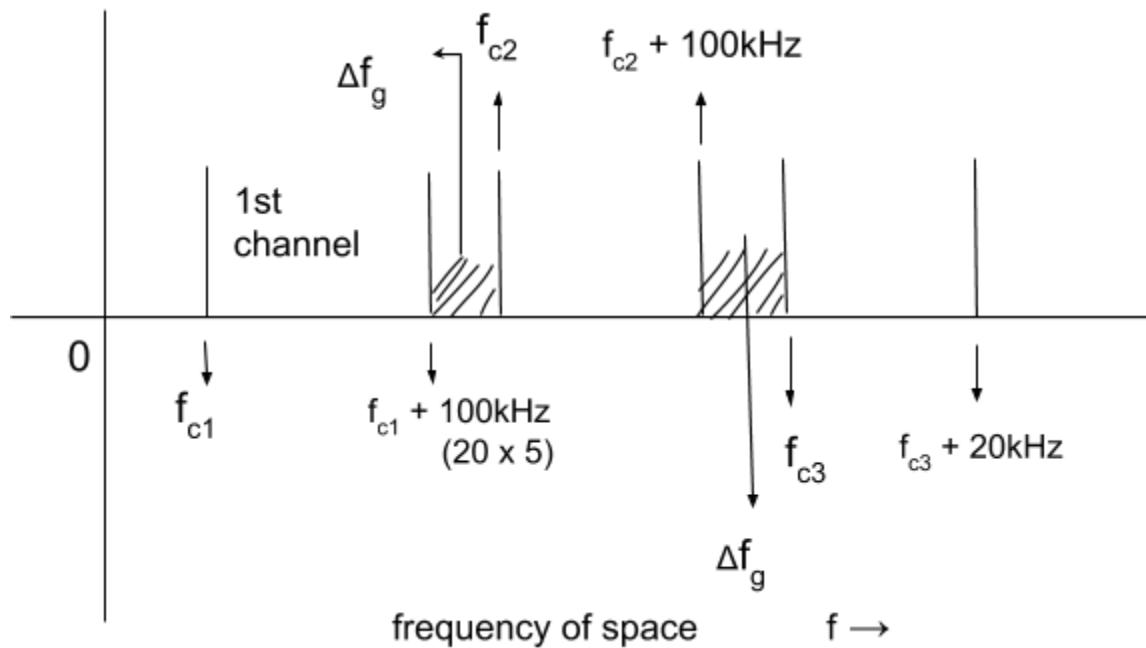
$$f_{c3} = f_{c2} + 20\text{ kHz} + \Delta f_g$$

Δf_g = guard band to stop interference between two consecutive channels

10. Each low pass music signal \Rightarrow Band pass music signal
($0 - 20\text{ kHz}$) $\quad (f_c \rightarrow f_c + 20\text{ kHz}$ by modulation)
11. House building analogy with modulation
 - a. One piece of land on the ground floor. N number of parties want to build on ground floor \Rightarrow conflict
 - b. Each builds their house in multistoried fashion leaving ground floor



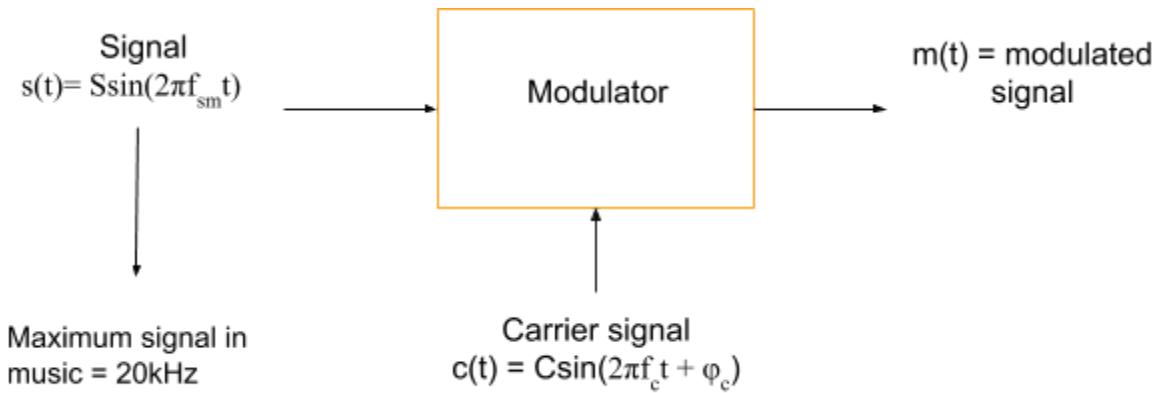
12. Frequency Division Multiplexing (FDM) for Frequency Modulation



$$f_{c2} = f_{c1} + 100 \text{ kHz} (5 * 20) + \Delta f_g$$

$$f_{c3} = f_{c2} + 100 \text{ kHz} + \Delta f_g$$

13.



14. Amplitude Modulation

$$m(t) = (C + k_a s(t)) \sin(2\pi f_c t + \phi_c)$$

15. Frequency Modulation

$$m(t) = C\sin(2\pi(f_c + k_f s(t))t + \phi_c)$$

C and ϕ_c are constant, f_c varies

16. Phase Modulation

$$m(t) = C\sin(2\pi f_c t + (\phi_c + k_p s(t)))$$

C and f_c are constant, ϕ_c varies

k_a = proportional constant for amplitude modulation

k_f = proportional constant for frequency modulation

k_p = proportional constant for phase modulation