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previous notes

① Carrier signal

$$c(t) = C \sin(2\pi f_c t + \phi_c)$$

$$② s(t) = S \sin(2\pi f_{sm} t) \quad \dots \dots \textcircled{2}$$

Where $s(t) = \text{Music signal}$

$f_{sm} = \text{Music signal Maximum frequency} = 20 \text{ kHz}$

③ Let Amplitude modulated signal be

$$m_a(t) = \{C + k_a s(t)\} \sin(2\pi f_{ct} t + \phi_c)$$

Here Amplitude of carrier varied according to the instantaneous value of the music signal $s(t)$, and $f_c + \phi_c = \text{constant}$

$$\text{Assume } \phi_c = 0$$

$$m_a(t) = (C + k_a s(t)) \sin 2\pi f_{ct} t$$

$$= (C + k_a S \sin 2\pi f_{sm} t) \sin 2\pi f_{ct} t$$

$$= C \sin 2\pi f_{ct} t + k_a S \sin 2\pi f_{sm} t \times \sin 2\pi f_{ct} t$$

$$\Rightarrow m_a(t) = \underbrace{c \sin 2\pi f_c t}_{\text{carrier}} + \frac{ka^s}{2} \underbrace{2 \sin \phi \sin \theta}_{\text{modulated signal}}$$

where $\phi = 2\pi f_m t$
 $\theta = 2\pi f_m t$

$$\Rightarrow m_a(t) = \underbrace{c \sin 2\pi f_c t}_{\text{carrier}} + s' \left\{ \cos \cos(\phi - \theta) - \cos(\phi + \theta) \right\}$$

where $s' = \frac{ka^s}{2}$

$$\Rightarrow m_a(t) = c \sin 2\pi f_c t - s' \cos(2\pi(f_c - f_m)t) - s' \cos(2\pi(f_c + f_m)t)$$

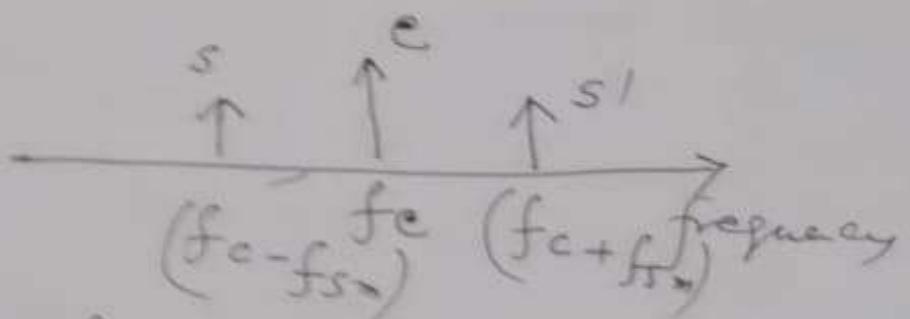
$$= c \sin 2\pi f_c t + s' \sin \left(2\pi (f_c - f_m)t \right) + s' \sin \left(2\pi (f_c + f_m)t \right)$$

+ $s' \frac{\sin}{\sin}$ Time domain

= Time representation of the modulated signal.

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① \Rightarrow Frequency domain representation of the modulated signal



where $f_{sm} = 20 \text{ kHz}$ —

② So Bandwidth of the modulated signal $m(t)$

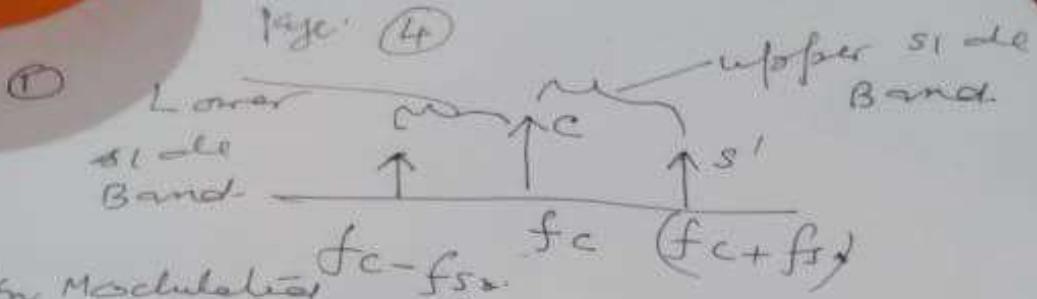
$$= (fc + fsm) - (fc - fsm)$$

$$= 2f_{sm} \quad \underline{\Rightarrow} = \text{BW of the channel}$$

③ Bandwidth of the original signal = f_{sm} —

④ So Bandwidth of the channel
= $2 \times \text{BW of the music signal}$

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For Modulation f_{ss}

Signal wave $\rightarrow (f_c - f_{ss}) \text{ to } (f_c + f_{ss})$

Preserves the characteristics
of the signal f_{ss} ~~but along~~
with the corner.

③ Demodulation:

Eliminating the corner signal
 f_c from (2) of the modulation
and getting back f_{ss} —
But $BW = 2f_{ss}$.

④ From upper side band also
we can do demodulation:

f_c to $(f_c - f_{ss})$
Eliminate the corner f_c

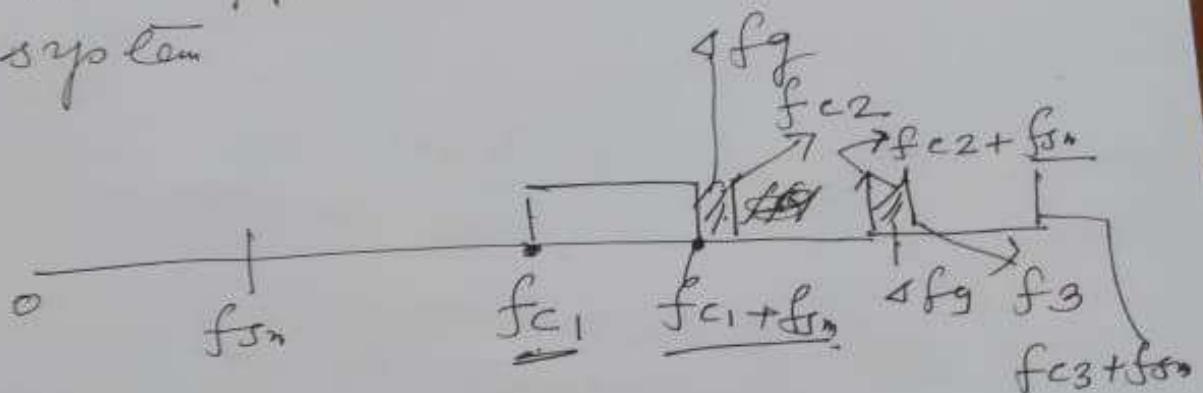
and we get back f_{ss} —

But BW required = f_{ss}

But some loss of quality.

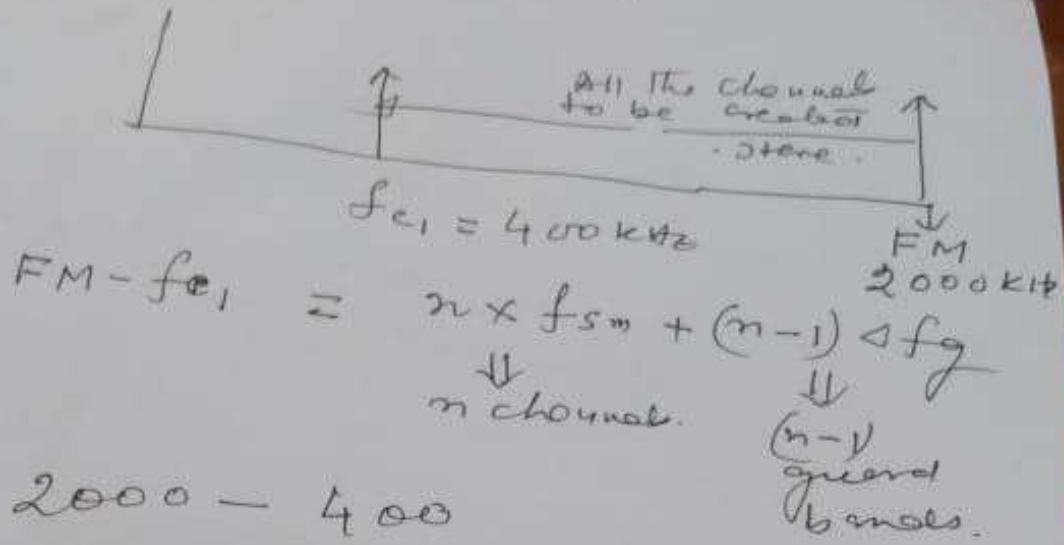
⑤ We can do demodulation
from the lower side Band also
with some loss of quality

1. Therefore with loss of some quantity, instead of sending the whole of $m(t)$ we side can send the upper band or the lower band and demodulate the receiver end.
2. Assume we always send the upper side band in FDM system



- (3) Assume in a FDM system if Music transmission f_{c1} = Lowest carrier = 400 kHz : —
 f_m = Bandwidth of the music signal = 20 kHz —
 Guard Band = 2 kHz. —
 Highest frequency of the Medium = f_M = 2 MHz

④ Calculate ^(Q6) How many channels
n can be created using RDM?



B

$$2000 - 400 = n \times 20 + (n-1) \times 2$$

\Rightarrow calculate n
and take the floor value
of n. (Round off to lower
integer.