Homework 1

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06-640

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1 Problem 1

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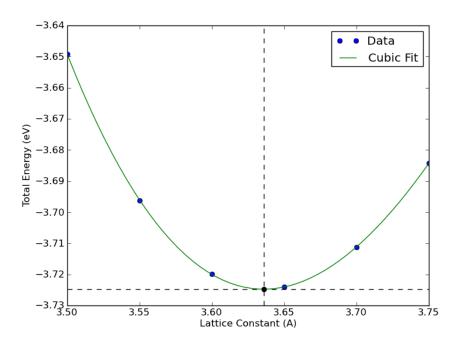
2 Problem 3

Placed in the repository: dft-revised.pdf

3 Problem 4

```
import numpy as np
1
    import matplotlib.pyplot as plt
    data_y = [-3.649238, -3.696204, -3.719946, -3.723951, -3.711284, -3.68426]
   data_x = [3.5, 3.55, 3.6, 3.65, 3.7, 3.75]
    pfit = np.polyfit(data_x, data_y, 3)
    pder = np.polyder(pfit)
 8
   pder_roots = np.roots(pder)
10
   en_roots = np.polyval(pfit, pder_roots)
11
   pdouble_der = np.polyder(pder)
12
   en_ext = np.polyval(pdouble_der, pder_roots)
13
14
   for i in range(2):
15
16
        if(en_ext[i]>0):
            lat_const_min = pder_roots[i]
17
            energy_min = en_roots[i]
18
20 print 'Equilibrium Lattice Constant: {0} Angstrom'.format(lat_const_min)
    print 'Minimum Energy: {0} eV'.format(energy_min)
21
22
pfit_x = np.linspace(data_x[0], data_x[-1])
24 pfit_plot = np.polyval(pfit,pfit_x)
25
26 plt.plot(data_x, data_y, marker='o', linestyle='none')
    plt.plot(pfit_x, pfit_plot)
27
28 plt.axvline(x = lat_const_min, linestyle='--', color='k')
29 plt.axhline(y = energy_min, linestyle='--', color='k')
30 plt.plot(lat_const_min, energy_min, 'ko')
31
    plt.xlabel('Lattice Constant (A)')
32 plt.ylabel('Total Energy (eV)')
33 plt.legend(['Data', 'Cubic Fit'], loc='best')
34 plt.savefig('hw1_q4.png')
35
   plt.show()
```

Equilibrium Lattice Constant: 3.63579751533 Angstrom Minimum Energy: -3.72475331358 eV

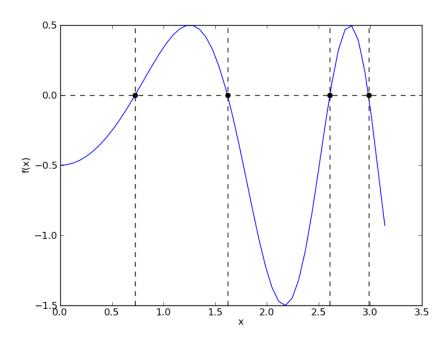


4 Problem 5

```
1
                        import numpy as np
                        from scipy.optimize import fsolve
                        import matplotlib.pyplot as plt
   5
                        def f(x):
                                              y = np.sin(x**2) - 0.5
   6
                                              return y
                        x0 = [0.75, 1.5, 2.3, 3]
                        x_soln = fsolve(f, x0)
 10
11
                        print 'Roots for the range [0,pi]: {0}'.format(x_soln)
12
13
                        x1 = np.linspace(0,np.pi)
14
                        y1 = f(x1)
15
16
17
                        plt.plot(x1, y1)
                        plt.axvline(x = x_soln[0], linestyle='--', color='k')
18
                      plt.axvline(x = x_soln[1], linestyle='--', color='k')
plt.axvline(x = x_soln[2], linestyle='--', color='k')
plt.axvline(x = x_soln[3], linestyle='--', color='k')
plt.axvline(y = 0, linestyle='--', color='k')
plt.axvline(y = 0, f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f(x_soln_f
20
                        plt.plot(x_soln, f(x_soln), 'ko')
```

```
24 plt.xlabel('x')
25 plt.ylabel('f(x)')
26 plt.savefig('hw1_q5.png')
27 plt.show()
```

Roots for the range [0,pi]: [0.72360125 1.61802159 2.60898143 2.9834844]



5 Problem 6

```
import numpy as np
import numpy.linalg as la

A = np.array([[1, -3, 9, -27], [1, -1, 1, -1], [1, 1, 1], [1, 2, 4, 8]])
b = np.array([-2, 2, 5, 1])

print 'Solution from linear algebra and python:\n {0}'.format(la.solve(A, b))
print 'Solution from linear algebra:\n {0}'.format(np.dot(la.inv(A), b))
print 'They match eachother'
```

Solution from linear algebra and python:

Solution from linear algebra:

They match eachother