

Date  
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## Assignment - 10

21118

classmate

Date  
Page

### # Problem Statement:

Implement C++ program for expression conversion as infix to postfix & its evaluation using stack based on given conditions:

- 1) Operands & operators, both must be single character.
- 2) Input postfix expression must be in desired format
- 3) Only '+', '-', '\*' & '/' operators are expected.

### # Objectives:

- 1) To understand types of expression <sup>representation</sup> along with adv & disadvantages of each type
- 2) Understand usage of stack in evaluating & converting one form of expression to another.

### # Outcomes:

- 1) To implement stack using linked list/ arrays.
- 2) Use stack for calculation of postfix expression which contains simple operators.

### # Hardware Requirement:

Manufacturer & Model: Acer Swift-3

Processor: Intel core i-5 8<sup>th</sup> gen (8265U @ 1.8 GHz)

Installed Memory: 8GB RAM, 512GB SSD.

Architecture: 64-bit

### # Software Requirement:

Operating System: Ubuntu 20.04 LTS on Oracle Virtual Machine

(3 processors & 4096MB base memory is allocated)

C++ version used: C++ 14

Compiler for C++: g++ (version: 10.1.0)

Code Editor: Sublime Text (Build 2011)



```

for i ← 1 to length of infix
  if expr[i] is number
    append it to postfix
  else if expr[i] is operator
    while (!stk.empty() && stk.top() != '(' &&
           stk.top() has higher precedence than expr[i])
      postfix ← postfix + stk.top()
      stk.pop()
    }
  else if expr[i] is '('
    stk.push('(')
  else if expr[i] is ')'
    while (!stk.empty() && stk.top() != '(')
      postfix ← postfix + stk.top()
      stk.pop()
    }
  }
while (!stk.empty())
  postfix ← postfix + stk.top()
  stk.pop()
}
return postfix
}

```

Algorithm Evaluate Postfix (Postfix) :

stack <int> stk;

for i ← 1 to length of postfix :

if (expr[i] is number) :

{ stk.push(expr[i])

else if (expr[i] is operator) :



```

    op2 ← stk.top(); stk.pop()
    op1 ← stk.top(); stk.pop()
    stk.push (evaluate(op1, op2, opri))
  }
}
return stk.Top();
}

```

#### # ADT of classes:

1) Class Stack < (this will be a template class (say T))

private:

Node\* head; // using linked-list to implement stack

public:

Stack() < // constructor function  
head = NULL;

}

int is Empty () <

// checks if stack is empty

{

void Push (T x) <

// add x to stack

{

void Pop () <

// remove element from top of stack

}

~~int~~ Top () <

// returns top of stack

}

2) class Expression <

private:

string exp;



Date \_\_\_\_\_  
Page \_\_\_\_\_

```
bool isNumber(char c) {  
    // checks if char c is number @ not  
    {
```

```
bool isOperator(char c) {  
    // checks if c is operator @ not  
    {
```

```
int evaluate(int op1, int op2, char op2) {  
    // evaluate op1 & op2 according to op2.  
    {
```

```
int getPriority(char op2) {  
    // returns priority of i/p operator  
    {
```

```
bool isHigherPrecedence(char op21, char op22) {  
    // checks the precedence of op21 over op22  
    {
```

public:

```
Expression(string str = "") {  
    // constructor  
    {
```

```
string getExpression() {  
    // returns expression  
    {
```

```
void setExpression() {  
    // set value of exp  
    {
```

```
int evaluatePostfix() {  
    // evaluates the postfix expression  
    {
```

```
string InfixToPostfix(string) {  
    // convert exp to postfix form  
    {
```



# Analysis of Algorithms:→ Evaluation of postfix:

The time complexity of the algorithm is  $O(n)$  where  $n$  is the length of postfix expression.

~~operands only~~

The space complexity of the algorithm is  $O(n)$  where  $n$  is the operands present in postfix expression.

→ Infix to postfix conversion:

The time complexity of the algorithm is  $O(n)$  where  $n$  is the length of infix expression.

The space complexity of the algorithm is  $O(n)$  where  $n$  is the operands + brackets present in ~~postfix~~ infix expression.

# Test cases:

Sr.No.	Testcase Description	Expected output	Actual output
1)	Infix $\rightarrow$ postfix i/p: $a + b$	$a b +$	$a b +$
2)	Infix $\rightarrow$ postfix i/p: $(a + b) * c$	$a b + c *$	$a b + c *$
3)	postfix evaluation i/p: <del>2 3 + 5 /</del> $2 3 + 5 /$	1	1

→ postfix evaluation



### \* Applications

Stacks are ideal data structure to calculate/evaluate prefix & postfix expressions.

Prefix/postfix expressions are preferred in computer science due to their ease of calculation by computers.

### \* Conclusion

The assignment allows you to use stack to conversion from infix to postfix efficiently. One can see that use of data structure can significantly reduce the complexity of problem.