4-Aug-2020

Assignment No. 1

21138

Name: Shubham Chemate.
SE-1 (E-1)

Problem statement:

In second year engineering class, group A students play cricket, group B students play badminton and group C student's play football.
Write a Python program using function to compute the following:

a) List of students who play both cricket & badminton
b) List of students who play either cricket or badminton but not both.
c) Number of students who play neither cricket nor badminton
d) Number of students who play cricket & football but not badminton.

(Note: While realizing the group, duplicate entries should be avoided, Do not use set Inbuilt functions)

Objectives:

1) To understand the concept of operations of set
2) To understand primitive functions of list data structure in Python

Outcomes

1) To implement set operations using list data structure in python.
2) To write menu driven, modular program in python.
3) To implement user defined functions in python.

Hardware Requirements:

Manufacturer: Acer

Model: Swift SF314-55G
Processor: Intel(R) Core(TM) i5-8265U CPU @ 1.60GHz 1.80GHz
Intalled Memory(RAM): 8.00GB (7.85GB usable)
System Type: 64-bit Operating System, x64-based processor
Pen and Touch: No Pen or Touch Input is available

Software Requirements:

Operating System: Windows 10 Home Single Language (Version: 1903)
Python Version: 3.8.5
VS Code (text editor): Version: July 2020 (version 1.48)

Theory Concepts:

Set: A collection of well defined, distinct objects
Set operations: Union, Intersection, Difference
Union: elements of two sets, present in either set
Intersection: common elements of two set.
Difference: difference of set A with B is defined as elements of A which are not in B.
Class: Class is a blueprint of objects. It provides way to implement various oop concepts (eg data hiding, abstraction)
objects: object is an instant of a class. for same class there can be multiple objects.
oop concepts: data hiding, abstraction
data hiding: work through function and don't play directly with actual data.
Abstraction: showing important details & hiding unnecessary things.

Also list is used to implement set and basic python syntax knowledge is used.

ADT:

- Abstract data type (ADT) is a type (or class) for objects whose behavior is defined by a set of value and set of operations.
- The defination of ADT only mentions what operations are to be performed but not how these operations will be implemented.
- It doesn't specify how data will organised in memory & what algorithm will be used for implementation.
- As a ADT, sets have two key characteristics
  - They contain no duplicates
  - The item within the sets are unordered

class declaration:

class Set is declared with empty list and length as a class member variables. list will be used to store set elements & length will be the count of elements in a set
The list & length both variables are initialized inside the constructor.
Other methods in the class include addElement(), intersection(), union(), and difference().
High level python code for class is as below.

```
class Set:
    def __init__(self):
        self.myset = []        # empty list to store set element
        self.length = 0        # count of elements in set

    def addElement(self, element)   # adds element to myset
        # code
```

```
def intersection(self, anotherSet):      # return intersection
    # code                               of set with another set
def isElement(self element):             # check whether
    # code                               element is present in
                                         set or not
def union( self, anotherSet):            # return union of set
    # code                               with another set
def difference(set, anotherSet):         # return difference of
    # code                               set with another set
```

Algorithms: for set operations:

Algorithm createSet (set):
{ // This function will create an Empty set named as
// set
1. set = []
}

Algorithm addElement (element, set)
{ // This function will add element to the set
1. read element
2. IF (element not in set) then
2.1 Add element to the set
}

Algorithm unionSet (set1, set2, unionSet)
{ // union will be union of set1 & set2
1. read set1 & set2
2. set union []
3. for (element in set1) do
3.1 if (element not in union) then
3.1.1 Add element to union

4. For(element in set 2) do
    4.1 if(element not in union) then
        4.1.1. Add element to union.
5. return union.
}

Algorithm Intersection set (set1, set2, intersection)
{ // intersection will be intersection of set1 & set2.
1. read set1 & set2
2. set intersection = []
3. for (element in set) do
    3.1 if (element in set1) do
        3.1.1 Add element to intersection.
4 return intersection.
}

Analysis of Algorithm:

Method / Algorithm	Time Complexity
1. addElement()	O(n) where n = no. of elements in set
2. CreateSet()	O(1)
3. UnionSet()	O(m+n) where m,n = size of 1st & 2nd set
4. IntersetionSet()	O(m*n) where m,n = size of 1st & 2nd set
5. IsContain()	O(n) where n = size of set
6. difference()	O(m*n) where m,n = size of 1st & 2nd set

Test Cases: consider A = cricket players, B = badminton players & C = football players. (a, b, c, d → for problem statements)

Test Case No.	Test Case Description	Expected Output	Actual Output
1.	A = ~~empty~~ {A, B, C} B = {A, B, C} C = {A, B, C} ie. all sets with same elements	a. {A, B, C} b. No students c. ~~No students~~ 0 d. ~~No students~~ 0	a. A, B, C b. No student c. 0, No student d. 0, No student
2.	A = empty B = {A, B, C, D} C = {C, A, E, F} ie. three sets with one empty	a. ~~{A, B, C, D}~~ {} b. {A, B, C, D} c. {2} d. 0	a. No students b. {A, B, C, D} c. 2, {E, F} d. 0, No students
3.	A = {A, B, C, D} B = {C, D, E} C = {E, A, B, F, G} ie. three set with some common elements.	a. {C, D} b. {A, B, E} c. 2 d. 2	a. {C, D} b. {A, B, E} c. 2, {F, G} d. 2, {A, B}

Applications:

1) mathematical structures: ~~applications~~: many mathematical structures like graphs, manifolds, rings & vector spaces can be represent using sets.
2) many mathematical theorems are derived using set theory eg properties of real numbers & natural numbers
3) Also set theory is foundation for mathematical analysis, topology, abstract algebra & discrete mathematics

source: wikipedia.org

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Conclusion:

The set theory is one of the important aspect of discrete mathematics. Many mathematics proofs are derived using the sets. Bab before going into the details it is essential to knao properties of set & basic operations on them.

This assignment covers all basic operations of set using lisp data type. All basic operations are covered in pretty much detail that one can move to the advanced mathematics of set from here.