

Title: scanline algorithm for polygon filling

Problem Statement:

write C++ program to draw a concave polygon & fill it with desired colour using scan-fill algorithm. Apply the concept of inheritance.

Objectives

- to fill the polygon by using scan-line algorithm
- to use the mouse click event

Outcomes

- students will be able to implement scan-line algorithm & will know how to fill the polygon
- students will be able to use mouse click event & will be able to draw a polygon with no. of slides.

Software & Hardware Requirement:

- Of creator (latest version)
- Windows 10, 64-bit, GCC/G++ compiler

Theory:

- This is an image space algorithm. It processes one line rather than one pixel at a time
 - It uses the concept of coherence. This algorithm records edge list, active edge list.
- The edge list @ edge table contains the co-ordinates of two endpoints

Advantages:

- It only draws visible pixels
- It requires less memory & takes advantage of each edge coherence. This results in faster execution.

Disadvantages

- It is more complex
- It requires all polygon should be sent to render before drawing

Algorithm

- Set y_{\min} to smallest y for which there is an empty entry in T
- AET is initially empty
- Repeat both steps of AET & ET are empty
 - move edges from ET to AET whose $y_{\min} = y_{\max}$
 - fill the visible span.
 - Remove edges with $y_{\min} = y_{\max}$
 - Increment y by 1
 - for each edges in AET, update x -co-ordinate
 - sort all edges in x .

Pseudo Code

~~Algorithm~~ ~~$\text{DrawLine}(x_1, y_1, x_2, y_2)$~~

Algorithm $\text{scanline}()$

1. $a[\text{var}] = a[0]$
2. $b[\text{var}] = b[0]$
3. for $i \leftarrow 0$ to $j \leftarrow \text{var}$ do
 - 3.1 set $dy = b[i+1] - b[i]$
 - 3.2 set $dx = a[i+1] - a[i]$
 - 3.3 if $(dy = 0)$ $m[i] = 1.0$
 - 3.4 if $(dx = 0)$ $m[i] = 0.0$
 - 3.5 if $(|dy| = 0.0 \text{ or } |dx| = 0.0)$
 - 3.5.1 $m[i] = dx/dy$
4. for $(\text{inf } y = 0; y \leq \text{var}, y++)$ do
 - 4.1 $k \leftarrow 0$

4.2 for $i \leftarrow 0$ to $i \leftarrow \text{var} - 1$ do

4.2.1 if $((b[i] \leq y \text{ \& \& } b[i+1] > y) \vee (b[i] > y \text{ \& \& } b[i+1] \leq y))$
 4.2.1.1 $x_{\min}[k] = \min(a[i] + m[i] * (y - b[i]),$
 4.2.1.2 $k \leftarrow k + 1$

4.3 for $j \leftarrow 0$ to $j \leftarrow k - 2$ do

4.3.1 for $i \leftarrow 0$ to $i \leftarrow k - j - 2$ do

4.3.1.1 if $(x_{\min}[i] > x_{\min}[i+1])$

4.3.1.1.1 $\text{temp} \leftarrow x_{\min}[i]$



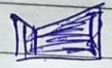



4.3.1.1.2 $x_{\min}[i] = x_{\min}[i+1]$

4.3.1.1.3 $x_{\min}[i+1] = \text{temp}$

4.4 for $i \leftarrow 0$ to $i \leftarrow k - 1$

4.4.1 $\text{drawLine}(x_{\min}[i], y, x_{\min}[i+1], y)$

Testcases

no	input	expected output	Actual o/p	result
1				passed
2				passed

Time complexity: $O(n^2)$

Conclusion

We learned how to use scan-line algorithm to fill the polygon & also learned mouse click events to draw polygon.

