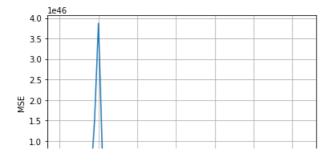
```
In [107]:
%matplotlib inline
import warnings
warnings.filterwarnings("ignore")
import numpy as np;
import pandas as pd
import matplotlib.pyplot as plt
from sklearn.datasets import load boston
from sklearn.metrics import mean squared error as MSE
#getting boston house price data from sklearn
boston = load boston()
In [2]:
#finding no of datapoints in boston data
X = pd.DataFrame(data=boston['data'], columns=boston['feature_names']);
print("Shape of feature matrix: ", X.shape)
print(X.head(5))
print('*'*100)
y = pd.DataFrame(np.array(boston['target']))
print("Shape of output matrix", y.shape)
Shape of feature matrix: (506, 13)
     CRIM ZN INDUS CHAS NOX
                                       RM AGE
                                                    DIS RAD
                                                                TAX \
                        0.0 0.538 6.575 65.2 4.0900 1.0 296.0 0.0 0.469 6.421 78.9 4.9671 2.0 242.0
0 0.00632 18.0 2.31
  0.02731
            0.0
                  7.07
                        0.0 0.469 7.185 61.1 4.9671 2.0 242.0
2 0.02729 0.0 7.07
3 0.03237 0.0 2.18
                        0.0 0.458 6.998 45.8 6.0622 3.0 222.0
4 0.06905
           0.0 2.18
                        0.0 0.458 7.147 54.2 6.0622 3.0 222.0
   PTRATIO
                B LSTAT
    15.3 396.90
Ω
                   4.98
     17.8 396.90 9.14
2
     17.8 392.83 4.03
                   2.94
     18.7 394.63
3
     18.7 396.90
Shape of output matrix (506, 1)
4
In [183]:
class LinearRegression():
    def __init__(self, X, y, plot_error_per_iteration = False):
        self.X = X
        self.y = y #dimension: n*1
        self.data = pd.concat([X, y], axis=1);
        self.lr = 0.001 #defining learning rate
       self.b = np.random.normal(0,1,1);
       self.w = np.zeros((self.X.shape[1], 1)) #generating intial weight vector of dimension 1*d,
where d is no of columns/features
        self.MSE list = [];
        self.plot_error_per_iteration = plot_error_per_iteration;
    def computeDerivative(self, X, y):
        function to obtain derivative value which is -2*x*(y-WT*X)
        wT x = np.dot(X, self.w) #calculating x * w => multiplying X(n*d - dim) with weight(d*1), ou
tput will be of n*1 - dim
        y_wT_x = y - wT_x #calculating y - (w_t * x) \Rightarrow output will be of dimension n*1
        x_prod = -2 * X;
        der = np.dot(y wT x.T, x prod) #der will be of dimension 1 * d
        return self.w - self.lr * der.T;
    def computeIntercept(self, X, y):
```

function to compute now intercon

```
ranction to compare new intercept
        {\tt wT\_x} = {\tt np.dot(X,\ self.w)} \ \# calculating \ x \ ^* \ w \Rightarrow {\tt multiplying} \ X(n^*d \ - \ dim) \ with \ weight(d^*1) \, , \ {\tt our}
tput will be of n*1 - dim
        y wT x = y - wT x #calculating y - (w t * x) => output will be of dimension <math>n*1
        y_{prod} = -2 * y_wT_x;
        intercept = y_prod.sum(axis=0)
        intercept = intercept[0]
        return self.b - (self.lr * intercept)
    def predict(self, X):
         function to predict output given query points
        wT x = np.dot(self.w.T, X.T)
        y = wT x + self.b;
        \textbf{return} \ \texttt{y.T}
    def addMSE(self, ):
         function to add mean squared error for each W, obtain in each iteration
        y_pred = self.predict(self.X);
        self.MSE list.append(MSE(y, y pred));
    def plotError(self, ):
        function to plot error
        plt.plot(np.arange(0, len(self.MSE list)), self.MSE list);
        plt.ylabel('MSE');
        plt.xlabel('iterations')
        plt.grid();
        plt.show();
    def fit(self, ):
        itr = 1;
        while True:
             sample_data = self.data.sample(n=5)
             X = sample_data.loc[:, sample_data.columns != 0];
             y = sample data.loc[:, [0]]
             new w = self.computeDerivative(X, y);
             new b = self.computeIntercept(X, y);
             if (\text{np.all(new w - self.w}) < 0.01 \text{ and } \text{np.all(new b - self.b)} < 0.01):
                 self.w = new_w
                 self.b = new b
                 \textbf{if} \ \texttt{self.plot\_error\_per\_iteration:}
                      self.addMSE();
                      self.plotError();
                 break
             else:
                 self.lr /= 2
                 self.w = new w
                 self.b = new b
                 if self.plot_error_per_iteration:
                      self.addMSE();
4
```

In [186]:

```
LR = LinearRegression(X, y, plot_error_per_iteration = True);
LR.fit()
y_pred = LR.predict(X);
self_model_error = MSE(y, y_pred)
```



```
0.5 0.0 0 10 20 30 40 50 60 iterations
```

In [177]:

```
from sklearn import linear_model
model = linear_model.SGDRegressor(penalty='none');
model.fit(X, y);
y_pred = model.predict(X);
sgd_model_error = MSE(y, y_pred)
```

In [178]:

```
from prettytable import PrettyTable

x = PrettyTable()
x.field_names = ["Model", "Mean squared error"]
x.add_row(["SGDRegressor", sgd_model_error])
x.add_row(["our created model",self_model_error])
print(x)
```

| Model | Mean squared error | |
|-------|---|--------------|
| , | 1.216532166852742e+29 1.3757560711443702e+43 | - - |