

**NAME: SHUBHAM SHARMA**

**ROLL NO: 18i190002**

**MSC PHD (OR)**

**Part (i,ii,iii,iv,v):**

After running the code, it will ask the different set of values as per mentioned in the question itself

Upto part (v), ex1\_2\_3\_4\_5.sce has been uploaded to moodle and graph of mean and variance of Z as a function of s is :

(data has been taken from an example of a book)

$\rho=0$

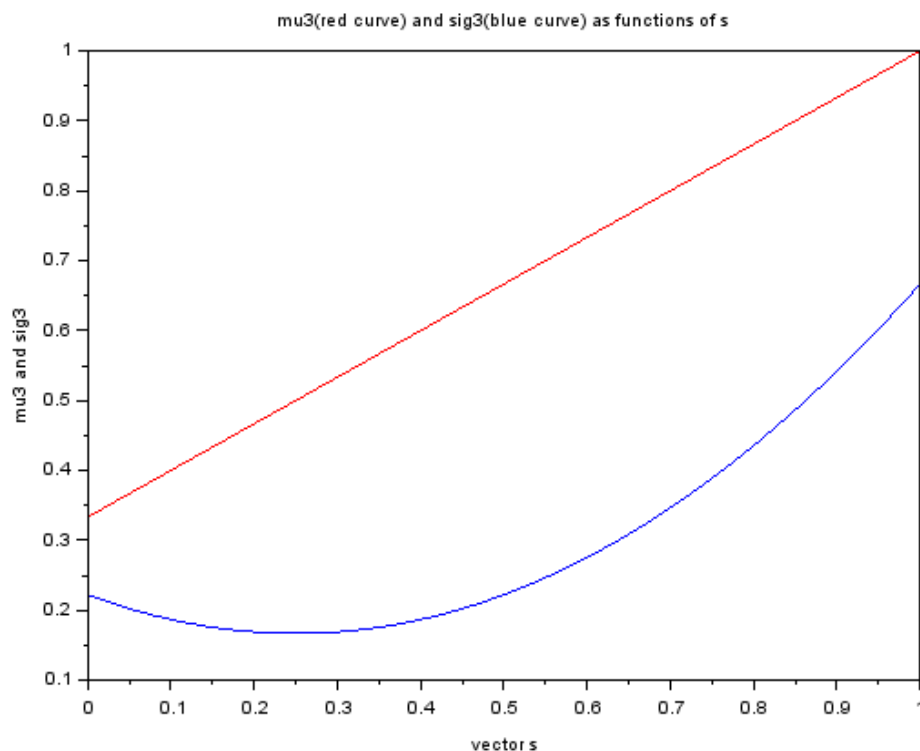
$\mu_1=1$

$\mu_2=1/3$

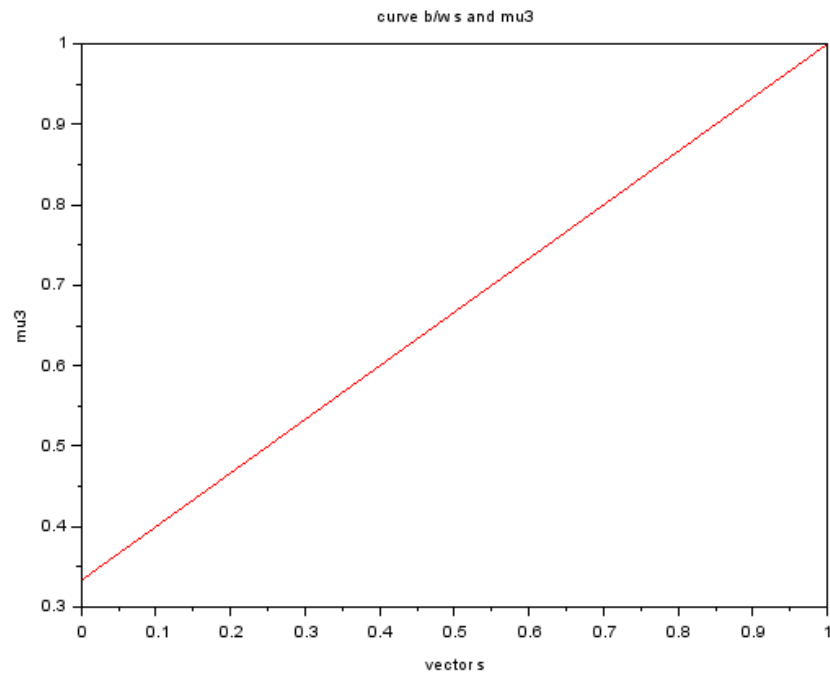
$\sigma_1=2/3$

$\sigma_2=2/9$

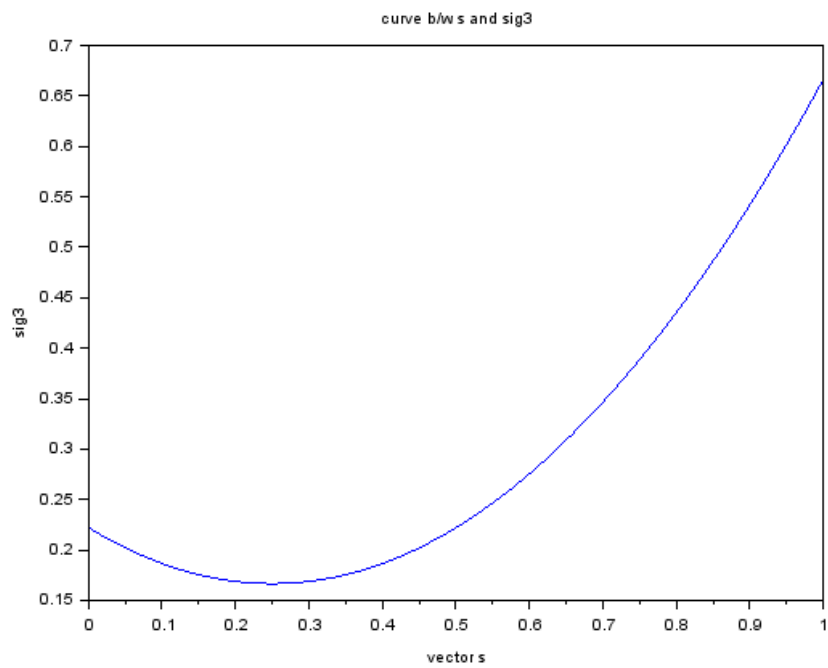
MEAN AND VARIANCE AS A FUNCTION OF s:



MEAN AS A FUNCTION OF  $s$  :



VARIANCE AS A FUNCTION OF  $s$  :



**Part (vi)**

**code file is ex6.sce**

GRAPH OF MEAN VS VARIANCE:

(data has been taken from an example of a book)

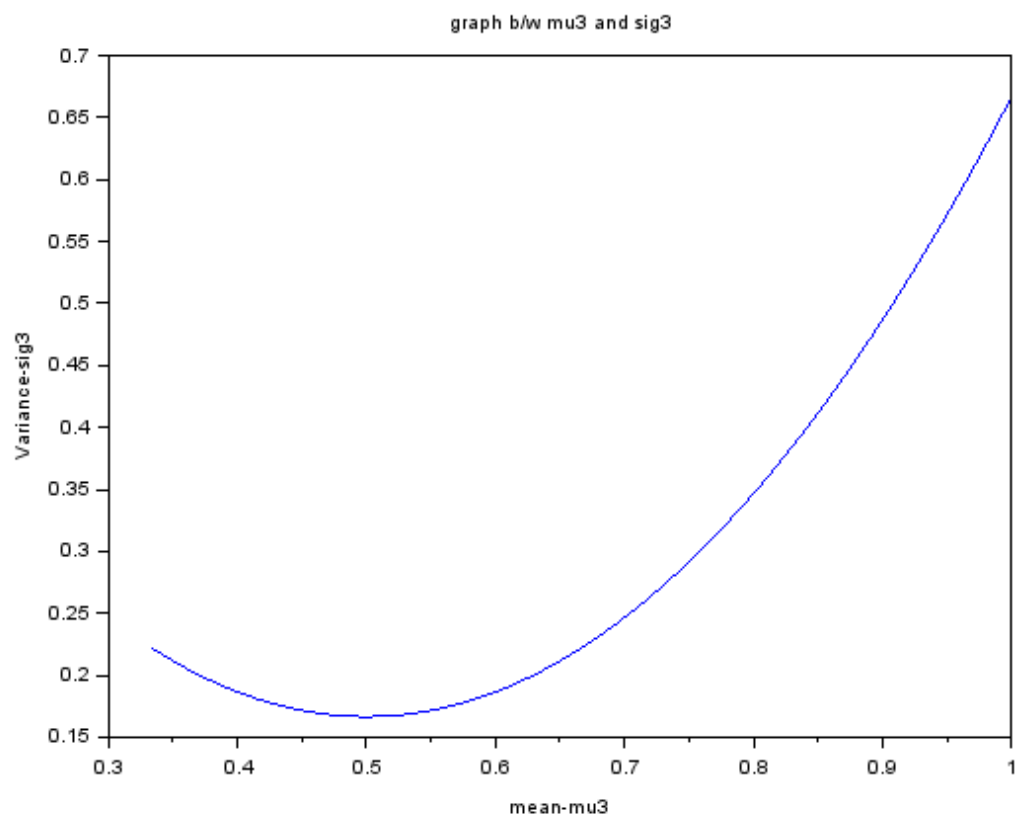
$\rho=0$

$\mu_1=1$

$\mu_2=1/3$

$\sigma_1=2/3$

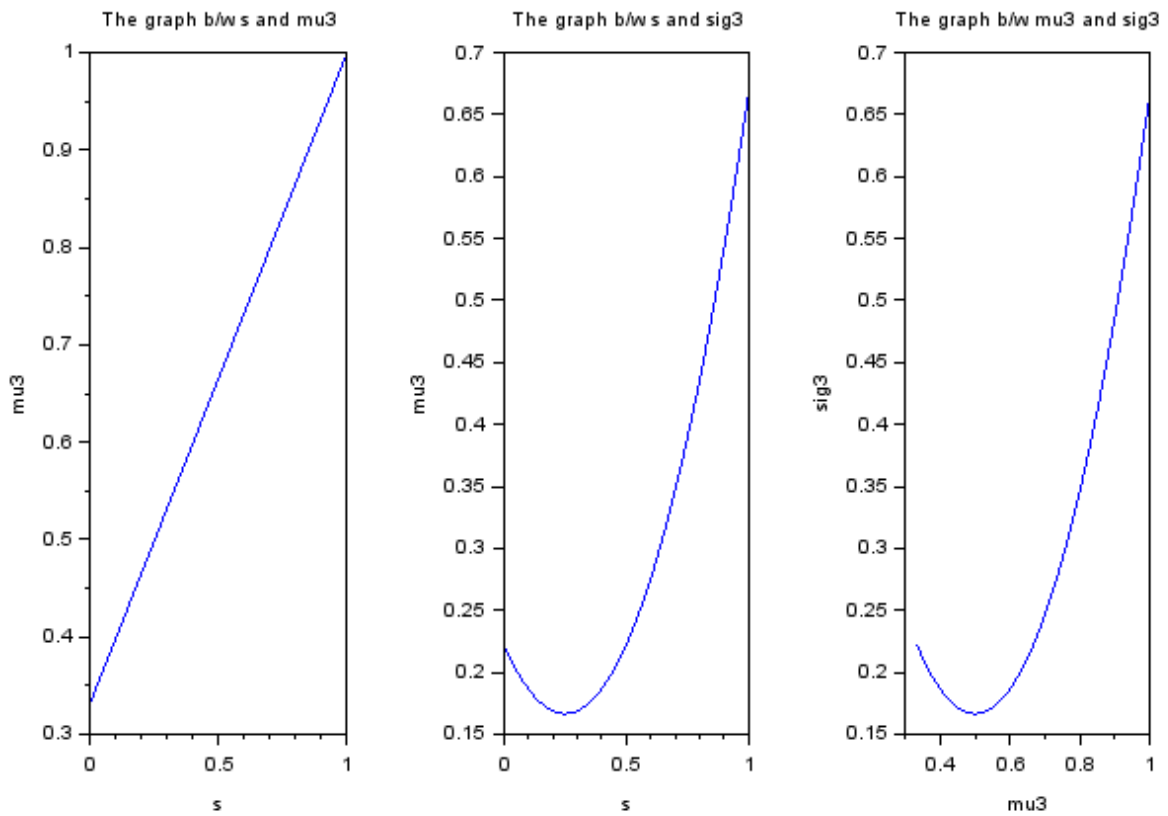
$\sigma_2=2/9$



## Part (vii)

Sub plot of the three graphs is:

**(Code files is ex7a.sce)**



## Part (viii)

Now we have to take value of  $\rho$  such that X and Y are not independent

(data has been taken from an example of a book)

$\rho = -1/11$

$\mu_1 = 7/12$

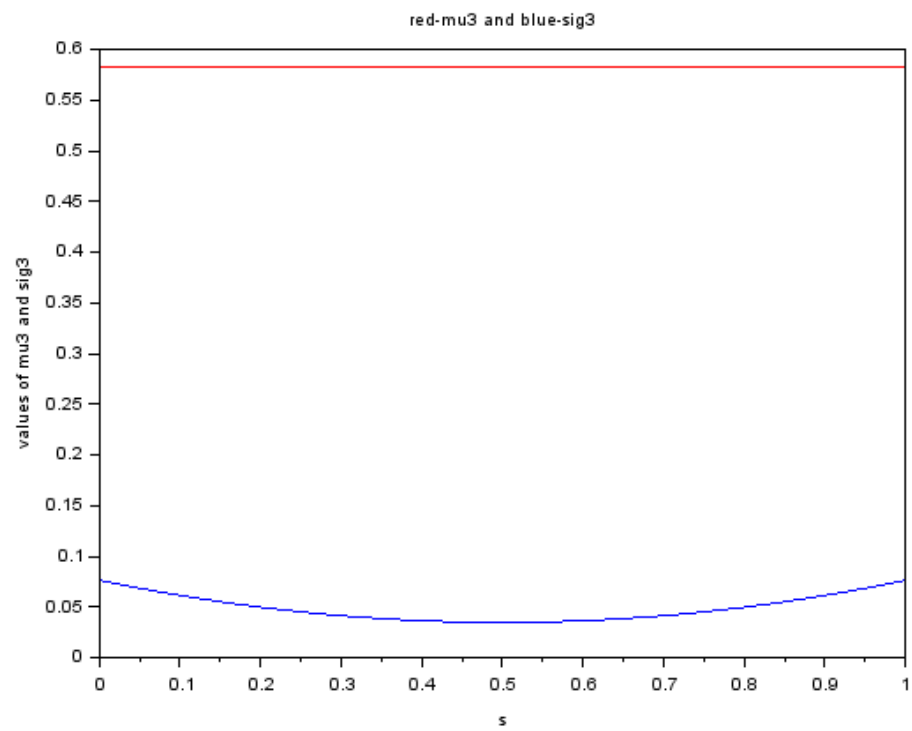
$\mu_2 = 7/12$

$\sigma_1 = 11/144$

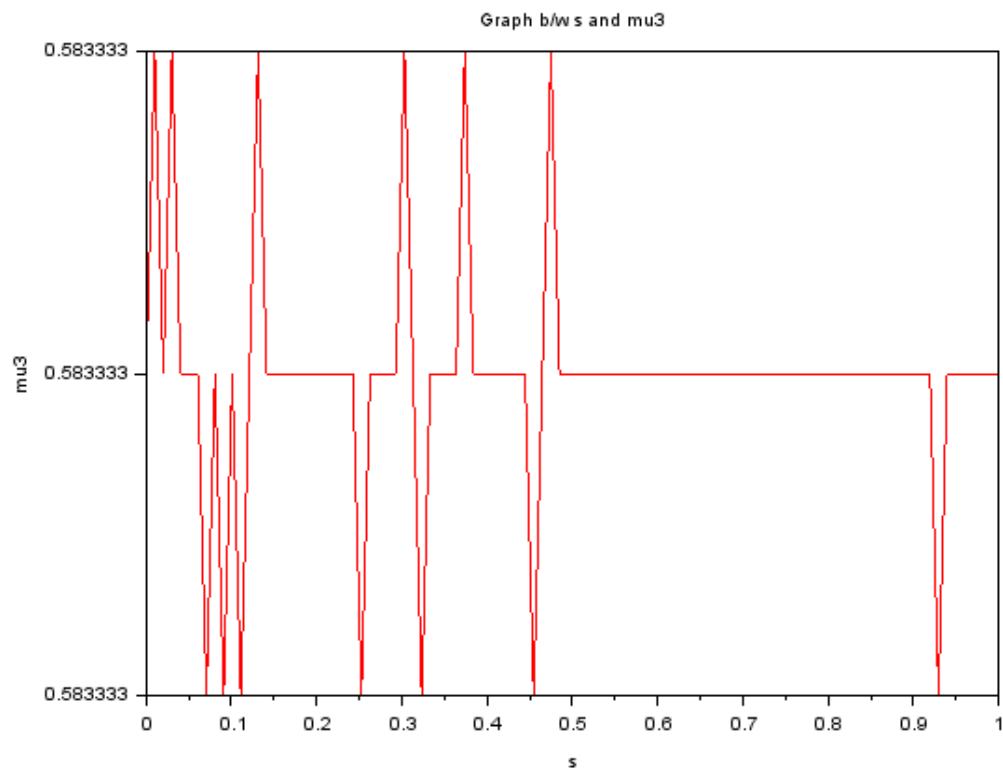
$\sigma_2 = 11/144$

MEAN AND VARIANCE AS A FUNCTION OF  $s$ :

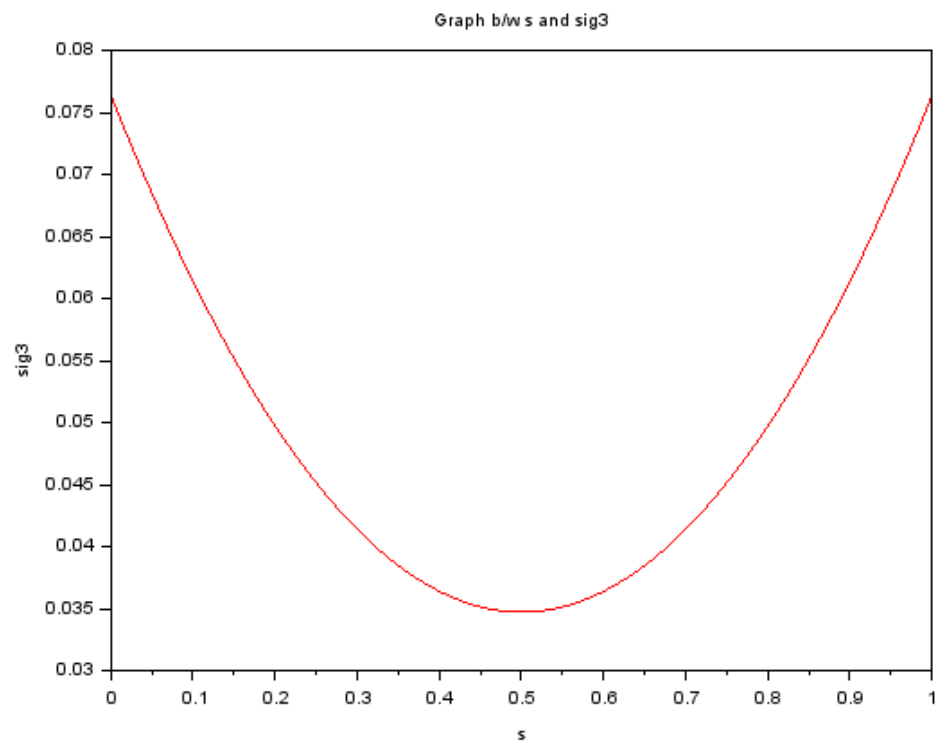
(The code file is `ex8b.sce`)



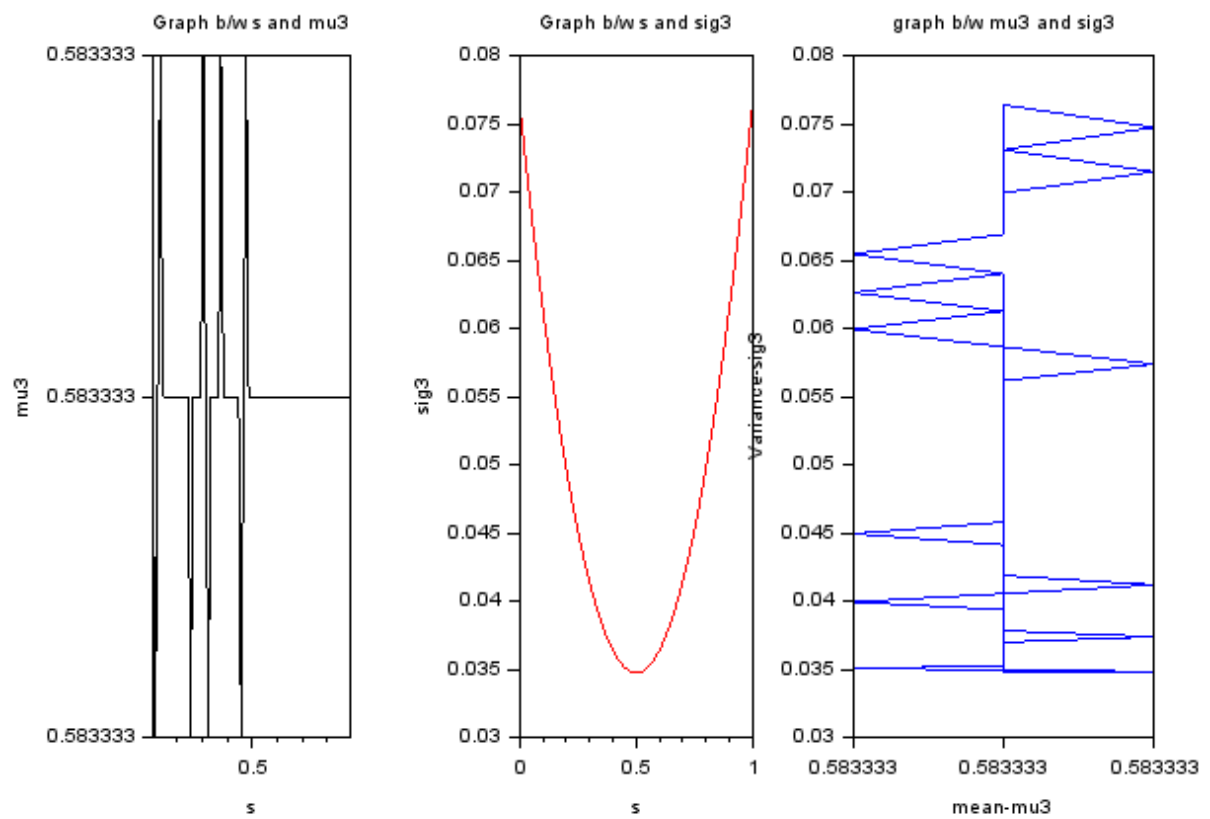
MEAN AS A FUNCTION OF  $s$  (The code file is ex8a.sce):



VARIANCE AS A FUNCTION OF  $s$  (The code file is ex8.sce):



NOW SUBPLOT OF ALL THE THREE GRAPHS IS (The code file is ex8d.sce)



## Part (x)

Given

$\mu_1=1$

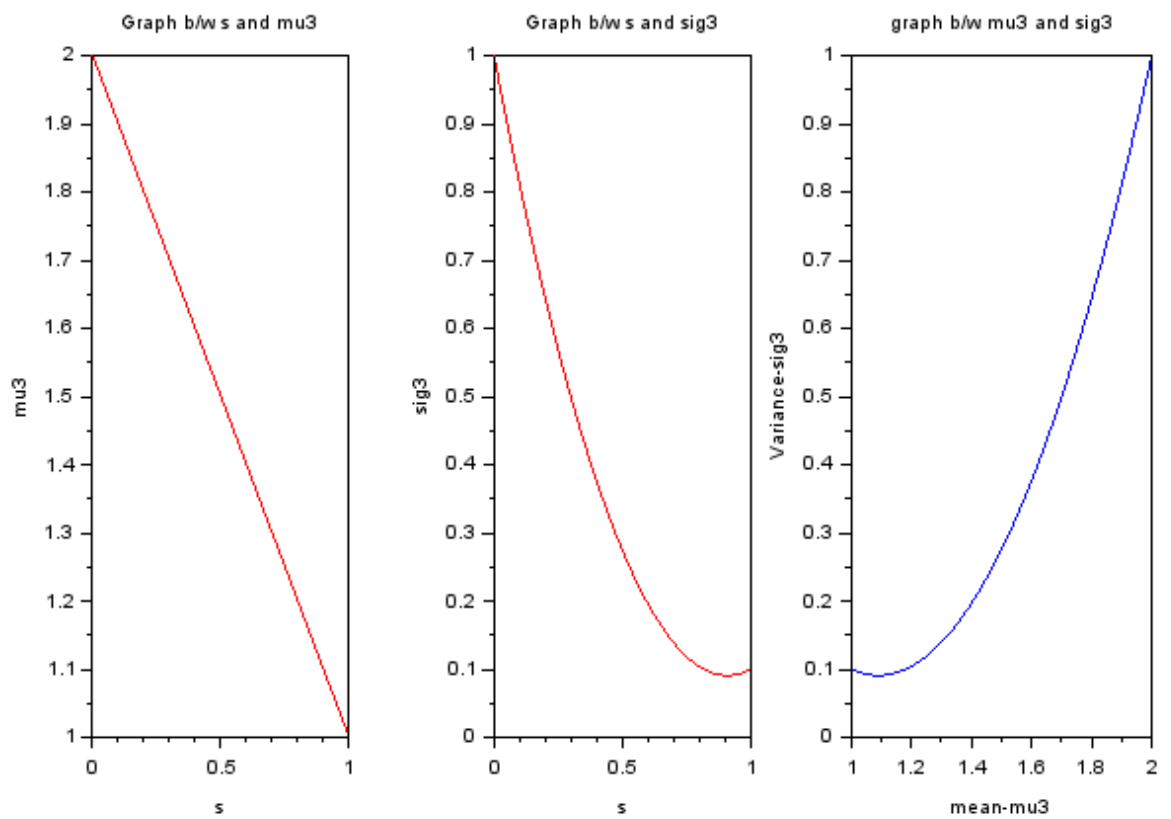
$\text{sig}=0.1$

$\mu_2=2$

$\text{sig2}=1$

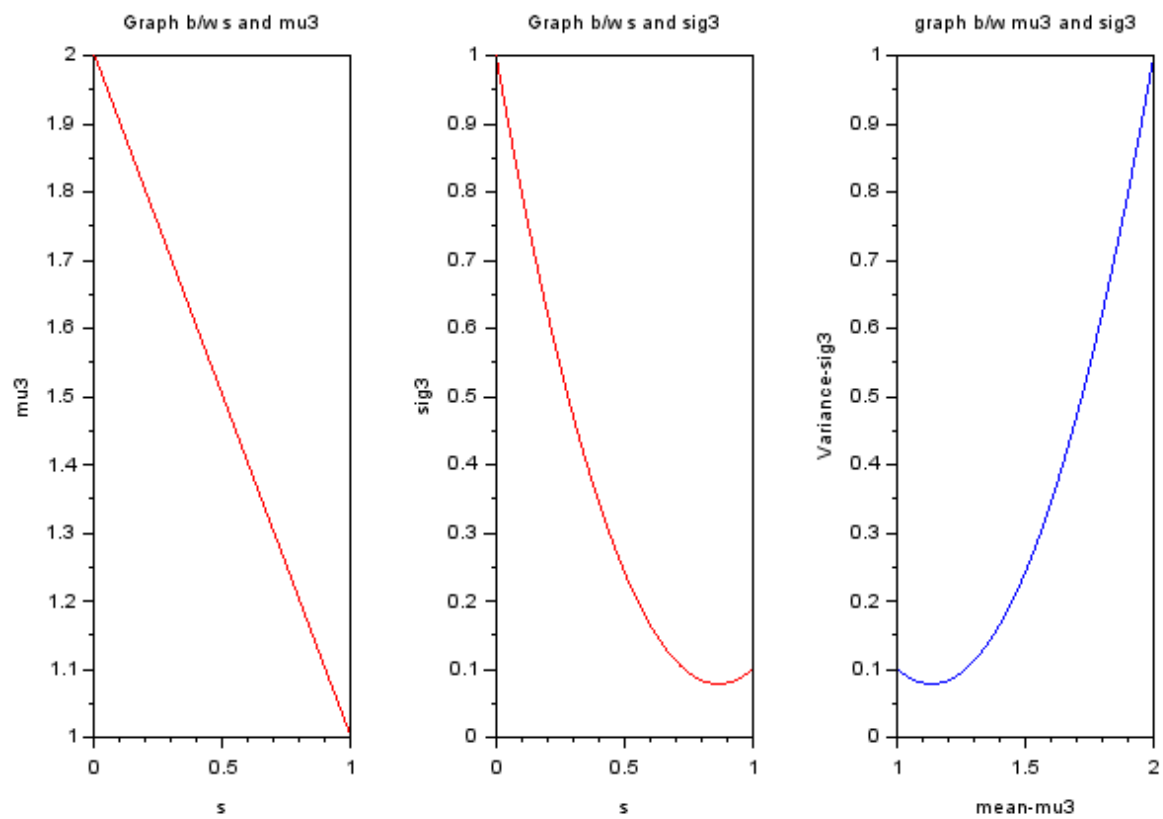
$\rho=-0.2$

1) The one with the independent X and Y is (code file is ex10a.sce) :



2) The subgraph with dependent X and y IS (the code file is ex10.sce):



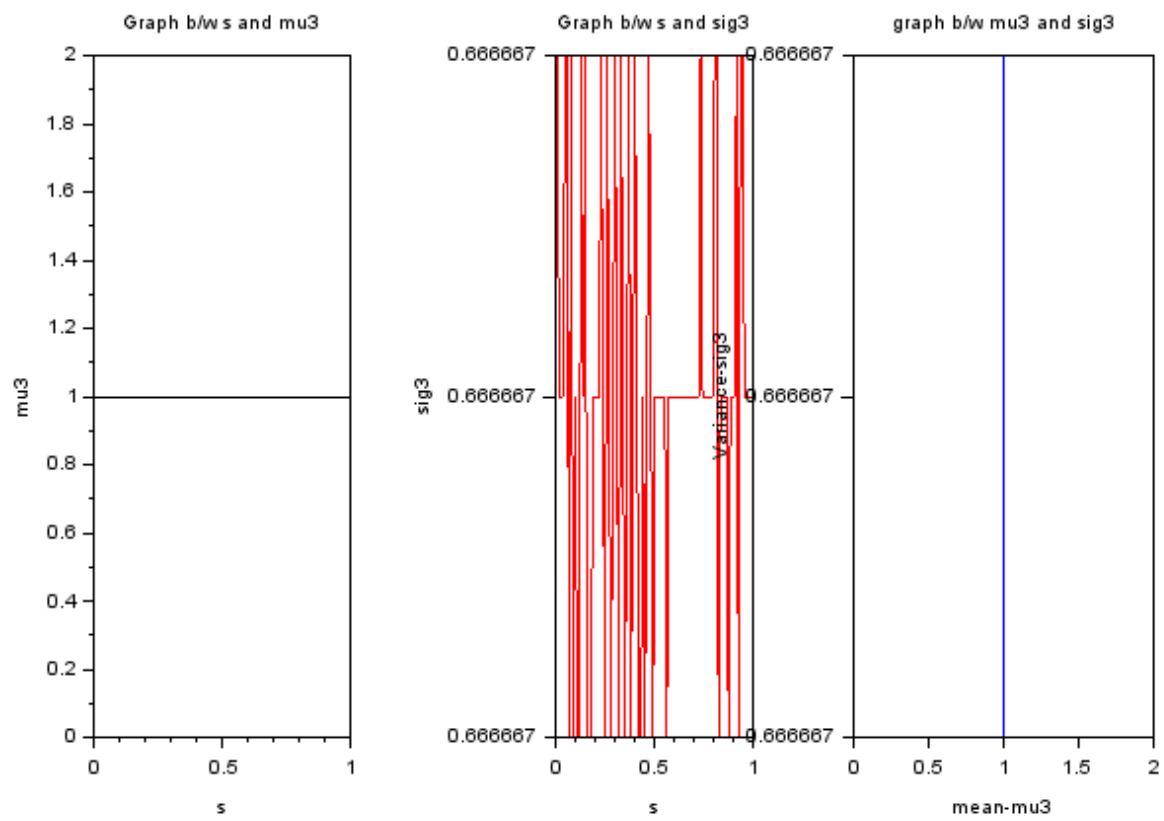


## Part (ix)

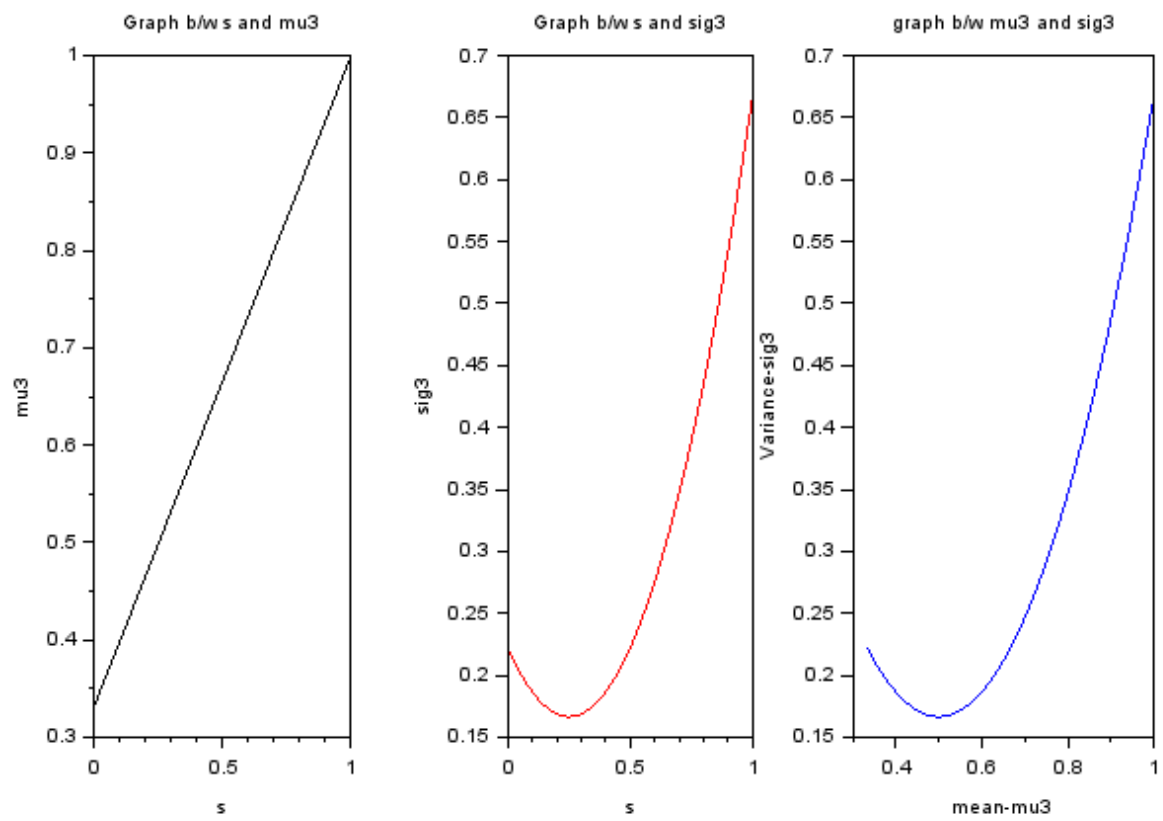
we have taken three examples:

s.no	Rho	Mu1	Mu2	Sig1	Sig2
1	1	1	1	$\frac{2}{3}$	$\frac{2}{3}$
2	0	1	$\frac{1}{3}$	$\frac{2}{3}$	$\frac{2}{9}$
3	$-\frac{1}{11}$	$\frac{7}{12}$	$\frac{7}{12}$	$\frac{11}{144}$	$\frac{11}{144}$

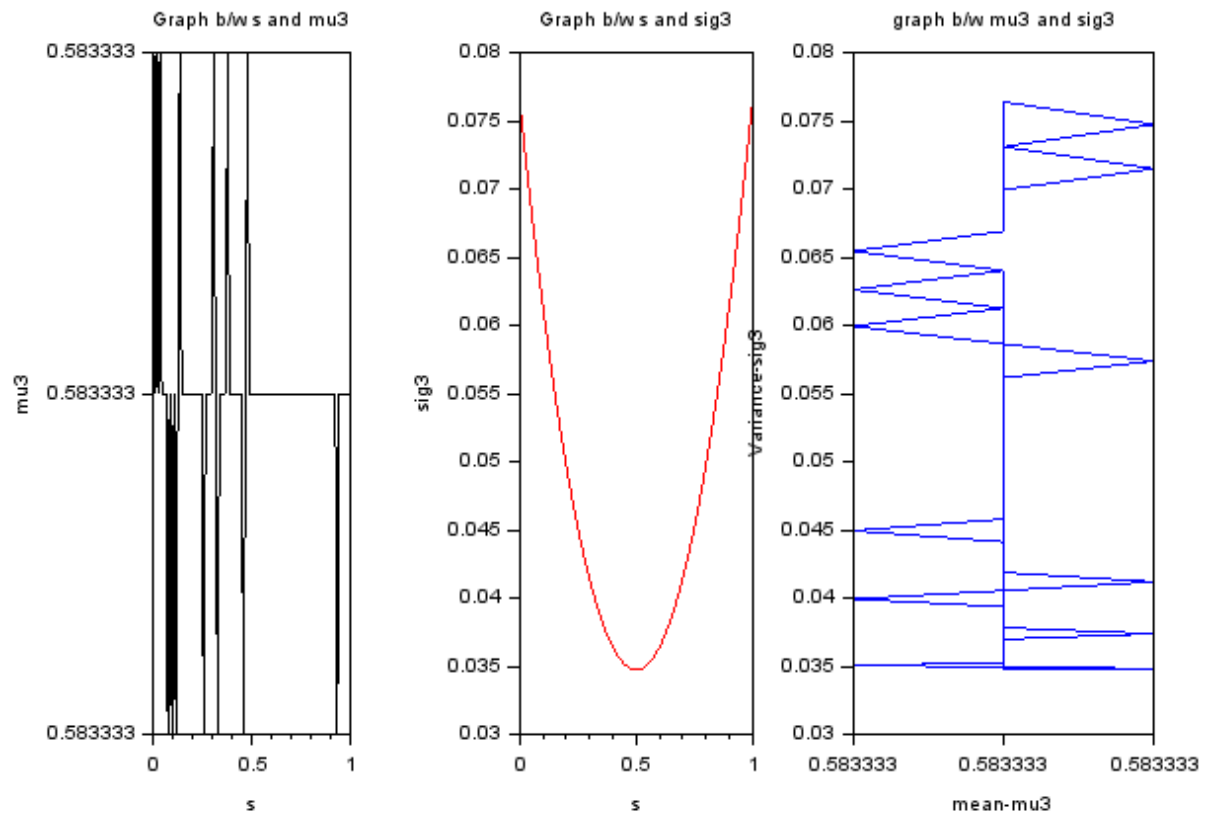
subplot of 1:



Subplot of 2:



subplot of 3:



we have seen that the graph of mean and  $s$  is usually coming linear and the graph of  $s$  and variance is coming convex in most cases