Data Mining Lab File



Submitted to - MRS Rashmi Chaudary

Name - Shubham Jha

Branch - COE

Section - 3

Semester - 5

Roll No - 2019UCO1730

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| 5 | Data Preprocessing - (a) Handling missing values using various techniques, finding outliers in data, discretisation (b) Normalization and standardization of data |
| 6 | Dimensionality reduction using Principal components (PCA) |
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| 8 | Regression Tasks - Implement linear, logistic regression. Calculate correlation matrix for numerical attributes. |
| 9 | Association rule mining - Apriori, FP growth |
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1) Understanding Data Mining & Visualizing data

Data Mining

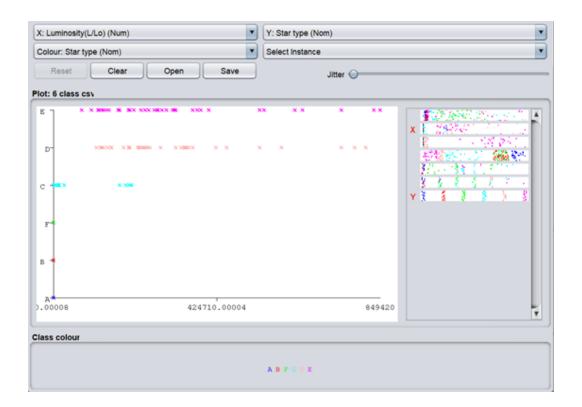
Data mining, also known as knowledge discovery in data, is the process of extracting patterns and other useful information from large data sets (KDD). The usage of data mining techniques has grown in recent decades, assisting organisations in turning raw data into valuable knowledge, thanks to advancements in data warehousing technologies and the rise of big data. Executives still face scalability and automation difficulties, despite the fact that technology is constantly advancing to manage enormous amounts of data.

Data mining has improved corporate decision-making through clever data analytics. The data mining approaches employed in these research can be divided into two groups: those that describe the target dataset and those that use machine learning algorithms to anticipate results. These tactics are used to organise and filter data, providing the most important information, from fraud detection to user behaviours, bottlenecks, and even security breaches.

When integrated with data analytics and visualisation technologies like Apache Spark, delving into the domain of data mining has never been easier, and collecting significant insights has never been faster. Artificial intelligence advances are hastening implementation in a variety of industries.

Visualising Data





2) Analysis of Data - nominal, ordinal, ratio, interval

Nominal

A nominal scale is used to express a variable that has no natural order or ranking. If you choose, you can code nominal variables with numbers, but the sequence is arbitrary, and any computations, such as estimating a mean, median, or standard deviation, would be useless. Examples of nominal variables include: genotype, blood type, zip code, gender, race, eye color, political party

Ordinal

An ordinal scale is one where the order matters but not the difference between values. Examples of ordinal variables include: socio economic status ("low income","middle income","high income"), education level ("high school","BS","MS","PhD"), income level ("less than 50K", "50K-100K", "over 100K"), satisfaction rating ("extremely dislike", "dislike", "neutral", "like", "extremely like").

Interval

An interval scale is one where there is order and the difference between two values is meaningful. Examples of interval variables include: temperature (Farenheit), temperature (Celcius), pH, SAT score (200-800), credit score (300-850).

Ratio

A ratio variable, has all the properties of an interval variable, and also has a clear definition of 0.0. When the variable equals 0.0, there is none of that variable.

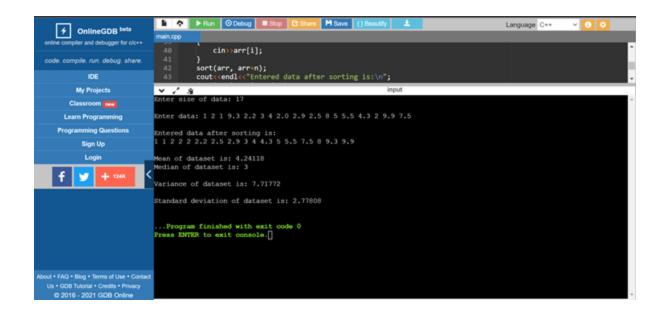
Examples of ratio variables include: enzyme activity, dose amount, reaction rate, flow rate, concentration, pulse, weight, length, temperature in Kelvin (0.0 Kelvin really does mean "no heat"), survival time.

3) Find the mean, median, variance and standard deviation of data

```
#include <bits/stdc++.h>
using namespace std;
double meancal(double *arr, int n){
  double sum=accumulate(arr, arr+n, 0.0);
  return sum/n;
}
double median(double *arr, int n){
  if(n\%2==1)
       return (double)(arr[n/2]);
  return (double)((arr[n/2]+arr[n/2-1])/2);
}
double variance(double *arr, int n, double mean){
  double t=0.0;
  for(int i=0; i<n; i++){
     double temp=abs(arr[i]-mean);
     t+=temp*temp;
  }
  if(n>50)
       return t/(n-1);
  else
       return t/n;
}
int main() {
```

```
cout<<"Enter size of data: ";
int n;
cin>>n;
cout<<"\nEnter data: ";
double arr[n];
for(int i=0; i<n; i++)
{
  cin>>arr[i];
}
sort(arr, arr+n);
cout<<endl<<"Entered data after sorting is:\n";
for(int i=0; i<n; i++)
cout<<arr[i]<<" ";
cout<<endl;
double mean;
mean=meancal(arr, n);
cout<<"\nMean of dataset is: "<<mean<<endl;</pre>
cout<<"Median of dataset is: "<<median(arr, n)<<endl;</pre>
double var=variance(arr, n, mean);
cout<<"\nVariance of dataset is: "<<var<<endl;</pre>
cout<<"\nStandard deviation of dataset is: "<<sqrt(var)<<endl;</pre>
return 0;
```

}



4) Proximity Measures - Calculate dissimilarity matrix

The pairwise differentiation between M items is described by the dissimilarity matrix (also known as the distance matrix). It's a square symmetrical MxM matrix with the value of a chosen measure of differentiation between the (i)th and (j)th object as the (ij)th member. The diagonal elements are either ignored or equal to zero, implying that the difference between an item and itself is assumed to be zero.

The similarity matrix is a similarly related and opposing idea. For the same data, both sorts of descriptions are frequently utilised.

Any valid measure of dissimilarity, including subjective dissimilarity scores, may be employed. The only stipulation is that the bigger the difference between two objects, the higher the measure of dissimilarity's worth.

Code:

```
#include<bits/stdc++.h>
#define N 3
#define M 4
using namespace std;
void printDistance(int mat[N][M])
       int ans[N][M];
       for (int i = 0; i < N; i++)
               for (int j = 0; j < M; j++)
                      ans[i][j] = INT MAX;
       for (int i = 0; i < N; i++)
               for (int j = 0; j < M; j++)
                      for (int k = 0; k < N; k++)
                              for (int I = 0; I < M; I++)
                                     if (mat[k][l] == 1)
                                             ans[i][j] = min(ans[i][j], abs(i-k) + abs(j-l));
                              }
       for (int i = 0; i < N; i++)
               for (int j = 0; j < M; j++)
                      cout << ans[i][i] << " ";
               cout << endl:
       }
int main()
```

5) Data Preprocessing

Preprocessing data is a crucial task. It is a data mining approach that converts unstructured data into a format that is more comprehensible, usable, and efficient.

Tasks in data preprocessing -

- 1) Data Cleaning
- 2) Data Integration
- 3) Data Transformation
- 4) Data Reduction
- 5) Data Discretization

Handling Missing Values -

In a data set, missing values cannot be checked. They must be dealt with. A number of models also don't like missing values. There are numerous methods for dealing with missing data, and picking the proper one is crucial. The strategy used to deal with missing data is determined by the problem domain and the data mining process's purpose. The different ways to handle missing data are:

- 1) Ignore the data row
- 2) Fill the missing values manually
- 3) Use a global constant to fill in for missing values
- 4) Use attribute mean or median
- 5) Use forward fill or backward fill method
- 6) Use a data-mining algorithm to predict the most probable value

Handling Noise & Outliers -

Noise in data can be created as a result of data gathering errors, data entry problems, or data transmission errors, among other things. Different sorts of noise and outliers include unknown encoding (Example: Marital Status — Q), out of range numbers (Example: Age — -10), inconsistent data (Example: DoB — 4th Oct 1999, Age — 50), inconsistent formats (Example: DoJ — 13th Jan 2000, DoL — 10/10/2016), and so on.

Binding can be used to deal with noise. Sorted data is arranged into bins or buckets using this method. Equal-width (distance) or equal-depth (frequency) partitioning can be used to produce bins. Smoothing can be done on these bins. Bin mean, bin median, and bin borders are all options for smoothing.

Binning and then smoothing can be used to smooth outliers. Visual analysis or box plots can be used to detect them. Clustering can be used to find outlier data groups. The detected outliers may be smoothed or removed.

Normalization -

Normalization or Min-Max Scaling is used to transform features to be on a similar scale. The new point is calculated as:

$$X_new = (X - X_min)/(X_max - X_min)$$

This scales the range to [0, 1] or sometimes [-1, 1]. Geometrically speaking, transformation squishes the n-dimensional data into an n-dimensional unit hypercube. Normalization is useful when there are no outliers as it cannot cope up with them. Usually, we would scale age and not incomes because only a few people have high incomes but the age is close to uniform.

Standardization -

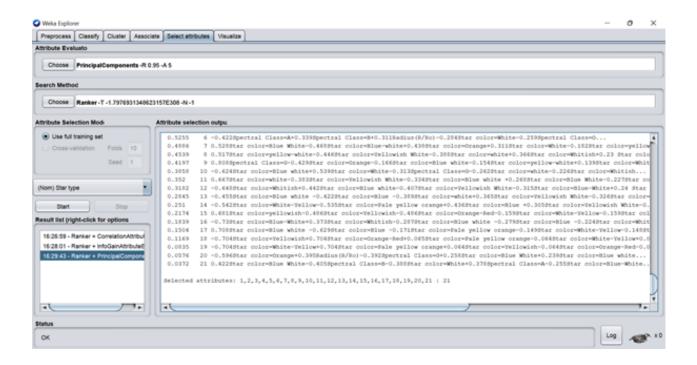
Standardization or Z-Score Normalization is the transformation of features by subtracting from mean and dividing by standard deviation. This is often called a Z-score.

$$X_new = (X - mean)/Std$$

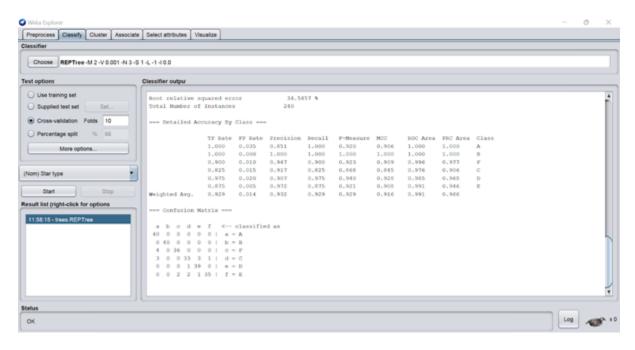
Standardization can be helpful in cases where the data follows a Gaussian distribution. However, this does not have to be necessarily true. Geometrically speaking, it translates the data to the mean vector of original data to the origin and squishes or expands the points if std is 1 respectively. We can see that we are just changing mean and standard deviation to a standard normal distribution which is still normal thus the shape of the distribution is not affected.

Standardization does not get affected by outliers because there is no predefined range of transformed features.

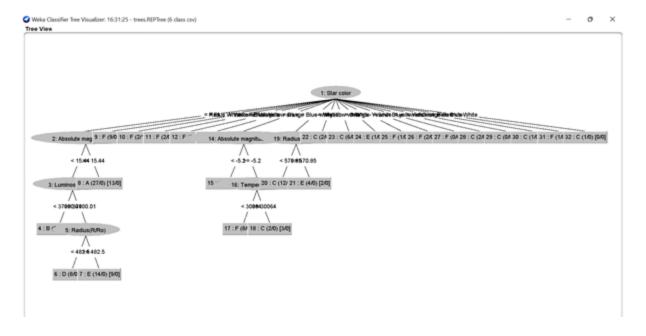
6) Dimensionality reduction using Principal components (PCA)

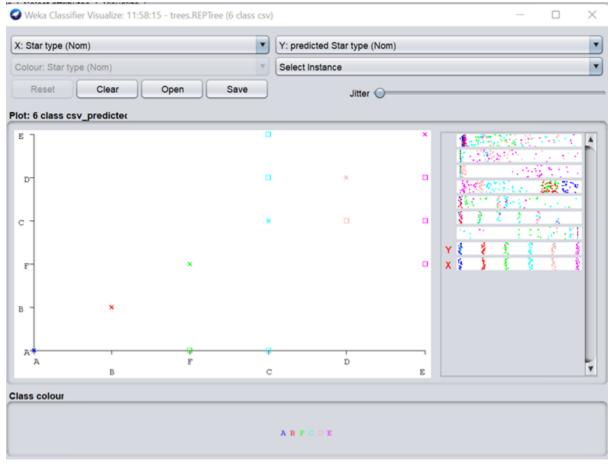


7) Classification using Decision trees

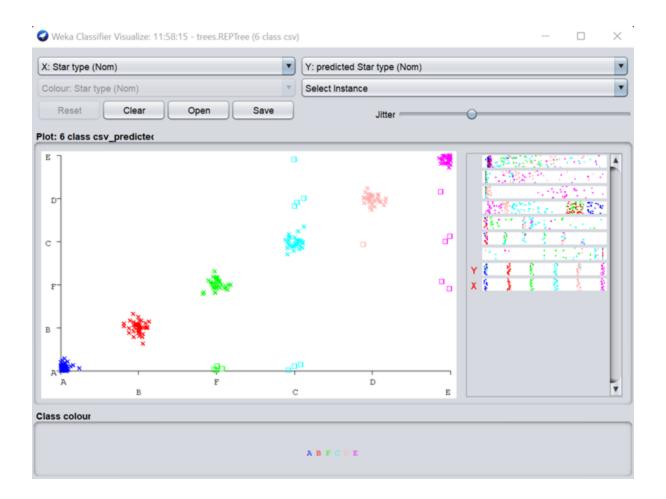


```
Size of the tree: 32
Time taken to build model: 0.01 seconds
=== Stratified cross-validation ===
=== Summary ===
                                  223
Correctly Classified Instances
                                                    92.9167 %
                                    17
                                                     7.0833 %
Incorrectly Classified Instances
Kappa statistic
                                     0.915
Mean absolute error
                                     0.0271
Root mean squared error
                                     0.1287
                                     9.7411 %
Relative absolute error
                                    34.5457 %
Root relative squared error
Total Number of Instances
                                   240
```



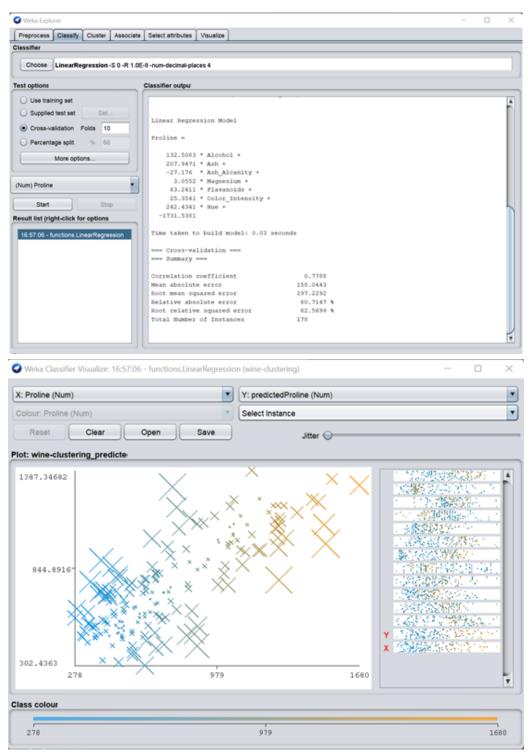


Using some Jitter



8) Regression Tasks

Implement linear Regression

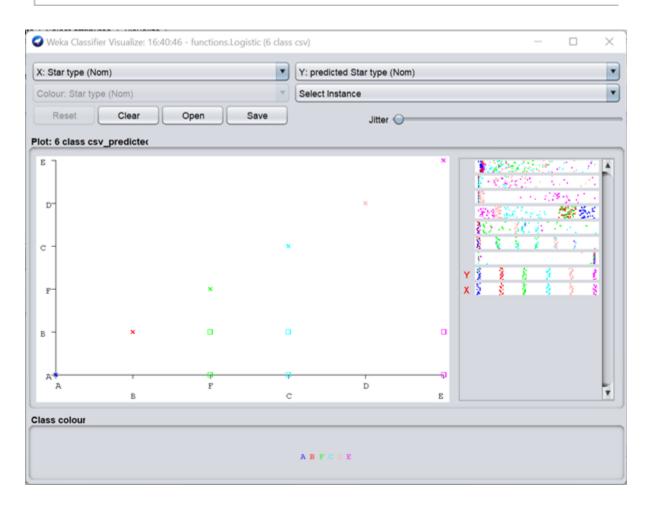


Implement logistic regression

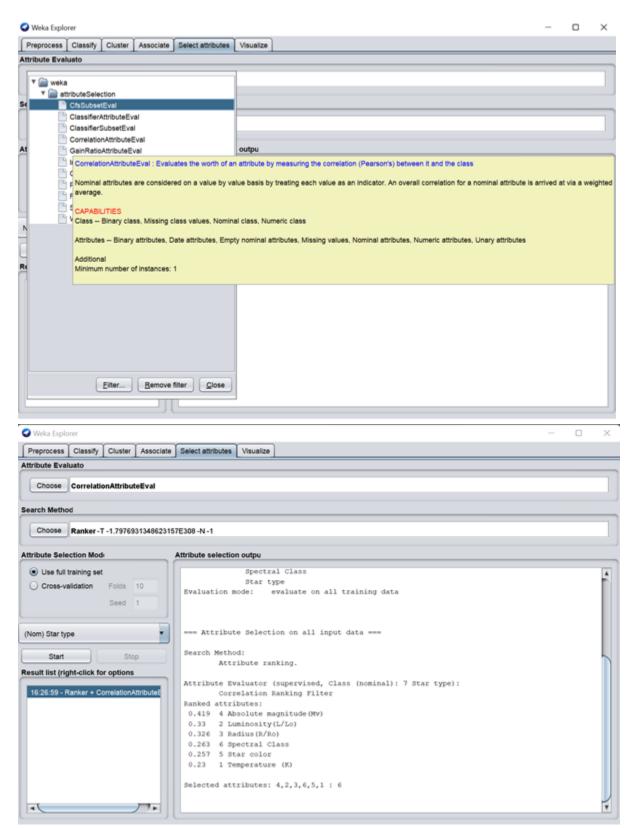
| 16:40:46 - functions.Logistic | | | | | | - 0 |
|--|---------------|----------|----------|----------|----------|-----|
| | | | | | | |
| Logistic Regression with ridge paramet | ter of 1.08-8 | | | | | |
| Coefficients | | | | | | |
| | Class | | | | | |
| Variable | A | В | r | 0 | D | |
| Temperature (K) | -0.0028 | 0.0019 | -0.0009 | 0,0032 | 0.0006 | |
| Luminosity(L/Lo) | 0.0001 | -0,0002 | -0 | -0.0001 | -0 | |
| Radius (R/Ro) | 0.1025 | -0.1102 | -0.0179 | -0.0538 | -0.1071 | |
| Absolute magnitude(MV) | 18,175 | -2,6781 | 1,7687 | -0.2151 | -3.5152 | |
| Star color=Red | -49,108 | 15,1471 | -19,9149 | 7,7397 | 1,7505 | |
| Star color-Blue White | -50,8312 | 4,6760 | 43.0445 | 2,4603 | 26,0063 | |
| Star color-White | -90,3027 | 22,1454 | 25,5743 | 33,1626 | 4,101 | |
| Star color=Wellowish White | -97,4297 | 50.121 | 30,3236 | -5.8311 | 39,3509 | |
| Star color-Blue white | -77,1746 | 19.056 | 15,2599 | 45,1564 | 22,2079 | |
| Har color-Fale white | -32,3932 | 9,5421 | 2.0318 | 2,9255 | 42,2033 | |
| tar color-wale yellow orange tar color-Blue | 38,0603 | 3,3557 | 29,6014 | -38,8306 | 15,7708 | |
| | 74,3603 | -61.8612 | -18,2862 | 24.1565 | | |
| tar color=Blue-white | | | | | -54.1701 | |
| tar color-Whitish | 107.0768 | -35,8509 | -46.5252 | 44.1919 | -44.6546 | |
| tar color-yellow-white | 99.9036 | -17,4586 | -37,7106 | 14.5591 | -34,1429 | |
| tar color=Orange | 32.6449 | 114.1015 | 12.4706 | 36.6664 | 71.0603 | |
| tar color=White-Yellow | -33.1173 | 10.1595 | 1.6009 | 3.5142 | 42.1698 | |
| tar color-white | -45,1716 | 20.6891 | 21.3986 | -6.718 | 34.3057 | |
| tar color-Blue | 35.4133 | -3,6265 | 23.1439 | -32,7696 | 2.412 | |
| tar color-yellowish | 41.7433 | -7,8328 | -52.226 | -14.3923 | 50.5373 | |
| tar color=Yellowish | 73.6844 | -46.5547 | 25.9194 | -14.6628 | -12,537 | |
| tar color=Orange-Red | 60.7389 | -17,1273 | -5.7423 | 4.2106 | -16.2879 | |
| tar color-Blue white | -51.6504 | 0.3071 | 13.1004 | 42.1464 | 12.0028 | |
| tar color=Blue-White | 161.2902 | -63,9419 | -23.3400 | 20.7204 | -53,5763 | |
| pectral Class=M | -52.7066 | 13.1037 | -20.5939 | 0.0058 | 0.9949 | |
| pectral Class=B | -15.0796 | 0.9229 | 20.2096 | -30,5629 | 16.0907 | |
| pectral Class-A | 10.3257 | 15.1340 | 7.542 | -17,1997 | 13.4759 | |
| pectral Class=F | -22.6404 | -2.322 | 33.4145 | 9.4999 | 7,9858 | |
| pectral Class=0 | 97.4909 | -39.437 | -4.9062 | 23.6415 | -30.7934 | |
| pectral Class=K | 49.4133 | 27.3546 | -9.9775 | 76,9718 | -36,9831 | |
| pectral Class=0 | 204.4009 | 105.9766 | 30.0751 | 45.6425 | 12.6303 | |
| Intercept | -150.6944 | 19.9491 | 11.1024 | -13.5023 | 33.3900 | |

| dds Ratios | | | | | | |
|------------------------------|-----------------------|-----------------------|-----------------------|------------------------|------------------------|--|
| ariable | Class | | r | c | D | |
| | | | | | | |
| emperature (K) | 0.9972 | 1.0019 | 0.9991 | 1.0032 | 1.0006 | |
| uminosity(L/Lo) | 1.0001 | 0.9998 | 1 | 0.9999 | 1 | |
| adius (R/Ro) | 1.1079 | 0.0005 | 0.9823 | 0.9477 | 0.0904 | |
| bsolute magnitude(MV) | 70214314.069 | 0.0687 | 5.9010 | 0.0065 | 0.0297 | |
| tar color-Red | 0 | 3706092.6543 | 0 | 2297.7035 | 5.7573 | |
| tar color=Blue White | 0 | 107.4260 | 4.9431022087017892818 | 11.7009 | 1.9696071613771902811 | |
| tar color-White | 0 | 4146155172.5596 | 1.2707412094255319811 | 2.5254171831250975814 | 60.4021 | |
| tar color=Yellowish White | 0 | 1.744412422205400825 | 1.4769319397642275813 | 0.0029 | 1.2397947059722536817 | |
| tar color-Blue white | 0 | 188768400.1109 | 4239257.7703 | 4.004032322212777819 | 4413331390.4746 | |
| tar color=Fale yellow orange | 0 | 14216.2942 | 7.6202 | 10.6420 | 2.13134759772614035810 | |
| tar color=Blue | 3.3037350109599456816 | 20.667 | 7.173729610032664812 | 0 | 7066125.1417 | |
| tar color=Blue-white | 1.9691211371105947832 | 0 | 0 | 3.0977825480072365810 | 0 | |
| tar color-Whitish | 7.084293821732493846 | 0 | 0 | 1.5571024492786872819 | 0 | |
| tar color=yellow-white | 2.6443512922561903843 | 0 | 0 | 2103376.7202 | 0 | |
| tar color=Grange | 1.5049278680187647814 | 3.578174428348216849 | 260570.3537 | 8.395270004822912E15 | 7.26239890348172E30 | |
| tar color=White-Yellow | 0 | 25035.0213 | 4.9577 | 33.6579 | 2.06113779335520154E18 | |
| tar color-white | 0 | 966439032.7463 | 1964766591.9054 | 0.0012 | 7.92129603430797E14 | |
| tar color-Blue | 2.397772664638689815 | 0.0266 | 1.1252500145968239E10 | 0 | 11.1559 | |
| tar color-yellowish | 1.3454610729630313810 | 0.0004 | 0 | 0 | 2.64492570650806E25 | |
| tar color=Yellowish | 1.0017005877141715832 | 0 | 1.0050030515579355E11 | 0 | 0 | |
| tar color=Orange-Red | 2.3909030714286743826 | 0 | 0.0032 | 67.3941 | 0 | |
| tar color-Blue white | 0 | 4052,5748 | 409145.6356 | 2.01344444273628237818 | 363247.076 | |
| tar color=Blue-White | 1.1154772243142857870 | 0 | 0 | 2.9961979571408804E12 | 0 | |
| pectral Class-M | 0 | 531644.7002 | 0 | 1.0058 | 8061.7006 | |
| pectral Class=B | 0 | 2.5166 | 640135032.9227 | 0 | 9729722.1494 | |
| pectral Class-A | 90936060.187 | 3740503.720 | 1923.6706 | 0 | 712002.5254 | |
| pectral Class=F | 0 | 0.0901 | 3.240941960639533814 | 16315.3950 | 2930.9515 | |
| pectral Class=0 | 2.1065854272401227842 | 0 | 0.0068 | 1.0509032531059075E10 | | |
| pectral Class=K | 2.003656550255002821 | 7.504023026015916811 | 0 | 2.601060461359114833 | | |
| pectral Class=G | 5.930210652112033800 | 1.0594127670079418846 | 7.6420302059090912816 | 6.641547902137212819 | 300123.0245 | |

```
=== Stratified cross-validation ===
=== Summary ===
                                                95.4167 %
Correctly Classified Instances
                                 229
                                 11
Incorrectly Classified Instances
                                                  4.5833 %
                                   0.945
Kappa statistic
Mean absolute error
                                   0.016
Root mean squared error
                                   0.1233
Relative absolute error
                                   5.7643 %
Root relative squared error
                                  33.076 %
Total Number of Instances
                                 240
=== Detailed Accuracy By Class ===
              TP Rate FP Rate Precision Recall F-Measure MCC
                                                                 ROC Area PRC Area Class
              1.000
                      0.035
                              0.851
                                        1.000
                                                0.920
                                                         0.906
                                                                 0.995
                                                                          0.976
              1.000
                      0.020
                              0.909
                                        1.000
                                                0.952
                                                         0.944
                                                                 0.996
                                                                          0.967
                                                                                   в
              0.875
                      0.000
                              1.000
                                        0.875
                                                0.933
                                                         0.924
                                                                 0.993
                                                                          0.979
                             1.000
              0.925
                      0.000
                                        0.925
                                                0.961
                                                         0.955
                                                                 0.986
                                                                          0.971
                                                                                   C
              1.000
                      0.000
                              1.000
                                        1.000
                                                1.000
                                                         1.000
                                                                  1.000
                                                                          1.000
                                                                                   D
              0.925 0.000 1.000
                                        0.925
                                                0.961
                                                         0.955
                                                                 0.978
                                                                          0.959
                                                                                   Ε
Weighted Avg.
              0.954
                     0.009
                              0.960
                                        0.954
                                                0.955
                                                         0.947
                                                                 0.991
                                                                          0.975
--- Confusion Matrix ---
 a b c d e f <-- classified as
40 0 0 0 0 0 | a = A
 0 40 0 0 0 0 | b = B
 4 1 35 0 0 0 | c = F
 1 2 0 37 0 0 | d = C
 0 0 0 0 40 0 | e = D
 2 1 0 0 0 37 | f = E
```



Calculate correlation matrix for numerical attributes.



9) Association rule mining

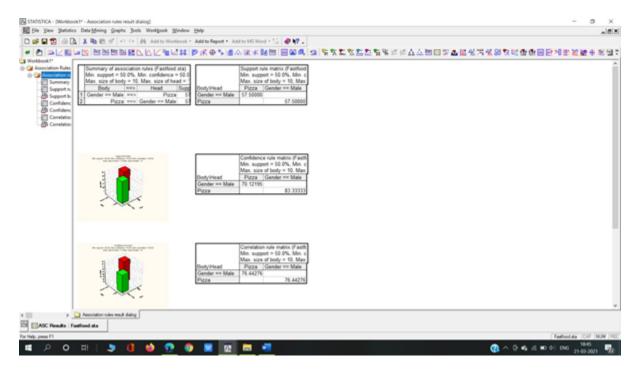
Association rule learning has become a popular approach for uncovering hidden associations between variables in huge data sets. Association rules can be used to express the discovered relationships. Association rules are rules that show the connection or correlation between two or more objects. A correlation matrix is a table that displays the coefficients of correlation between variables. The correlation between two variables is shown in each cell of the table. A correlation matrix can be used to summarise data, as an input to a more sophisticated study, or as a diagnostic tool for advanced analyses.

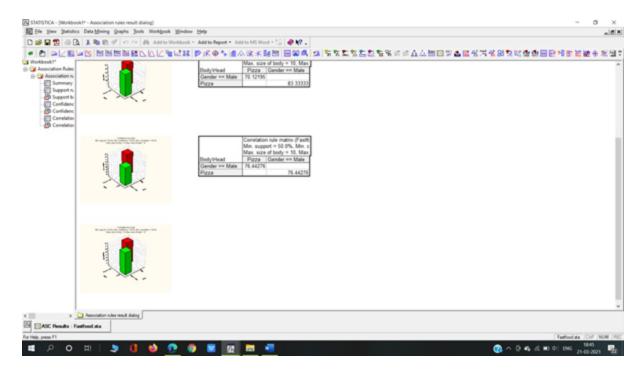
- 1) Summary of Association Rule
- 2) Support Rule Matrix
- 3) Support Bar Chart
- 4) Correlation Rule Matrix
- 5) Correlation Bar Chart

Done in three ways

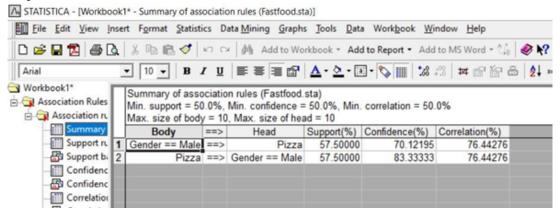
- 1) On statistical tool
- 2) On WEKA with WEKA explorer window
- 3) On WEKA with knowledge window

Implementing on Statistical tool (OUTPUT):

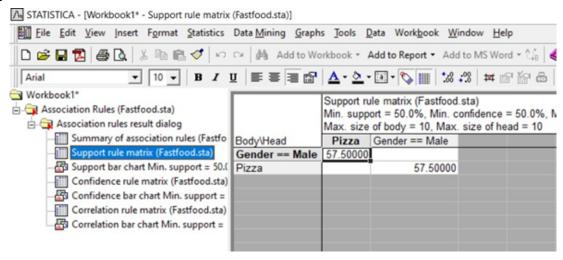




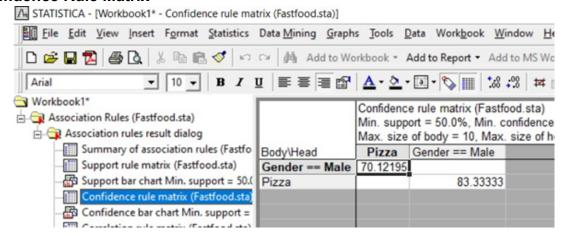
Summary of Association Rules



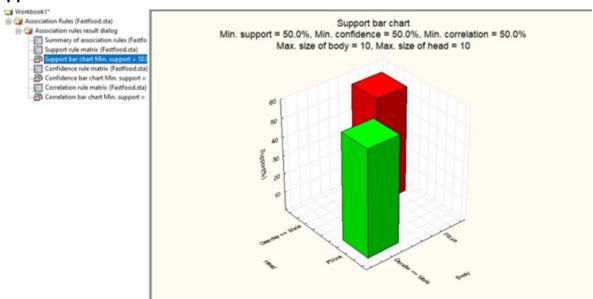
Support Rule Matrix



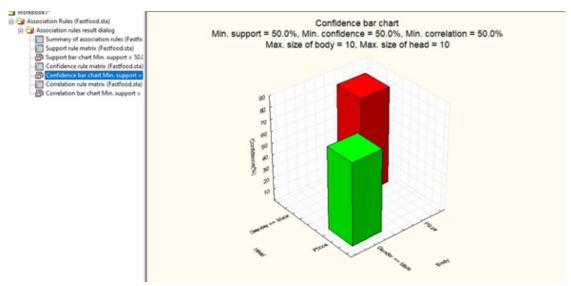
Confidence Rule Matrix



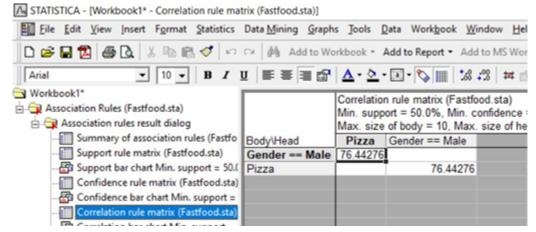
Support Bar Chart



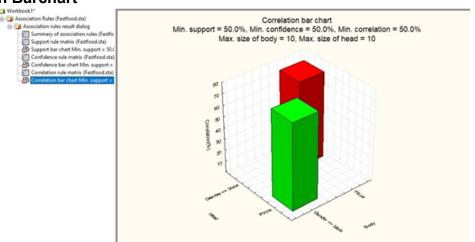
Confidence Bar Chart



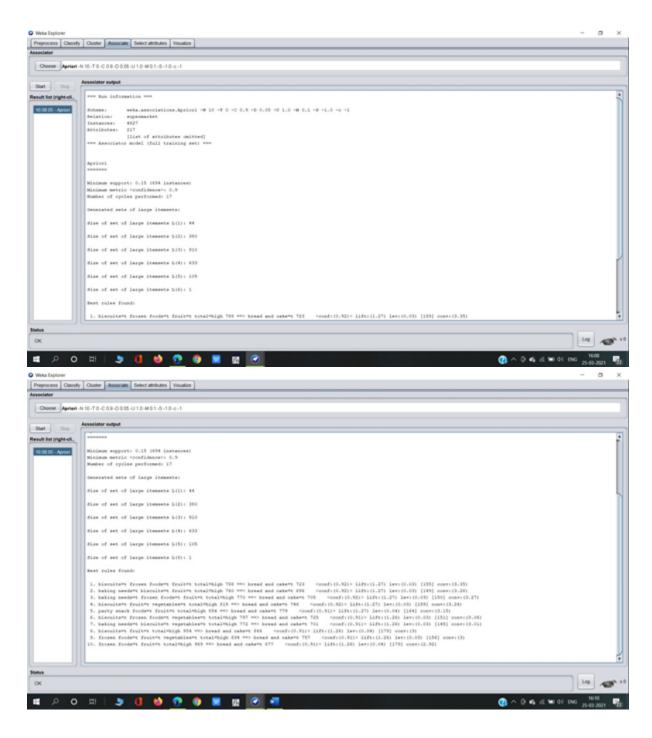
Correlation Matrix



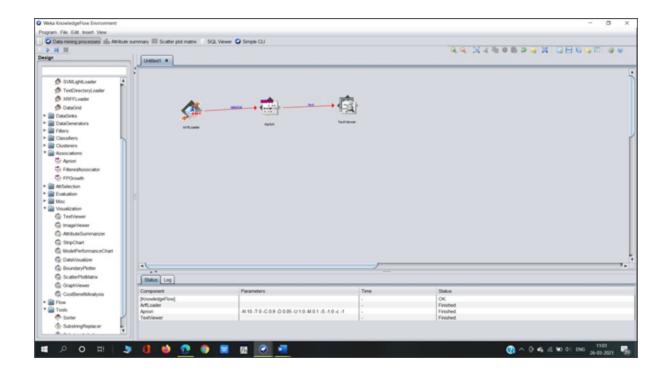
Correlation Barchart



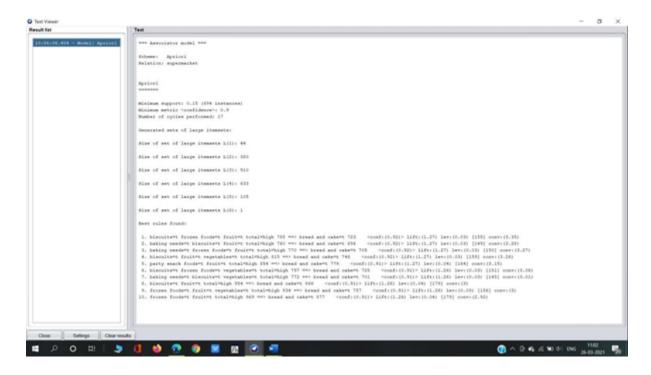
Implementation on WEKA(Output)



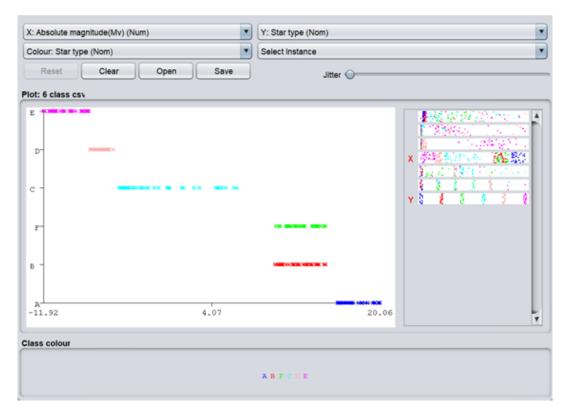
On Knowledge Flow working with apriori after selecting a data set of supermarkets. Using text viewer for result finding full information after using algorithm.

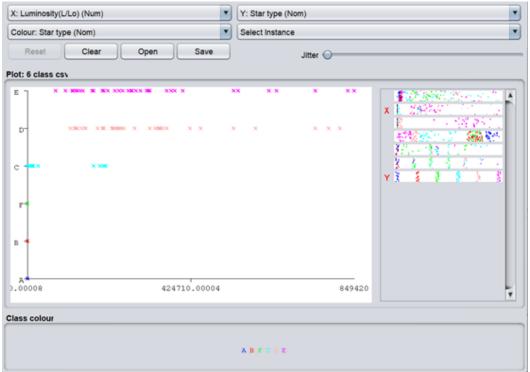


TEXTVIEWER RESULT



10) Visualization Techniques

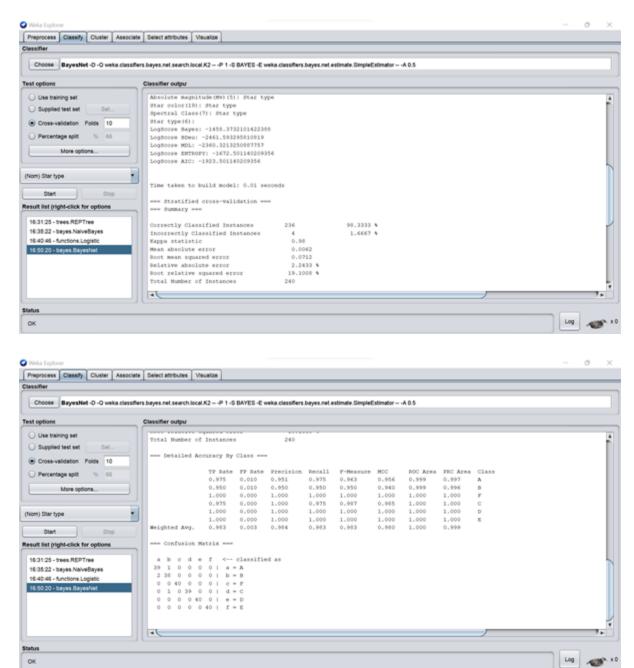


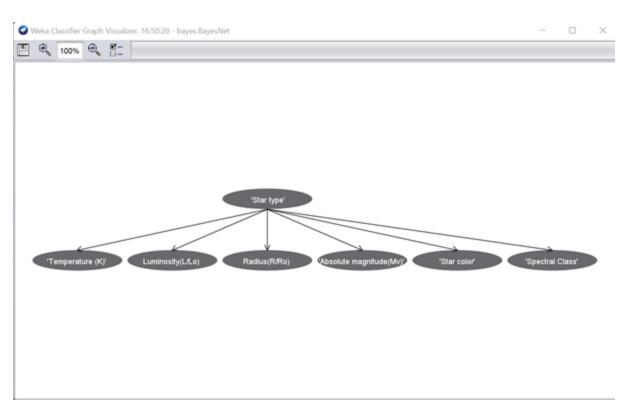


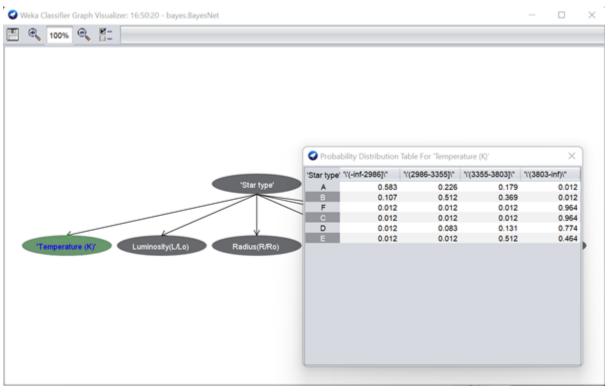
Using Jitter - Jitter is used to introduce random noise to the dataset so as to classify data points (separate them)

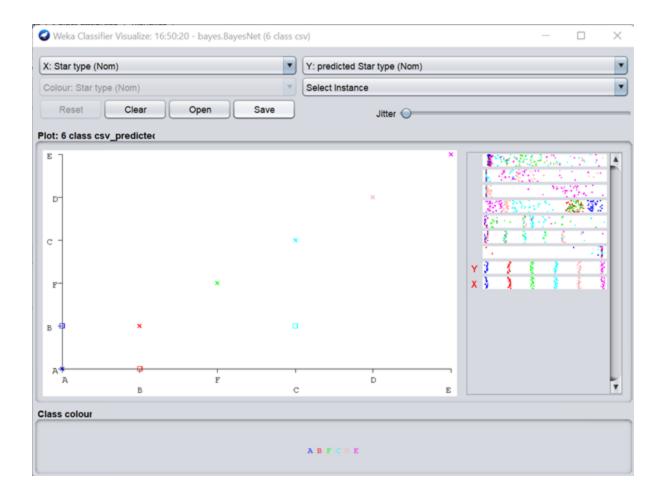


11) Use Bayesian Learning for classification





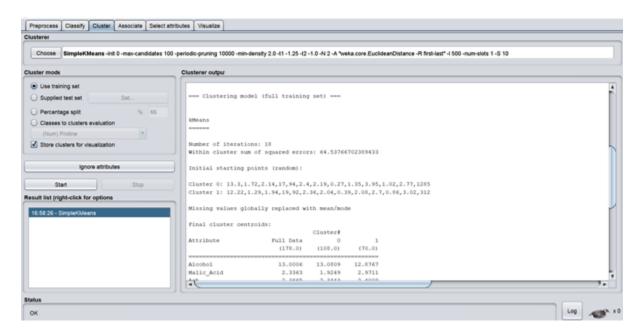




12) Implement clustering algorithm

K-means Clustering is a popular exploratory data analysis tool for gaining an understanding of the data's structure. It is the task of identifying subgroups in data so that data points within the same subgroup (cluster) are extremely similar while data points within different clusters are very dissimilar. To put it another way, we strive to discover homogeneous subgroups within the data so that data points in each cluster are as comparable as feasible based on a similarity measure like euclidean-based distance or correlation-based distance. The choice of the similarity measure to utilise depends on the application.

K Means algorithm is an iterative procedure that attempts to split a dataset into K unique non-overlapping subgroups (clusters), each of which contains only one data point. It attempts to make intra-cluster data points as comparable as possible while maintaining clusters as distinct (far) as possible. It distributes data points to clusters in such a way that the sum of the squared distances between them and the cluster's centroid (arithmetic mean of all the data points in that cluster) is as small as possible. Within clusters, the less variance there is, the more homogenous (similar) the data points are.



```
Final cluster centroids:
                                Cluster#
Attribute
                    Full Data
                     (178.0) (108.0) (70.0)
                     13.0006 13.0809 12.8767
Alcohol
                      2.3363 1.9249 2.9711
2.3665 2.3443 2.4009
Malic_Acid
Ash
                     19.4949 18.5296 20.9843
Ash_Alcanity
Magnesium
                     99.7416 100.9352
                     2.2951 2.6738 1.7109
2.0293 2.6898 1.0101
Total_Phenols
Flavanoids
                               0.3008
1.8576
4.4097
Nonflavanoid_Phenols 0.3619
                                            0.456
Proanthocyanins
                                          1.1794
                       1.5909
                       5.0581
Color_Intensity
                                           6.0584
                      0.9574 1.0671 0.7882
Hue
                      2.6117 3.0891 1.8751
OD280
                    746.8933 844.6852 596.0143
Proline
Time taken to build model (full training data): 0.02 seconds
=== Model and evaluation on training set ===
Clustered Instances
    108 ( 61%)
     70 (39%)
```

