Big
$$0 \rightarrow f(n) \langle = c_1 \cdot g(n) \rangle$$

 $(1 = 1 \rightarrow (onstant))$
 $1 \rightarrow f(n) = 0 (g(n)) \rightarrow True$

g(n) = n, prove $f(n) = \theta(g(n))$

f(n) = n

 $Omega \rightarrow f(n) \rangle = (2 \cdot g(n))$ $C_2 = 1 \rightarrow constant$

$$f(n) = \mathbf{n}(g(n)) \longrightarrow \text{true}$$

$$f(n) = \mathbf{0}(g(n)) \longrightarrow \text{true}$$

$$g(n) \longrightarrow f(n) < \mathbf{0}(n)$$

$$g(n) \longrightarrow f(n) < \mathbf{0}(n)$$

$$g(n) \longrightarrow f(n) = \mathbf{0}(n)$$

$$g(n) \longrightarrow f(n) \longrightarrow f(n)$$

$$f(n) = \mathbf{0}(g(n)) \longrightarrow f(n)$$

$$f(n) \longrightarrow f(n) \longrightarrow f(n)$$

$$f(n) \longrightarrow f(n)$$

$$f$$

```
5) 128^{1092}, n^2 = \Theta(n^9)

9^{41092}, n^2 = \Theta(n^9)
       2109211, n2 = O(n9)
       n^7 \cdot n^2 = O(n^9)
          n9 = O(n9)
     Big 0 -> f(n) <= g(n).c
                    n9 x = c. n9
                    C=1 \rightarrow constant n^9=0(n^9) \rightarrow True
     omega \rightarrow f(n) = c \cdot g(n)
                        n3>= c. n3
                       n^9 = \Omega(n^9) \rightarrow \text{True}
     f(n) = O(g(n)) AND f(n) = \Omega(g(n)) \rightarrow True
       :. f(n) = O(g(n)) \leftrightarrow True.
 1) f(n) = n - 10 g(n) = n + 10
                prove f(n) = \theta(g(n))
           Large values of n i.e. neglect'-10'&'+10
            B190
                                  omega
       f(n) <= c.9(n)
                                f(n) > = 0.9(n)
       n-10 <= (·(n+10)
                                n-10 >= c.(n+10)
                                 (c= 1/2)
         f(n) = O(9(n))
                                 h=1000
                                  990 >= 10+0505
      f(u) = O(a(u))
                                 f(n) = \Omega(g(n))
```