## 06\_Implement\_SGD

#### January 13, 2019

```
In [0]: import warnings
        warnings.filterwarnings("ignore")
        from sklearn.datasets import load_boston
        from random import seed
        from random import randrange
        from csv import reader
        from math import sqrt
        from sklearn import preprocessing
        import pandas as pd
        from sklearn.model_selection import train_test_split
        import numpy as np
        import matplotlib.pyplot as plt
        from prettytable import PrettyTable
        from sklearn.linear_model import SGDRegressor
        from sklearn import preprocessing
        from sklearn.metrics import mean_squared_error
        from sklearn.preprocessing import StandardScaler
In [0]: X = (load_boston().data)
        Y = (load_boston().target)
        Y = Y.reshape(506,1)
        X_train, X_test, Y_train, Y_test = train_test_split(X, Y, test_size = 0.3)
        print(X_train.shape)
        print(X_test.shape)
        print(Y_train.shape)
        print(Y_test.shape)
        S = StandardScaler()
        X_train = S.fit_transform(X_train)
        X_test = S.transform(X_test)
        X_train = pd.DataFrame(X_train)
        X_test = pd.DataFrame(X_test)
        Y_train = pd.DataFrame(Y_train)
(354, 13)
(152, 13)
(354, 1)
(152, 1)
```

### 1 Manual SGD Regressor Function

```
In [0]: def manualreg(n_samples,n_iter):
        #Initialise W and b
          W= np.zeros(13)
          W = np.random.normal(0,1,size = W.size)
          W=W.reshape(13,1)
          b=0
          r=0.1
          t=1
          for i in range(n_iter):
            x = X_train.sample(n=n_samples,random_state=n_iter)
            y= Y_train.sample(n=n_samples,random_state=n_iter)
            x = x.values
            y= y.values
            delta = np.dot(x.T,(y - (np.dot(x,W)+b)))
            delta *= -2/x.shape[0]
            delta = r*delta
            W = W - delta
            bias1 = (y-(np.dot(x,W)+b))
            bias1 = np.mean(bias1)
            bias1 *= -2/x.shape[0]
            bias1 = r*bias1
            b = b - bias1
          y_pred = (np.dot(X_test.values,W)+b)
          plt.scatter(Y_test, y_pred)
          plt.xlabel("Prices: $Y_i$")
          plt.ylabel("Predicted prices: $\hat{Y}_i$")
          plt.title("Prices vs Predicted prices: $Y_i$ vs $\hat{Y}_i$")
          plt.show()
          manual = mean_squared_error(Y_test,y_pred)
          print("Mean squared error is {} ".format(manual))
          return W,b,manual
```

### 2 SKlearn SGD Regressor Implementation

```
plt.xlabel("Prices: $Y_i$")
plt.ylabel("Predicted prices: $\hat{Y}_i$")
plt.title("Prices vs Predicted prices: $Y_i$ vs $\hat{Y}_i$")
plt.show()
print("Mean squared error is {} ".format(mean_squared_error(Y_test, a)))
#Getting weights
weightsk = clf.coef_
```



Mean squared error is 26.882307061220374

### 3 Implementation of own regressor and comparison.

### 4 1.1 Taking 100 samples with 500 iterations

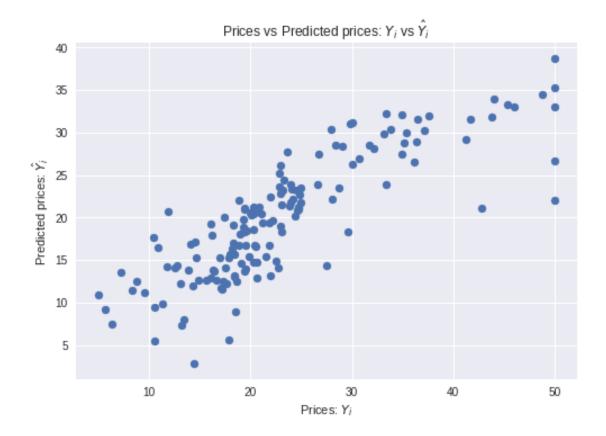


Mean squared error is 106.19019289680918

The MSE is too large compared to SGDRegressor.

# 5 1.2 Taking 100 samples with 1000 iterations.

In [0]: weights, bias, mse = manualreg(100,1000)



Mean squared error is 40.91420139476845

Still, the MSE is large.

# 6 1.3 Increasing the no. of sample to 150 and iterations to 3000

In [0]: weights, bias, mse = manualreg(150,3000)



Mean squared error is 27.288335503046675

# 7 1.3 Taking 200 samples with 3000 iterations.

In [0]: weights,bias,mse = manualreg(200,3000)



Mean squared error is 26.359994348634444

Thus, the mse of manual regressor is equal to that of SKlearn's SGD.

# 8 1.4 Taking 200 samples and 4000 iterations.

In [0]: weights, bias, mse = manualreg(200,4000)



Mean squared error is 24.72414246198188

### 9 Conclusion:

Comparing weights and MSE

```
In [0]: print("Weights of manual regressor vs. weights of SKLEARN SGD REGRESSOR ")
    w = pd.DataFrame(weights, weightsk)
    w
```

Weights of manual regressor vs. weights of SKLEARN SGD REGRESSOR

```
Out[0]: 0 0 0.019622 -0.943034 0.427127 1.002010 -0.556406 0.380954 0.667442 -0.002882 -0.838134 -2.371337 3.133494 3.346550
```

MSE of Manual Regressor : 24.72414246198188 MSE of SGD Regressor : 26.882307061220374

Conclusion: 1. As iterations increases, the MSE decreases.

- 2. From the weights comparison, it can be concluded that the weights are almost similar. Some weights of manual SGD are even a bit less than SGD Regressor since, the MSE also differs by 2.
- 3. A point comes when , even if the iterations are increased, the MSE doesn't go down beyond a certain point. Thus, samples need to be increased with iterations.
- 4. The MSE doesn't go below this 24 point. Experimenting furthur, it was observed that, taking additional iterations, the MSE again increased to 25. Observed the same with 300 sample and upto 8000 iterations. The MSE doesn't go below the 24/25 point.