

**SHUBHAM SHARMA**

**RA1911003010649**

**ARTIFICIAL INTELLIGENCE LAB – 9**

**Implementation of UNCERTAIN**  
**METHODS – DEMPSTER SHAFER THEORY**

Shubham Sharma  
RA1911003010649  
Lab-9

Altn:- Implementation of uncertain methods (Dempster Shafer Theory)

Problem formulation:  
To solve inference problem representing uncertain method to obtain a belief function using the massfunction which has built-in combination rule obtain the Dempster rule of combination.

<u>Initial state</u>	<u>Final state</u>
$m_1 = \{ 'a': 0.4, 'b': 0.2, 'ab': 0.1, 'abc': 0.3 \}$	$\{ 'ac': 0.157894, 'c': 0.105263, 'b': 0.5263157, 'ab': 0.0, 'abc': 0.0, 'a': 0.2105263 \}$
$m_2 = \{ 'b': 0.5, 'c': 0.2, 'ac': 0.3, 'a': 0.0 \}$	

Problem Solving:  
The combination is calculated from the two sets of masses  $m_1$  and  $m_2$  in the following manner:

- $m_{1,2}(\emptyset) = 0$
- $m_{1,2}(A) = (m_1 \oplus m_2)(A) = \frac{1}{1-K} \sum_{B \cap C = A \neq \emptyset} m_1(B) m_2(C)$

where,  $K = \sum_{B \cap C = \emptyset} m_1(B) m_2(C)$

Combination of  $m_1$  &  $m_2$

↓

$\{ 'b': 0.5, 'a': 0.2499, 'c', 'a' \} = 0.1499, \{ 'c' \} = 0.09999 \}$

### **Algorithm:**

Step 1: Start

Step 2: Each piece of evidence is represented by a separate belief function

Step 3: Combination rules are then used to successively fuse all these belief

functions in order to obtain a belief function representing all available evidence.

Step 4: Specifically, the combination (called the joint mass) is calculated from

the two sets of masses  $m_1$  and  $m_2$  in the following manner:

- $m_{1,2}(\emptyset) = 0$
- $m_{1,2}(A) = (m_1 \oplus m_2)(A) = (1/1-K) \sum_{B \cap C = A \neq \emptyset} m_1(B) m_2(C)$

where,

- $K = \sum_{B \cap C = \emptyset} m_1(B) m_2(C)$

$K$  is a measure of the amount of conflict between the two mass sets.

Step 5: In python Mass-Function has the built-in combination rules.

Step 6: Stop

### **Source code:**

```
from numpy import *  
def DempsterRule(m1, m2):  
    ## extract the frame of discernment  
    sets=set(m1.keys()).union(set(m2.keys()))  
    result=dict.fromkeys(sets,0)  
    ## Combination process  
    for i in m1.keys():  
        for j in m2.keys():
```

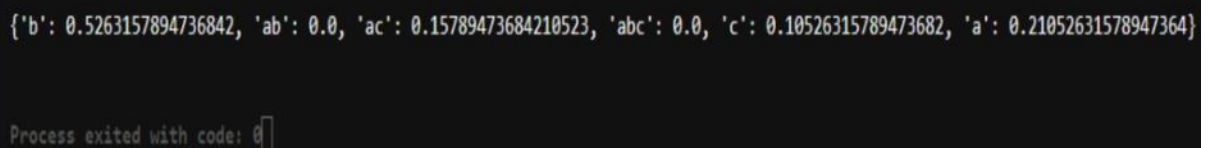
```

if set(str(i)).intersection(set(str(j))) == set(str(i)):
    result[i]+=m1[i]*m2[j]
elif set(str(i)).intersection(set(str(j))) == set(str(j)):
    result[j]+=m1[i]*m2[j]
## normalize the results
f= sum(list(result.values()))
for i in result.keys():
    result[i] /=f
return result

m1 = {'a':0.4, 'b':0.2, 'ab':0.1, 'abc':0.3}
m2 = {'b':0.5, 'c':0.2, 'ac':0.3, 'a':0.0}
print(DempsterRule(m1, m2))

```

OUTPUT –



```

{'b': 0.5263157894736842, 'ab': 0.0, 'ac': 0.15789473684210523, 'abc': 0.0, 'c': 0.10526315789473682, 'a': 0.21052631578947364}

Process exited with code: 0

```

RESULT –

Hence, the Implementation of Dempster Shafer Theory is done successfully.