
EE 604 : DIGITAL IMAGE PROCESSING

Extreme Point Based Image Segmentation &

Gaussian Red Eye Correction

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We explore the problem of inducing motion blur into static natural images and producing red eye corrected outputs for frontal human facial images. Although all the alternative problems were equally interesting, we choose focus on these two and attempt to improve existing algorithms for both the techniques while restricting ourselves to classical image processing and computer vision domain.

Red Eye Correction

We develop a novel approach for red eye correction which is based on two assumptions, (i) Shape of eye in natural images can be approximated by Gaussian distribution (ii) Red Eye Error is around the pupil.

Algorithm has been detailed in [1]. We would like to mention that m_1 and m_2 can be any general redness metrics. We found that $m_1 = b + g$ and $m_2 = \frac{r^2}{b^2+g^2+k'}$ with $k' = 14$ worked best in our limited trials[1]. We used $m_3 = \frac{b+g}{2}$ and this too can be changed any other metric for replacing/updating the red values. k was empirically set to 5 with B being the standard 5×5 filter.

Motion Blur

Motion Blur requires segmentation of the object of interest. This usually requires input from an annotator in the form of a bounding box or full boundary specification. We develop upon one of the recent techniques[1] and segment using just extreme points of the object(usually 4 or 5)[1]. We make certain changes to their algorithm and hopefully develop a smoother pipeline. The details of the improved algorithm have been given in [2].

Our refined algorithm is able to retain able to extract out the information for the objects which can not be enclosed in bounding box. Also our method is adaptive and makes strides based on the euclidean distance between the points[3]. This allows our method to easily extend to very intricate detail objects with odd shapes by simply increasing the number of annotation points. The results for some chosen images have been displayed in [2].

Future Work

We feel both the techniques can be refinement to give better results. In particular, modeling of $predpoint$ and p with different distributions, segmentation technique can be improvements so the standard GrabCut algorithm runs faster. Red eye detection approach can also be applied to different problems such as over-saturation correction,color correction etc.

Algorithm 1 Red Eye Correction

```

1: procedure EYE DETECTOR( $I$ ) ▷  $I$  is the input image
2:    $D_{hr} \leftarrow$  Harr Eye Detector( $I$ )
3:    $D_{fc} \leftarrow$  Dlib Face and Eye Detector( $I$ )
4:    $M_{detection} \leftarrow D_{fc} \cap D_{hr}$ 
5:    $I_{masked} \leftarrow I \cap M_{detection}$ 
6:   return  $I_{masked}$ 
7: end procedure

8: procedure RED POINT DETECTOR( $I_{masked}, t_l, k$ ) ▷  $I_{masked}$  is the masked input image
9:    $M_{redpoints} \leftarrow \emptyset$ 
10:  for  $\forall p \in I_{masked}$  do ▷ This can be vectorized
11:    if  $r > t_1 \& r > m_1$  then
12:       $M_{redpoints} \leftarrow p \cup M_{redpoints}$ 
13:    end if
14:  end for
15:   $M_{redpoints} \leftarrow (\dots(((M_{redpoints} \circ B) \oplus B) \oplus B) \dots k \text{ times}\dots)$ 
16:  return  $M_{redpoints}$ 
17: end procedure

18: procedure INTENSITY WEIGHT GENERATOR( $M_{redpoints}$ )
19:    $I_{redpoints} \leftarrow I_{masked} \cap M_{redpoints}$ 
20:    $M_{intensity} \leftarrow \emptyset$ 
21:   for  $\forall p \in I_{redpoints}$  do ▷ This can be vectorized
22:      $p_{redpoint} \leftarrow m_2$ 
23:      $M_{intensity} \leftarrow p_{redpoint} \cup M_{intensity}$ 
24:   end for
25:    $\mu_{redpoints}, \sigma_{redpoint} \leftarrow$  STATS FINDER( $M_{intensity}$ )
26:   return  $I_{redpoints}, \mu_{redpoints}, \sigma_{redpoint}$ 
27: end procedure

28: procedure LOCATION WEIGHT GENERATOR( $I_{redpoints}, \mu_{redpoints}, \sigma_{redpoint}$ )
29:    $M_{location} \leftarrow \emptyset$ 
30:   for  $\forall p \in I_{redpoints}$  do ▷ This can be vectorized
31:      $p_{redpoint} \leftarrow m_2$ 
32:      $w_{intensity} \leftarrow \mathcal{N}(p_{redpoint} | \mu_{redpoints}, \sigma_{redpoint})$ 
33:     if  $w_{intensity} > t_2$  then
34:        $M_{location} \leftarrow p \cup M_{location}$ 
35:     end if
36:   end for
37:    $\mu_{locpoints}, \sigma_{locpoint} \leftarrow$  STATS FINDER( $M_{location}$ )
38:   return  $\mu_{locpoints}, \sigma_{locpoint}$ 
39: end procedure

40: procedure CORRECT RED EYE( $I_{redpoints}, \mu_{locpoints}, \sigma_{locpoint}$ ) ▷ This can be vectorized
41:   for  $\forall p \in I_{redpoints}$  do
42:      $w_{location} \leftarrow \mathcal{N}(p | \mu_{locpoints}, \sigma_{locpoint})$ 
43:      $r \leftarrow w_{location}(m_3) + (1 - w_{location})r$ 
44:   end for
45: end procedure

46: procedure STATS FINDER( $S$ )
47:   return Mean( $S$ ), Standard Deviation( $S$ )
48: end procedure

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Algorithm 2 Extreme Point based Segmentation

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1: procedure MODIFIED GRAB CUT( $I, L_{points}, k$ ) ▷  $L_{points}$  is the list of pair of points
2:    $E_{base} \leftarrow$  Canny Edge Detector( $I$ )
3:    $S_{boundary} \leftarrow \emptyset$ 
4:   for  $\forall u, v \in L_{points}$  do
5:      $D_{uv} \leftarrow$  Euclidean Distance( $u, v$ )
6:      $\sigma_{uv} \leftarrow \frac{D_{uv}}{2}$ 
7:      $I_u \leftarrow \mathcal{N}(XY_{mesh}|u, \Sigma_{uv})$ 
8:      $I_v \leftarrow \mathcal{N}(XY_{mesh}|v, \Sigma_{uv})$ 
9:      $I_{uv} \leftarrow \mathbf{1} - E_{base} \odot I_u \odot I_v$ 
10:     $B_{uv} \leftarrow$  Minimum Weight Path( $I_{uv}, u, v$ )
11:     $S_{boundary} \leftarrow B_{uv} \cup S_{boundary}$ 
12:   end for
13:    $S_{crude} \leftarrow$  Flood Fill( $S_{boundary}$ )
14:    $S_{skeleton} \leftarrow$  Skelitonize( $S_{crude}$ )
15:    $S_{crude\ dilated} \leftarrow (\dots((S_{crude} \oplus B) \oplus B)\dots k\ times\dots)$ 
16:    $R \leftarrow$  Rectange Finder( $S_{crude\ dilated}$ )
17:    $S_{rectangle} \leftarrow$  Flood Fill( $R$ )
18:    $S_{foreground} \leftarrow S_{skeleton}$ 
19:    $S_{background} \leftarrow S_{rectangle}^C$ 
20:    $S_{probable\ foreground} \leftarrow S_{crude\ dilated}$ 
21:    $S_{probable\ background} \leftarrow R \cup S_{crude\ dilated}^C$ 
22:    $S_{final} \leftarrow$  GrabCut( $S_{foreground}, S_{background}, S_{probable\ foreground}, S_{probable\ background}$ )
23:   return  $S_{final} \cap S_{crude}$ 
24: end procedure
```

References

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- [3] Mallick, S. "Automatic Red Eye Remover using OpenCV (C++ / Python)" www.learnopencv.com, March, 2017
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- [5] Dijkstra, E. W., "A note on two problems in connexion with graphs" *Numerische Mathematik* 1(1959)
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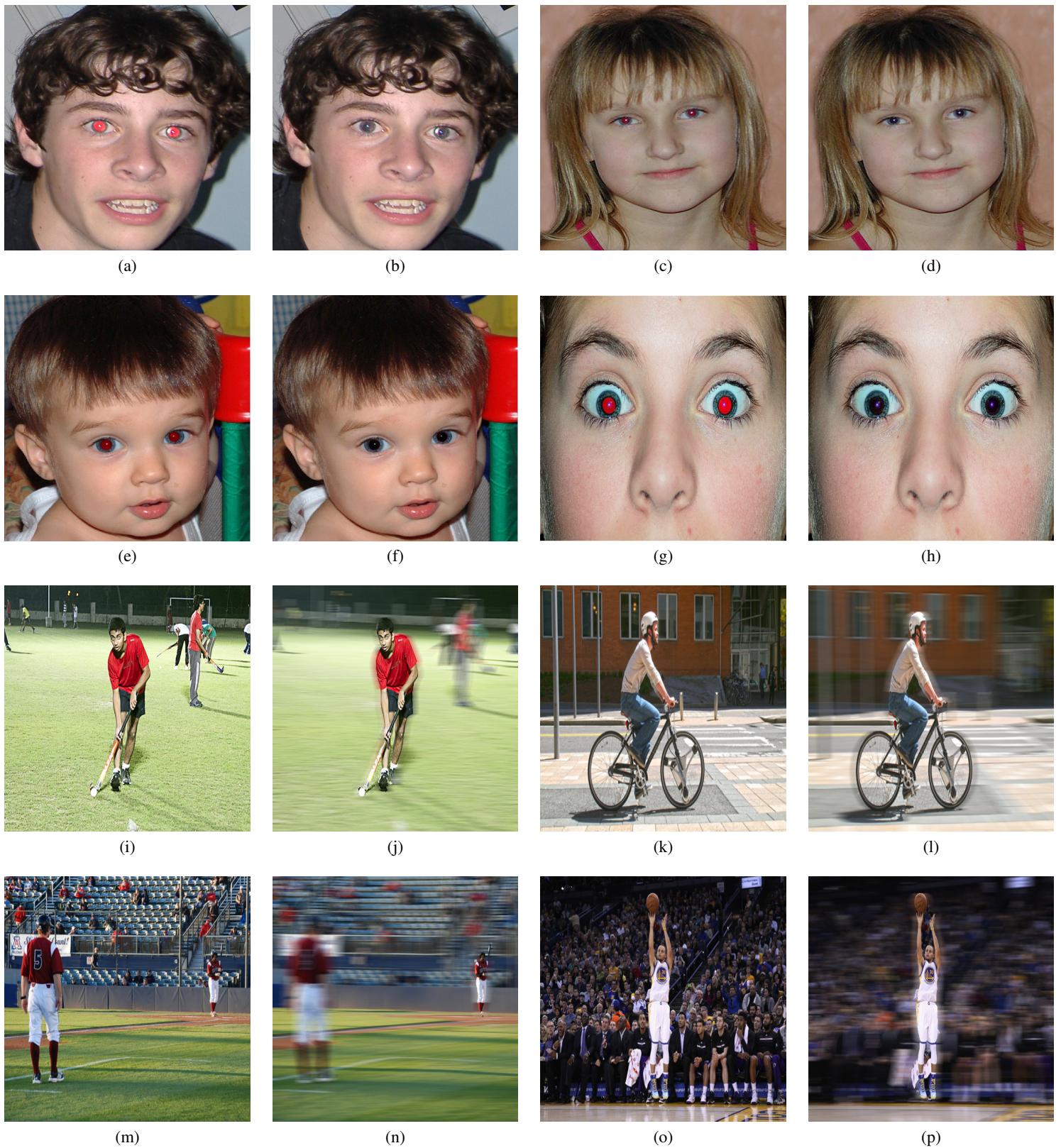


Figure 1: Results for all the images provided in the assignment

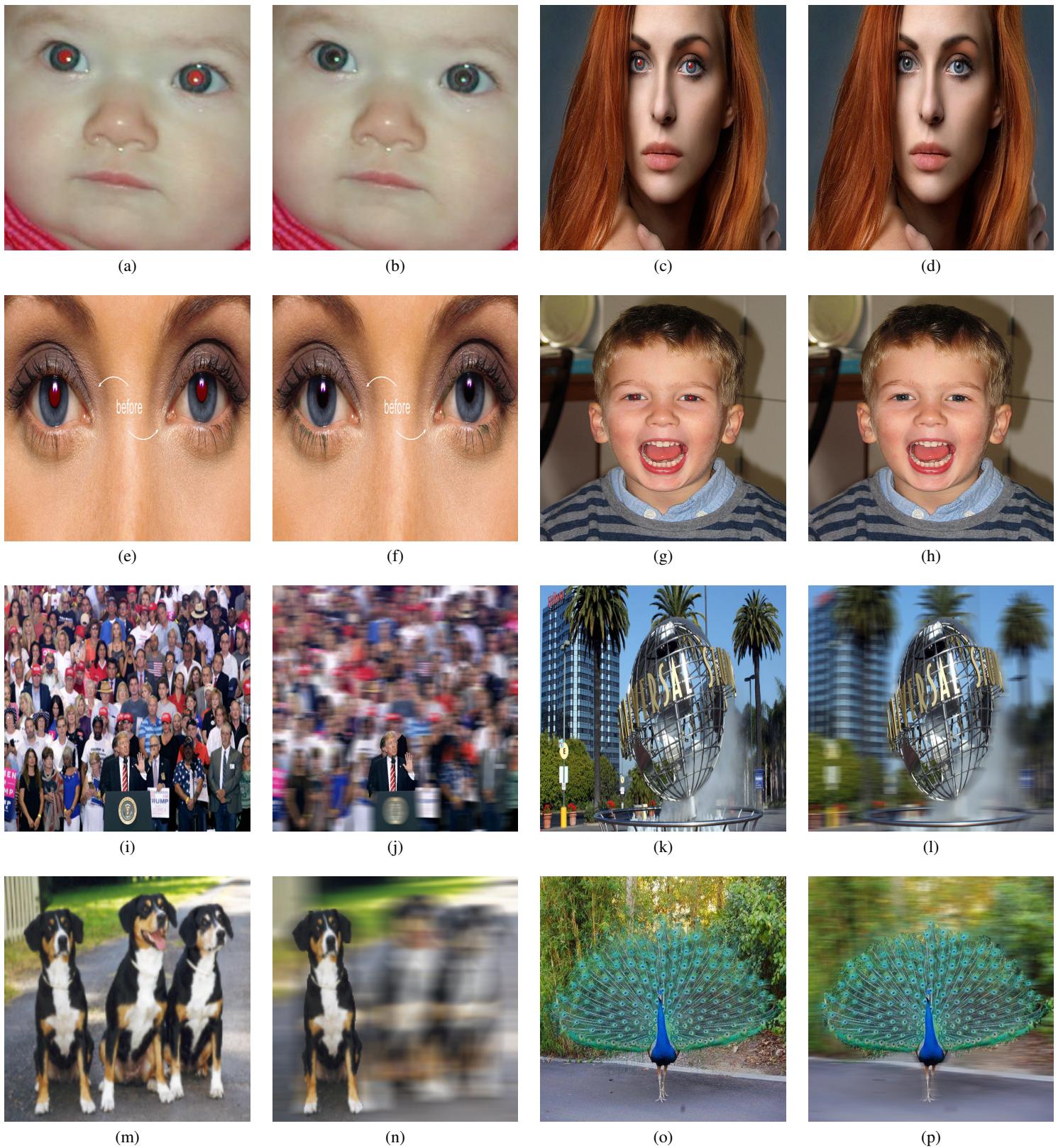


Figure 2: Some extra output images for both the techniques.

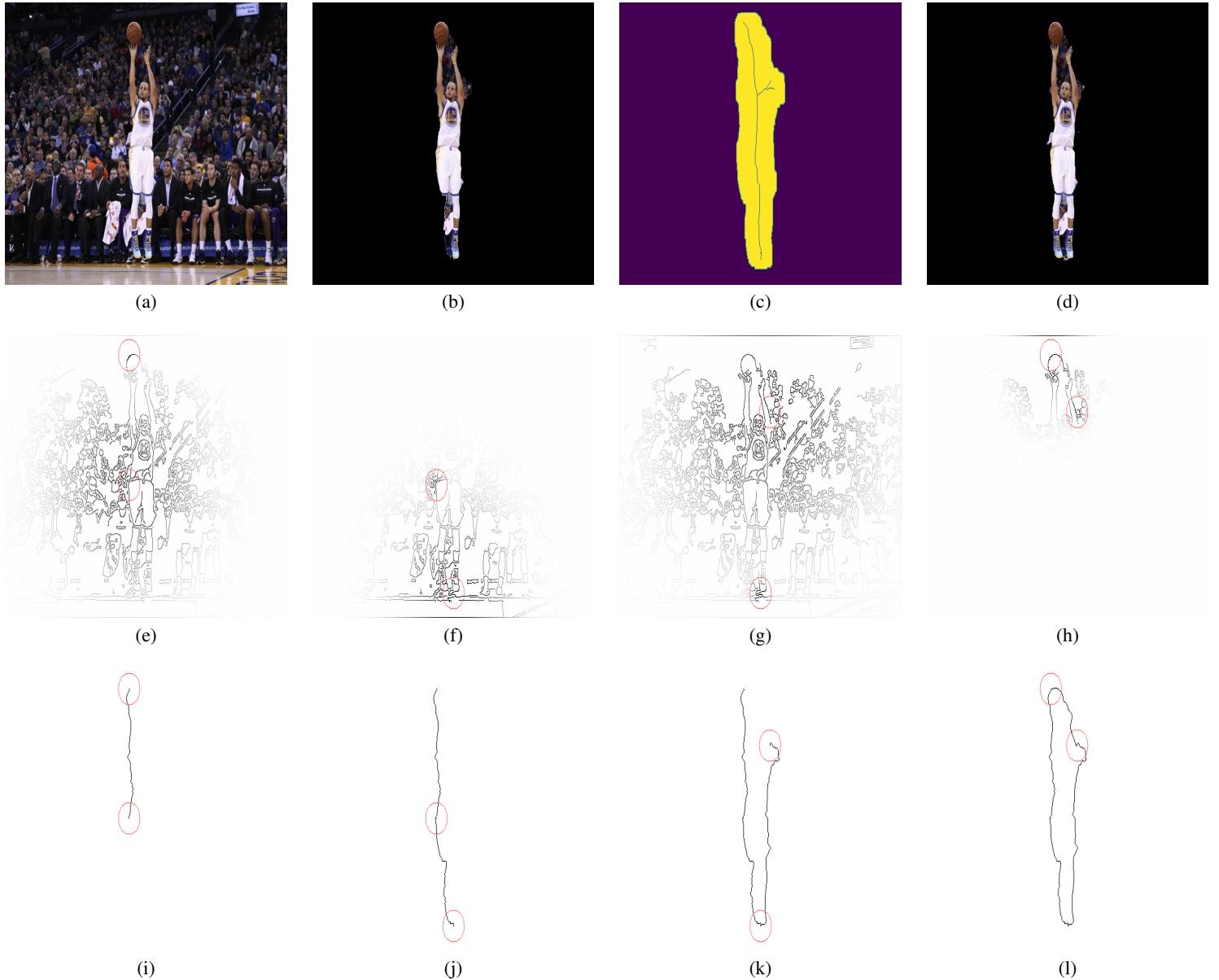


Figure 3: (a) Original image (b) Crude Segmentation using the user input (c) Skeleton generated from (b) to use as foreground points for GrabCut input (d) Improved segmentation obtained using GrabCut output and (b). (e-h) Gaussian Weighted Edge maps at different stages of the input points. (i-l) Boundary found using Dijkstra's Min Weighted Path Algorithm. Center of the red circles denote the two points under consideration