

ASSIGNMENT 1

1) (A) Let  $X = \pi_C(Y_{\text{COUNT}(\text{genre})})$  (Movie)

FINAL QUERY

1) (A) Let  $X = \pi_C(Y)$  (Movie) Denotes the Count of Genre  
 $\text{COUNT}(\text{genre})$

FINAL      QUERY

$\Pi_{\text{Customer\_id, name}} (\sigma_{C=x} (\Pi_{\text{Customer\_id} / \text{as } C} (\Pi_{\text{City}=\text{Boston}} (\text{Customer} \bowtie \text{Rental} \bowtie \text{Movie}))))$   
 Customer\_id, name / Customer\_id, name / Count (genre)

B)

$\pi_{R, movie-id} \left( \pi_{R, movie-id} \left( \sigma_{avg(Rental-price) > 10} \left( \pi_{R, movie-id} \left( \sigma_{year < 2000} (Movie \bowtie Rental) \right) \right) \right) \right)$

movie id with avg rental rate

movie id with rentalcount > 10 and  
Released before 2000

2)

A)

$\{E-Fname \mid (E \in Employee) \wedge \exists W, P ((P \in Project) \wedge (W \in Works-On) \wedge (P-projectid = W-projectid) \wedge (W-Emp-id = E-Emp-id) \wedge (P-dept-id = 5))) \}$

B) Considering the Emp-id in Department to be the Manager.

$\{E-Fname \mid (E \in Employee) \wedge \exists D, DE ((D \in Department) \wedge (DE \in Dependents) \wedge (D-E.Eid = D.Eid))) \}$

## Assignment 2: Views, Transactions, Roles and Authorizations

(1) Consider the following relation : **Movie ( id : integer, title : string, genre : string, release\_year : integer)**. Suppose you have a view called “**movies\_2021**” defined as follows :

**CREATE VIEW movies\_2021 AS**

**SELECT \* FROM Movie WHERE release\_year = 2021 ;**

Explain what happens when you try to execute the following insertion query on the “**movies\_2021**” view :

**INSERT INTO movies\_2021 (id , title , genre , release\_year) values ( 203, 'RRR', 'Drama' , 2022 ) ;**

When i tried inserting in postgres it worked fine, that means this insertion was reflected in both the view and the table , but the view is defined with a filter condition that restricts the rows to those with a release year of 2021, and the insertion query is attempting to add a new row with a release year of 2022 and that violates the filter condition .

(2) Consider the following customers relation , initially with no records : **customers (customer\_id , customer\_name, city)**

Suppose the following SQL queries are executed in order :

1) **INSERT INTO customers (customer\_id, customer\_name, city) VALUES (1, 'John Smith', 'Boston') ;**

2) **SAVEPOINT s ;**

3) **UPDATE customers SET city = 'Los Angeles' WHERE customer\_id = 1 ;**

4) **INSERT INTO customers (customer\_id, customer\_name, city) VALUES (2, 'Jane Doe', 'New York') ;**

5) **ROLLBACK TO s ;**

6) **UPDATE customers SET city = 'San Francisco' WHERE customer\_id = 1 ;**

7) **COMMIT ;**

If all the above SQL queries run in order, what will be the result of the below query ?

**SELECT \* FROM customers ;**

Give an explanation for your answer.

ASSUMING BEGIN WAS DONE BEFORE LINE 1\_

Then since there is a rollback done before commit on line 7, only effects of line 1, 6 will be seen on the table.

And the result of the query will be

```
1  john smith    San Francisco
```

IF BEGIN WAS NOT DONE BEFORE LINE 1

If begin is not done then every statement in postgres is considered a begin - commit block so the rollback on 5 will not make sense , hence the result of the query will be

```
1  john smith    San Francisco
```

```
2  jane doe      New York
```

(3) Suppose a company has a database that contains information about its sales and customers. The sales manager in the UK needs access to the sales information for all customers based in the UK. However, the sales manager in the UK should not have access to the sales' information for the customers based in other countries. As a database administrator, how can you ensure data security by providing the appropriate level of access to the relevant information ?

For this situation we can create a view for the information in UK and Grant select on this view to the manager. now he won't be able to access the information of other countries.

**(4) Suppose there is a database with the following relation :**  
**employees(id : integer , name : string, salary : real , age : integer )**  
**The following command is executed :**  
**GRANT UPDATE (id, name, age) ON employees TO John ;**  
**if John executes the following command :**  
**UPDATE employees SET name = 'Alice', id = 50 WHERE id = 101 ;**  
**Will the update be successful or not ? Justify your answer.**

### **Assignment 3: Functions, Procedures, Triggers**

**(1) Consider the 'Department' relation containing the attributes 'dept\_name' and 'budget'. Show the details of the departments which have budgets more than the average budget across all departments by defining a function 'more\_than\_avg\_budget' in SQL.**

```
CREATE OR REPLACE FUNCTION more_than_avg()  
RETURNS TABLE(dept_name varchar) AS  
$$  
BEGIN  
    RETURN QUERY SELECT dept_name FROM Department  
        WHERE budget > (SELECT AVG(budget) FROM Department);  
END;  
$$ LANGUAGE plpgsql;
```

**(2) Consider the 'Student' relation containing the attributes 'ID', 'Dept\_name', 'Credits'. Create a procedure that deletes all students who are having 'Credits' less than 5.0 in the 'CS' department using SQL statements.**

```
CREATE OR REPLACE PROCEDURE delete_low_credit_cs_students()  
LANGUAGE plpgsql  
AS $$  
BEGIN  
    DELETE FROM Student  
    WHERE Dept_name = 'CS' AND Credits < 5.0;  
END;  
$$;
```

**(3) How do DBMS automatically handle the condition mentioned in the previous question and meet the data consistency.**

Either cascade or triggers can be used to maintain data consistency .

## ASSIGNMENT 4

1)  
→  $\{A \rightarrow B, C \rightarrow B, D \rightarrow ABC, AC \rightarrow D\}$

→  $\{A \rightarrow B, C \rightarrow B, D \rightarrow A, D \rightarrow B, D \rightarrow C, AC \rightarrow D\}$

Now for each dependency we check if it is redundant or not.

(1)  $A \rightarrow B$

with dependency  
 $A^+ = \{A, B\}$

after removing  $A \rightarrow B$   
 $A^+ = \{A\}$

So  $A \rightarrow B$  is not redundant

(2)  $C \rightarrow B$

with  $C \rightarrow B$   
 $C^+ = \{C, B\}$

without  $C \rightarrow B$   
 $C^+ = \{C\}$

So  $C \rightarrow B$  is not redundant

(3)  $D \rightarrow A$

with  $D \rightarrow A$   
 $D^+ = \{A, B, C, D\}$

without  $D \rightarrow A$   
 $D^+ = \{B, C, D\}$

Hence  $D \rightarrow A$  is not redundant.



$D \rightarrow B$

With $D \rightarrow B$	without $D \rightarrow B$
$D^+ = \{A, B, C, D\}$	$D^+ = \{A, B, C, D\}$

hence  $D \rightarrow B$  is redundant and can be removed.

$D \rightarrow C$

with $D \rightarrow C$	without $D \rightarrow C$
$D^+ = \{A, B, C, D\}$	$D^+ = \{A, B, D\}$

hence  $D \rightarrow C$  is not redundant.

$AC \rightarrow D$

with $AC \rightarrow D$	without $AC \rightarrow D$
$AC^+ = \{A, B, C, D\}$	$AC^+ = \{A, B, C\}$

hence  $AC \rightarrow D$  is not redundant  
also  $A^+$  doesn't contain  $C$ , and  $C^+$  doesn't contain  $A$   
so  $AC$  can't be broken down.

So minimized version is

$$\{A \rightarrow B, C \rightarrow B, D \rightarrow A, D \rightarrow B, AC \rightarrow D\}$$

$$(2) \quad F_1 = \{ A \rightarrow B, AB \rightarrow C, D \rightarrow AC, D \rightarrow E \}$$

$$F_2 = \{ A \rightarrow BC, D \rightarrow AB, C \rightarrow B \}$$

to check equivalence let's compare  $A^+, B^+, C^+, D^+$  for both

$$F_1$$

$$(1) \quad A^+$$

- 1)  $A \rightarrow A$  { trivial }
- 2)  $A \rightarrow B$  { given }
- 3)  $AB \rightarrow C$  { given }
- 4)  $A \rightarrow AB$  { by (1), (2) }
- 5)  $A \rightarrow C$  { by transitivity on 3, 4 }

$$A^+ = \{ A, B, C \}$$

$$(2) \quad C^+$$

$$C \rightarrow C \quad \text{(trivial)}$$

$$C^+ = \{ C \}$$

$$C^+ = \{ C \}$$

$$F_2$$

$$A^+$$

$$A \rightarrow A$$

{ trivial }

$$A \rightarrow BC$$

{ given }

$$A^+ = \{ A, B, C \}$$

$$C^+$$

$$1) \quad C \rightarrow C$$

{ trivial }

$$2) \quad C \rightarrow B$$

{ given }

$$C^+ = \{ C, B \}$$

So  $F_1, F_2$  are not equivalent  
because  $C^+$  is  $F_1$  and  $F_2$  are not same

Q(3) FD :  $\{BC \rightarrow D, C \rightarrow A, D \rightarrow B\}$

Candidate key  $\rightarrow$  are BC, DC

Prime attributes are B, C, D

because of  $C \rightarrow A$ , it is a partial dependence so not even 2NF

So a decomposition of  $R_1(B, C, D), R_2(C, A), R_3(D, B)$

will make a 3NF decomposition

$R_1(B, C, D)$ , FD =  $\{BC \rightarrow D\}$  it is 3NF

$R_2(C, A)$ , FD =  $\{C \rightarrow A\}$  it is 3NF

$R_3(D, B)$ , FD =  $\{D \rightarrow B\}$  it is 3NF



Q.4  $R(X, Y, Z)$   $FD := \{XY \rightarrow Z, Z \rightarrow Y\}$

- Candidate Keys are  $XY, XZ$
- It does not satisfy BCNF because of  $Z \rightarrow Y$   
 $Z$  is not a candidate key
- 3NF is the highest it is satisfying.
- We decompose  $R$  into  $R_1(X, Z), R_2(Z, Y)$   
and that is in BCNF

this decomposition is lossless because  $Z$  is candidate key in  $R_2$ . and it is the intersection of  $R_1, R_2$

→ it is not dependency preserving because the dependency  $XY \rightarrow Z$  is not preserved.

trivia