Punt

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1/8/2022

This file details my adventure in converting the punt into a resulting expected point metric. The expected points were calculated by me in my first down document, so all I needed was to figure out the yardline of where the punt play ended. Unfortunately, this was not as easy as I anticipated because simple play by play data actually does not give this information. Instead, I formulated this using a function that checked the next play yardline, whether the punting play ended in a score, and whether it resulted in a turnover. Once I did this, I could make a model that predicts the resulting expected points of a punt.

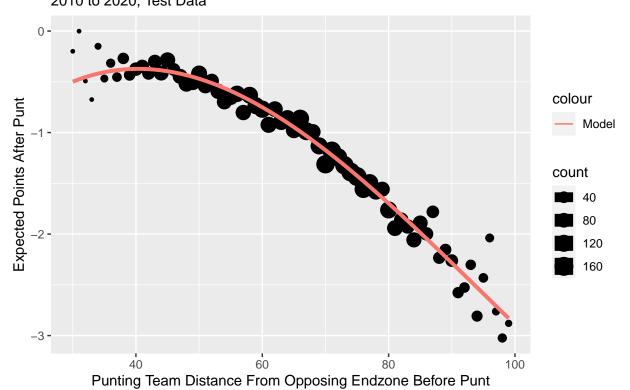
```
library(ggplot2)
## Warning: package 'ggplot2' was built under R version 4.0.5
library(dplyr)
## Warning: package 'dplyr' was built under R version 4.0.5
##
## Attaching package: 'dplyr'
## The following objects are masked from 'package:stats':
##
##
       filter, lag
## The following objects are masked from 'package:base':
##
##
       intersect, setdiff, setequal, union
library(caret)
## Warning: package 'caret' was built under R version 4.0.3
## Loading required package: lattice
# load in data from csv
df_punting_data = read.csv("punt_data.csv")[ , 2:3]
### Make model that predicts the resulting expected points after a punt
# Split data
```

```
set.seed(123)
training_samples_punt = createDataPartition(df_punting_data$resulting_ep, p = 0.8, list = FALSE)
punt_train = df_punting_data[training_samples_punt, ]
punt_test = df_punting_data[-training_samples_punt, ]
# aggregate test data for graph later
punt_test_agg = punt_test %>%
 group by(start) %>%
 summarise("mean" = mean(resulting_ep), "count" = length(resulting_ep))
# I know from the plot in practicing_punting_data that the equation is likely a quadratic or cubic
punt_train$start_squared = punt_train$start^2
punt_train$start_cubed = punt_train$start^3
summary(lm(resulting_ep ~ ., data = punt_train))
##
## lm(formula = resulting_ep ~ ., data = punt_train)
##
## Residuals:
##
      Min
               10 Median
                               3Q
                                      Max
## -6.5637 -0.2959 0.0225 0.3146 8.1610
## Coefficients:
                  Estimate Std. Error t value Pr(>|t|)
## (Intercept)
                -2.631e+00 4.433e-01 -5.935 2.99e-09 ***
                 1.230e-01 2.136e-02 5.758 8.64e-09 ***
## start_squared -1.934e-03 3.320e-04 -5.826 5.75e-09 ***
## start cubed
                 6.787e-06 1.672e-06 4.060 4.92e-05 ***
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
## Residual standard error: 0.9474 on 21400 degrees of freedom
## Multiple R-squared: 0.2807, Adjusted R-squared: 0.2806
## F-statistic: 2784 on 3 and 21400 DF, p-value: < 2.2e-16
anova(lm(resulting_ep ~ ., data = punt_train))
## Analysis of Variance Table
## Response: resulting_ep
##
                   Df Sum Sq Mean Sq F value
                                                  Pr(>F)
                    1 7077.1 7077.1 7883.936 < 2.2e-16 ***
## start
## start_squared
                    1
                        404.5
                               404.5 450.652 < 2.2e-16 ***
## start cubed
                    1
                         14.8
                                 14.8
                                       16.486 4.918e-05 ***
## Residuals
                21400 19209.9
                                  0.9
## ---
## Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' 1
# Everything is significant
```

```
punt_model = lm(resulting_ep ~ ., data = punt_train)

punt_equation = function(yardline) {
    punt_model$coefficients[1] + punt_model$coefficients[2] * yardline + punt_model$coefficients[3] * yardline
```

Expected Points After Punt by Punting Field Position 2010 to 2020, Test Data



The fit is fantastic on this model, especially considering that this is the test data, so I do not feel as if it is necessary to make any other models.