

# CS353 Machine Learning Lab

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## Task:

To design and train a perceptron training for EX-OR gate.

### XOR logic gate

If the input is the same(0,0 or 1,1), then the output will be 0, otherwise(0,1 or 1,0) 1.

a	b	a^b
0	0	0
0	1	1
1	0	1
1	1	0

## Import libraries

```
In [28]: import numpy as np
from matplotlib import pyplot as plt
```

## Activation function

```
In [29]: def sigmoid(x):
z = 1 / (1 + np.exp(-x))
#     print("Sigmoid of \n", x, " = ", z, "\n")
return z

def sigmoid_derivative(x):
z = x * (1 - x)
return z
```

## Initialising weight using np.rand

```
In [30]: def initializeParameters(inputFeatures, HiddenLayer, outputFeatures):
W1 = np.random.randn(HiddenLayer, inputFeatures)
W2 = np.random.randn(outputFeatures, HiddenLayer)
b1 = np.zeros((HiddenLayer, 1))
b2 = np.zeros((outputFeatures, 1))

parameters = {"W1" : W1, "b1": b1, "W2" : W2, "b2": b2}
return parameters
```

## Forward Propagation

```
In [31]: def forwardPropagation(X, Y, parameters):
m = X.shape[1]
W1 = parameters["W1"]
W2 = parameters["W2"]
b1 = parameters["b1"]
b2 = parameters["b2"]

Z1 = np.dot(W1, X) + b1
A1 = sigmoid(Z1)
Z2 = np.dot(W2, A1) + b2
A2 = sigmoid(Z2)

cache = (Z1, A1, W1, b1, Z2, A2, W2, b2)
logprobs = np.multiply(np.log(A2), Y) + np.multiply(np.log(1 - A2), (1 - Y))
cost = -np.sum(logprobs) / m
return cost, cache, A2
```

Class entropy error function =  $-\log(y') - (1-y')\log(1-y')$  \ y -> actual output \ y' -> predicted output

## Backward Propagation

```
In [32]: def backwardPropagation(X, Y, cache):
m = X.shape[1]
(Z1, A1, W1, b1, Z2, A2, W2, b2) = cache

dZ2 = A2 - Y
dW2 = np.dot(dZ2, A1.T) / m
db2 = np.sum(dZ2, axis = 1, keepdims = True)

dA1 = np.dot(W2.T, dZ2)
dZ1 = np.multiply(dA1, A1 * (1- A1))
dW1 = np.dot(dZ1, X.T) / m
db1 = np.sum(dZ1, axis = 1, keepdims = True) / m

gradients = {"dZ2": dZ2, "dW2": dW2, "db2": db2,
            "dZ1": dZ1, "dW1": dW1, "db1": db1}
return gradients
```

## Weight Updation

```
In [33]: def updateParameters(parameters, gradients, learningRate):
parameters["W1"] = parameters["W1"] - learningRate * gradients["dW1"]
parameters["W2"] = parameters["W2"] - learningRate * gradients["dW2"]
parameters["b1"] = parameters["b1"] - learningRate * gradients["db1"]
parameters["b2"] = parameters["b2"] - learningRate * gradients["db2"]
return parameters
```

## Training

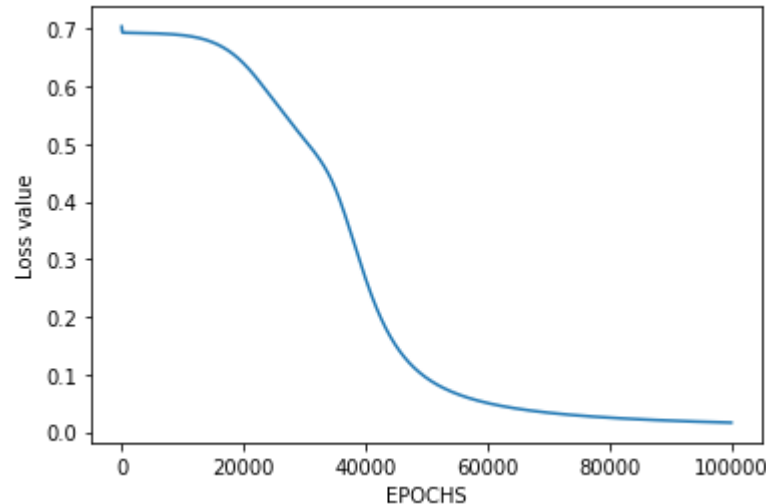
```
In [34]: # Model to learn the XOR truth table
X = np.array([[0, 0, 1, 1], [0, 1, 0, 1]]) # XOR input
Y = np.array([[0, 1, 1, 0]]) # XOR output

# Define model parameters
neuronsInHiddenLayers = 2 # number of hidden layer neurons (2)
inputFeatures = X.shape[0] # number of input features (2)
outputFeatures = Y.shape[0] # number of output features (1)
parameters = initializeParameters(inputFeatures, neuronsInHiddenLayers, outputFeatures)
epoch = 100000
learningRate = 0.01
losses = np.zeros((epoch, 1))

for i in range(epoch):
    losses[i, 0], cache, A2 = forwardPropagation(X, Y, parameters)
    gradients = backwardPropagation(X, Y, cache)
    parameters = updateParameters(parameters, gradients, learningRate)
```

## Analysis

```
In [35]: plt.figure()
plt.plot(losses)
plt.xlabel("EPOCHS")
plt.ylabel("Loss value")
plt.show()
```



## Testing the perceptron model

```
In [36]: X = np.array([[1, 1, 0, 0], [0, 1, 0, 1]])
cost, _, A2 = forwardPropagation(X, Y, parameters)
prediction = (A2 > 0.5) * 1.0
print(prediction)
```

[[1. 0. 0. 1.]]

```
In [37]: # Probabilities
print(A2)
```

[[0.98435983 0.01745433 0.01540361 0.9842775 ]]

Tabular Output:

a	b	a^b
1	0	1
1	1	0
0	0	0
0	1	1

We observe that the predicted outputs for each of the test inputs are matched with the EX-OR logic gate truth table. Hence, it is verified that the perceptron algorithm for XOR logic gate is correctly implemented.