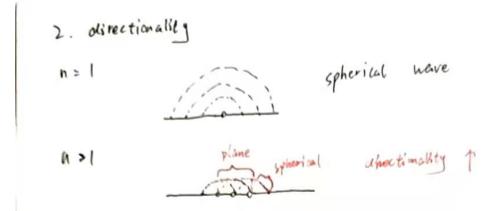
exercise Ultrasound 2 SHUC LI

1.  $ZNFB = \frac{r^2}{\lambda t | ssue}$ ,  $r \to 0$ , ZNFB = 0Lateral resolution  $\begin{cases} \chi = 0 & 2r = 0 \\ \chi > 0 & 2r = +\infty \end{cases}$ browdening angle  $0 = 90^\circ$ 

real part

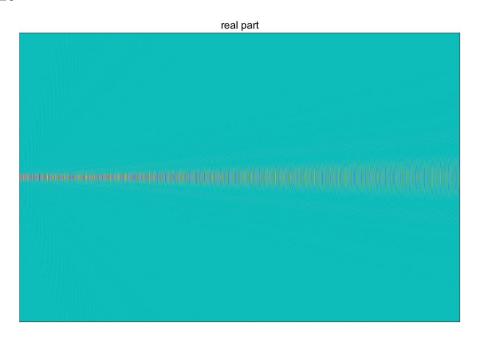


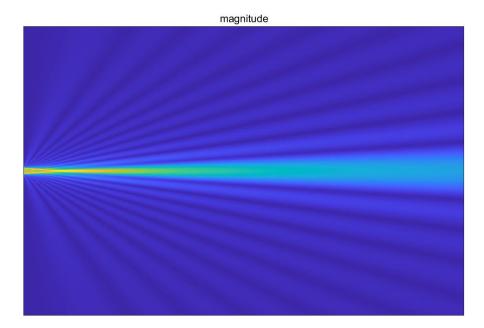
magnitude



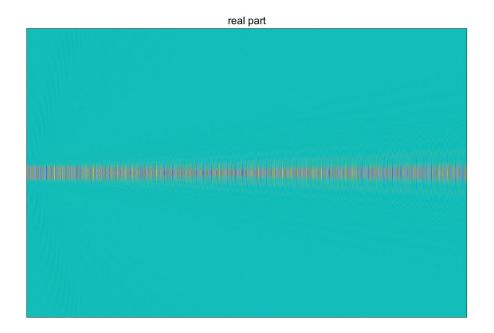
In the many-element case, the transducer radius r is no larger close to 0. With the increasing number of transducers, the radius r inreases. Zara and lateral resolution increase, the broadening angle decrease, which means the directionality gets better.

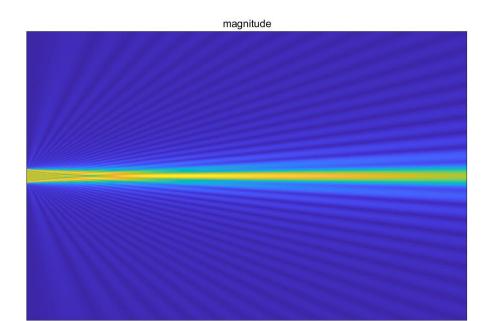
nt = 20





nt = 40





3. 
$$\frac{\lambda d}{\left(\frac{\lambda^{2}}{c^{2}}\right)} = \tan 20^{\circ}$$

$$Ad = c \cdot At = \frac{c \cdot A\psi}{2zf} = \frac{\lambda \Delta\psi}{2z}$$

$$\Rightarrow \Delta\psi = \tan 20^{\circ} z = 1.14345 \text{ rad}$$

real part

place difference  $\Omega$  d.  $\sin \alpha_1 = c \cdot \Delta t = \frac{\lambda \Delta \phi}{2\lambda}$ These difference  $\Delta t = \frac{\lambda \Delta \phi}{2\lambda \Delta}$   $\Delta t = \frac{\lambda \Delta \phi}{2\lambda \Delta}$   $\Delta t = \frac{\lambda \Delta \phi}{2\lambda \Delta}$ 

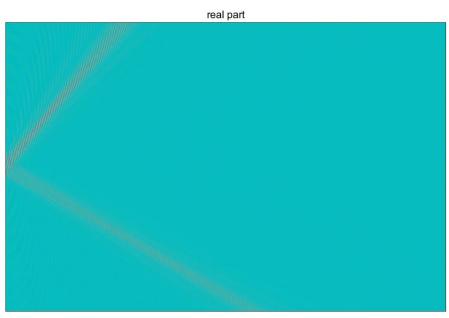
where difference 
$$= 2 \sqrt{0.5 \text{max}} = \frac{\lambda (b (y - 2))}{22}$$

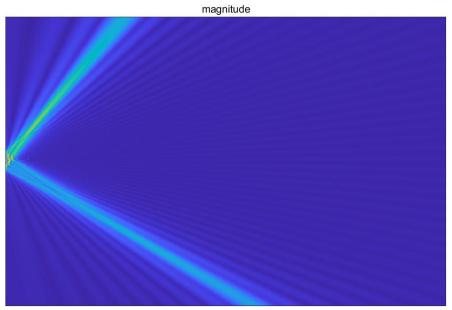
$$\sin \alpha z = \frac{\lambda (b (y - 2))}{22 \text{ od}}$$

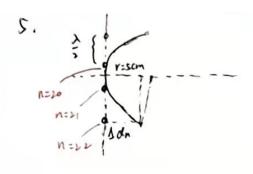
$$\begin{cases}
\sin \alpha_1 \in (-1, 1) \\
\sin \alpha_2 \in (-1, 1)
\end{cases}$$

$$\begin{cases}
\sin \alpha_1 \cdot \sin \alpha_2 \leq 0
\end{cases}$$

The generation of grating labe is because of the diffraction which is based on Huggen's principle. When  $d > \frac{\lambda}{z}$ , there are multiple solutions for  $\Delta \tilde{Z}$  mod  $2Z = k d sen(\alpha) mod 2Z$ . A grating labe will be generated.





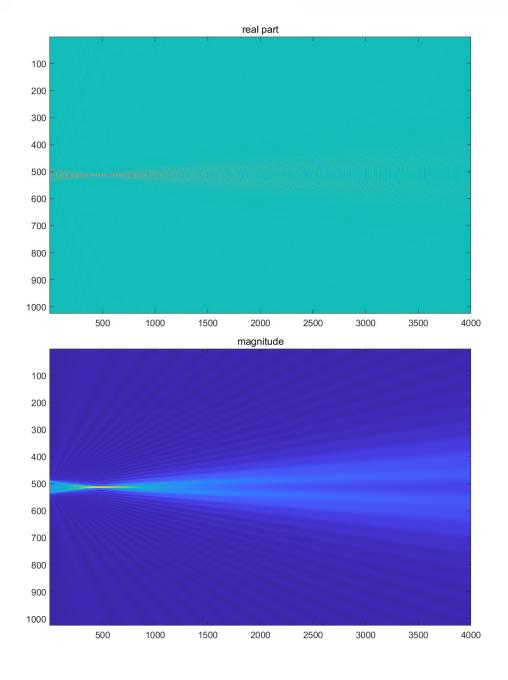


$$t_n = 40.$$

$$\Delta d_n = r - \int r^2 - \left[ \frac{(\frac{1}{2} - n)\lambda}{2} \right]^2$$

$$\Delta \ell_n = -k \cdot \Delta d_n = \frac{-\lambda \lambda}{2} \cdot \Delta d_n$$

$$= \frac{40\lambda}{2} + \frac{2\lambda}{2} \int s^2 - \left[ \frac{(20.s - n)\lambda}{2} \right]^2$$



6. 
$$f(x) = e^{-\frac{1}{5}(\frac{x-20.5}{6})^{\frac{1}{5}}}$$
$$f(1) = 0.1 = e^{-\frac{1}{5}(\frac{49.5}{6})^{\frac{1}{5}}}$$
$$= > 6 = 9.086817$$

Applying a gaussian filter can help decrease the amplitude of side-lokes. It's similar with the apodization technique in optics.

