### International University of Business Agriculture & Technology

### Mid Term Home Assignment

#### Submitted to:

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### Submitted by:

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Section: D

Program: BCSE

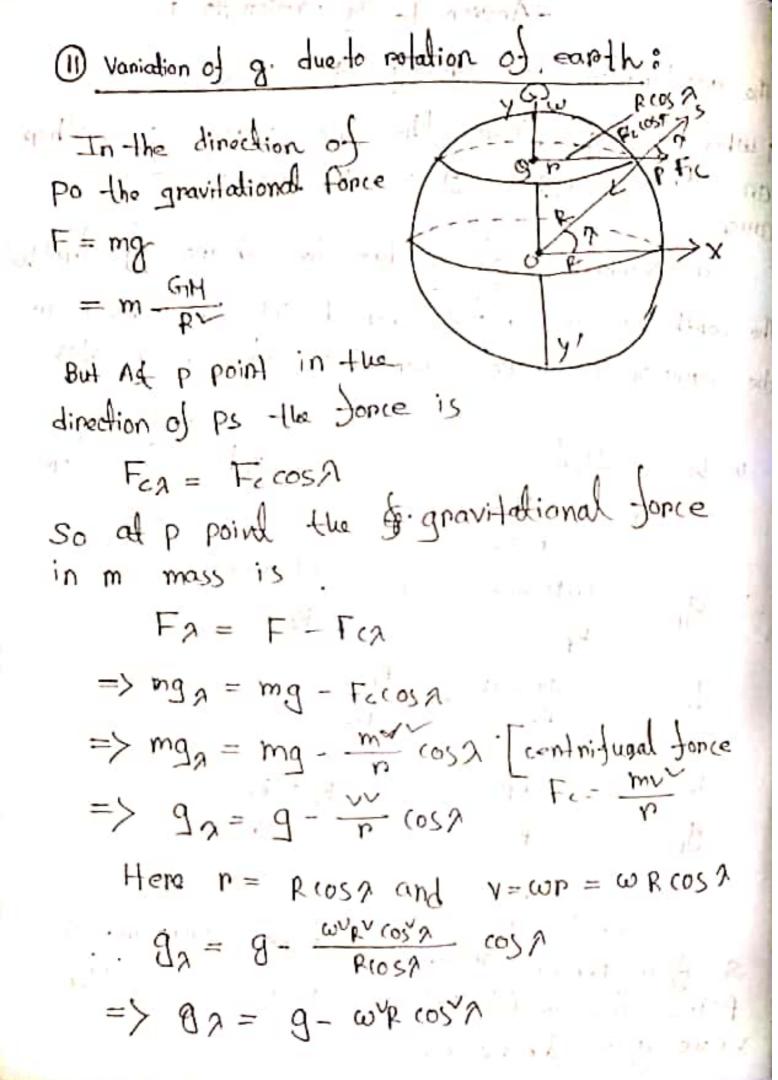
Course Code: PHY 111

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The acceleration due gravity & changes	
On the surface of earth due to two	ŀ
a. vapiation of g due to shape of farit	ı
of mally is an oblate shperoid. It's radiups nea	P
the equation is more than its radius near poles	
Pole	
we know - that	r
g = Gildonthi Podithi	
Pp = Gi Hearth & ge = Rev	
a GM smills	
Bp = - Rev GMoone	
ge Pp as Rp < Fe	
Op Po	
So if a person moves from the equalor to Poles this weight will be decrease as the value a is decreases.	0
So if a person will be decrease is	
volue a is demonses.	

Answer to the quartier No - 1



on the equator 
$$N = 0^{\circ}$$
;  $\cos N = 1$ 

In polar negion  $N = 90^{\circ}$ ;  $\cos N = 0$ 

Top these two reason the value of acceleration due gravity change, when we go from one place to another on the surplace of early.

The value of acceleration due gravity changes when we go from one place to another place to another place.

Let  $M = Hacs$  of earth  $R = Radius$  of earth  $R = Radi$ 

$$\Rightarrow \frac{g'}{g} = \frac{p^{2}}{(p+h)^{2}} \times g$$

$$= \frac{1}{(1+\frac{h}{p})^{2}} \cdot g \quad \text{[Dividing by } p^{2}$$

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$$= \frac{1}{(1+\frac{h}{p})^{2}} \cdot$$

## -Answer to the auntion No-2

Not work done on an object equals the object charge it's kinetic energy. By thats way work charge the kinetic energy. Now I am explaining it by the mathmatical equation of work energy theorem.

and mass is m. then the work will be a distance of 2. then

Jop the force is the acceleration a for the force is the acceleration a happend then by the second law of Newton

w = max - 0

Bot we know.

2 20 x 20 x 20 x

=> 2 20 x 20 x = 20 x

=> 0 x 20 x = 20 x

=> 0 x 20 x = 20 x

From the equation (1). = 1 (m20- m2lo)  $=\frac{1}{2}$  mre  $-\frac{1}{2}$  mre  $\sim$  $= K - Ko^{\frac{1}{2}} m re^{V}$ work done by the topice = the change of kinetic energy. By that way work change the kinetic energy of an object.

The law of conservation of energy state That Inorgy can noither be created nor be destroyed. Atthough it may be transformed from one form to another. That means if I take all forms of energy into account, the Fotal energy of an Bolated System always, romain constant All the torms of energy follows the law of conservation of energy. In brief we can say - that A system that is isolated from its Surroundings, the Fofal energy of the System is conserved The ammount of energy in a system defermined - (cu The change of the internal energy of the system determined the equation Now I am giving Some roal life comple of the Syst law of consonvation N = W+ € - In torch, the chemical energy of the botheries is convented into electrical energy, which is convented into light and hout energy.

- In loudspeaker, electrical energy is convented into sound energy:
- In microphous, sound energy is converted into electrical energy.
- In generator, machanical energy is convente into electrical energy.
- when fuels are burne chemical energy is converted into heat and light energy.

### Answer to the a. NU-3

approaches zero, the distance traveled also approaches zero, then the limit of the notion of distance at a time is hon-zero, and is called Instantaneous speed we can also say that any given time is the Instantaneous speed at any given time is the magnitude of instantaneous velocity at a time

Spood (;) = ds/dt [ds = distance de interval]

unif: ms1

quantity: Scalar