

# Math 211

## Quiz 15

F 26 Jul 2019

Your name : \_\_\_\_\_

## Exercise

(5 pt) Solve the initial value problem given by the homogeneous 2nd-order ODE

$$y'' + 6y' + 8y = 0 \tag{1}$$

and the initial conditions

$$y(0) = 3, \qquad y'(0) = -10.$$

Your final answer should be an explicit equation for  $y(t)$ .<sup>1</sup>

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<sup>1</sup>*Hint:* We have two approaches to find the general solution  $y(t)$  to (1): (1) translate the given higher-order linear ODE into the corresponding 1st-order linear system (what do the initial conditions become in this case?), and (2) jump directly to the characteristic equation. The general solution involves two parameters, call them  $c_1, c_2$ . Compute  $y(t)$ , take its derivative to get  $y'(t)$  (which will also involve  $c_1, c_2$ ), then apply the initial conditions to get a system of two linear equations in the two unknowns  $c_1, c_2$ . Now solve this system, e.g., using our techniques from linear algebra.