

## 2D-Matrix

**Q. 1 Given a 2-D array of size N \* M. Print values row by row.**

```
void PrintMatrix(vector<vector<int>> matrix){
    for(int row = 0; row < matrix.size(); row++){
        for(int col = 0; col < matrix[row].size(); col++){
            cout<<matrix[row][col]<<" ";
        }
        cout<<endl;
    }
}
```

Time Complexity  $O(N*M)$

**Q. 2 Given a 2-D array of size N \* M. Print sum of rows.**

```
void PrintMatrixRowSum(vector<vector<int>> matrix){
    for(int row = 0; row < matrix.size(); row++){
        int row_sum = 0;
        for(int col = 0; col < matrix[row].size(); col++){
            row_sum += matrix[row][col];
        }
        cout<<"Sum of row "<<row<<" :: "<<row_sum<<endl;
    }
}
```

Time Complexity  $O(N*M)$

**Q. 3 Given a 2-D array of size N \* M. Print sum of columns.**

```
void PrintMatrixColumnSum(vector<vector<int>> matrix){
    int N = matrix.size();
    int M = matrix[0].size();
    for(int col = 0; col < M; col++){
        int col_sum = 0;
        for(int row = 0; row < N; row++){
            col_sum += matrix[row][col];
        }
        cout<<"Sum of columns "<<col<<" :: "<<col_sum<<endl;
    }
}
```

Time Complexity  $O(N*M)$

**Q. 4 Given two 2-D matrices. Return the sum.**

```
vector<vector<int>> AddMatrices(vector<vector<int>> matrix1, vector<vector<int>> matrix2){
    vector<vector<int>> resultant;
    int matrix1_row_size = matrix1.size();
    int matrix1_col_size = matrix1[0].size();
```

```

int matrix2_row_size = matrix2.size();
int matrix2_col_size = matrix2[0].size();

if(matrix1_row_size == matrix2_row_size && matrix1_col_size == matrix2_col_size){
    for(int row = 0; row < matrix1.size(); row++){
        vector<int> v;
        for(int col = 0; col < matrix1[0].size(); col++){
            v.push_back(matrix1[row][col] + matrix2[row][col]);
        }
        resultant.push_back(v);
    }
}
return resultant;
}

```

Time Complexity  $O(N*M)$  Space Complexity  $O(N*M)$

**Q. 5 Given a square matrix. Print the diagonal elements (Left to Right).**

```

void PrintDiagonalElementsLR(vector<vector<int>> matrix){
    for(int row = 0; row < matrix[0].size(); row++){
        cout<<matrix[row][row]<<" ";
    }
}

```

Time Complexity  $O(N)$

**Q. 6 Given a square matrix. Print the diagonal elements (Right to Left).**

```

void PrintDiagonalElementsRL(vector<vector<int>> matrix){
    int row = 0;
    int col = matrix[0].size() - 1;
    while(row < matrix[0].size() && col >= 0){
        cout<<matrix[row][col]<<" ";
        row++;
        col--;
    }
    //or with for loop
    for(int row = 0; row < matrix[0].size(); row++){
        cout<<matrix[row][col--]<<" ";
    }
}

```

Time Complexity  $O(N)$

**Q. 7 Given a 2-D matrix of  $N*M$ . Print all the diagonal elements (Left to Right).**

```

void PrintDiagonals(vector<vector<int>> matrix, int row, int col, int N){
    int j = col;
    int i = row;
    while (i < N && j >= 0){

```

```

        cout<<matrix[i++][j--]<<" ";
    }
}

void PrintAllDiagonals(vector<vector<int>> matrix){
    //for first row
    for(int col = 0; col < matrix[0].size(); col++){
        PrintDiagonals(matrix, 0, col, matrix.size());
    }
    //for first col
    for(int row = 0; row < matrix[0].size(); row++){
        PrintDiagonals(matrix, row, matrix[0].size() - 1, matrix.size());
    }
}
Time Complexity O(N*M)

```

**Q. 8 Given a square matrix. Convert into transpose(upper triangle) matrix without using extra space.**

```

void TransposeMatrix(vector<vector<int>>& matrix){
    for(int row = 0; row < matrix.size(); row++){
        for(int col = row + 1; col < matrix[row].size(); col++){
            int temp = matrix[col][row];
            matrix[col][row] = matrix[row][col];
            matrix[row][col] = temp;
        }
    }
}
OR
vector<vector<int>> TransposeMatrix(vector<vector<int>>& matrix){
    int rows = A.size();
    if(rows == 0) return {};
    int cols = A[0].size();
    vector<vector<int>> out(cols, vector<int>(rows));
    for(int row = 0; row < rows; row++){
        for(int col = 0; col < cols; col++){
            out[col][row] = matrix[row][col];
        }
    }
    return out;
}

```

Time Complexity O(N\*N)

**Q. 9 Given a square matrix. Convert into transpose(lower triangle) matrix without using extra space.**

```

void TransposeMatrix(vector<vector<int>>& matrix){

```

```

        for(int col = 0; col < matrix[0].size(); col++){
            for(int row = col + 1; row < matrix.size(); row++){
                int temp = matrix[col][row];
                matrix[col][row] = matrix[row][col];
                matrix[row][col] = temp;
            }
        }
    }
}

```

Time Complexity  $O(N*N)$

**Q. 10 Given a square matrix. Rotate it by 90 degree in clockwise direction.**

```

void ReverseRows(vector<int>& row){
    int s = 0;
    int e = row.size() - 1;
    while(s < e){
        int t = row[s];
        row[s] = row[e];
        row[e] = t;
        s++;
        e--;
    }
}

void RotateMatrix(vector<vector<int>>& matrix){
    //1. Transpose given matrix
    //2. Reverse matrix rows
    TransposeMatrix(matrix);
    for(int i = 0; i < matrix.size(); i++){
        ReverseRows(matrix[i]);
    }
}

```

Time Complexity  $O(N*N)$

**Q. 11 Given a 2-D matrix. Print boundaries of matrix.**

```

void PrintMatrixBoundary(vector<vector<int>> matrix){
    //Print upper row
    for(int i = 0; i < matrix[0].size(); i++){
        cout<<matrix[0][i]<<" ";
    }
    cout<<endl;
    //Print right most column
    int col = matrix[0].size() - 1;
    for(int i = 1; i < matrix.size(); i++){
        cout<<matrix[i][col]<<" ";
    }
    cout<<endl;
    //Print bottom row

```

```

int row = matrix.size() - 1;
col = matrix[0].size() - 1;
for(int i = col - 1; i >= 0; i--){
    cout<<matrix[row][i]<<" ";
}
cout<<endl;
//Print left lost column
row = matrix.size() - 1;
for(int i = row - 1; i > 0; i--){
    cout<<matrix[i][0]<<" ";
}
}

```

### Q. 12 Print matrix in spiral order.

```

vector<int> PrintSpiral(vector<vector<int>> matrix){
    vector<int> out;
    for(int left = 0, right = matrix[0].size() - 1, int top = 0, int bottom = matrix.size() - 1;
        left <= right && top <= bottom;
        ++left, --right, ++top, --bottom){
        for(int j = left; j <= right; ++j){
            out.push_back(matrix[top][j]);
        }

        for(int i = top + 1; i < bottom; ++i){
            out.push_back(matrix[i][right]);
        }

        for(int j = right; top < bottom && j >= left; --j){
            out.push_back(matrix[bottom][j]);
        }

        for(int i = bottom - 1; left < right && i > top; --i){
            out.push_back(matrix[i][left]);
        }
    }
    return out;
}

```

### Q. 13 Matrix multiplication

1. take the row of mat1 and take the column of mat
2. do  $A[i][j] * B[i][j] + A[i][j+1] * B[i+1][j] \dots + A[i][N-1] * B[N-1][j]$

```

vector<vector<int>> MultiplyMatrix(vector<vector<int>> A, vector<vector<int>> B){
    vector<vector<int>> resultant;
    int A_Col = A[0].size();
    int B_Row = B.size();
    if(A_Col == B_Row){

```

```

        for(int i = 0; i < A.size(); i++){
            vector<int> v;
            for(int j = 0; j < A[i].size(); j++){
                int sum = 0;
                for(int k = 0; k < B[0].size(); k++){
                    sum += A[i][k] * B[k][j];
                }
                v.push_back(sum);
            }
            resultant.push_back(v);
        }
    }
    return resultant;
}

```

**Q. 14 Anti Diagonals.** Given a N\*N matrixA, return an array of its anti-diagonals. Look at example for more details:

Input 1

1 2 3

4 5 6

7 8 9

output 1

1 0 0

2 4 0

3 5 7

6 8 0

9 0 0

```

vector<vector<int>> AntiDiagonal(vector<vector<int>>& A){
    vector<vector<int>> out;
    //for first row
    for(int col = 0; col < A[0].size(); col++){
        int i = 0;
        int j = col;
        vector<int> v(A[0].size(), 0);
        while(i < A.size() && j >= 0){
            v[i] = A[i][j];
            i++;
            j--;
        }
        out.push_back(v);
    }
    //for first col
    for(int row = 1; row < A.size(); row++){
        int i = row;
        int j = A[0].size() - 1;
        vector<int> v(A[0].size(), 0);
        int k = 0;
        while(i < A[0].size() && j >= 0){

```

```
        v[k] = A[i][j];
        i++;
        j--;
        k++;
    }
    out.push_back(v);
}
return out;
}
```