

Sum 1:

Kristen and Anna live in the beach town of Santa Monica. They own a small business in which they make wristbands and pot holders and sell them to people on the beach. As shown in the table on the following page, Kristen can make 15 wristbands per hour but only 3 pot holders. Anna is a bit slower and can make only 12 wristbands or 2 pot holders in an hour.

	OUTPUT PER HOUR	
	WRISTBANDS	POT HOLDERS
Kristen	15	3
Anna	12	2

- a. For Kristen and for Anna, what is the opportunity cost of a pot holder? Who has a comparative advantage in the production of pot holders? Explain your answer.
- b. Who has a comparative advantage in the production of wristbands? Explain your answer.
- c. Assume that Kristen works 20 hours per week in the business. Assuming Kristen is in business on her own, graph the possible combinations of pot holders and wristbands that she could produce in a week. Do the same for Anna.
- d. If Kristen devoted half of her time (10 out of 20 hours) to wristbands and half of her time to pot holders, how many of each would she produce in a week? If Anna did the same, how many of each would she produce? How many wristbands and pot holders would be produced in total?
- e. Suppose that Anna spent all 20 hours of her time on wristbands and Kristen spent 17 hours on pot holders and 3 hours on wristbands. How many of each item would be produced?
- f. Suppose that Kristen and Anna can sell all their wristbands for \$1 each and all their pot holders for \$5.50 each. If each of them worked 20 hours per week, how should they split their time between wristbands and pot holders? What is their maximum joint revenue?

Sum 2:

The countries of Figistan and Blah are small island countries in the South Pacific. Both produce fruit and timber. Each island has a labor force of 1,200. The following table gives production per month for each worker in each country.

	BASKETS OF FRUIT	BOARD FEET OF TIMBER
Figistan workers	10	5
Blah workers	30	10

Productivity of one worker for one month

- a. Which country has an absolute advantage in the production of fruit? Which country has an absolute advantage in the production of timber?
- b. Which country has a comparative advantage in the production of fruit? of timber?
- c. Sketch the ppf's for both countries.
- d. Assuming no trading between the two, if both countries wanted to have equal numbers of feet of timber and baskets of fruit, how would they allocate workers to the two sectors?
- e. Show that specialization and trade can move both countries beyond their ppf's.



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SUPPLEMENTARY ANSWER BOOK

ID No. _____

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Start Writing from here :-

a) and b)

Output per hour

Wristbands

Potholder

Kristen

15

3

Anna

12

2

Opportunity cost for Kristen (opportunity cost for wristband)

$$\text{OPC} = \frac{3}{15} = 0.2$$

Opportunity cost for potholder.

$$1 \rightarrow \frac{15}{3} = 5$$

Comparative advantage

[Kristen has opportunity cost in making potholders and Anna in wristband]

Opportunity cost for Anna (opportunity cost for wristband)

$$12 \rightarrow 2$$

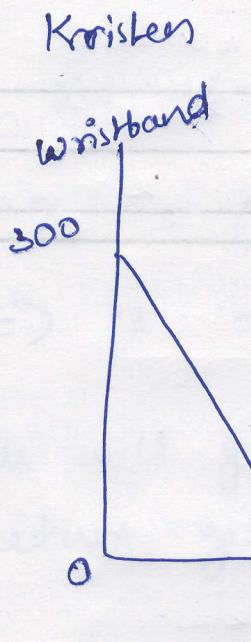
$$1 \rightarrow \frac{2}{12} = 0.166$$

for potholder

$$2 \rightarrow 12$$

$$1 \rightarrow \frac{12}{2} = 6$$

c) Kristen works 20 hours per week



1 hour → 15 wristbands.

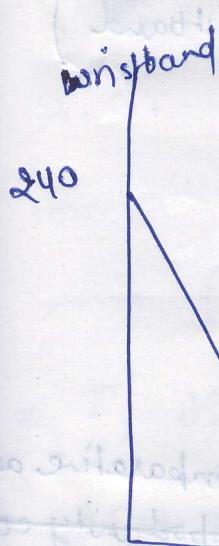
$$20 \text{ hours} \rightarrow 15 \times 20 = 300$$

and

1 hour → 3 potholders.

$$20 \text{ hours} \rightarrow 20 \times 3 = 60 \text{ potholders}$$

for Anna



1 hour → 12 wristbands.

$$20 \text{ hours} \rightarrow 12 \times 20 = 240$$

1 hour → 2 potholders.

$$20 \text{ hours} \rightarrow 20 \times 2 = 40$$

$\frac{1}{12} = \frac{2}{21}$

$2 = \frac{21}{12}$

$$221 = \frac{6}{7} + 1$$

$$\text{induction: } F = 4286 + 9214 = 13500 \quad \& \quad 1 = 12 \dots 00$$

d),

Kristen

| Holes → 15 WB

Hom → 3 PH

10 Hour → 150 WB

10 hours → 30 pH

Anna

1 Hour → 12 WB

1 Hour \rightarrow 2 PH.

10 hours → 120 WB

10 Hour → 20 PH

1 @ step at 1, and 1

for each ω_2 , ω_1 are selected as shown

Total: 3150 + 20 ~~disallow~~ 30 + 20.

100 TBS

e) Anna

240. wristband

Kriten

1 Hour ~~✓~~ 3 PH

$$17 \text{ hours} \quad 17 \times 3 = 51 \text{ P.H.}$$

Hours 15 WB

45 WB

Wristband = 240

Potholder \$1 -

+45WB .

= 285 WB and .51 PH.

f. Kristern — Pot holders

If she produces one Pot holders, she gets \$ 5.5
But when she produces one pot holder, she does not produce 5 wrist bands, which costs $5 \times 1 = \$5$

Since $\$5.5 > \5 , all time to pot holders by Kristern

Anna — Wrist band

If she produces one wrist band, she gets \$ 1.

But when she produces one WB, she does not produce 0.17 PH, which costs $0.17 \times 5.5 = \$0.935$

Since $\$1 > \0.935 , all time for wrist bands by Anna

$$\therefore \text{Total revenue} : (60 \times 5.5) + (240 \times 1)$$

$$= 330 + 240 = \$570$$

PH 21 WOHOI

WB 28 WOHOI

PH 12 EXFOI WOHOI

\$12 WOHOI

OP% = broadened

WB 24

PH 12 b6d6 28%

2) One worker for one month

	Fruit	Timber	
Rigi	10	5	TT & F
Blah	30	10	TT & F

a) Absolute advantage — both with Blah
(as $30 > 10$ & $10 > 5$)

b) Fruit : Figi : $10 \text{ F} \equiv 5 \text{ T}$

$1 \text{ F} \equiv \frac{5}{10} = 0.5 \text{ T}$

Blah : $30 \text{ F} \equiv 10 \text{ T}$

$1 \text{ F} \equiv \frac{10}{30} = 0.33 \text{ T}$

∴ Blah has comparative advantage in production of fruit

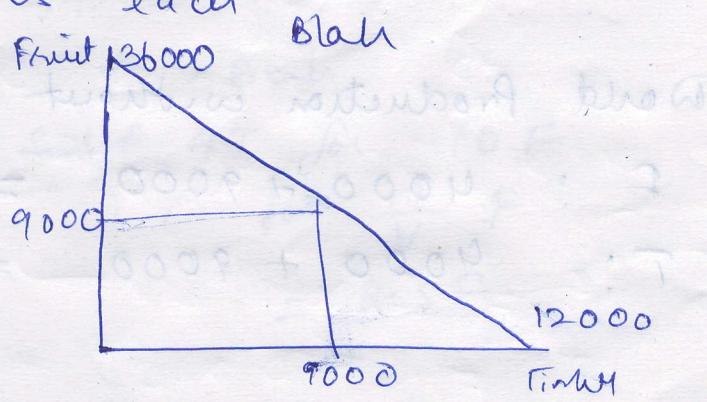
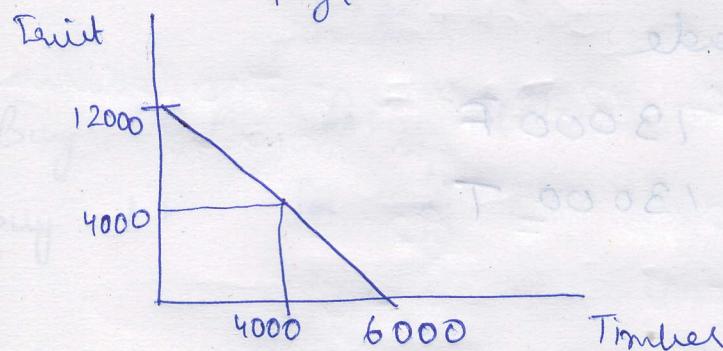
Timber : $\left\{ \begin{array}{l} 5 \text{ T} \equiv 10 \text{ F} \\ 1 \text{ T} \equiv \frac{10}{5} = 2 \text{ F} \end{array} \right.$

Blah : $10 \text{ T} \equiv 30 \text{ F}$

$1 \text{ T} \equiv \frac{30}{10} = 3 \text{ F} = \frac{10}{3} \text{ T}$

∴ Figi has comparative advantage in production of timber

c) Resource : 1200 workers each



d) Both countries want to produce equal number of F & T.

Fig: Fruit : Timber

$$10 : 5$$

$$2 : 1$$

$$\therefore \text{Labour} : 1 : 2$$

$$\therefore \frac{1200}{3} = 400 \therefore 400 \text{ Labour for Fruit}$$

$$800 \text{ Labour for Timber}$$

$$\therefore 400 \times 10 = 4000 F$$

$$800 \times 5 = 4000 T$$

Black: Fruit : Timber

$$30 : 10$$

$$3 : 1$$

$$\therefore \text{Labour} : 1 : 3$$

$$\therefore \frac{1200}{4} = 300 \therefore 300 \text{ Labour for Fruit}$$

$$900 \text{ Labour for Timber}$$

$$\therefore 300 \times 30 = 9000 F$$

$$9000 \times 10 = 9000 T$$

World Production without Trade

$$F : 4000 + 9000 = 13000 F$$

$$T : 4000 + 9000 = 13000 T$$

2) Comparative advantage : Blah \rightarrow F
Fiji \rightarrow T.

If both specialize :

$$\text{Blah} \longleftrightarrow 36000 F \text{ & } 0 T$$

$$\text{Fiji} \longleftrightarrow 0 F \text{ & } 6000 T$$

Total production of F increased as $36000 > 13000$

But for T, it decreases as $6000 < 13000$

Blah should produce some timber as well.

So, let's start with Fiji who produces only 6000 T & Fiji will buy fruit

What Fiji is willing to pay for 10 F at max?

What is the minimum that Blah is ready to accept for $\frac{10}{3}$ T?

So terms of trade should be anything between

$$\frac{10}{3} T \quad \underline{\hspace{2cm}} \quad 5 T$$

We take $\frac{1}{2} T$ as $4 T$

Fiji

Buy 10 F for $4 T$

Buy 1 F for $\frac{4}{10} T = \frac{2}{5} T$

Blah

~~Set~~ $\frac{1}{2} T$ for 10 F
 $1 T$ for $\frac{10}{4} F$

$$PISD = VIF + (Cox ODF) = T$$

$$0028T = T \quad 00281 = PISD + DSD = T$$

Assume after trade, Figi & Blah ~~they can combine~~
 consume equal quantities of F & T

Let : equilibrium level of \bar{x}

Figi : Let us take $F = T = \bar{x}$

$$T \cdot 1000\bar{x} = (6000 - \bar{x}) \times 2.5$$

$$\Rightarrow \bar{x} = 4285.7 \approx 4286$$

Blah will give 4286 F to Figi and in return get $6000 - 4286 = 1714$ T from Figi

Now Blah produces both F & T

Let Blah put y labours to F production

Exerts $1200 - y$ labours to T

$$F \rightarrow 30y = 4286$$

$$T \rightarrow (1200 - y)10 + 1714$$

If $F = T$, then

$$30y = 10(1200 - y) + 1714$$

$$\Rightarrow 40y = 18000$$

$$\Rightarrow y = 450$$

$\therefore 450$ labours to F & $1200 - 450 = 750$ labours for T

$$\therefore F = (30 \times 450) - 4286 = 9214$$

$$T = (750 \times 10) + 1714 = 9214$$

World production: $F = 4286 + 9214 = 13500$ & $T = 13500$