

5 (a) (i) State the conditions required for the formation of a stationary wave.

.....  
.....  
..... [2]

(ii) State the phase difference between any two vibrating particles in a stationary wave between two adjacent nodes.

phase difference = .....° [1]

(b) A motorcycle is travelling at  $13.0 \text{ m s}^{-1}$  along a straight road. The rider of the motorcycle sees a pedestrian standing in the road directly ahead and operates a horn to emit a warning sound. The pedestrian hears the warning sound from the horn at a frequency of  $543 \text{ Hz}$ . The speed of the sound in the air is  $334 \text{ m s}^{-1}$ .

(i) Calculate the frequency, to three significant figures, of the sound emitted by the horn.

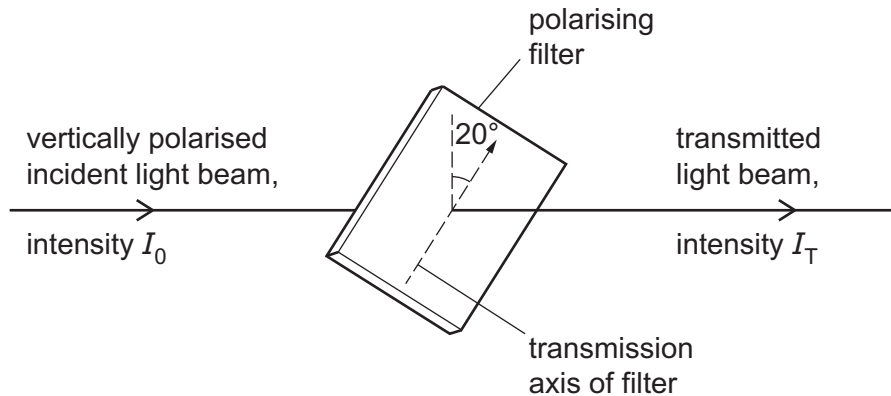
frequency = ..... Hz [2]

(ii) The motorcycle rider passes the stationary pedestrian and then moves directly away from her. As the rider moves away, he operates the horn for a second time. The pedestrian now hears sound that is increasing in frequency.

State the variation, if any, in the speed of the motorcycle when the rider operates the horn for the second time.

..... [1]

- (c) A beam of vertically polarised monochromatic light is incident normally on a polarising filter, as shown in Fig. 5.1.



**Fig. 5.1**

The filter is positioned with its transmission axis at an angle of  $20^\circ$  to the vertical. The incident light has intensity  $I_0$  and the transmitted light has intensity  $I_T$ .

- (i) By considering the ratio  $\frac{I_T}{I_0}$ , calculate the ratio

$$\frac{\text{amplitude of transmitted light}}{\text{amplitude of incident light}}.$$

Show your working.

ratio = ..... [3]

- (ii) The filter is now rotated, about the direction of the light beam, from its starting position shown in Fig. 5.1. The direction of rotation is such that the angle of the transmission axis to the vertical initially increases.

Calculate the minimum angle through which the filter must be rotated so that the intensity of the transmitted light returns to the value that it had when the filter was at its starting position.

angle = .....  $^\circ$  [1]