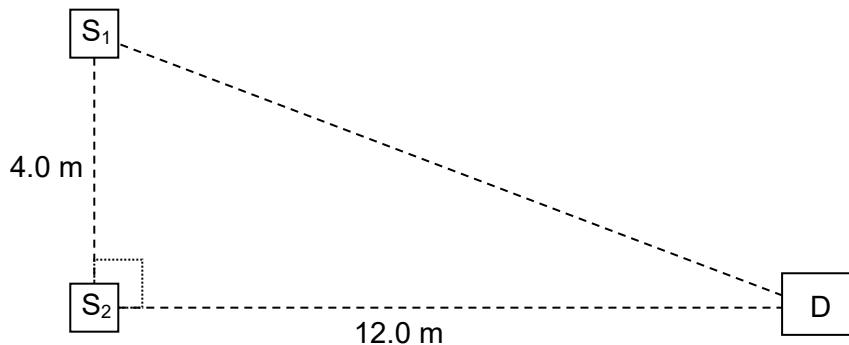


- 3 Fig. 3.1 shows two coherent loudspeakers  $S_1$  and  $S_2$  placed 4.0 m apart in an open field. D is a detector placed in the same horizontal plane as the loudspeakers. D is placed 12.0 m away from  $S_2$ .

When the loudspeakers are switched on, sound of frequency 1780 Hz is emitted from the two loudspeakers in **antiphase**. The lines  $S_1S_2$  and  $S_2D$  are perpendicular to each other.



**Fig. 3.1**

- (a) Given that the speed of sound in air is  $330 \text{ m s}^{-1}$ , calculate the wavelength  $\lambda$  of the sound emitted from  $S_1$  and  $S_2$ .

$$\lambda = \dots \text{ m} \quad [1]$$

- (b) Calculate the path difference, in terms of  $\lambda$ , between the sound waves reaching D from  $S_1$  and  $S_2$ .

You may assume that the two loudspeakers and the detector are point objects.

$$\text{path difference} = \dots \lambda \quad [2]$$

- (c) By considering the phase difference between the sound waves reaching D from  $S_1$  and  $S_2$ , explain whether D would detect a minimum or maximum intensity.

.....  
.....  
.....  
.....

[2]

- (d) As the frequency of the sound from  $S_1$  and  $S_2$  is gradually increased from 1780 Hz to a value  $f_1$ , the resultant intensity at D goes through a series of maxima and minima. It eventually detects 2 complete cycles of change in sound intensity.

Calculate the frequency  $f_1$  at which the second complete cycle of change in sound intensity is detected.

$$f_1 = \dots \text{ Hz} \quad [3]$$