

- 6 (a) (i) State the assumption of the kinetic theory of gases that explain why gas molecules could stay above ground.

..... [1]

- (ii) The pressure  $P$  exerted by an ideal gas is given by the expression

$$P = \frac{1}{3} \rho \langle c^2 \rangle$$

where  $\rho$  is the density of the gas and  $\langle c^2 \rangle$  the mean square speed of the gas.

Starting with one gas molecule of mass,  $m$ , moving with speed  $c_x$  in the x-direction in a cubic container with length  $L$ , show how the above expression can be derived. Define any symbols used.

[5]

- (b) (i) Explain what is meant by *specific latent heat of vaporisation*.

..... [1]

- (ii) A sample of ethanol of mass 0.35 kg is vaporised at its boiling point of 78 °C, under an atmospheric pressure of  $1.0 \times 10^5$  Pa.

$$\text{Specific latent heat of vaporization} = 0.95 \times 10^6 \text{ J kg}^{-1}$$

$$\text{Density in liquid state} = 790 \text{ kg m}^{-3}$$

$$\text{Density in gaseous state} = 1.6 \text{ kg m}^{-3}$$

1. Calculate the work done *by* the gas.

$$\text{work done } \textit{by} \text{ gas} = \dots \text{ J} [2]$$

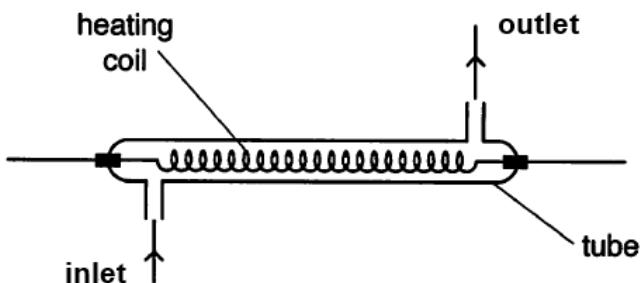
2. Calculate the heat supplied into the system.

$$\text{heat supplied into system} = \dots \text{ J} [1]$$

3. Hence, calculate the increase in internal energy of the system.

$$\text{increase in internal energy} = \dots \text{ J} [2]$$

- (c) A student determines the specific heat capacity of a liquid using the apparatus shown in Fig. 6.1 below.



**Fig. 6.1**

The liquid flows through the tube at  $0.15 \text{ kg min}^{-1}$ , while the heater provides power at 25 W. The temperatures of the liquid at the inlet and outlet are  $15^\circ\text{C}$  and  $19^\circ\text{C}$  respectively. With the inlet and outlet temperatures unchanged, the flow rate increased to  $0.23 \text{ kg min}^{-1}$  and the power of the heater increased to 37 W.

- (i) Determine the rate of heat loss of the liquid.

$$\text{rate of heat loss} = \dots \text{W} [2]$$

- (ii) Explain why it is necessary for the inlet and outlet temperatures to remain unchanged.

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..... [1]

- (d) The Otto Thermodynamic Cycle shows the pressure-volume ( $p$ - $V$ ) processes of internal combustion engines such as those used in airplane and car engines.

The cycle uses the following processes

- A → B** **Intake stroke**, gas is drawn into the cylinder at constant pressure.
  - B → C** **Compression stroke**, *adiabatic* compression of air in the cylinder back to the original volume with no fuel added.
  - C → D** **Rapid Combustion** at constant volume where pressure and temperature increase.
  - D → E** **Expansion (Power) stroke**, *adiabatic* expansion as the pressure decreases.
  - E → B** **Heat Rejection**, the ejection of spent, hot gases. The net volume change in this process is zero as the pressure adjusts back to the initial pressure.
  - B → A** **Exhaust stroke**, as the piston moves back into the cylinder, the volume of gas decreases at constant pressure back to the initial stage.
- (i) On the  $p$ - $V$  axes below, complete the graph that represents the full Ideal Otto Cycle showing the processes **B** → **C** → **D** → **E** → **B** with the stages **C**, **D** and **E** clearly labelled. [3]

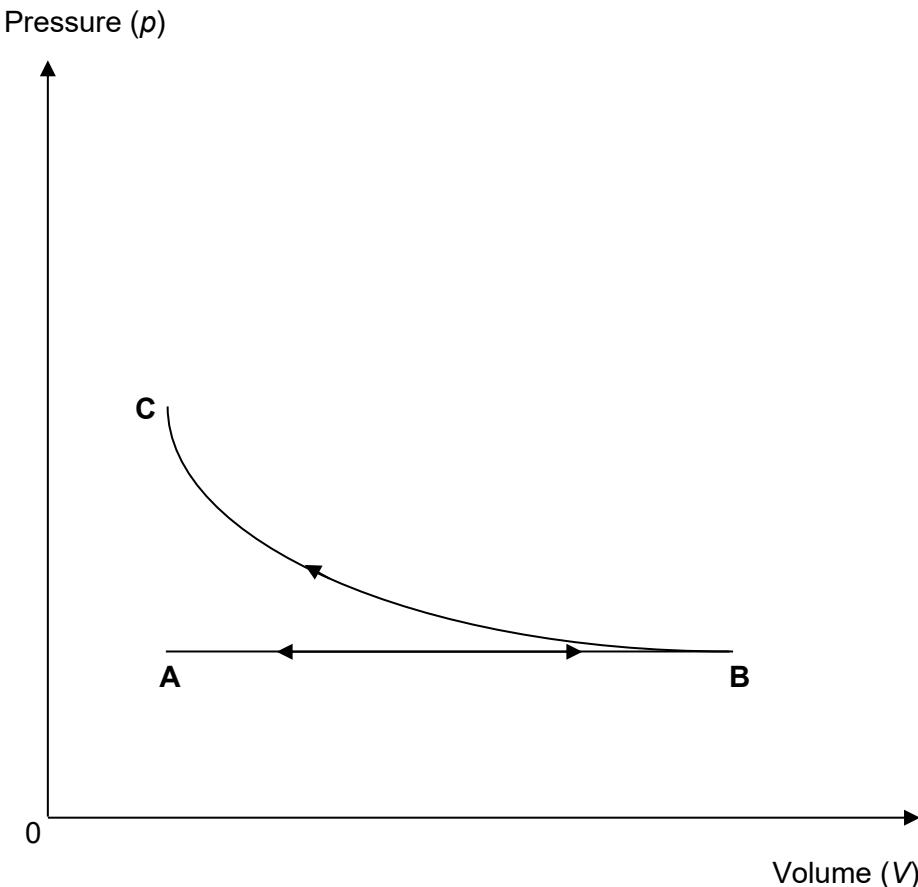


Fig. 6.2

- (ii) Using a feature of the  $p$ - $V$  diagram, describe how the power produced by the engine can be determined.

..... [1]

- (iii) In reality, the *ideal* cycle does not occur due to energy losses within each process. Describe how the practical  $p$ - $V$  diagram would differ from an ideal one.

..... [1]