

- 2 (a) A student clamps one end of a flexible plastic ruler against the laboratory bench and sets it into simple harmonic oscillation. The end of the ruler moves a distance of 8.0 cm as shown in Fig. 2.1 and makes 28 complete oscillations in 10 s.



Fig. 2.1

- (i) Calculate the angular frequency ω of the oscillations of the ruler.

$$\text{angular frequency} = \dots \text{rad s}^{-1} [1]$$

- (ii) Sketch a graph of velocity v against displacement x for the motion at the tip of the ruler on Fig. 2.2.

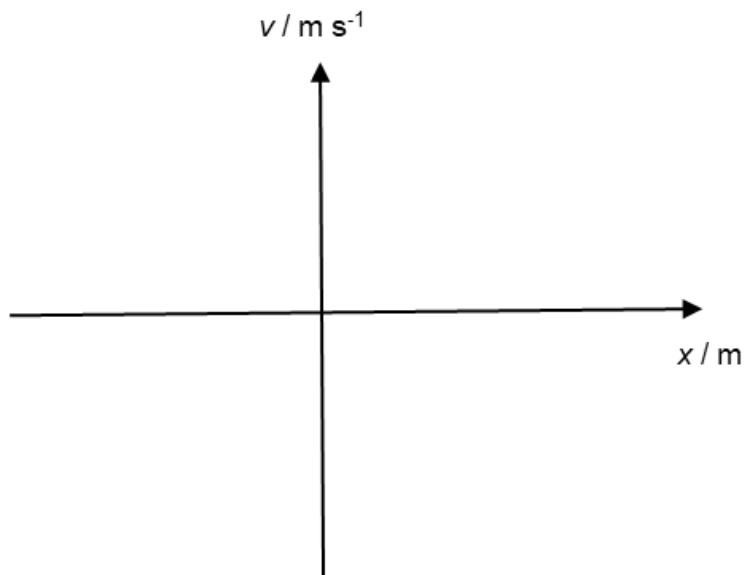


Fig. 2.2

[2]

- (iii) Fig. 2.3 shows the variation with time t of the displacement x for the oscillations.

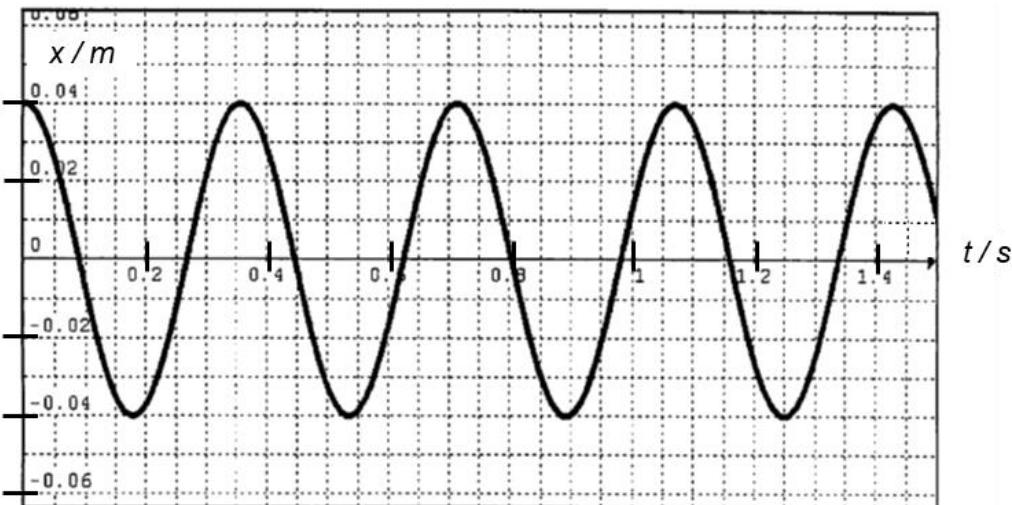


Fig. 2.3

Write down the equation for the displacement x in terms of the time t for these oscillations.

..... [2]

- (iv) The end of the ruler is attached with a piece of card of large surface area and the experiment is then repeated. Sketch a graph on Fig. 2.3 to show the effect of this change on the variation with t of the displacement of the ruler. [2]
- (b) When a mass m attached to a spring of force constant k is set into oscillation, the period T of oscillations of the mass is given by

$$T = 2\pi \sqrt{\frac{m}{k}}$$

A mass of 0.20 kg is connected to a light, horizontal spring of force constant 6.0 N m^{-1} . The mass, which is free to oscillate on a frictionless surface, is then displaced 5.0 cm from its equilibrium position and released from rest as shown in Fig. 2.4.

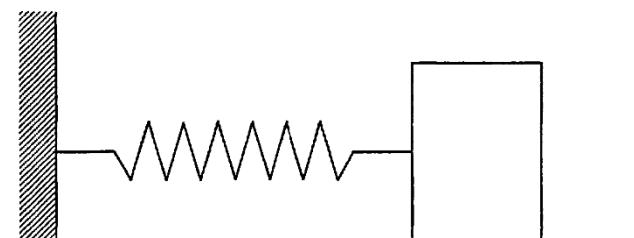


Fig. 2.4

- (i) Calculate the period of oscillation of the mass.

period = s [1]

- (ii) Calculate the maximum speed of the mass.

maximum speed = m s⁻¹ [2]

- (iii) Determine the total energy of this spring-mass system.

total energy = J [2]

[Total: 12]