

- 2 In the circus, there is an act called the Wheel of Steel. The apparatus consists of two rigid steel circular cages welded to a long steel truss. Two acrobats perform on this apparatus while it is rotating about its centre. The circular cages are 2.0 m in diameter and the truss is 4.0 m long. The acrobats are both 1.8 m tall and have a mass of 80 kg each. We assume that the centre of mass of each of the acrobats is 0.90 m from the bottom of their feet.

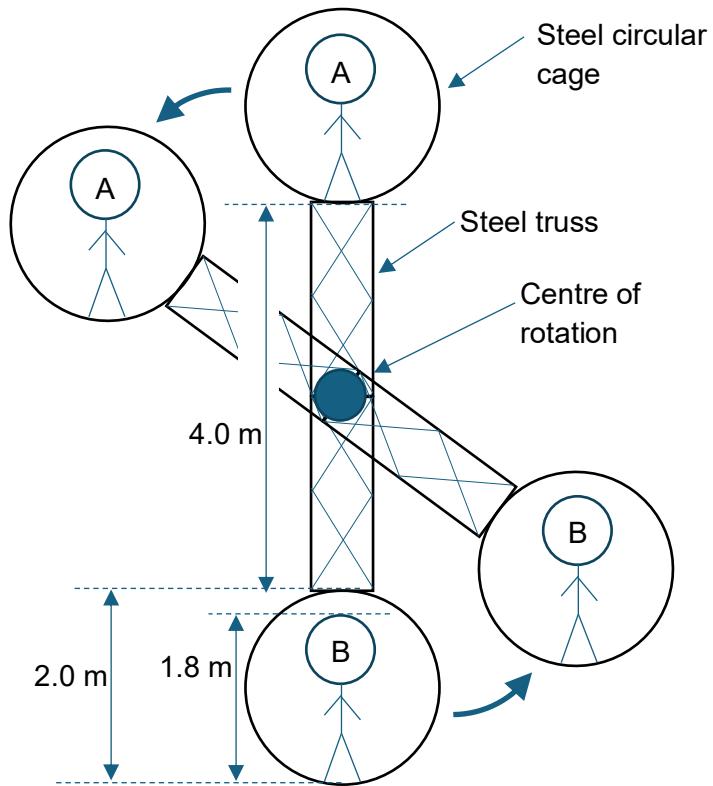


Fig. 2.1

- (a) In the preparation phase, both acrobats A and B stay within the wheel, while the apparatus rotates at an increasing rate. At one point in the performance, the apparatus rotates with an angular velocity of 1.29 rad s^{-1} when acrobat B is at the bottom position. Calculate the tangential velocity of B at this instant.

$$\text{Tangential velocity of B} = \dots \text{m s}^{-1} [2]$$

(b)

- (i) In the first trick, the apparatus rotates fast enough until the acrobat A just loses contact with the floor of the cage and seems to be momentarily "weightless" with respect to the cage. (see Fig. 2.2)

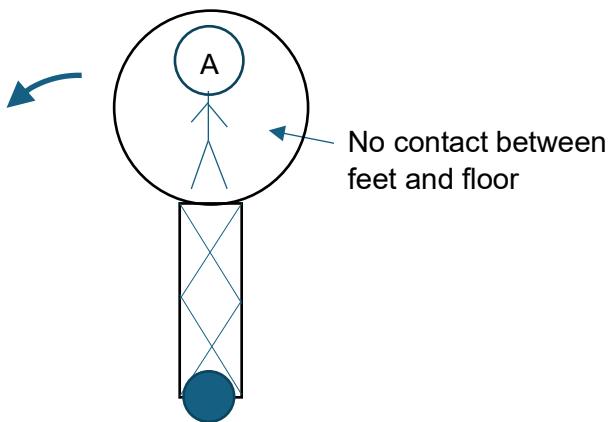


Fig. 2.2

Calculate the velocity of acrobat A when this happens.

$$\text{Velocity of A} = \dots \text{m s}^{-1} [3]$$

- (ii) Calculate the velocity of acrobat B when acrobat A just loses contact with the cage.

Velocity of B = m s^{-1} [1]

- (c) In the second trick, the apparatus is spun so fast that acrobat A can stand upside down and be in contact with the top part of the cage. (see Fig. 2.3)

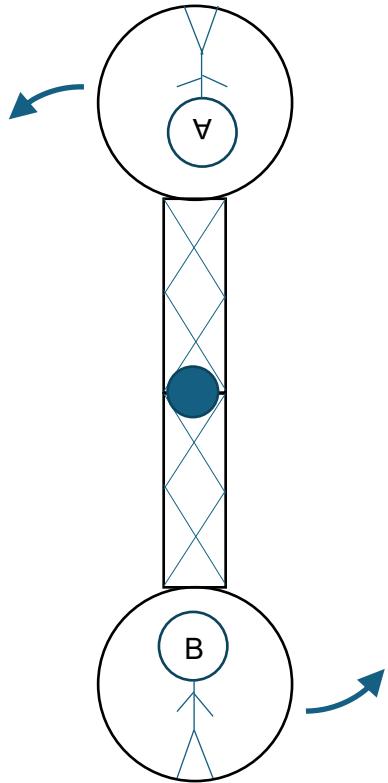


Fig. 2.3

Calculate the minimum velocity of acrobat A to accomplish this.

Minimum velocity required = m s^{-1} [2]

- (d) Fig. 2.4 shows the apparatus in a horizontal position during its rotation. The apparatus is rotating at a constant angular velocity.

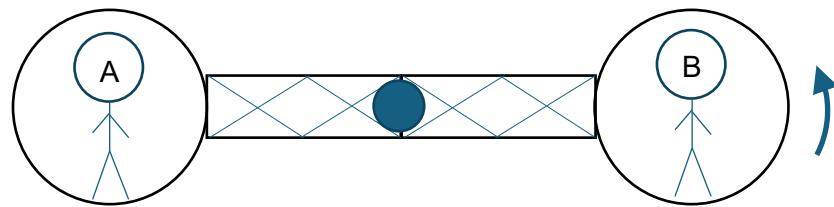


Fig. 2.4

In the space below, sketch and label the forces acting on acrobat A.

[2]

[Total: 10]

