

Experiment : 01

- Aim:- Python Implementation of automatic Tic Tac Toe game using random number.

- Libraries used:- Numpy, Random

- Theory:-

- Algorithm:-

1. Create a board using 2-dimensional arrays and initialize each element as empty.
↳ Creates a 9x9 board and initializes with 0.
2. For each player (1 or 2) calls the random place function to randomly choose a location on board and marks that location with the player number, alternatively.
3. Print the board after each move.
4. Evaluate the board after each move to check whether a row or column or diagonal has the same player number (i.e. X or O).
If so, display the winner name. If after 9 moves, there are no players then display -1.

- * Functions:-

- 1) shows the board multiple times while they are playing.
- 2) start game:
↳ shows the user to select the spot for next move.
↳ Asks the user to input the move.

```

# Tic-Tac-Toe Program using
# random number in Python

# importing all necessary libraries
import numpy as np
import random
from time import sleep

# Creates an empty board
def create_board():
    return (np.array([[0, 0, 0],
                      [0, 0, 0],
                      [0, 0, 0]]))

# Check for empty places on board
def possibilities(board):
    l = []

    for i in range(len(board)):
        for j in range(len(board)):

            if board[i][j] == 0:
                l.append((i, j))

    return l

# Select a random place for the player
def random_place(board, player):
    selection = possibilities(board)
    current_loc = random.choice(selection)
    board[current_loc] = player
    return board

# Checks whether the player has three
# of their marks in a horizontal row
def row_win(board, player):
    global win
    for x in range(len(board)):
        win = True

        for y in range(len(board)):
            if board[x, y] != player:
                win = False
                continue

        if win:
            return win
    return win

# Checks whether the player has three
# of their marks in a vertical row
def col_win(board, player):
    for x in range(len(board)):
        win = True

        for y in range(len(board)):
            if board[y][x] != player:
                win = False
                continue

        if win:
            return win

```


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```
return win

# Checks whether the player has three
# of their marks in a diagonal row
def diag_win(board, player):
    win = True
    n = 0
    for x in range(len(board)):
        if board[x, x] != player:
            win = False
    if win:
        return win
    win = True
    if win:
        for x in range(len(board)):
            y = len(board) - 1 - x
            if board[x, y] != player:
                win = False
    return win

# Checks whether there is
# a winner or a tie
def evaluate(board):
    winner = 0

    for player in [1, 2]:
        if (row_win(board, player) or
            col_win(board, player) or
            diag_win(board, player)):
            winner = player

    if np.all(board != 0) and winner == 0:
        winner = "Nobody wins!"
    return winner

# A function to start the game
def play_game():
    board, winner, counter = create_board(), 0, 1
    print(board)
    sleep(2)

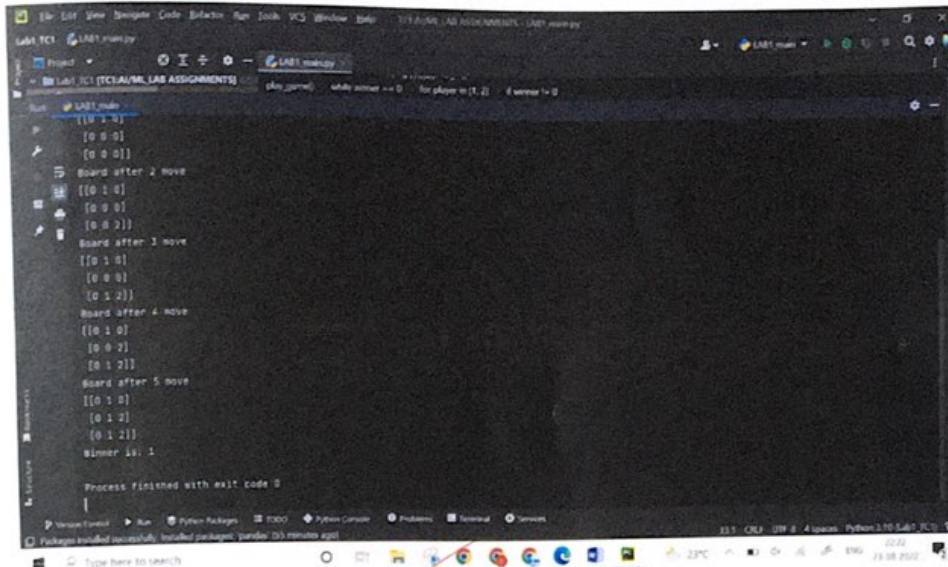
    while winner == 0:
        for player in [1, 2]:
            board = random_place(board, player)
            print("Board after " + str(counter) + " move")
            print(board)
            sleep(2)
            counter += 1
            winner = evaluate(board)
            if winner != 0:
                break
    return winner

# Main Code
print("TUT : LAB1, DATE: 22/09/2021")
print("Name: Sia Vashist; ID: 20190462102 \n")
print("Initializing the Tic-Tac-Toe game... \n")
print("Winner is: " + str(play_game()))
```

Lab report: TC1- AI/ML

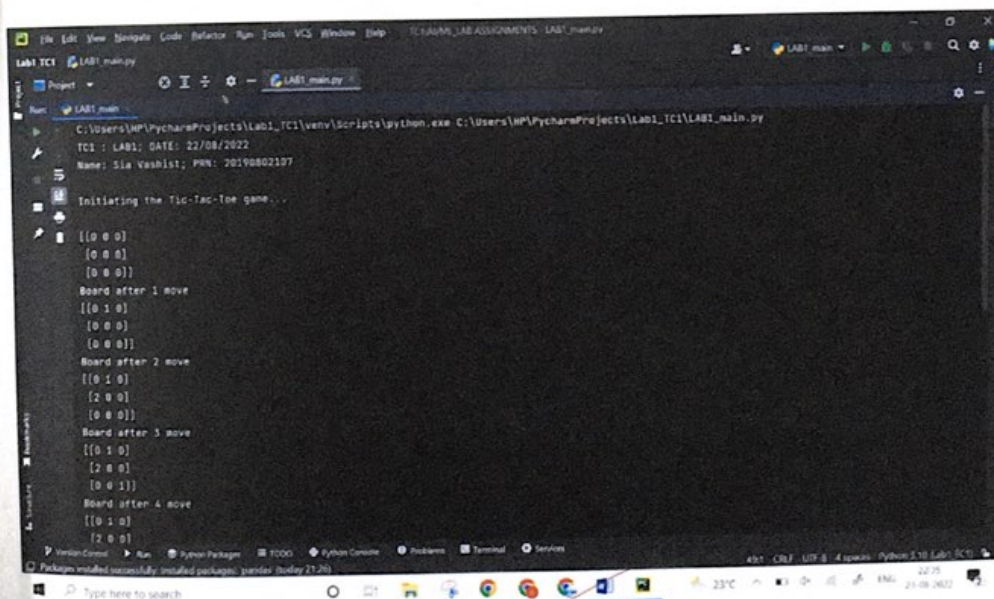
- Output Screenshots:

- Case 1: Either 1 or 2 will be a winner



```
Lab1 TC1 (TC1/ML LAB ASSIGNMENTS) LAB1_main.py
[[0 1 0]
 [0 0 0]
 [0 0 0]]
Board after 2 move
[[0 1 0]
 [0 0 0]
 [0 0 2]]
Board after 3 move
[[0 1 0]
 [0 0 0]
 [0 1 2]]
Board after 4 move
[[0 1 0]
 [0 0 2]
 [0 1 2]]
Board after 5 move
[[0 1 0]
 [0 1 2]
 [0 1 2]]
Winner is: 1
Process finished with exit code 0
```

- Case 2: If after 9 moves, there are no winner. Nobody would win, it'll be a tie.



```
Lab1 TC1 LAB1_main.py
C:\Users\WP\PycharmProjects\Lab1_TC1\venv\Scripts\python.exe C:\Users\WP\PycharmProjects\Lab1_TC1\LAB1_main.py
TC1 : LAB1; DATE: 22/08/2022
Name: Sia Vashist; PHN: 70190802107
Initiating the tic-tac-toe game...
[[0 0 0]
 [0 0 0]
 [0 0 0]]
Board after 1 move
[[0 1 0]
 [0 0 0]
 [0 0 0]]
Board after 2 move
[[0 1 0]
 [2 0 0]
 [0 0 0]]
Board after 3 move
[[0 1 0]
 [2 0 0]
 [0 0 1]]
Board after 4 move
[[0 1 0]
 [2 0 0]
 [2 0 1]]
Board after 5 move
[[0 1 0]
 [2 0 0]
 [2 0 1]]
Board after 6 move
[[0 1 0]
 [2 0 0]
 [2 0 1]]
Board after 7 move
[[0 1 0]
 [2 0 0]
 [2 0 1]]
Board after 8 move
[[0 1 0]
 [2 0 0]
 [2 0 1]]
Board after 9 move
[[0 1 0]
 [2 0 0]
 [2 0 1]]
No winner found. It's a tie.
```


The screenshot shows a VS Code editor with a Python file named 'LAB1_main.py'. The code implements a 3x3 tic-tac-toe game. It defines a board, lists possible moves, and implements a minimax algorithm to find the best move. The output shows the board state after 9 moves, with 'Winner is: Nobody wins!' highlighted in yellow.

```

def board():
    board = [[0, 1, 0],
              [2, 0, 1],
              [0, 2, 1]]
    return board

def moves(board):
    moves = []
    for i in range(3):
        for j in range(3):
            if board[i][j] == 0:
                moves.append((i, j))
    return moves

def minimax(board, depth, maximizing):
    if depth == 9:
        return evaluate(board)
    if maximizing:
        best = -float('inf')
        for move in moves(board):
            board[move[0]][move[1]] = 1
            best = max(best, minimax(board, depth + 1, False))
            board[move[0]][move[1]] = 0
        return best
    else:
        best = float('inf')
        for move in moves(board):
            board[move[0]][move[1]] = 2
            best = min(best, minimax(board, depth + 1, True))
            board[move[0]][move[1]] = 0
        return best

def evaluate(board):
    if check_win(board, 1):
        return 1
    elif check_win(board, 2):
        return -1
    else:
        return 0

def check_win(board, player):
    for i in range(3):
        if board[i][0] == player and board[i][1] == player and board[i][2] == player:
            return True
    for j in range(3):
        if board[0][j] == player and board[1][j] == player and board[2][j] == player:
            return True
    if board[0][0] == player and board[1][1] == player and board[2][2] == player:
        return True
    if board[0][2] == player and board[1][1] == player and board[2][0] == player:
        return True
    return False

def main():
    board = board()
    moves = moves(board)
    best_move = moves[0]
    for move in moves:
        board[move[0]][move[1]] = 1
        best_move = min(best_move, minimax(board, 1, False))
        board[move[0]][move[1]] = 0
    board[best_move[0]][best_move[1]] = 1
    print(board)
    print("Winner is: Nobody wins!")

if __name__ == '__main__':
    main()

```

Process finished with exit code 0

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- ↳ Updates the spot with respective player.
- ↳ checks if the current player has won or not.
- ↳ If one of the player has won, it returns a winning message and breaks the infinite loop.
- ↳ It then checks the, if the board is filled or not.
- ↳ If the board is filled - with no winners then it prints the draw message and breaks the infinite loop.

3) Finally, shows the user the final view of the board.

* Conclusion:- Intelligence, can be a property of any purpose-driven decision maker. An algorithm of playing Tic Tac Toe game has been presented and tested that works in an efficient way. Overall the program runs without any errors.

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Experiment !03

- Aim:- Write a program to implement Water Jug Problem.
- Problem Description: You are given two jugs, a 4-litre & a 3-litre one. Neither has any measuring marker on it. Write a program to get 2 liters of water into either one of them.
- ↳ Operations that can be performed:-
 - Fill any of the jugs completely with water.
 - Pour water from one - jug to another until one of jugs is either empty/full.
 $(X, Y) \rightarrow (X-d, Y+d)$.
 - Empty any of the jugs.
- For example, $X=4, Y=3, Z=2$
 output = $\{(0,0), (0,3), (3,0), (\cancel{4},3), (4,2), (0,2)\}$

Explanation:-

- Fill the 4 litre jug completely.
- Empty water from 4L jug to 3L (4L = 1L & 3L = full)
- Empty water from 3L jug.
- Pour water from 4L jug to 3L jug (4L = empty & 3L = 1L)
- Fill 4L jug completely again.
- Transfer from 4L to 3L jug, (2L water in 4L jug)

• Program:

```
# TC1_LAB3
# SIA_VASHIST_20190802107
# Water Jug Problem

from collections import defaultdict

visited = defaultdict(lambda: False)

# To store J1, J2 and Aim
J1, J2, L = 0, 0, 0

def Water_Jug_problem(X, Y):
    global J1, J2, L

    if (X == L and Y == 0) or (Y == L and X == 0):
        print("{", X, ", ", " ", Y, "}", sep=" ")
        return True

    if not visited[(X, Y)]:
        print("{", X, ", ", " ", Y, "}", sep=" ")
        visited[(X, Y)] = True

        return (Water_Jug_problem(0, Y) or
                Water_Jug_problem(X, 0) or
                Water_Jug_problem(J1, Y) or
                Water_Jug_problem(X, J2) or
                Water_Jug_problem(X + min(Y, (J1 - X)),
                                   Y - min(Y, (J1 - X))) or
                Water_Jug_problem(X - min(X, (J2 - Y)),
                                   Y + min(X, (J2 - Y))))

    else:
        return False

# Main Code

J1 = int(input("Enter the Capacity of Jug1: "))
J2 = int(input("Enter the Capacity of Jug2: "))
L = int(input("Amount to be measured: "))

print("Path is as Follow:")

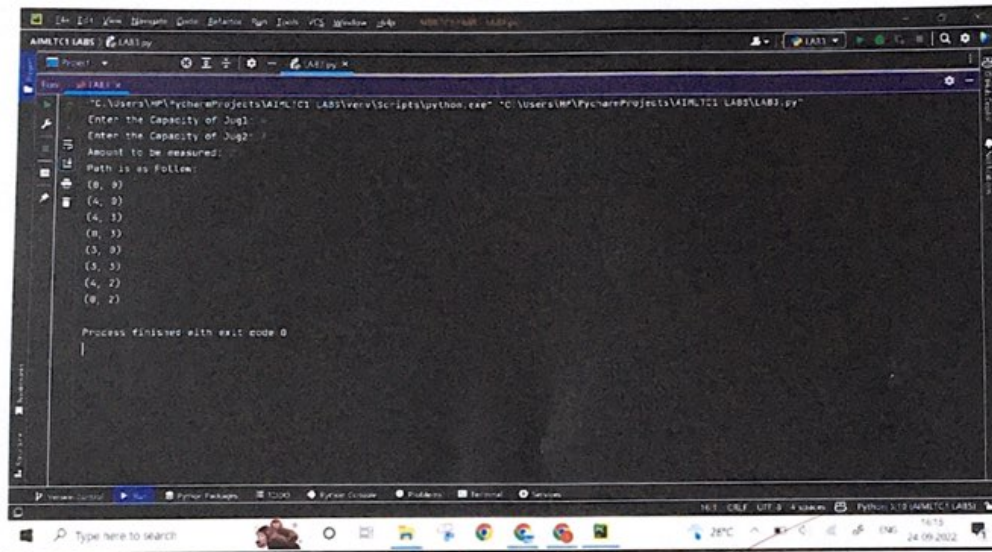
Water_Jug_problem(0, 0)
```


* Algorithm:-

1. Initialises a queue to implement BFS.
2. Since both jugs are empty insert state $\{0,0\}$ into the queue.
3. Till the queue is empty:
 - Pop out the first element of the queue.
 - If popped element is equal to target, return True.
 - Let $X\text{-left}$ & $Y\text{-left}$ be the amount of water left in jugs, respectively.
 - fill water operation:-
 - ↳ If value of $X\text{-left} < X$, insert $(X\text{-left}, Y)$ into hashmap, since some water can still be poured.
 - ↳ If value of $Y\text{-left} < Y$, insert $(Y\text{-left}, Y)$ into hashmap, since some water can still be poured.
 - Empty operation:-
 - ↳ If state $\{0, Y\text{-left}\}$ isn't visited, insert it into hashmap since we can empty any of the jugs.
 - ↳ If state $\{X\text{-left}, 0\}$ isn't visited, insert it into hashmap since we can empty any of the jugs.
 - Water transfer operation:-
 - ↳ $\min(\{X - X\text{-left}, Y\})$ can be poured from second jug to first. Hence, $\{X + \min(\{X - X\text{-left}, Y\}), Y - \min(\{X - X\text{-left}, Y\})\}$ isn't visited, put it into hashmap.
 - ↳ $\min(\{X\text{-left}, Y - Y\text{-left}\})$ can be poured from first jug to second jug. Hence, $\{X\text{-left}, -\min(\{X\text{-left}, Y - Y\text{-left}\})\}$, $Y + \min(\{X\text{-left}, Y - Y\text{-left}\})$ isn't visited, put it into hashmap.
 - Return False, if it is not possible to measure Target litres.

Lab report: TC1- AI/ML

- Output:



```
AIMLTC1 LABS LAB1.py
Enter the Capacity of Jug1 :
Enter the Capacity of Jug2 :
Amount to be measured :
Path is as Follow:
(0, 0)
(4, 0)
(4, 3)
(0, 3)
(3, 3)
(3, 0)
(4, 2)
(0, 2)

Process finished with exit code 0
```

The screenshot shows a Visual Studio Code window with a file named 'AIMLTC1 LABS LAB1.py'. The code is a Python script that takes three inputs: 'Enter the Capacity of Jug1', 'Enter the Capacity of Jug2', and 'Amount to be measured'. It then outputs a sequence of states (x, y) representing the water levels in two jugs. The states are: (0, 0), (4, 0), (4, 3), (0, 3), (3, 3), (3, 0), (4, 2), and (0, 2). The script ends with 'Process finished with exit code 0'. The status bar at the bottom indicates 'Python 3.10 (AIMLTC1 LABS)'.

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* Cases

X	Y	Rule
0	0	—
4	0	1
4	3	5
0	3	8
3	0	10
3	3	5
4	2	10
0	2	8

* Conclusion:-

Hence, we have performed & solved the water Jug problem, successfully.

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Experiment no:- 04

- Aim:- Write a program to implement monkey-ladder problem.

- Description:- Given a staircase of N steps and you can either climb ^{either step} 1 or 2 steps at a time. The task is to return the count of distinct ways to climb to the top. a monkey

Example:-

Input:- $N = 4$

Output:- 5

Explanation:- If $n=4$, we can reach n^{th} step in 5 ways, w.r.t the given conditions:

i) 1 step at a time

ii) $1+1 = 2$ steps.

i.e. $[1+1+1+1]$; $[1+1+2]$; $[2+1+1]$; $[1+2+1]$; $[2+2]$.

* Algorithm:- The algorithm for this problem is almost similar to the fibonacci series.

1. Let n be the number of stairs. If $n \leq 0$, then the number of ways to climb the stairs should be zero.

Lab report: TC1- AI/ML

- Monkey Ladder

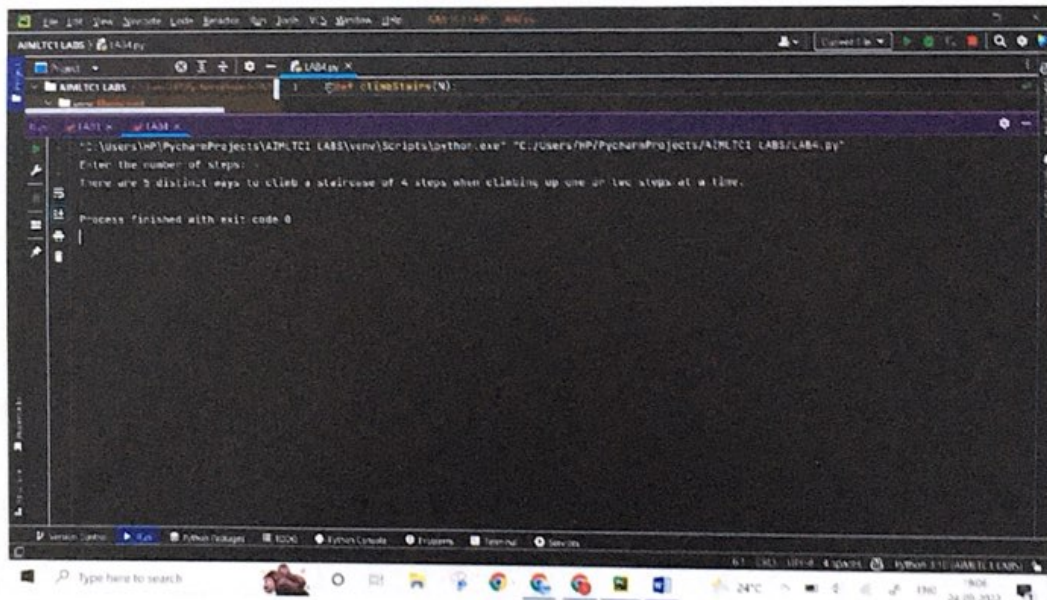
- Code:

```
# TC1_LAB4
# SIA VASHIST_ 20190802107
# Monkey Ladder Problem

def climbStairs(N):
    if N < 2:
        return 1
    else:
        return climbStairs(N - 1) + climbStairs(N - 2)

steps = int(input("Enter the number of steps: "))
ways = climbStairs(steps)
print("There are " + str(ways) + " distinct ways to climb a staircase of "
+ str(steps) + " steps when climbing up one or two steps at a time.")
```

- Output:



2. If $n=1$, then there is only one way to climb the stair.
3. For the number greater than 1, we can simply find the solution by adding previous steps i.e.
 $\text{Steps}(N) = \text{Steps}(N-1) + \text{Steps}(N-2)$. Create a new array and store the output at each step.
4. Then finally return the last value in the array as the output.

* Time complexity:- $O(2^n)$.. Exponential time
Space complexity:- $O(1)$.. (Constant space)

* Conclusion:- Hence, we have executed & solved the monkey ladder problem using recursion in python.

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