

# **Topic 4: Trustworthy Vision**

# Some Factors Affecting Trust in Deep Learning

- ▶ **Models Complexity - Non-Decomposability into Simple Components**
  - ▶ Explainability
  - ▶ Interpretability
- ▶ **Social Discrimination and Data/Model Misrepresentations**
  - ▶ Disparate Treatment (e.g. Social Biases in Datasets)
  - ▶ Disparate Impact (e.g. Discriminative Outcomes)
- ▶ **Unreliable Inference even to Minor Input Disruptions**
  - ▶ Adversarial Examples

# Impact of Stakeholders on Explainable AI (XAI)

## How do diverse stakeholders perceive about neural networks?

- ▶ Decision Maker
  - ▶ Use predictions as recommendations to make appropriate judgements
  - ▶ e.g. doctors trying to diagnose patients
  - ▶ Cares about global explanations as well as local explanations
- ▶ Affected User
  - ▶ Analyze their inputs in retrospect to change the future outcome
  - ▶ e.g. patients
  - ▶ Cares only about local explanations
- ▶ Regulator
  - ▶ Ensures the model is safe and compliant with
  - ▶ e.g. government official trying to validate the model
  - ▶ Cares about both global explanations and local explanations
- ▶ Data Scientist
  - ▶ Improve model performance
  - ▶ e.g. some of you in the future!

# Types of Explainable AI (XAI)

**Local Explanations:** Explain predictions for a given input data point

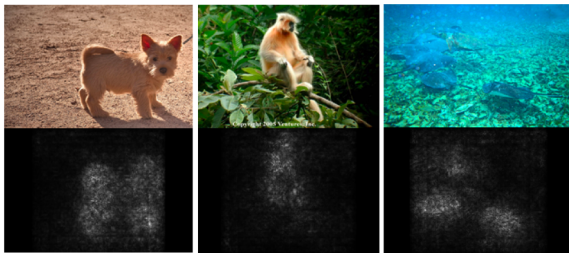
- ▶ Saliency Maps
- ▶ Class Activation Maps (CAM)
- ▶ Grad-CAM

**Global Explanations:** Explain the overall model

- ▶ ?

# Saliency Maps<sup>1</sup>

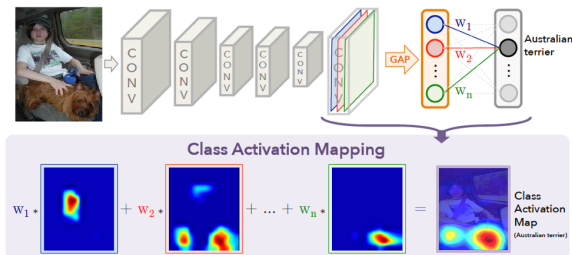
- ▶ Consider input image  $I_0$  of size  $m \times n$ , and a class  $c$
- ▶ Highly non-linear class score function  $S_c(I)$  in deep NNs  $\Rightarrow$   
Approximate  $S_c(I)$  with a linear function in the neighborhood of  $I_0$  using Taylor's expansion:
$$S_c(I) \approx w^T I + b, \text{ where } w = \left. \frac{\partial S_c}{\partial I} \right|_{I_0} \text{ can be found via backprop.}$$
- ▶ Saliency Map  $M_{i,j} = |w_{h(i,j)}|$ , where  $h(i,j)$  is the index in  $w$  that corresponds to  $(i,j)^{th}$  pixel in  $I_0$ .
- ▶ Multi-channel images  $\Rightarrow M_{i,j} = \max_c |w_{h(i,j,c)}|$
- ▶ Also, a regression problem to produce images that maximize a given class score



<sup>1</sup>K. Simonyan, A. Vedaldi, and A. Zisserman. "Deep Inside Convolutional Networks: Visualising Image Classification Models and Saliency Maps," ArXiv:1312.6034, 2013.

# Class Activation Maps (CAM<sup>2</sup>)

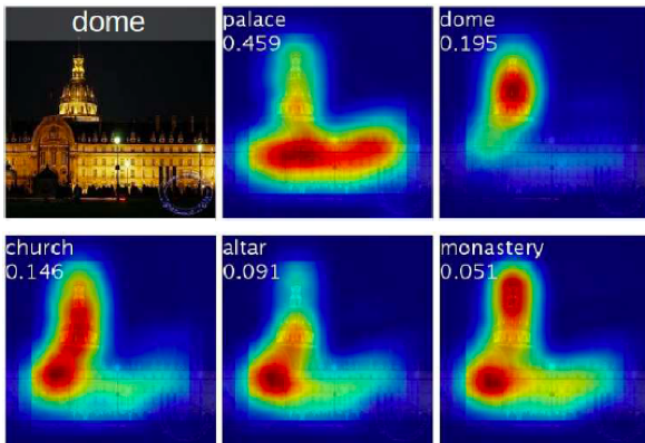
- ▶ Conv. layers are natural object detectors  $\Rightarrow$  *Global average pooling* (GAP) instead of FC layers
- ▶ Let  $f_k(x, y)$  denote activation of unit  $k$  at location  $(x, y)$ .
- ▶ Result of GAP at unit  $k$ :  $F_k = \frac{1}{Z} \sum_{x,y} f_k(x, y)$
- ▶ Class score:  $S_c = \sum_k w_k^c F_k$  (ignore bias term)  $\Rightarrow$  Softmax output:  $\frac{\exp(S_c)}{\sum_c \exp(S_c)}$
- ▶ CAM:  $M_c(x, y) = \sum_k w_k^c f_k(x, y) \Rightarrow S_c = \frac{1}{Z} \sum_{x,y} M_c(x, y)$
- ▶ Need to retrain the NN for weights  $w_k^c$
- ▶ Upscale CAM to input size.



<sup>2</sup>B. Zhou, A. Khosla, A. Lapedriza, A. Oliva, and A. Torralba, "Learning Deep Features for Discriminative Localization." In *Proceedings of the IEEE Conference on Computer Vision and Pattern Recognition (CVPR)*, pp. 2921-2929, 2016.

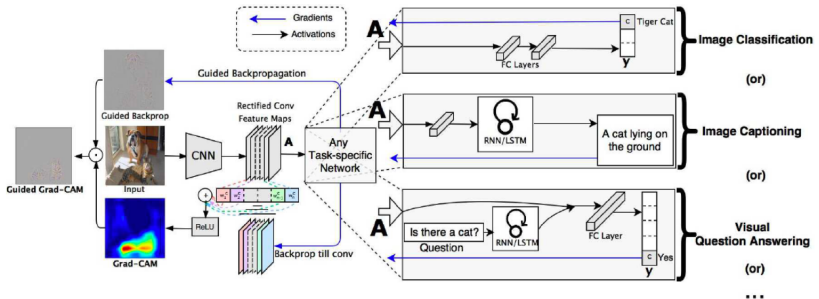
# CAM (cont...)

- ▶ Example of CAMs generated from top-5 predicted categories
- ▶ Note that the *dome* class activates the upper round portion, while *palace* activates the lower flat portion of the compound.



# Grad-CAM<sup>3</sup>

- ▶ Class score:  $S_c = \sum_k w_k^c F_k$ , where  $F_k = \frac{1}{Z} \sum_{x,y} f_k(x, y)$
- ▶ CAM:  $M_c(x, y) = \sum_k w_k^c f_k(x, y)$
- ▶  $w_k^c = \frac{\partial S_c}{\partial F_k} = \frac{\partial S_c}{\partial f_k(x, y)} \left( \frac{\partial F_k}{\partial f_k(x, y)} \right)^{-1} = Z \cdot \frac{\partial S_c}{\partial f_k(x, y)}$
- ▶  $\sum_{x,y} w_k^c = Z \cdot \sum_{x,y} \frac{\partial S_c}{\partial f_k(x, y)} \Rightarrow w_k^c = \sum_{x,y} \frac{\partial S_c}{\partial f_k(x, y)}$  (No need to retrain!)
- ▶ Grad-CAM:  $\tilde{M}_c(x, y) = ReLU[M_c(x, y)]$



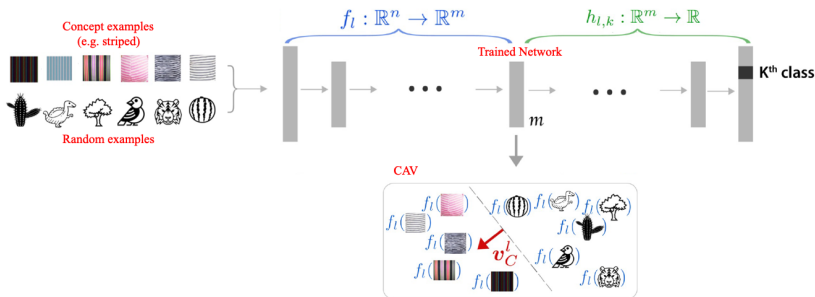
<sup>3</sup>R. R. Selvaraju, M. Cogswell, A. Das, R. Vedantam, D. Parikh, and D. Batra, "Grad-CAM: Visual Explanations from Deep Networks via Gradient-based Localization," In *Proceedings of the IEEE International Conference on Computer Vision (ICCV)*, pp. 618-626, 2017.



# Interpretable AI

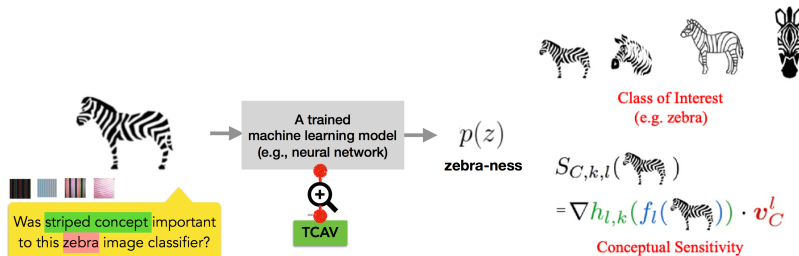
- ▶ Concept Activation Vectors (CAV)
- ▶ Uncertainty Quantification and Bayesian Neural Networks

# Concept Activation Vectors (CAV)



- ▶  $f_l(x)$  takes input  $x$  and outputs layer  $l$  activations  $a \in \mathbb{R}^M$ .
- ▶  $h_{l,k}(a)$  takes layer  $l$  activation  $a$  and outputs the class- $k$  logit  $\in \mathbb{R}$ .
- ▶ Given a user-defined concept  $C$ , let
  - ▶  $P_C$  denote the set of images that positively represent the concept
  - ▶  $N_C$  denote the set of images that negatively represent the concept
  - ▶  $A_P = \{f_l(x) | x \in P_C\}$ ,  $A_N = \{f_l(x) | x \in N_C\}$
- ▶ Train a linear classifier to find a hyperplane with normal  $v_C^l \in \mathbb{R}^M$  (CAV) that separates  $A_P$  and  $A_N$ .

# Testing with CAV (TCAV<sup>4</sup>)

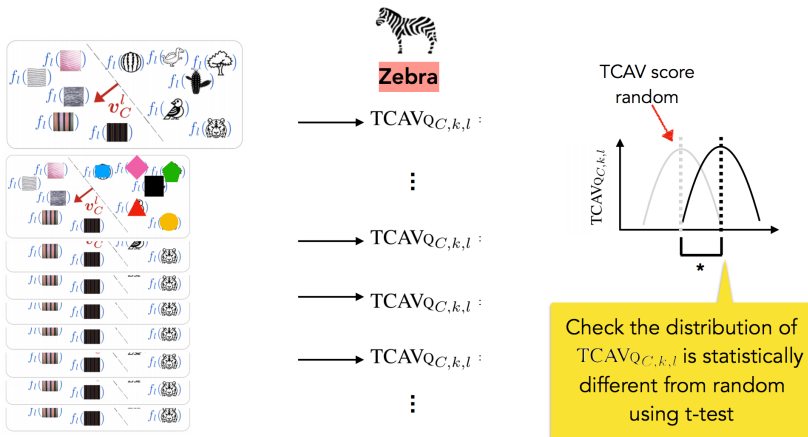


- **Conceptual Sensitivity:** A directional derivative  $S_{C,k,l}(x)$  that measures the sensitivity of logit output to change in CAV.
- In saliency maps, we compute the gradient wrt input pixels instead.
- **TCAV:** Aggregate per-input conceptual sensitivity over a class  $k$

$$TCAV_{C,k,l} = \frac{|\{x \in \mathcal{X}_k | S_{C,k,l}(x) > 0\}|}{|\mathcal{X}_k|}, \text{ where } \mathcal{X}_k \text{ denotes all inputs for class } k.$$

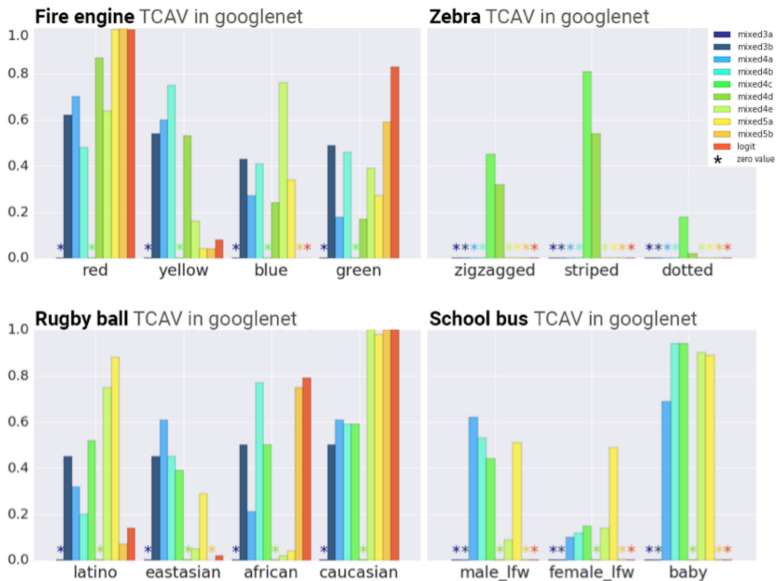
<sup>4</sup>B. Kim, M. Wattenberg, J. Gilmer, C. Cai, J. Wexler, and F. Viegas, "Interpretability Beyond Feature Attribution: Quantitative Testing with Concept Activation Vectors (TCAV)," In *International Conference on Machine Learning (ICML)*, pp. 2668-2677, 2018.

# Statistical Significance of CAV

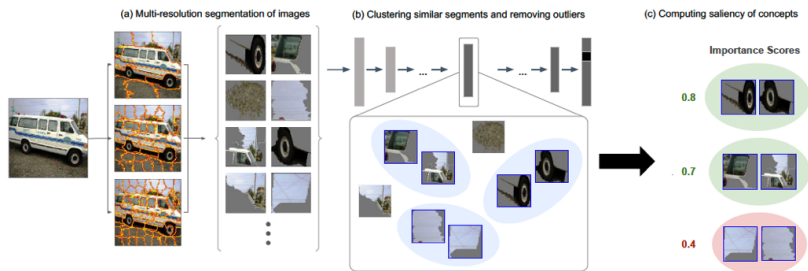


- Note: TCAV is very sensitive to low-quality random CAV.
- Compute TCAVs  $T$  times using different  $N_C$  sets to obtain  $\{TCAV_{Q_C, k, l}^{(i)}\}_{i=1}^T$
- Perform two-sided  $t$ -test.

# Example: TCAV on GoogLeNet



# Automatic Concept-Based Explanations (ACE<sup>5</sup>)



## Desired Properties of Concept-Based Explanation:

- ▶ **Meaningfulness:** Examples need to be semantically meaningful on its own. Also, multiple individuals should associate similar meaning to the same concept. (e.g. a group of pixels that contains a specific texture/object)
- ▶ **Coherency:** Examples need to be perceptually similar to each other, but also different from examples of other concepts.
- ▶ **Importance:** The concept's presence is necessary for the true prediction

<sup>5</sup>A. Ghorbani, J. Wexler, J. Y. Zou, and B. Kim. "Towards Automatic Concept-Based Explanations," *Advances in Neural Information Processing Systems (NeurIPS)*, vol. 32, 2019.

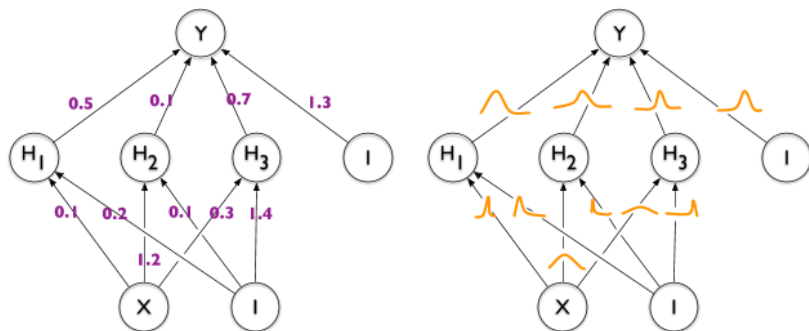
# Uncertainty Quantification

Two types of uncertainty:

- ▶ **Aleatoric Uncertainty:** Confidence in input data
  - ▶ High when input data is noisy
  - ▶ Cannot be reduced by adding more data
  - ▶ Can be estimated using likelihood methods using neural networks
- ▶ **Epistemic Uncertainty:** Confidence in Prediction
  - ▶ High when training data is small
  - ▶ Can be reduced by adding more data
  - ▶ Very difficult to estimate (Knowing when the model does not know the answer)

**Solution to Epistemic Uncertainty: Bayesian Neural Networks**

# Bayesian Neural Networks (BNNs)

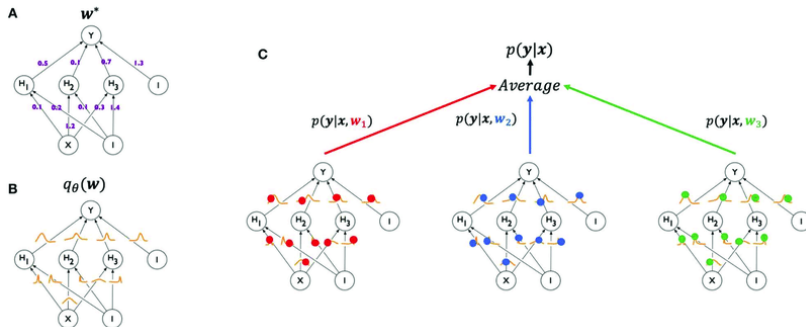


- ▶ Train weight distributions, as opposed to just weights as in traditional NNs.
- ▶ Assume a prior distribution for weights  $p(\mathbb{W})$ , and a dataset  $(\mathbf{X}, \mathbf{Y})$ .
- ▶ Use Bayes' rule to update weight distribution via computing its posterior:

$$p(\mathbb{W}|\mathbf{X}, \mathbf{Y}) = \frac{p(\mathbf{Y}|\mathbf{X}, \mathbb{W}) \cdot p(\mathbb{W})}{p(\mathbf{Y}|\mathbf{X})}$$



# Emulating BNNs through Monte-Carlo Sampling<sup>7</sup>



- ▶ Sample weights from the trained distribution of weights several times
- ▶ Compute the average logit probability at the output of each class
- ▶ Similar approaches: Use Dropout<sup>6</sup> in Testing Phase to capture epistemic uncertainty

<sup>6</sup>Y. Gal, and Z. Ghahramani. "Dropout as a Bayesian Approximation: Representing Model Uncertainty in Deep Learning," In *International Conference on Machine Learning (ICML)*, pp. 1050-1059, PMLR, 2016.

<sup>7</sup>B. Lakshminarayanan, A. Pritzel, C. Blundell, "Simple and Scalable Predictive Uncertainty Estimation using Deep Ensembles," in *Advances of Neural Information Processing Systems (NeurIPS)*, 2017.