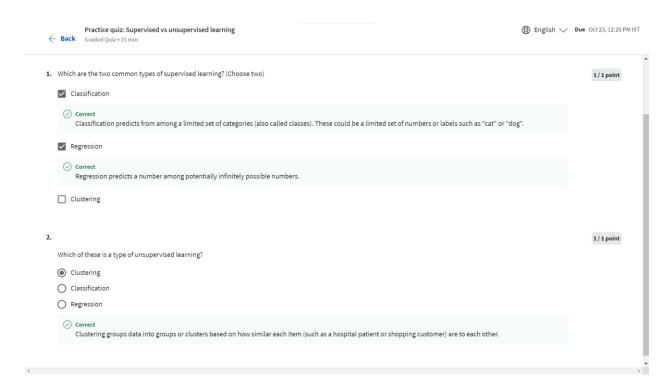
Machine Learning Specialization

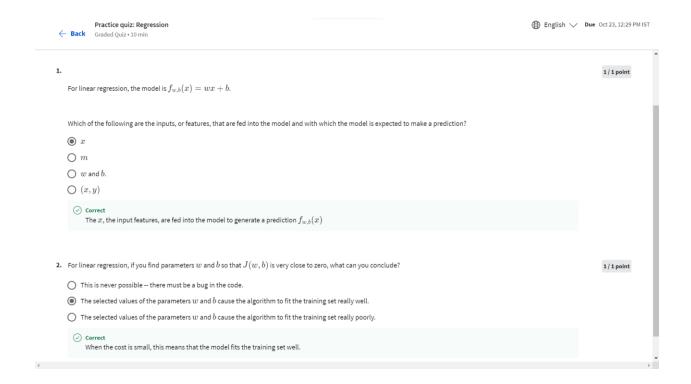
Data Science - Mooc Course

Supervised Machine Learning: Regression and Classification

Practice quiz: Supervised vs unsupervised learning



Practice quiz: Regression



Practice quiz: Train the model with gradient descent

Gradient descent is an algorithm for finding values of parameters w and b that minimize the cost function J.

repeat until convergence {

$$w = w - \alpha \frac{\partial}{\partial w} J(w, b)$$

$$b = b - \alpha \frac{\partial}{\partial b} J(w, b)$$

When $\frac{\partial J(w,b)}{\partial m}$ is a negative number (less than zero), what happens to w after one update step?

- $\bigcirc w$ stays the same
- left w increases.
- $\bigcirc w$ decrease
- $\ensuremath{\bigcirc}$ It is not possible to tell if w will increase or decrease.

⊘ Correct

 $The learning \ rate is a lways \ a positive \ number, so \ if you \ take \ W \ minus \ a \ negative \ number, you \ end \ up \ with \ a \ new \ value \ for \ W \ that \ is \ larger \ (more \ positive).$

For linear regression, what is the update step for parameter b?

$$left{igo} b = b - lpha rac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)})$$

$$igcap b = b - lpha rac{1}{m} \sum_{i=1}^m (f_{w,b}(x^{(i)}) - y^{(i)}) x^{(i)}$$

⊘ Correct

The update step is $b=b-\alpha \frac{\partial J(w,b)}{\partial w}$ where $\frac{\partial J(w,b)}{\partial b}$ can be computed with this expression: $\sum_{i=1}^m (f_{w,b}(x^{(i)})-y^{(i)})$

Practice quiz: Multiple linear regression

1. In the training set below, what is $x_4^{(3)}$? Please type in the number below (this is an integer such as 123, no decimal points).

1/1 point

	Size in feet ²	Number of bedrooms	Number of floors	Age of home in years	Price (\$) in \$1000's
	X1	X ₂	Хз	X4	
•	2104	5	1	45	460
	1416	3	2	40	232
	1534	3	2	30	315
	852	2	1	36	178

 \bigcirc correct Yes! $x_4^{(3)}$ is the 4th feature (4th column in the table) of the 3rd training example (3rd row in the table).

Which of the following are potential benefits of vectorization? Please choose the best option.

○ It makes your code run faster

○ It can make your code shorter

○ It allows your code to run more easily on parallel compute hardware

② All of the above

② Correct

Correct! All of these are benefits of vectorization!

3. True/False? To make gradient descent converge about twice as fast, a technique that almost always works is to double the learning rate alpha.

○ True

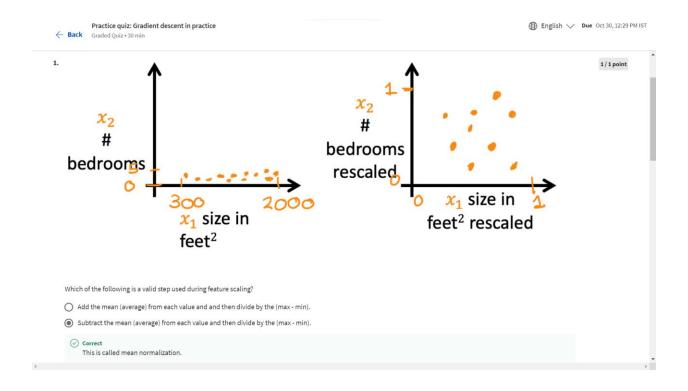
③ False

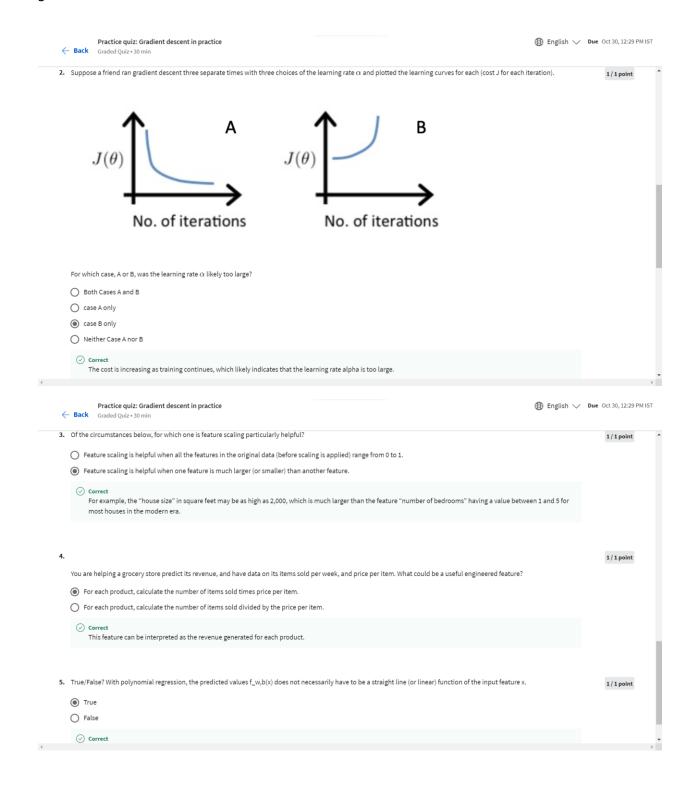
② Correct

Doubling the learning rate may result in a learning rate that is too large, and cause gradient descent to fail to find the optimal values for the parameters w and b.

Practice quiz: Gradient descent in practice

Graded Quiz. • 30 min





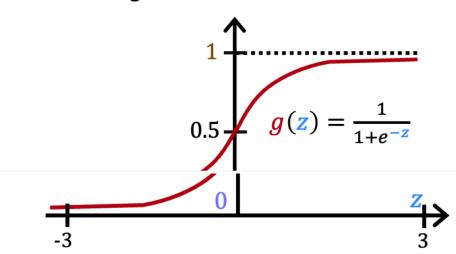
Practice quiz: Classification with logistic regression

- 1. Which is an example of a classification task?
 - O Based on a patient's age and blood pressure, determine how much blood pressure medication (measured in milligrams) the patient should be prescribed.
 - O Based on a patient's blood pressure, determine how much blood pressure medication (a dosage measured in milligrams) the patient should be prescribed.
 - $\textcircled{\textbf{Based on the size of each tumor, determine if each tumor is malignant (cancerous) or not. } \\$

This task predicts one of two classes, malignant or not malignant.

2. Recall the sigmoid function is $g(z)=\frac{1}{1+e^{-z}}$

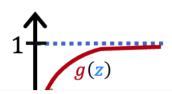
sigmoid function

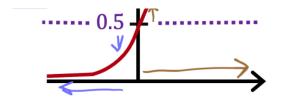


If z is a large positive number, then:

- $\bigcirc g(z)$ is near negative one (-1)
- $\bigcirc g(z)$ will be near 0.5
- $\bigcirc g(z)$ will be near zero (0)
- igotimes g(z) is near one (1)

 \odot Correct Say z = +100. So e^{-z} is then e^{-100} , a really small positive number. So, $g(z)=rac{1}{1+{
m a\ small\ positive\ number}}$ which is close to 1





A cat photo classification model predicts 1 if it's a cat, and 0 if it's not a cat. For a particular photograph, the logistic regression model outputs g(z) (a number between 0 and 1). Which of these would be a reasonable criteria to decide whether to predict if it's a cat?

- \bigcirc Predict it is a cat if g(z) >= 0.5
- \bigcirc Predict it is a cat if g(z) < 0.5
- \bigcirc Predict it is a cat if g(z) < 0.7
- O Predict it is a cat if g(z) = 0.5
- ✓ Correct

Think of g(z) as the probability that the photo is of a cat. When this number is at or above the threshold of 0.5, predict that it is a cat.

4.

True/False? No matter what features you use (including if you use polynomial features), the decision boundary learned by logistic regression will be a linear decision boundary.

- False
- O True

Practice quiz: Cost function for logistic regression

1.

$$\int (\overrightarrow{\mathbf{w}}, \mathbf{b}) = \frac{1}{m} \sum_{i=1}^{m} L(f_{\overrightarrow{\mathbf{w}}, \mathbf{b}}(\overrightarrow{\mathbf{x}}^{(i)}), \mathbf{y}^{(i)})$$

In this lecture series, "cost" and "loss" have distinct meanings. Which one applies to a single training example?

✓ Loss

✓ Correct

In these lectures, loss is calculated on a single training example. It is worth noting that this definition is not universal. Other lecture series may have a different definition

- ☐ Cost
- ☐ Both Loss and Cost
- ☐ Neither Loss nor Cost

2.

Simplified loss function

$$L(f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}^{(i)}),\mathbf{y}^{(i)}) = \begin{cases} -\log(f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}^{(i)})) & \text{if } \mathbf{y}^{(i)} = 1\\ -\log(1 - f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}^{(i)})) & \text{if } \mathbf{y}^{(i)} = 0 \end{cases}$$

$$L(f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}^{(i)}),\mathbf{y}^{(i)}) = -\mathbf{y}^{(i)}\log(f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}^{(i)})) - (1 - \mathbf{y}^{(i)})\log(1 - f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}^{(i)}))$$

For the simplified loss function, if the label $y^{(i)}=0$, then what does this expression simplify to?

```
 \bigcirc -\log(1 - f_{\vec{\mathbf{w}},b}(\mathbf{x}^{(i)})) - log(1 - f_{\vec{\mathbf{w}},b}(\mathbf{x}^{(i)})) 
 \bigcirc -\log(1 - f_{\vec{\mathbf{w}},b}(\mathbf{x}^{(i)}))
```

$$\bigcirc \ \log(1-f_{\vec{\mathbf{w}},b}(\mathbf{x}^{(i)})) + log(1-f_{\vec{\mathbf{w}},b}(\mathbf{x}^{(i)}))$$

 $\bigcirc \log(f_{\vec{w},b}(\mathbf{x}^{(i)})$

 \bigcirc Correct When $y^{(i)}=0$, the first term reduces to zero.

Practice quiz: Gradient descent for logistic regression

$$w_{j} = w_{j} - \alpha \left[\frac{1}{m} \sum_{i=1}^{m} (f_{\overrightarrow{w},b}(\overrightarrow{x}^{(i)}) - \mathbf{y}^{(i)}) \mathbf{x}_{j}^{(i)} \right]$$
$$b = b - \alpha \left[\frac{1}{m} \sum_{i=1}^{m} (f_{\overrightarrow{w},b}(\overrightarrow{x}^{(i)}) - \mathbf{y}^{(i)}) \right]$$

} simultaneous updates

$$f_{\overrightarrow{\mathbf{w}},b}(\overrightarrow{\mathbf{x}}) = \frac{1}{1 + e^{-(\overrightarrow{\mathbf{w}} \cdot \overrightarrow{\mathbf{x}} + b)}}$$

Which of the following two statements is a more accurate statement about gradient descent for logistic regression?

- lacktriangledown The update steps look like the update steps for linear regression, but the definition of $f_{ec{w},b}(\mathbf{x}^{(i)})$ is different.
- The update steps are identical to the update steps for linear regression.
 - igodots Correct For logistic regression, $f_{ec{w},b}(\mathbf{x}^{(i)})$ is the sigmoid function instead of a straight line.

Practice quiz: The problem of overfitting

- 1. Which of the following can address overfitting?
 - Apply regularization

Regularization is used to reduce overfitting.

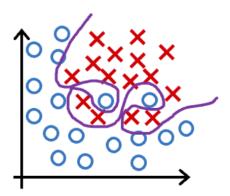
- Collect more training data
- ✓ Correct

If the model trains on more data, it may generalize better to new examples.

- Select a subset of the more relevant features.
 - **⊘** Correct

If the model trains on the more relevant features, and not on the less useful features, it may generalize better to new examples.

- Remove a random set of training examples
- 2. You fit logistic regression with polynomial features to a dataset, and your model looks like this.



What would you conclude? (Pick one)

- The model has high variance (overfit). Thus, adding data is, by itself, unlikely to help much.
- The model has high bias (underfit). Thus, adding data is, by itself, unlikely to help much.
- The model has high bias (underfit). Thus, adding data is likely to help
- The model has high variance (overfit). Thus, adding data is likely to help
 - **⊘** Correct

The model has high variance (it overfits the training data). Adding data (more training examples) can help.

Regularization

REGUIATIZATION

mean squared error

$$\frac{1}{2m}\sum_{i=1}^{m}(f_{\vec{w},b}(\vec{x}^{(i)})-y^{(i)})^2 + \frac{\lambda}{2m}\sum_{j=1}^{n}w_j^2$$

Suppose you have a regularized linear regression model. If you increase the regularization parameter λ , what do you expect to happen to the parameters $w_1, w_2, ..., w_n$?

- lacksquare This will reduce the size of the parameters $w_1, w_2, ..., w_n$
- igcap This will increase the size of the parameters $w_1,w_2,...,w_n$

Regularization reduces overfitting by reducing the size of the parameters $w_1, w_2, ... w_n$.