

P3 Matching Pipeline

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I. P3.1.1 SCALING AND ROTATING FEATURES: CONCEPTS

A. If I have a feature located at (x_f, y_f) with orientation θ and radius ("scale") s , what is the transformation matrix H that simultaneously moves the feature to the origin, un-rotates it, and un-scales it (so that the feature becomes 1 pixel wide)?

As defined above, we are coming up with a matrix that will revert the transformed image to its original state. First we take care of scaling the image or to say "unscaling" the image because we are reverting it to the original form by dividing the pixels by radius. In the x orientation, we use cos of theta while using sin in y orientation. This method un-scales, un-rotates the image. Finally, by doing 0 0 1 to the z coordinates, we are making each pixel wide by 1.

$$\begin{bmatrix} \frac{1}{s} \cdot -\cos(\theta) & \sin(\theta) & x' - x \\ -\sin(\theta) & \frac{1}{s} \cdot -\cos(\theta) & y' - y \\ 0 & 0 & 1 \end{bmatrix}$$

II. P3.1.2 SCALING AND ROTATING FEATURES: IMPLEMENTATION

Using the solution from the previous question, I implemented the transformation matrix for the `get_scaled_rotated_patch` function. After that, I applied changes to the image one by one by searching through the new coordinates and applying patches to the image using the bi-cubic interpolation. Given the `base_center_x = 800` and `base_center_y = 600`, the output will be as followed. Once I was able to compute the image using base x and y, I changed the `base_center_x` value to 500 followed by `base_center_y` value to 640. As a result I got the following image output which seems appropriate.

III. P3.2.1 COMPUTING HOMOGRAPHIES FROM PERFECT MATCHES

To understand the process of solving homography, I looked at the given example (you can view it below) which transforms an image by rotating, scaling, and/or translation, provided some matches, and uses those matches to compute the transformed image. Throughout this section, you also display the reconstructed image, followed by the difference between base and transformed image. Along with that, I also understood the process my looking at the given matrix.

$$\text{base matches} = \begin{bmatrix} 30 & 125 & 36 & 150 \\ 20 & 30 & 25 & 35 \\ 80 & 120 & 96 & 144 \\ 220 & 90 & 264 & 108 \end{bmatrix}$$

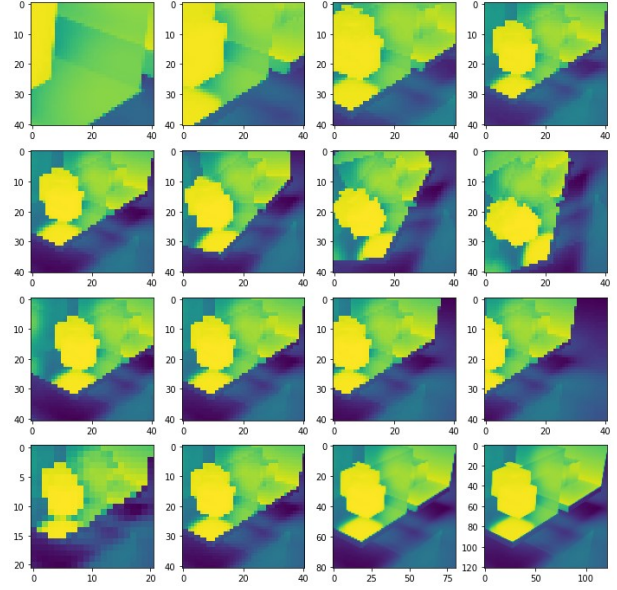


Fig. 1. 800 x 600

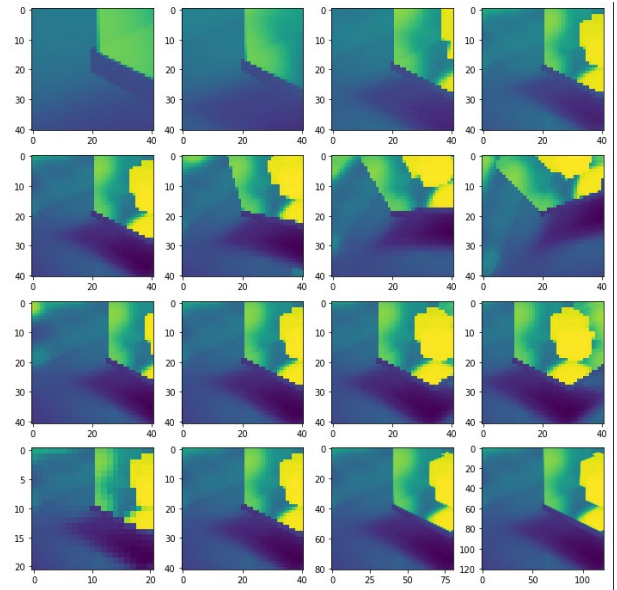


Fig. 2. Caption

tr matches =	255	13	232	64
	161	117	137	164
	56	123	31	173
	168	88	145	140
	135	160	105	210
ro matches =	122	10	95	55
	35	130	135	192
	35	40	35	105
	145	135	243	110
	158	135	255	78
sa matches =	60	125	140	152
	85	179	220	183
	170	92	215	22
	97	99	153	100
	210	113	295	175
ha matches =	55	115	75	178
	155	128	205	200
	22	128	30	205
	18	23	26	47
	187	78	241	122
hb matches =	163	88	129	65
	51	123	38	99
	250	8	176	2
	156	112	119	82
	228	77	173	57
	147	218	128	192
	275	80	208	60
	24	36	19	24
	230	74	198	48
	213	113	192	77
	158	127	151	98
	54	71	54	52
	60	210	75	200
	50	20	50	10
	150	25	120	20

The five more transformed image along with its matrix which uses similar concept as explained above of rotating, translating, and/or scaling are listed below.

Note: all the matrix and images are chronologically aligned.

IV. P3.2.2 COMPUTING HOMOGRAPHIES FROM NOISY MATCHES

We basically use the RANSAC solution to determine which features are inliers and outliers in our image. Just as we did in the above computation, I am using the RANSAC solution rather than the solve_homography function to compute the homographies. Once again, we are using the visualizing function from the above section to display the image. Now the one thing that sets the RANSAC solution from the solve_homography one apart is that RANSAC accounts for outliers or bad feature matches, but the solve_homography from the above equation does not do so. As you can see in the output images attached, the base image comparison which uses the solve_homography function has lots of noise in the image. Now checkout the RANSAC solution. You can see in the reconstruction difference that there is no noise

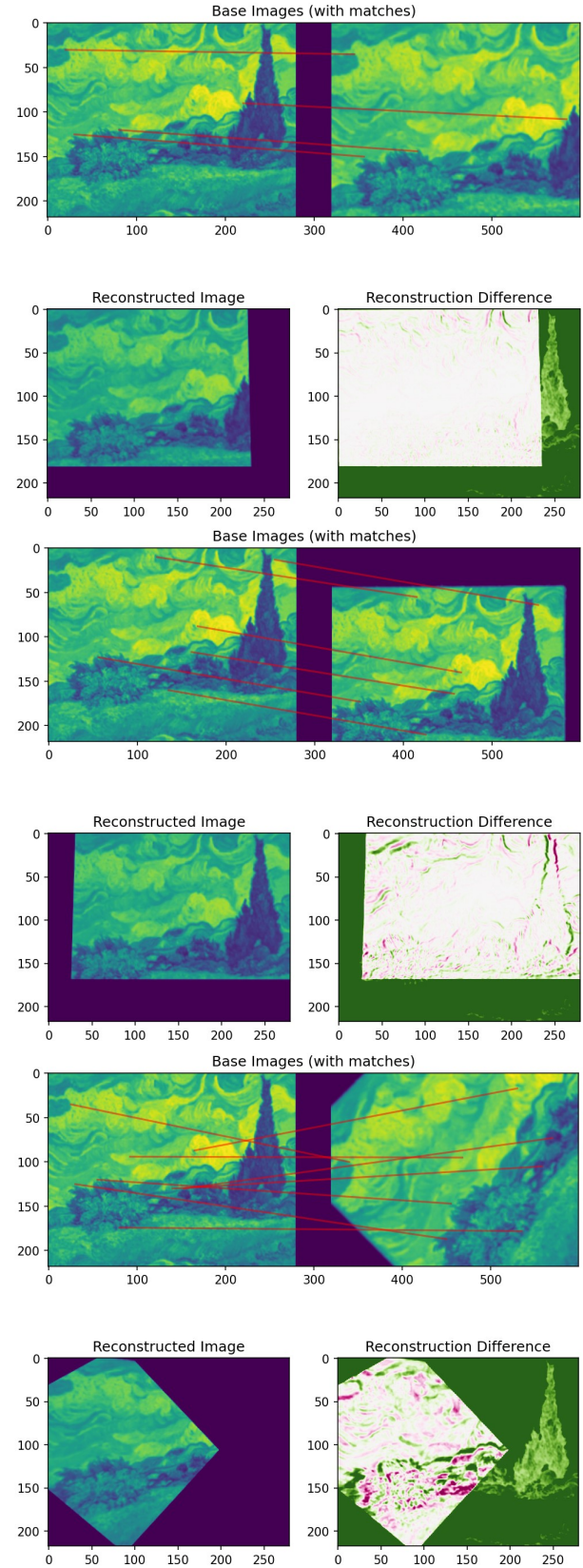


Fig. 3. 3.2.1 Base Image and Difference

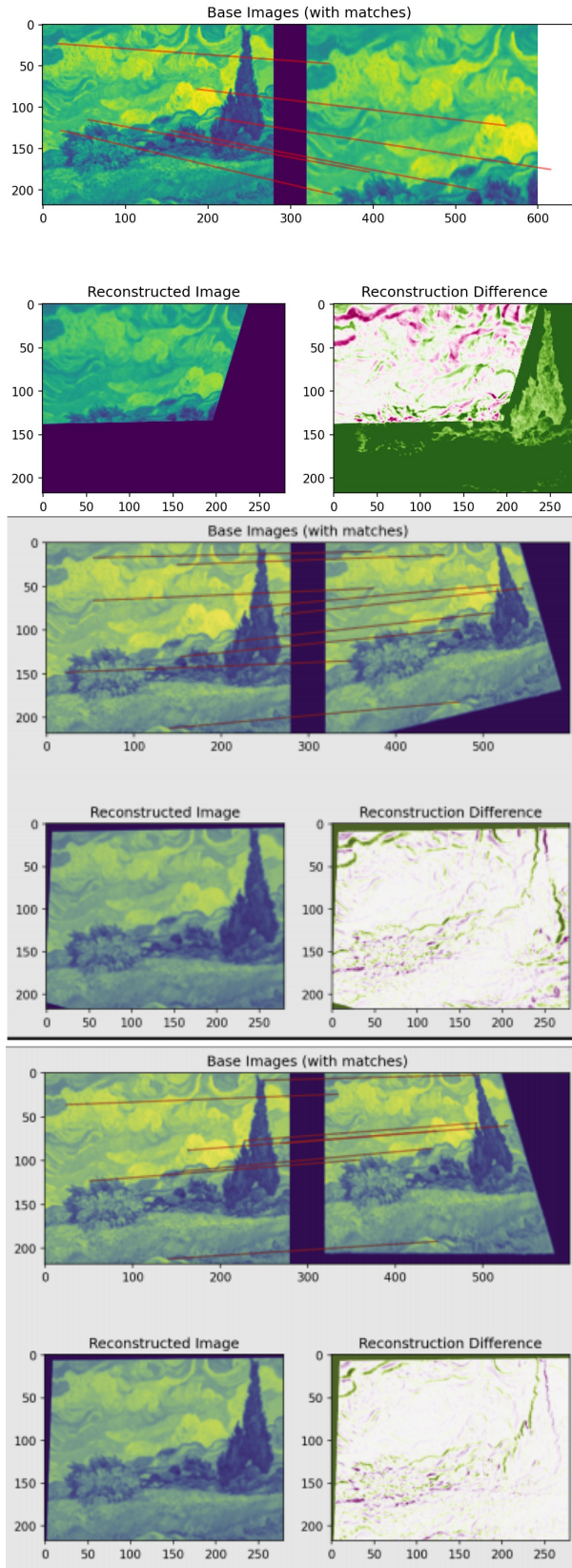


Fig. 4. 3.2.1 Reconstructed Images

throughout the image, indicating that we have taken care of the outliers in the image.

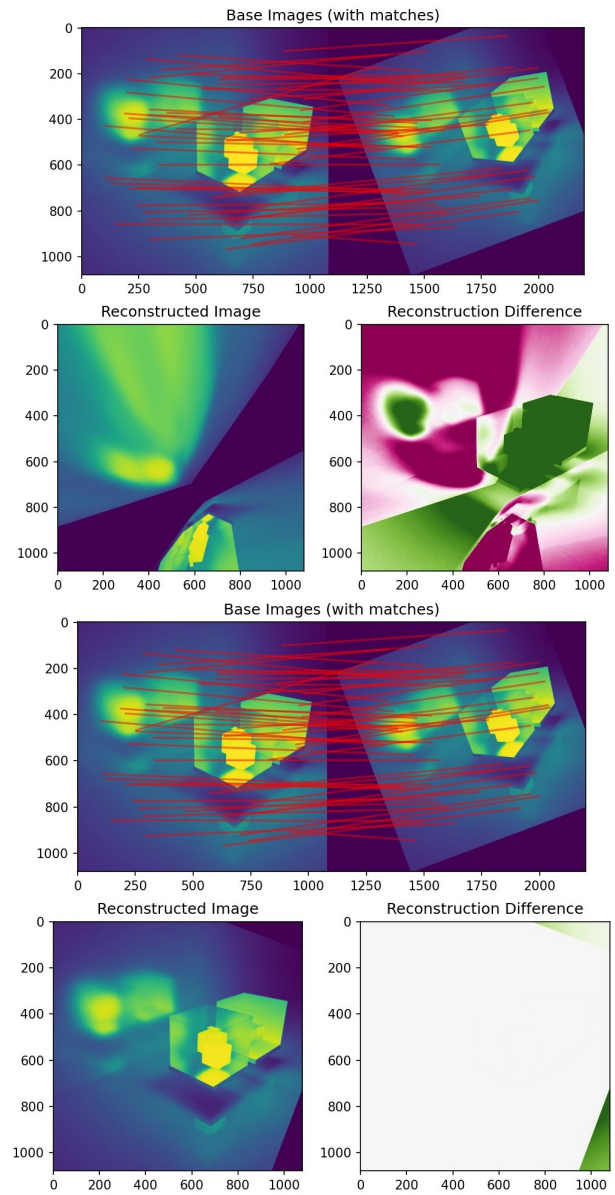


Fig. 5. 3.2.2 Base and Noise Reduced Images

V. P3.3 FEATURE MATCHING PIPELINE

Using the code from previous project, project 2, I implemented the compute feature matches function which returns feature matches given two images. Using the sunflower base image, we are matching the two images to see the reconstructed image difference. The output of the whole computation will look like this:

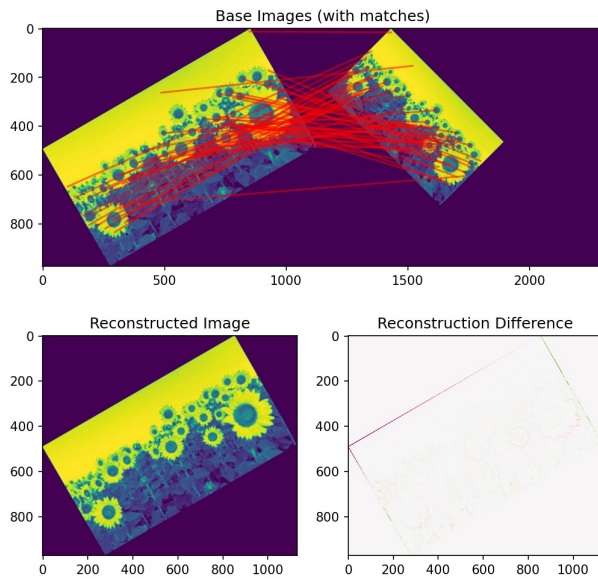


Fig. 6. Feature Matching Pipeline

VI. P3.4 FEATURE MATCHING WITH OPENCV

Lets talk about the performance of OpenCV compared to our code. Clearly, OpenCV solution is extremely faster than our solution and the reason for this difference might be due to the optimization of OpenCV. Depending on the background processes that were running on my PC and comparing OpenCV solution to the code that I implemented, I would say that OpenCV solution is 2 - 7 minutes faster than my solution however the speed may vary based on the number of background processes that are using my CPU. OpenCV gives you your output in about 1-2 minutes.

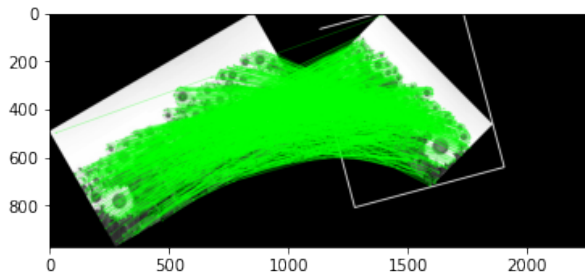


Fig. 7. Sunflower matching using OpenCV