

# ASSIGNMENT

## Backpropagation Algorithm

Computational Intelligence Lab

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### Code:

```
import string
import math
import random

class Neural:
    def __init__(self, pattern):
        #
        # Lets take 2 input nodes, 3 hidden nodes and 1 output node.
        # Hence, Number of nodes in input(ni)=2, hidden(nh)=3, output(no)=1.
        #
        self.ni=3
        self.nh=3
        self.no=1

        #
        # Now we need node weights. We'll make a two dimensional array that maps
        node from one layer to the next.
        # i-th node of one layer to j-th node of the next.
        #
        self.wih = []
        for i in range(self.ni):
            self.wih.append([0.0]*self.nh)
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self.who = []
for j in range(self.nh):
    self.who.append([0.0]*self.no)

#
# Now that weight matrices are created, make the activation matrices.
#
self.ai, self.ah, self.ao = [],[],[]
self.ai=[1.0]*self.ni
self.ah=[1.0]*self.nh
self.ao=[1.0]*self.no

#
# To ensure node weights are randomly assigned, with some bounds on values,
we pass it through randomizeMatrix()
#
randomizeMatrix(self.wih,-0.2,0.2)
randomizeMatrix(self.who,-2.0,2.0)

#
# To incorporate momentum factor, introduce another array for the 'previous
change'.
#
self.cih = []
self.cho = []
for i in range(self.ni):
    self.cih.append([0.0]*self.nh)
for j in range(self.nh):
    self.cho.append([0.0]*self.no)

# backpropagate() takes as input, the patterns entered, the target values and the obtained
values.
# Based on these values, it adjusts the weights so as to balance out the error.
# Also, now we have M, N for momentum and learning factors respectively.
def backpropagate(self, inputs, expected, output, N=0.5, M=0.1):
    # We introduce a new matrix called the deltas (error) for the two layers output and
    hidden layer respectively.
    output_deltas = [0.0]*self.no
    for k in range(self.no):
        # Error is equal to (Target value - Output value)

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        error = expected[k] - output[k]
        output_deltas[k]=error*dsigmoid(self.ao[k])

# Change weights of hidden to output layer accordingly.
for j in range(self.nh):
    for k in range(self.no):
        delta_weight = self.ah[j] * output_deltas[k]
        self.who[j][k]+= M*self.cho[j][k] + N*delta_weight
        self.cho[j][k]=delta_weight

# Now for the hidden layer.
hidden_deltas = [0.0]*self.nh
for j in range(self.nh):
    # Error as given by formule is equal to the sum of (Weight from each node
    # in hidden layer times output delta of output node)
    # Hence delta for hidden layer = sum (self.who[j][k]*output_deltas[k])
    error=0.0
    for k in range(self.no):
        error+=self.who[j][k] * output_deltas[k]
    # now, change in node weight is given by dsigmoid() of activation of each
    # hidden node times the error.
    hidden_deltas[j]= error * dsigmoid(self.ah[j])

    for i in range(self.ni):
        for j in range(self.nh):
            delta_weight = hidden_deltas[j] * self.ai[i]
            self.wih[i][j]+= M*self.cih[i][j] + N*delta_weight
            self.cih[i][j]=delta_weight

# Main testing function. Used after all the training and Backpropagation is completed.
def test(self, patterns):
    for p in patterns:
        inputs = p[0]
        print ('For input:', p[0], ' Output -->', self.runNetwork(inputs), '\tTarget: ',
p[1])

# So, runNetwork was needed because, for every iteration over a pattern [] array, we need
# to feed the values.
def runNetwork(self, feed):

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        if(len(feed)!=self.ni-1):
            print ('Error in number of input values.')

        # First activate the ni-1 input nodes.
        for i in range(self.ni-1):
            self.ai[i]=feed[i]

        #
        # Calculate the activations of each successive layer's nodes.
        #
        for j in range(self.nh):
            sum=0.0
            for i in range(self.ni):
                sum+=self.ai[i]*self.wih[i][j]
            # self.ah[j] will be the sigmoid of sum. # sigmoid(sum)
            self.ah[j]=sigmoid(sum)

        for k in range(self.no):
            sum=0.0
            for j in range(self.nh):
                sum+=self.ah[j]*self.wih[j][k]
            # self.ah[k] will be the sigmoid of sum. # sigmoid(sum)
            self.ao[k]=sigmoid(sum)

    return self.ao

def trainNetwork(self, pattern):
    for i in range(500):
        # Run the network for every set of input values, get the output values and
        Backpropagate them.
        for p in pattern:
            # Run the network for every tuple in p.
            inputs = p[0]
            out = self.runNetwork(inputs)
            expected = p[1]
            self.backpropagate(inputs,expected,out)
    self.test(pattern)

# End of class.

```

```

def randomizeMatrix ( matrix, a, b):
    for i in range ( len (matrix) ):
        for j in range ( len (matrix[0]) ):
            # For each of the weight matrix elements, assign a random weight
uniformly between the two bounds.
            matrix[i][j] = random.uniform(a,b)

# Now for our function definition. Sigmoid.
def sigmoid(x):
    return 1 / (1 + math.exp(-x))

# Sigmoid function derivative.
def dsigmoid(y):
    return y * (1 - y)

def main():
    # take the input pattern as a map. Suppose we are working for AND gate.
    pat = [
        [[0,0], [0]],
        [[0,1], [1]],
        [[1,0], [1]],
        [[1,1], [1]]
    ]
    newNeural = Neural(pat)
    newNeural.trainNetwork(pat)

if __name__ == "__main__":
    main()

```

## **Output:**

For input: [0, 0] Output --> [0.17035056290080428] Target: [0]  
 For input: [0, 1] Output --> [0.942600312146022] Target: [1]  
 For input: [1, 0] Output --> [0.9394586242003756] Target: [1]

For input: [1, 1] Output --> [0.9968820152144211] Target: [1]

Process returned 0 (0x0) execution time : 0.207 s

Press any key to continue . . .