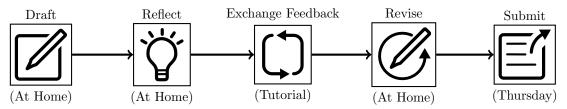
## The PAR Process



## **Problem Statement**

Let  $\mathcal{X}$  be a real vector space. Suppose  $\{\vec{v}_1, \vec{v}_2, \vec{v}_3\} \subset \mathcal{X}$  is a linearly independent set, and suppose  $\{\vec{w}_1, \vec{w}_2, \vec{w}_3\} \subset \mathcal{X}$  is a linearly dependent set. Define  $\mathcal{V} = \operatorname{span}\{\vec{v}_1, \vec{v}_2, \vec{v}_3\}$  and  $\mathcal{W} = \operatorname{span}\{\vec{w}_1, \vec{w}_2, \vec{w}_3\}$ .

- (a) Is there a linear transformation  $\mathcal{P}: \mathcal{V} \to \mathcal{W}$  such that  $\mathcal{P}(\vec{v_i}) = \vec{w_i}$  for i = 1, 2, 3?
- (b) Is there a linear transformation  $Q: W \to V$  such that  $Q(\vec{w_i}) = \vec{v_i}$  for i = 1, 2, 3?

Hint: the easiest way to show a linear transformation exists is to define a particular linear transformation. To define a linear transformation, you must specify what it does to every element in its domain.

Feedback Provided By:\_



Show All Steps



Explain Why, Not Just What



Avoid Pronouns



Use Correct Definitions



Define Variables, Units, etc.



Create Diagrams

Suggestions Accuracy Strengths



Correct Setup



Accurate Calculations



Solve Multiple Ways



Answer Reasonable



Other (Write Below)