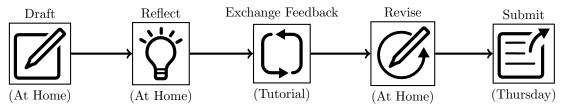
The PAR Process



A random vector in \mathbb{R}^n is a vector whose components (when written in the standard basis) are independently and uniformly chosen random numbers in the interval [0, 1].

Random Vector Theorem: Let $\mathcal{V} \subset \mathbb{R}^n$ be a subspace of \mathbb{R}^n of dimension m < n and let $\vec{x} \in \mathbb{R}^n$ be a random vector. The probability that $\vec{x} \in \mathcal{V}$ is zero.

Problem Statement

linear independence.

Let $\vec{x}_1, \ldots, \vec{x}_n \in \mathbb{R}^n$ be n random vectors.¹ Prove that there is a 100% chance that $\{\vec{x}_1, \ldots, \vec{x}_n\}$ form a basis for \mathbb{R}^n .

Hint: the random vector theorem is your friend. Use it!

Reflection

Turn the page and check off the icons for things you think you did well; circle the icons for things you would like feedback on.

If you are familiar with probability theory, $\vec{x}_1, \dots, \vec{x}_n$ are independent random variables—which is a distinct concept from

Feedback Provided By:_



Show All Steps



Explain Why, Not Just What



Avoid Pronouns



Use Correct Definitions



Define Variables, Units, etc.



Create Diagrams

Suggestions Accuracy Strengths



Correct Setup



Accurate Calculations



Solve Multiple Ways



Answer Reasonable



Other (Write Below)