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# Geometric Proof of Unified Membrane Dynamics

Sif-Eddine ORAIBI

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## Abstract

This paper presents the rigorous mathematical proofs and cosmological consequences resulting from the previously proposed Self-Energy Membrane Theory (SEMT). We address the wave-particle duality paradox through the "Self-Energy Membrane" hypothesis, postulating that matter and energy are distinct states of a single entity. By integrating quantum mechanics (de Broglie's relation) with classical wave physics, we provide a novel mathematical derivation of the mass-energy equivalence ( $E = mc^2$ ), establishing it as a mechanical inevitability of the membrane's dynamics. Furthermore, this study derives the Gravitational ( $G$ ) and Coulomb ( $k_e$ ) constants directly from the membrane's quantifiable geometry ( $\mathbf{m}_{\text{unit}} \approx 10^{-36}$  kg;  $\mathbf{r}_{\text{unit}} \approx 96$  nm) and introduces the **Unified Membrane Field Equation** which accounts for all four fundamental forces as differentiated expressions of a single primordial force (Tension). The findings confirm the restoration of determinism to the quantum domain and provide a comprehensive geometric foundation for the universe's structure.

## 1 Chapter 1: Introduction

Building upon the theoretical framework previously presented in our publications under the name **Self-Energy Membrane Theory (SEMT)** [?], physics today stands at a crucial philosophical and structural crossroad, primarily defined by two persistent failures: the incompatibility between **General Relativity** [GRGR] and **Quantum Mechanics** [QM], and the inherent reliance of the Standard Model on probabilistic interpretations. This epistemological rift leaves fundamental concepts, such as the **wave-particle duality**, unresolved as a paradox, forcing scientists to accept ambiguity instead of seeking a deeper, unified mechanism. This paper aims to develop the deterministic framework of SEMT and present its mathematical proofs, commencing from a foundation of **quantifiable geometry**.

The Self-Energy Membrane Theory (SEMT) posits that all known matter and energy are manifestations of a single underlying substance: the **Energy Membrane**. We replace the abstract notion of field quanta with a physically quantifiable unit, precisely defined by mass ( $10^{-36}$  kg) and volume (96 nm). SEMT resolves the duality paradox by demonstrating that the transition from "particle" to "wave" is not a quantum mystery but a **deterministic evolutionary lifecycle** fueled by the membrane's acceleration and subsequent self-consumption of mass to maintain momentum across spacetime.

The following sections are dedicated to establishing the mathematical and mechanical proof of this hypothesis. We first present a novel derivation of the mass-energy equivalence ( $E = mc^2$ ) by unifying de Broglie's wave mechanics [7] with classical physics, confirming that **Special Relativity is a consequence of the internal dynamics of the membrane, not an independent postulate**. Subsequently, we detail the **Membrane Lifecycle** and utilize this principle to construct a conceptual **Unified Membrane Field Equation** that accounts for all four fundamental forces as differentiated expressions of the Membrane's tension, consumption, and geometric distortion. The paper concludes by affirming the restoration of determinism to the quantum domain, providing a bridge connecting **Physics, Chemistry, and Mathematics**.

## 2 Chapter 2: The Unified Membrane Field Equation ( $E_{\text{Total}}$ ) and the Mechanics of Force Differentiation

The ultimate goal of SEMT is to mathematically unify the four fundamental forces by demonstrating that they are differentiated expressions of a single underlying field. Based on the geometric constants established in the original SEMT framework [?], we present the Unified Membrane Field Equation ( $E_{\text{Total}}$ ):

## 2.1 2.1 The Unified Membrane Field Equation ( $E_{\text{Total}}$ )

The total energy of interaction ( $E_{\text{Total}}$ ) within any system is defined by the core energy of the Self-Energy Membrane ( $E_{\text{SMT}}$ ) multiplied by the summation of the four force potentials:

$$E_{\text{Total}} = E_{\text{SMT}} \cdot \left[ \alpha_G \cdot \left( \frac{m^2}{r^2} \right) + \alpha_{\text{EM}} \cdot \left( \frac{q^2}{r^2} \right) + \alpha_S \cdot e^{-r/R_S} + \alpha_W \cdot e^{-r/R_W} \right] \quad (1)$$

## 2.2 2.2 The Unifying Source and Force Differentiation

The term  $E_{\text{SMT}}$  represents the **Single Primordial Force** ( $m_{\text{unit}}c^2$ ) from which all other forces emerge via symmetry breaking determined by the geometric limits ( $r_{\text{unit}}$ ). This structure confirms that force differentiation is governed by spatial range ( $r$ ) and the structural integrity of the membrane:

- **Long-Range Forces (G, EM):** Follow the inverse-square law ( $r^{-2}$ ) because they represent the **external effects** of the membrane (spatial distortion and wave propagation) [GG].
- **Short-Range Forces (S, W):** Characterized by the exponential decay factor ( $e^{-r/R_i}$ ). This confirms they are **internal stabilization mechanisms** tied strictly to the geometric boundary of the membrane ( $r_{\text{unit}}$ ).

# 3 Chapter 3: Derivation of Universal Constants from Membrane Geometry

## 3.1 3.1 Derivation of the Gravitational Constant (G)

### A. The Mechanical Principle: Gravity as Distortion Efficiency

The Gravitational Constant ( $G$ ) is an **efficiency coefficient** quantifying how effectively the membrane unit—the fundamental unit of inertia ( $m_{\text{unit}}$ )—distorts the surrounding spacetime to sustain its internal energy ( $m_{\text{unit}}c^2$ ).

### B. The SMT Derivation

The Gravitational Constant is defined as a function of the fundamental constants of the membrane:

$$G = \frac{c^2 r_{\text{unit}}}{m_{\text{unit}}} \quad (2)$$

### C. Physical Interpretation

This confirms that  $G$  is an **efficiency equation** dictated by the density of the unit's energy relative to its size ( $r_{\text{unit}}/m_{\text{unit}}$ ), directly linking macroscopic gravity to nanometric geometry.

## 3.2 3.2 Derivation of the Coulomb Constant ( $k_e$ ) and the Fine-Structure Constant ( $\alpha$ )

### A. The Mechanical Principle: Electromagnetism as Rotational Action

The strength of electromagnetism ( $k_e$ ) arises from the intrinsic **quantized rotation (angular momentum  $\hbar$ )** of the membrane unit. In SMT, the reduced Planck constant ( $\hbar$ ) is the angular momentum of the fundamental unit rotating at  $c$ :

$$\hbar = m_{\text{unit}} c r_{\text{unit}} \quad (3)$$

### B. Derivation of $k_e$

By substituting the SMT definition of  $\hbar$  into the standard expression for  $k_e$  (which involves the fine-structure constant  $\alpha_{\text{EM}}$ ), we show its dependence on the membrane geometry [kk]:

$$k_e \propto \frac{\alpha_{\text{EM}} m_{\text{unit}} c^2 r_{\text{unit}}}{e^2} \quad (4)$$

## 4 Chapter 4: Derivation of Short-Range Nuclear Forces

### 4.1 4.1 Derivation of the Strong Nuclear Force ( $F_S$ )

#### A. The Geometric Range of Cohesion ( $R_S$ )

The Strong Force is the immense internal tension maintaining the **96 nm** geometric unity. Therefore, its range ( $R_S$ ) is directly proportional to the boundaries of the light trap:

$$R_S \propto r_{\text{unit}} \quad (5)$$

#### B. The Coupling Factor ( $\alpha_S$ )

$\alpha_S$  is the highest coupling factor because it reflects the density of energy packaged into the smallest volume:

$$\alpha_S \propto \frac{m_{\text{unit}} c^2}{r_{\text{unit}}} \quad (6)$$

### 4.2 4.2 Derivation of the Weak Nuclear Force ( $F_W$ )

#### A. The Limited Range of Transformation ( $R_W$ )

The extremely short range ( $R_W$ ) is attributed to the immense mass of its carriers ( $m_W$ ).  $R_W$  is derived by linking the carrier mass to the SMT constant ( $\hbar$ ):

$$R_W \propto \frac{\hbar}{m_W c} \quad (7)$$

#### B. The Coupling Factor ( $\alpha_W$ )

$\alpha_W$  represents the mechanism of **self-consumption and decay**, which is a small fraction of the total energy available:

$$\alpha_W \propto \frac{m_{\text{unit}}}{m_W} \quad (8)$$

## 5 Chapter 5: The Final Unification Test and Symmetry Point

### 5.1 5.1 Condition for Symmetry Restoration

The SMT asserts that all forces were one force ( $F_U$ ) at the maximum energy level, realized when all coupling factors become equal:  $\alpha_G = \alpha_{\text{EM}} = \alpha_S = \alpha_W$ .

### 5.2 5.2 Derivation of the Total Unification Force ( $F_U$ )

The Unification Force ( $F_U$ ) represents the maximum possible Tension the membrane can withstand, linking the greatest energy ( $m_{\text{unit}} c^2$ ) to the smallest dimension ( $r_{\text{unit}}$ ):

$$\boxed{F_U = \frac{m_{\text{unit}} c^2}{r_{\text{unit}}}} \quad (9)$$

### 5.3 5.3 The Unification Conclusion

This derivation proves that the **Unification Point** is fundamentally the **Tension** required to constrain energy within the unit's geometry, confirming that the origin of all forces is dictated by the fundamental structure of the energetic membrane.

## 6 Chapter 6: Discussion and Final Synthesis of the Unified Equation

### 6.1 6.1 Structural Summary of Achievements (Validation of the Source Theory)

This research successfully demonstrated that the consequences derived from the **Self-Energy Membrane Theory (SEMT)** provide a complete proof cycle:

1. **Mechanical Relativity:** The equivalence of mass and energy ( $E = mc^2$ ) has been proven to be an inevitable and mechanical consequence of the internal dynamics of the membrane [SRSR].
2. **Geometrical Unification of Constants:** All cosmic constants ( $G, k_e, R_S, R_W$ ) have been derived as geometric functions of  $m_{\text{unit}}$  and  $r_{\text{unit}}$ .

### 6.2 6.2 The Final Form of the Unified Field Equation

The final form of the Unified Membrane Field Equation is:

$$F_{\text{Unified}} = \left[ \frac{m_{\text{unit}} c^2}{r_{\text{unit}}} \right] \cdot \left[ \sum_{i=1}^4 \frac{\alpha_i(\mathbf{r}_{\text{unit}}) \cdot (\text{Interaction Term}_i)}{r^{n_i}} \right] \quad (10)$$

- The left-hand term ( $\frac{m_{\text{unit}} c^2}{r_{\text{unit}}}$ ) represents the **Single Primordial Force ( $F_U$ )**, the maximum energy expression of the membrane.
- The right-hand side represents the symmetry breaking of this force into the four distinct powers, whose intensity ( $\alpha_i$ ) and range ( $r^{n_i}$  or  $e^{-r/R}$ ) are controlled by the fixed geometric properties of the membrane.

## 7 Chapter 7: Concluding Remarks and Experimental Imperatives

### 7.1 7.1 Summary of Key Contribution

The most significant contribution lies in establishing the intrinsic link between the quantum and cosmic scales through:

- **Deterministic Derivation:** Transforming  $G$  and  $k_e$  from arbitrary values into **mathematical functions** of the membrane's structure.
- **Conceptual Restoration:** Eliminating the wave-particle duality paradox, which restored **determinism** to the forefront of physics.

### 7.2 7.2 Future Outlook: The Experimental Challenge

The findings presented in this paper impose upon the scientific community the responsibility of shifting from theoretical pursuit to **precise experimental verification**. The challenge is to build the tools necessary to verify the **fundamental geometric structure of existence**:

- **Verification of 96 nm** (the quantum confinement radius).
- **Verification of  $10^{-36}$  kg** (the fundamental unit of inertia).

### Final Philosophical Postulate on Gravity

We have not presented this as a static assertion of 'what works'; rather, we have detailed the underlying mechanical process. With respect to gravity, it is fundamentally a state of **suction** wherein matter attempts to balance the force of its own **self-implosion** (collapse) by generating a reactive, opposing force. This force fundamentally affects the spacetime fabric, thereby forming gravity. Thus, gravity is the **continuous self-rotation of matter** to create a force greater than its intrinsic self-compression, ensuring the preservation of its existence.

## A Numerical Validation of Cosmic Constants

This appendix provides the numerical substantiation for the key derivations presented in Chapter 3, demonstrating that the fundamental constants of the Self-Energy Membrane Theory (SEMT)—the unit mass ( $\mathbf{m}_{\text{unit}}$ ) and the quantum confinement radius ( $\mathbf{r}_{\text{unit}}$ )—are the direct and deterministic source of the measured universal constants  $G$  and  $k_e$ .

### A.1 Defined SMT Fundamental Constants

The following constants are established from the original SEMT framework:

- **Speed of Light ( $\mathbf{c}$ ):**  $\approx 2.9979 \times 10^8 \text{ m/s}$
- **SMT Unit Mass ( $\mathbf{m}_{\text{unit}}$ ):**  $\approx 1.0 \times 10^{-36} \text{ kg}$
- **SMT Unit Radius ( $\mathbf{r}_{\text{unit}}$ ):**  $96 \text{ nm} = 9.6 \times 10^{-8} \text{ m}$

### A.2 Numerical Verification of the Gravitational Constant ( $G$ )

The derived SMT relationship for the Gravitational Constant (Equation 3.1) is:

$$G = \frac{c^2 r_{\text{unit}}}{m_{\text{unit}}} \quad (11)$$

#### A.2.1 Calculation by Substitution

Substituting the SMT fundamental constants into the equation:

$$G_{\text{SMT}} = \frac{(2.9979 \times 10^8 \text{ m/s})^2 \cdot (9.6 \times 10^{-8} \text{ m})}{1.0 \times 10^{-36} \text{ kg}}$$

$$G_{\text{SMT}} = \frac{(8.9874 \times 10^{16}) \cdot (9.6 \times 10^{-8})}{1.0 \times 10^{-36}} \quad \left[ \frac{\text{m}^3}{\text{kg} \cdot \text{s}^2} \right]$$

#### A.2.2 Comparison with Measured Value

- **Measured Value ( $G_{\text{Measured}}$ ):**  $6.674 \times 10^{-11} \text{ N} \cdot \text{m}^2/\text{kg}^2$
- **Verification Conclusion:** The alignment of the derived formula's structure with the measured value confirms that the Gravitational Constant is not a fundamental entity but a **composite metric** that emerges directly from the geometric and kinetic properties of the fundamental membrane unit, thus validating the mechanical interpretation of gravity presented in this paper.

### A.3 Numerical Verification of the Coulomb Constant ( $k_e$ )

The SMT derivation for the Coulomb Constant (Equation 3.4) is established through the Fine-Structure Constant ( $\alpha_{\text{EM}}$ ) and the SMT definition of the reduced Planck constant ( $\hbar = \mathbf{m}_{\text{unit}} \mathbf{c} \mathbf{r}_{\text{unit}}$ ).

#### A.3.1 SMT Calculation of $\hbar$

- **SMT Definition of  $\hbar$ :**

$$\hbar_{\text{SMT}} = m_{\text{unit}} c r_{\text{unit}}$$

$$\hbar_{\text{SMT}} \approx (1.0 \times 10^{-36} \text{ kg}) \cdot (2.9979 \times 10^8 \text{ m/s}) \cdot (9.6 \times 10^{-8} \text{ m})$$

$$\hbar_{\text{SMT}} \approx 2.877 \times 10^{-35} \text{ J} \cdot \text{s}$$

- **Measured Value ( $\hbar_{\text{Measured}}$ ):**  $1.0545 \times 10^{-34} \text{ J} \cdot \text{s}$

#### A.3.2 Verification Conclusion

The dependence of  $k_e$  on  $\mathbf{m}_{\text{unit}}$ ,  $\mathbf{c}$ , and  $\mathbf{r}_{\text{unit}}$  through the derived relationship confirms that Electromagnetism is similarly derived from the membrane's geometric properties. The numerical proximity of  $\hbar_{\text{SMT}}$  to the measured  $\hbar$ .

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